

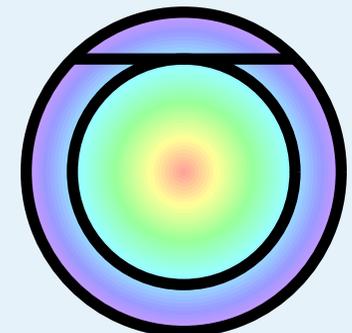
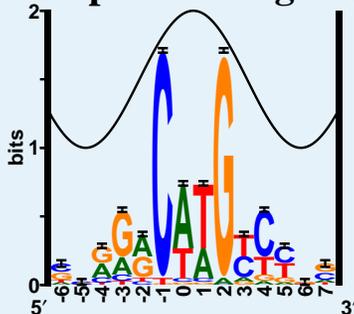


Three Principles of Biological States: Ecology and Cancer

Thomas D. Schneider, Ph.D.

Molecular Information Theory Group
Center for Cancer Research
Gene Regulation and Chromosome Biology Laboratory
National Cancer Institute
Frederick, MD 21702-1201

132 p53 binding sites



Information Theory: One-Minute Lesson

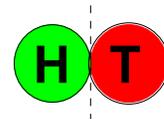
number of symbols	number of bits	example
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M

B

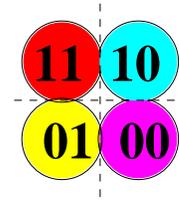
2

1



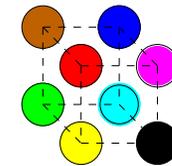
4

2



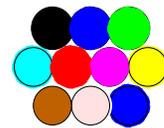
8

3



$$M=2^B$$

$$B=\log_2 M$$



Information Theory: One-Minute Lesson

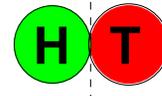
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M

B

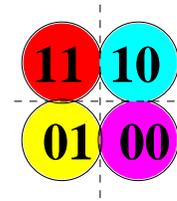
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1



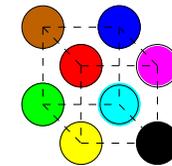
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2



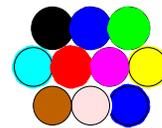
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Information Theory: One-Minute Lesson

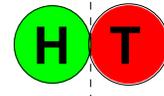
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B

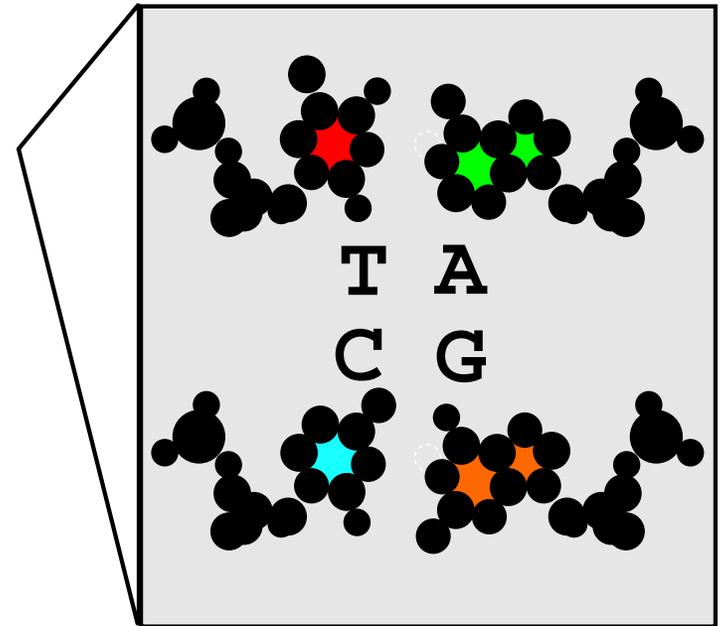
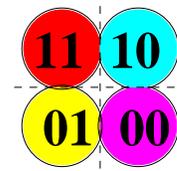
2

1



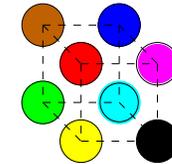
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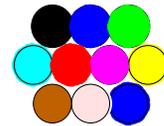
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Information Theory: One-Minute Lesson

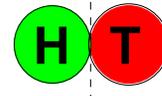
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B

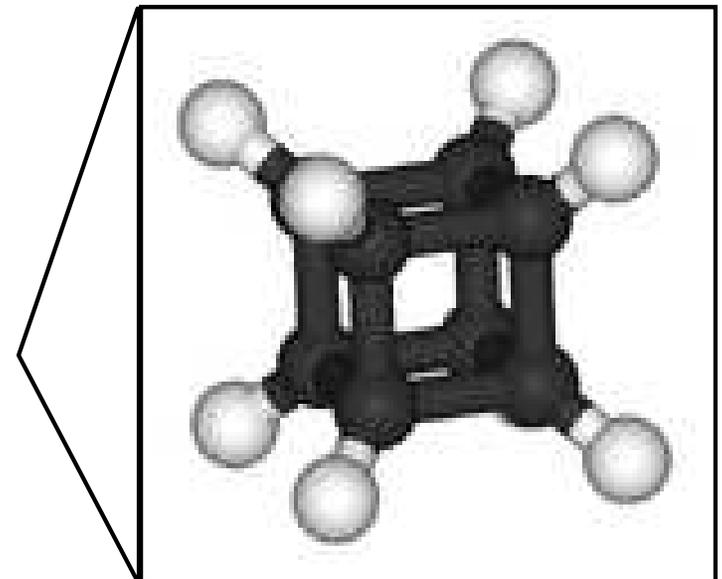
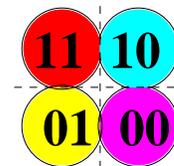
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1



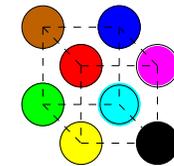
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2



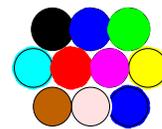
8

3



$$M=2^B$$

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Information Theory: One-Minute Lesson

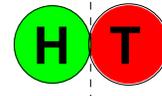
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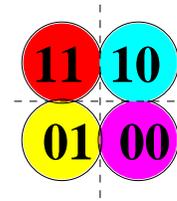
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1



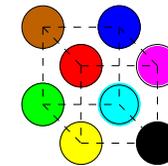
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2



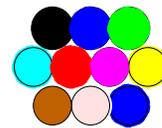
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3



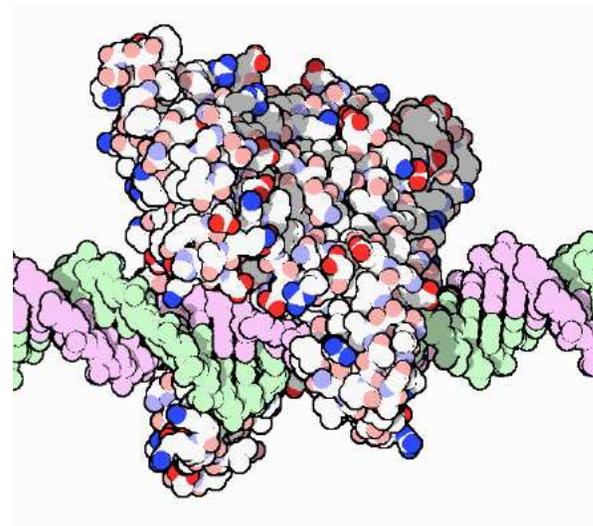
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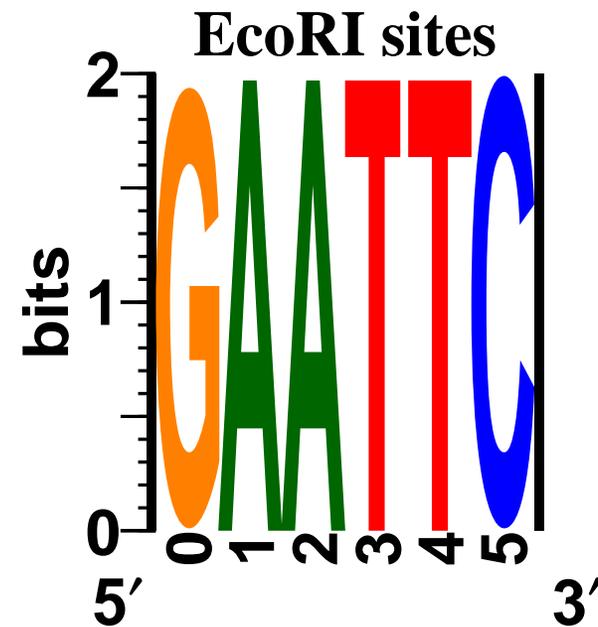
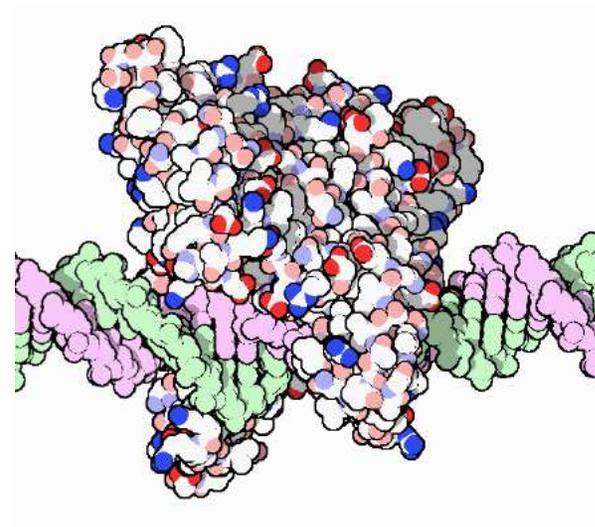
Information of EcoRI DNA Binding

- EcoRI - restriction enzyme



Information of EcoRI DNA Binding

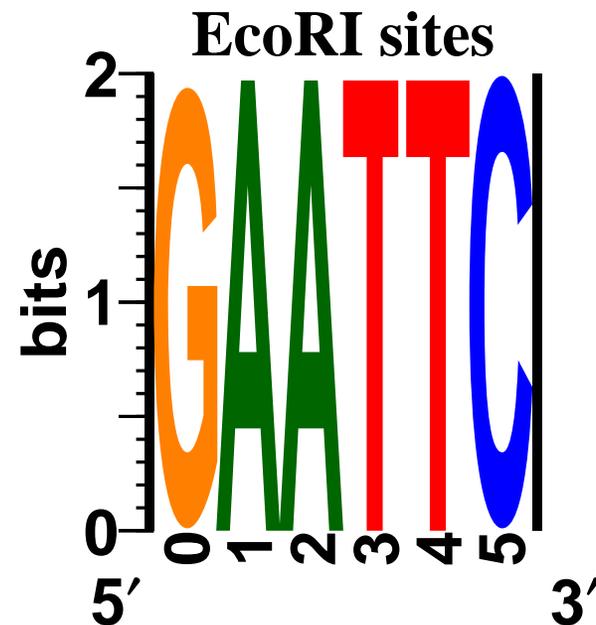
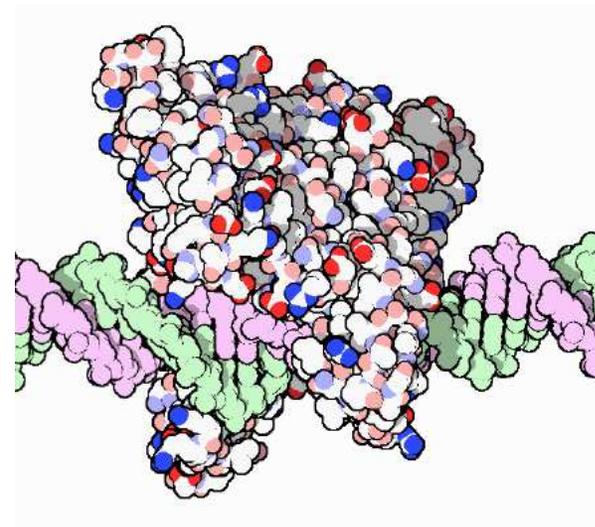
- EcoRI - restriction enzyme
- EcoRI binds DNA at 5' GAATTC 3'



Information of EcoRI DNA Binding

- EcoRI - restriction enzyme
- EcoRI binds DNA at 5' GAATTC 3'
- information required:

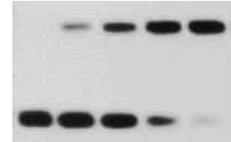
$$6 \text{ bases} \times 2 \text{ bits per base} = \boxed{12 \text{ bits}}$$



Energy Dissipation by EcoRI

- Measured specific binding constant:

$$K_{spec} = 1.6 \times 10^5$$



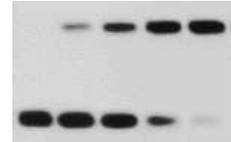
Energy Dissipation by EcoRI

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$$\Delta G_{spec}^{\circ} = -k_B T \ln K_{spec} \quad (\text{joules per binding})$$



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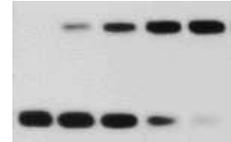
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- The Second Law of Thermodynamics as a conversion factor:

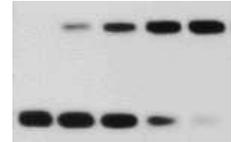
$$\mathcal{E}_{min} = k_B T \ln 2 \quad (\text{joules per bit})$$



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- The Second Law of Thermodynamics as a conversion factor:

$$\mathcal{E}_{min} = k_B T \ln 2 \quad (\text{joules per bit})$$

- Number of bits that could have been selected:

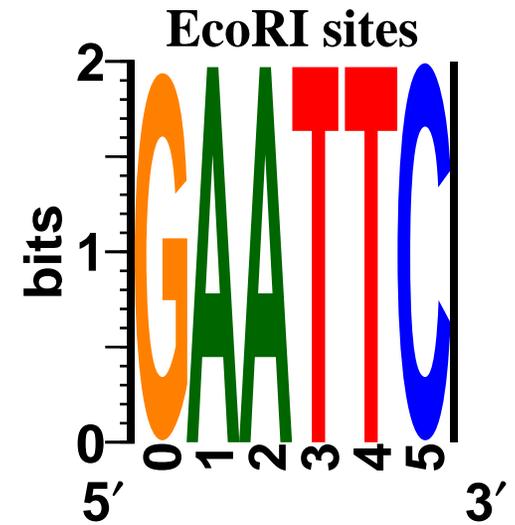
$$\begin{aligned} R_{energy} &= -\Delta G^{\circ} / \mathcal{E}_{min} \\ &= k_B T \ln K_{spec} / k_B T \ln 2 \\ &= \log_2 K_{spec} \quad \Leftarrow \text{SO SIMPLE!} \\ &= \boxed{17.3 \text{ bits per binding}} \end{aligned}$$

Information/Energy = Efficiency of EcoRI

EcoRI could have made 17.3 binary choices

Information/Energy = Efficiency of EcoRI

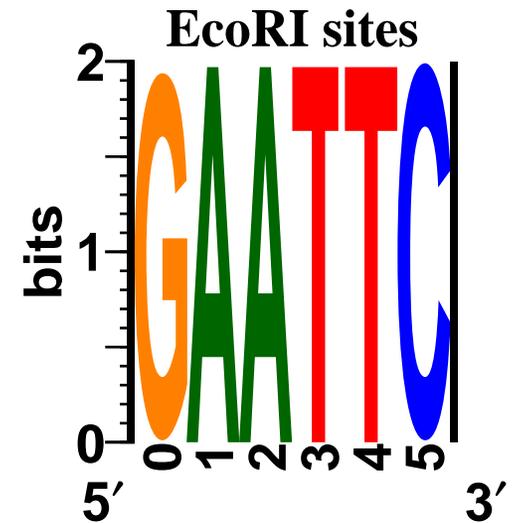
EcoRI could have made 17.3 binary choices
...but it only made 12 choices.



Information/Energy = Efficiency of EcoRI

EcoRI could have made 17.3 binary choices
...but it only made 12 choices.

Efficiency is
'WORK' DONE / ENERGY DISSIPATED

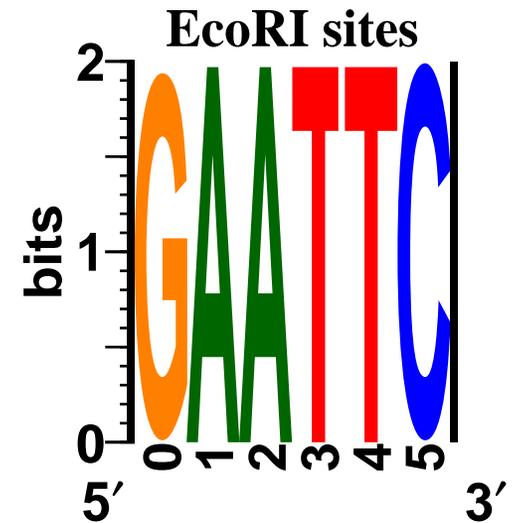


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Efficiency is
'WORK' DONE / ENERGY DISSIPATED

$$\frac{12 \text{ bits per binding}}{17.3 \text{ bits per binding}} = 0.7$$



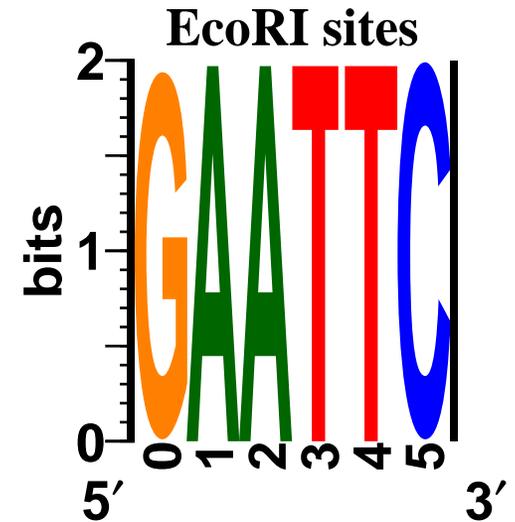
Information/Energy = Efficiency of EcoRI = 70%

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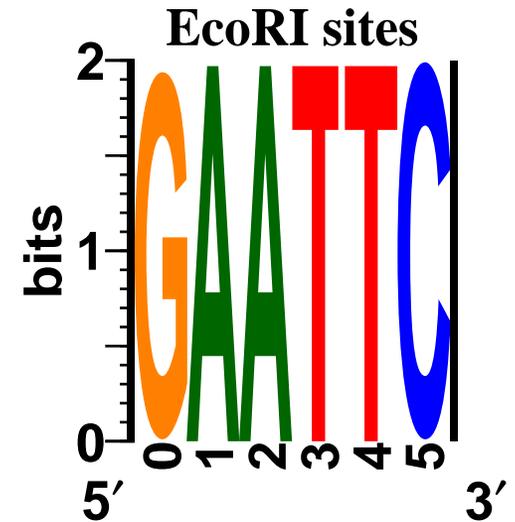
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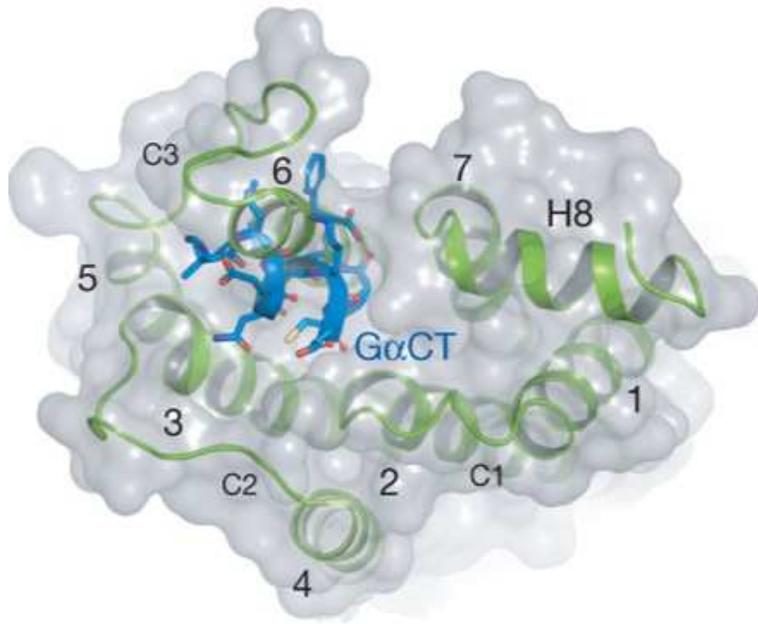
The efficiency is 70%.

18 out of 19 DNA binding proteins give ~70% efficiency.



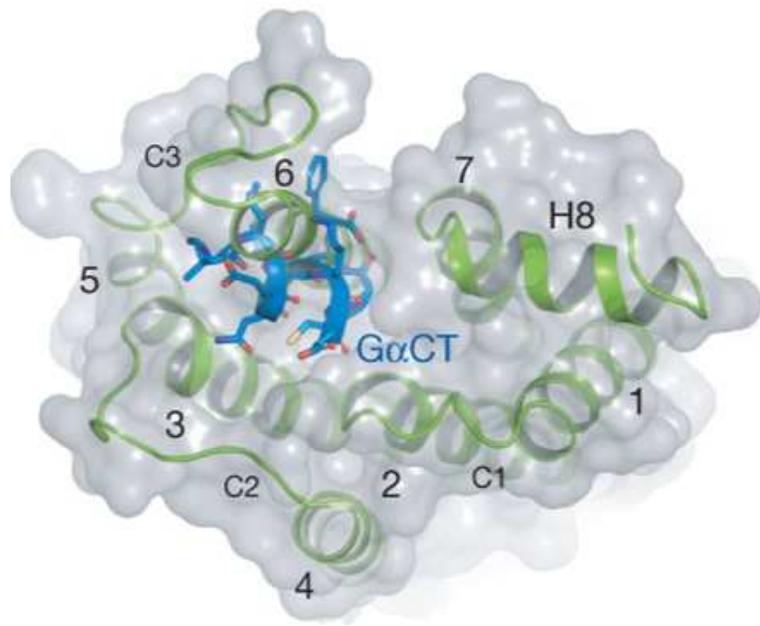
Rhodopsin Shape Change

Dark State



Rhodopsin Shape Change

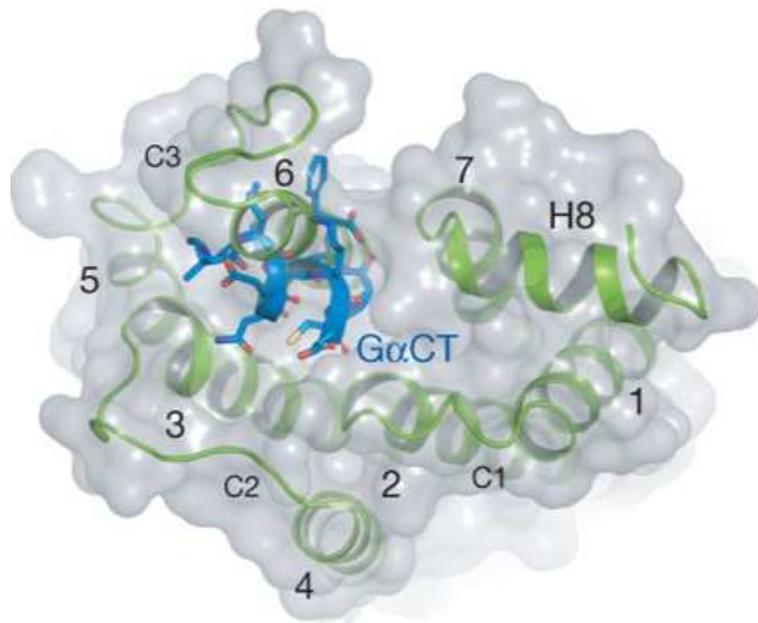
Dark State



$h\nu$

Rhodopsin Shape Change

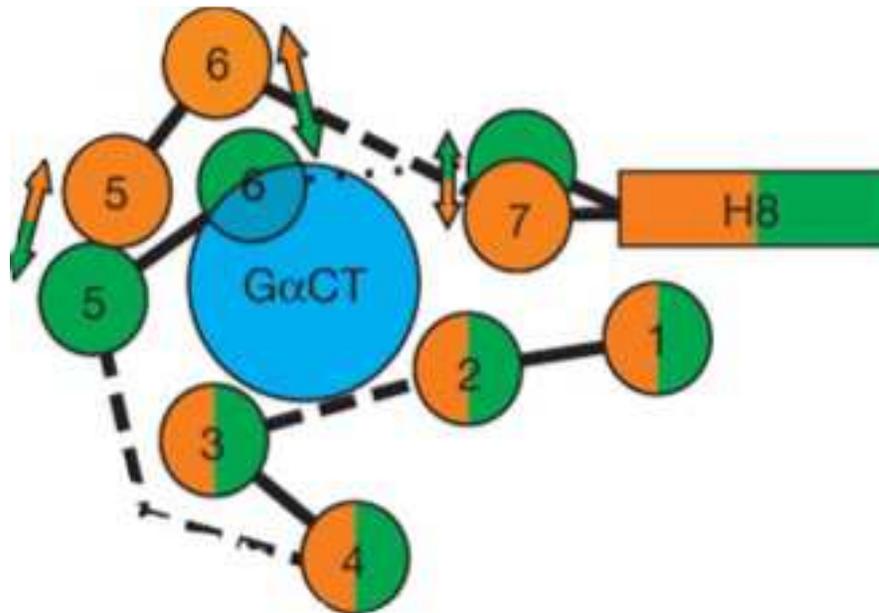
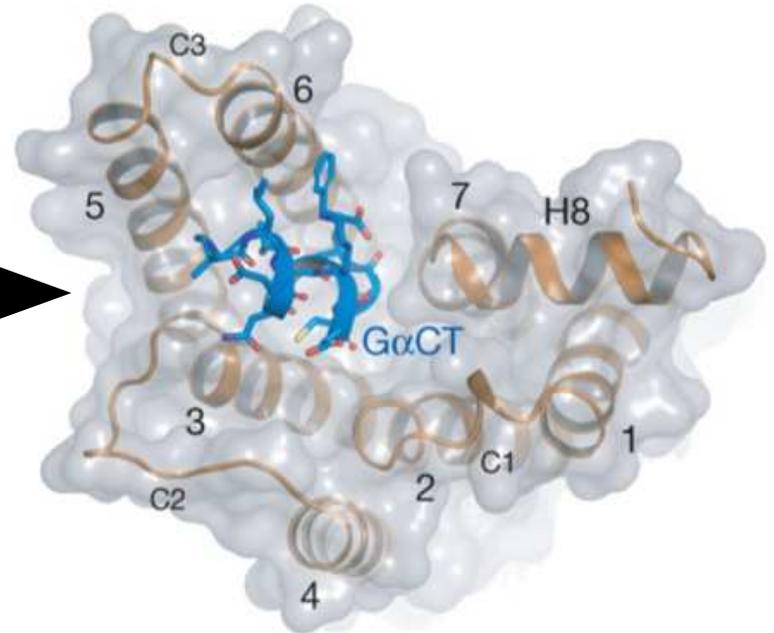
Dark State



$h\nu$

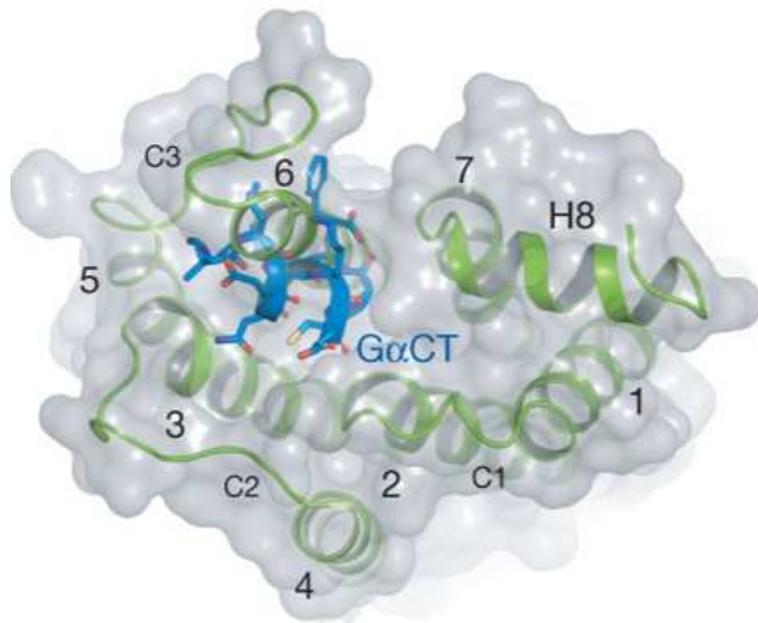


After Photon - Light State

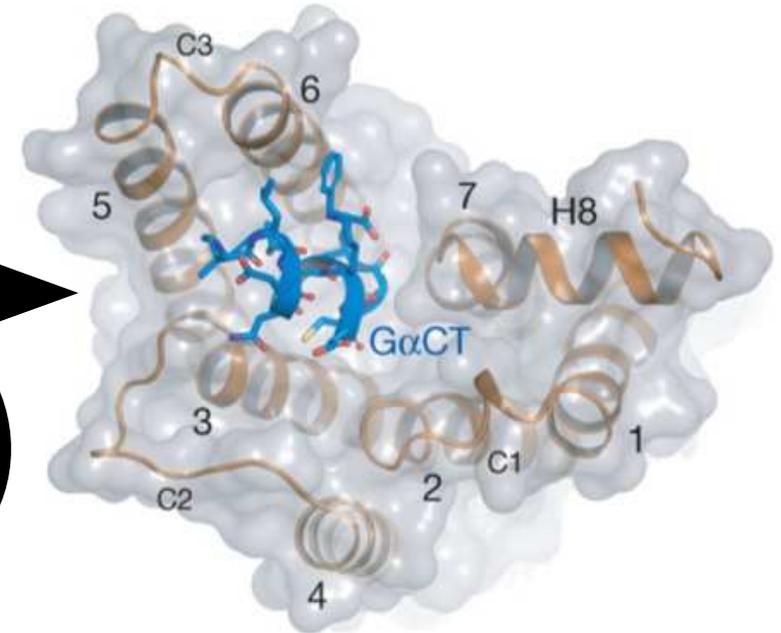


Rhodopsin Shape Change

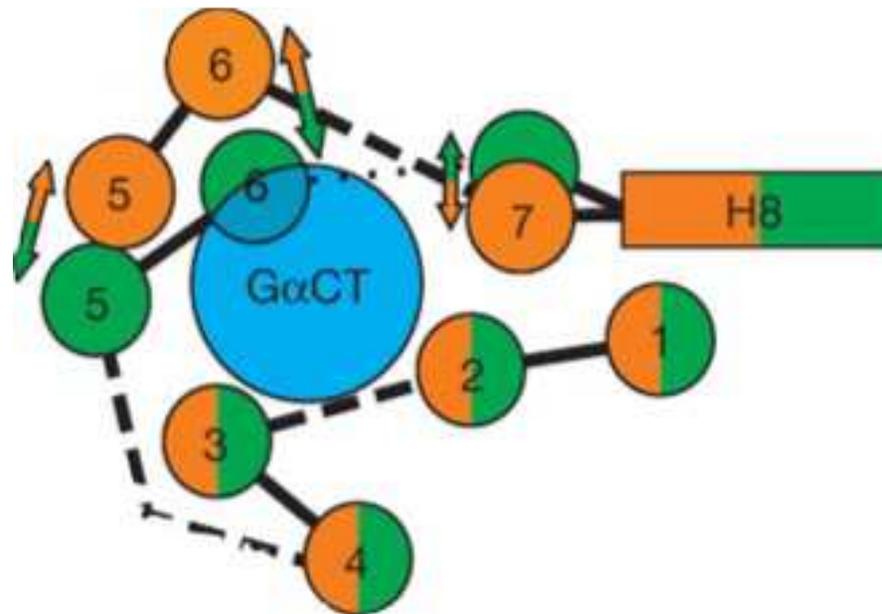
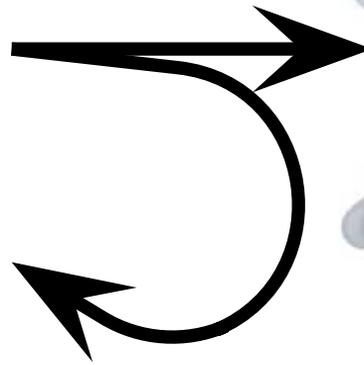
Dark State



After Photon - Light State

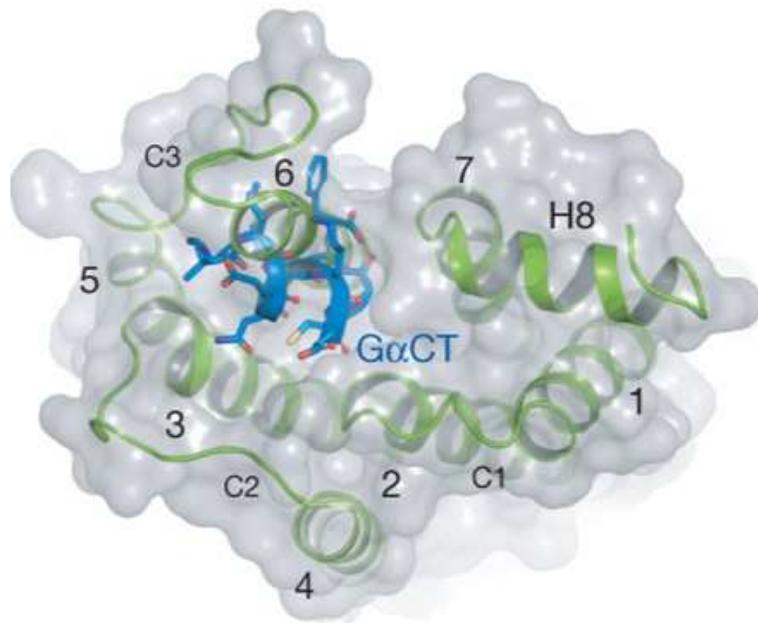


$h\nu$

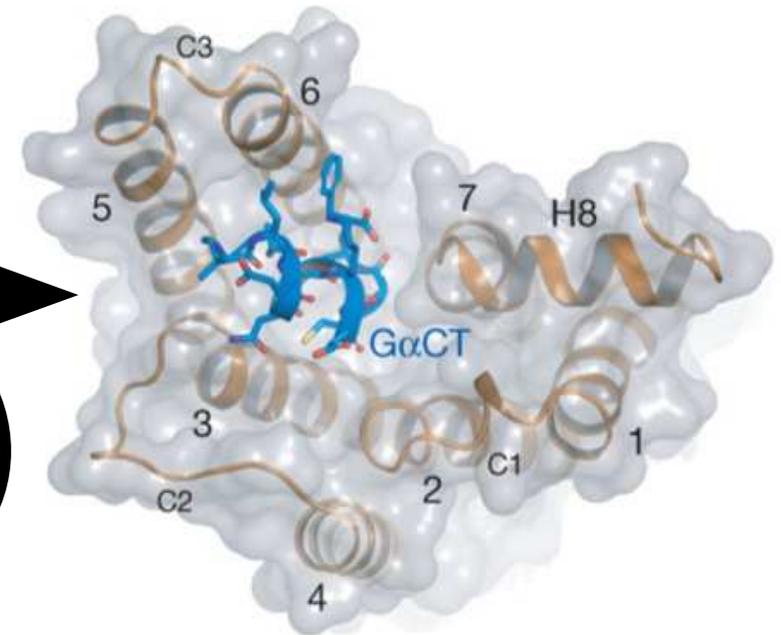


Rhodopsin Shape Change

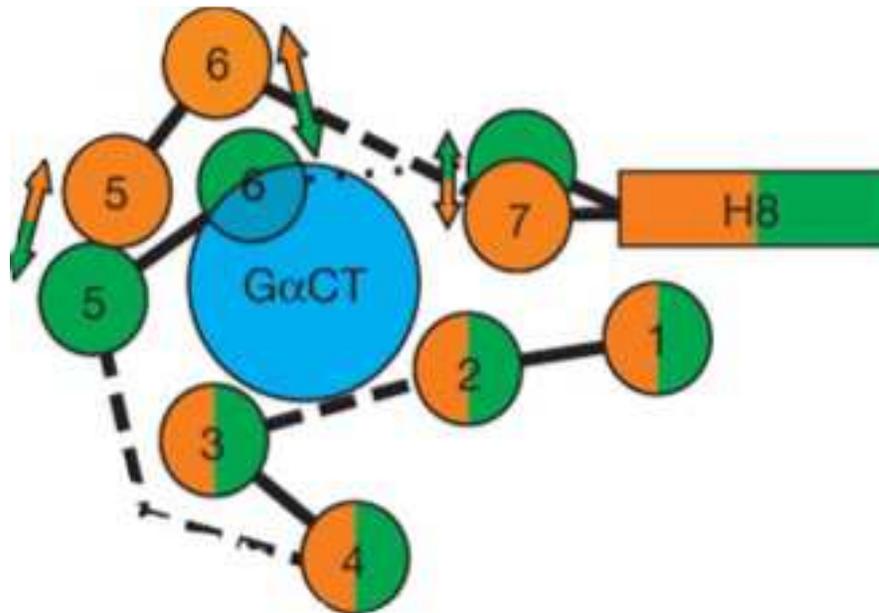
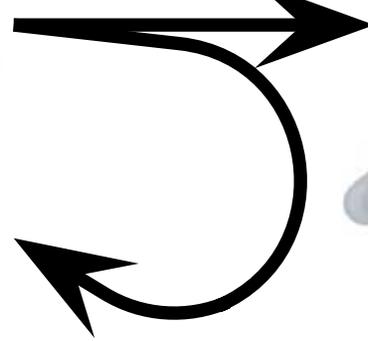
Dark State



After Photon - Light State

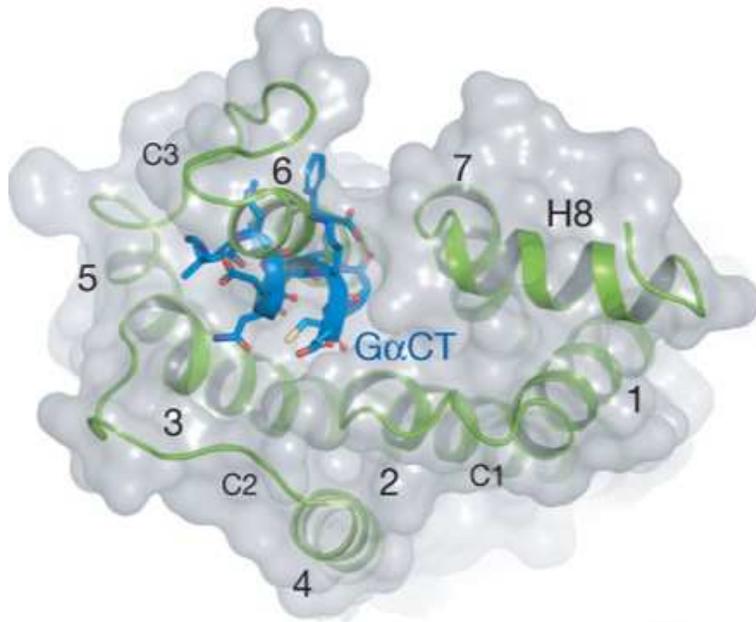


$h\nu$
70%

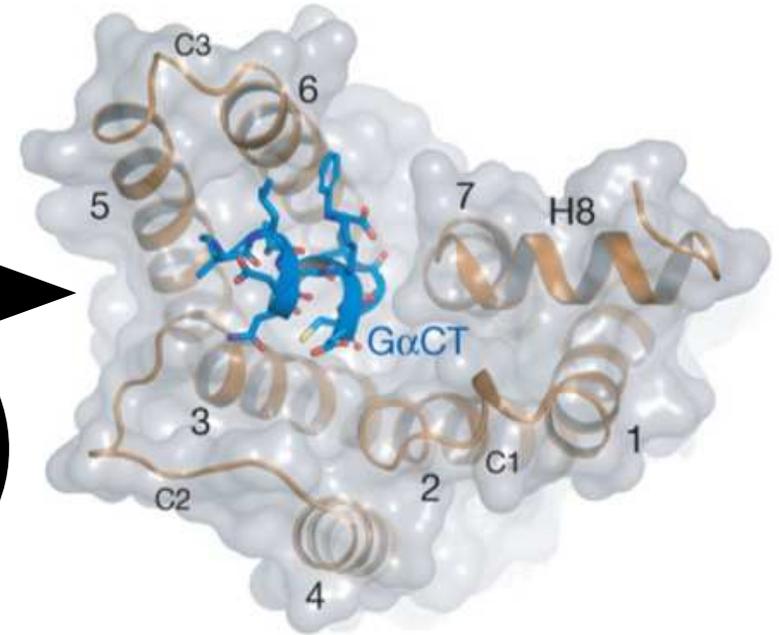


Rhodopsin Shape Change

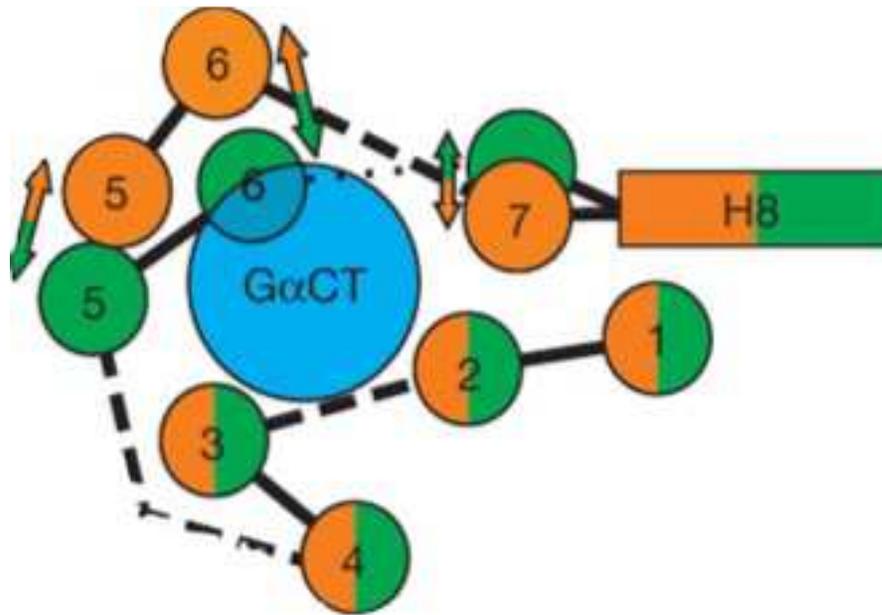
Dark State



After Photon - Light State

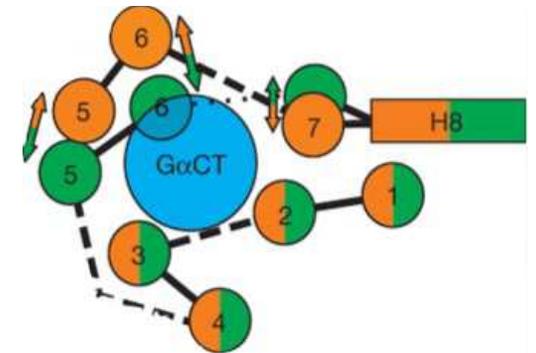
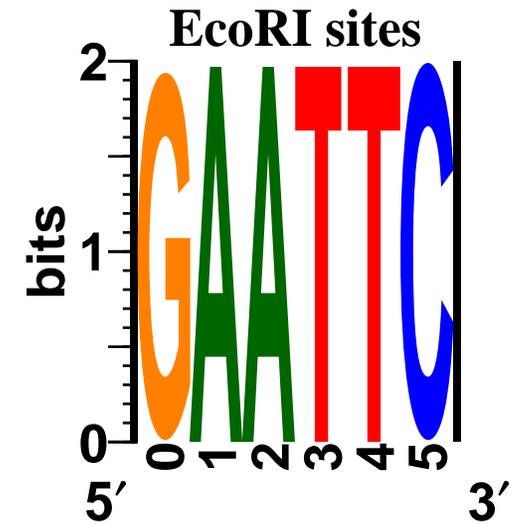


$h\nu$
70%
30%



Why are molecular machines 70% efficient?

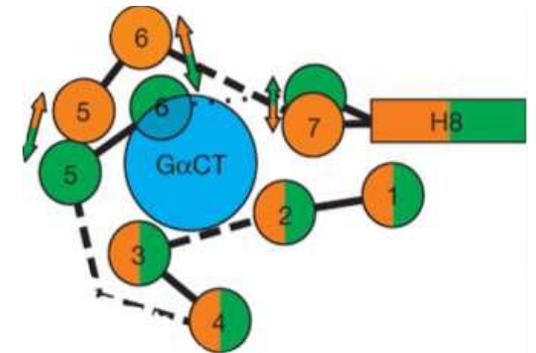
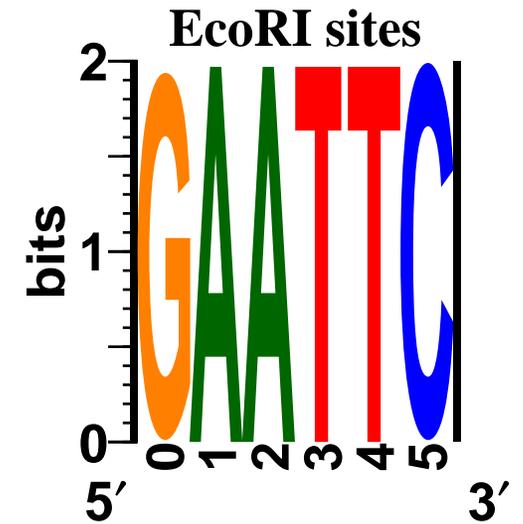
70% efficiency appears widely in biology:



Why are molecular machines 70% efficient?

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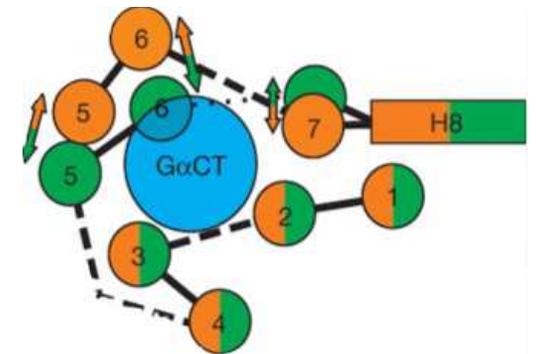
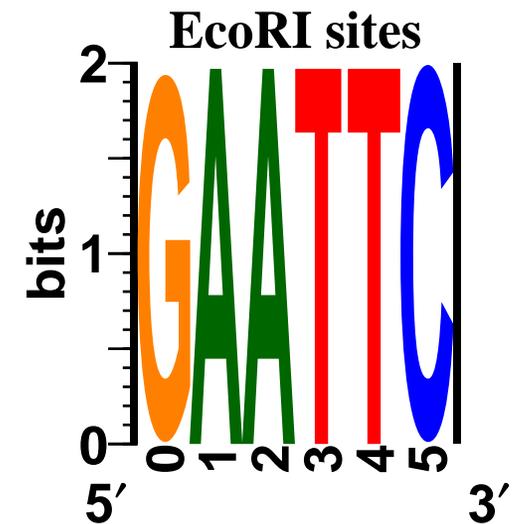
- DNA - protein binding



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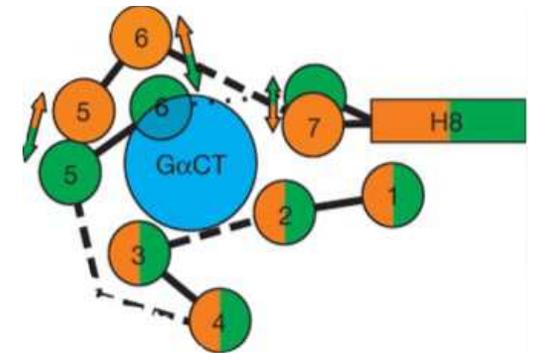
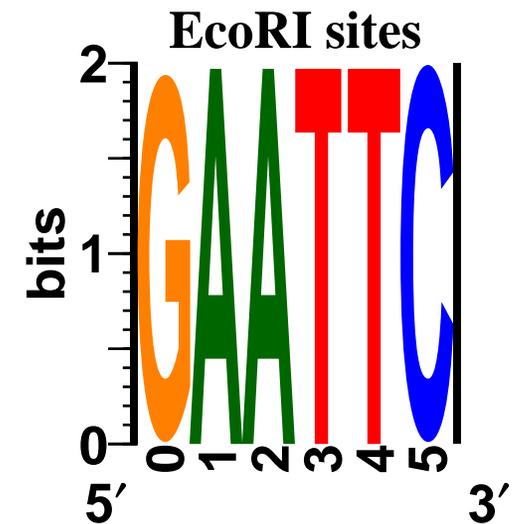
- DNA - protein binding
- rhodopsin



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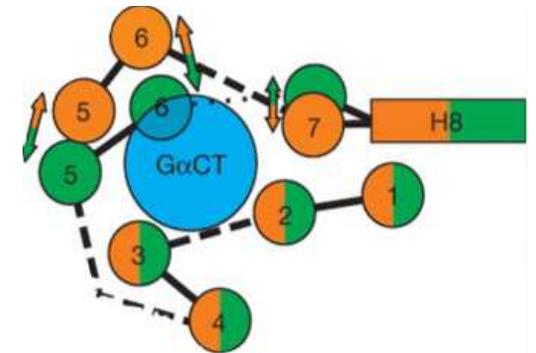
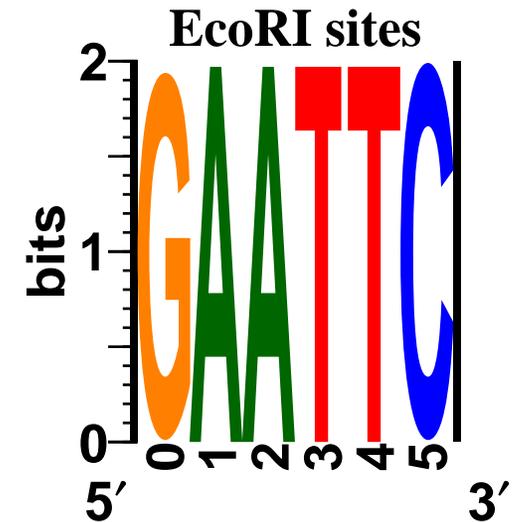
- DNA - protein binding
- rhodopsin
- muscle



Why are molecular machines 70% efficient?

70% efficiency appears widely in biology:

- DNA - protein binding
- rhodopsin
- muscle
- other systems

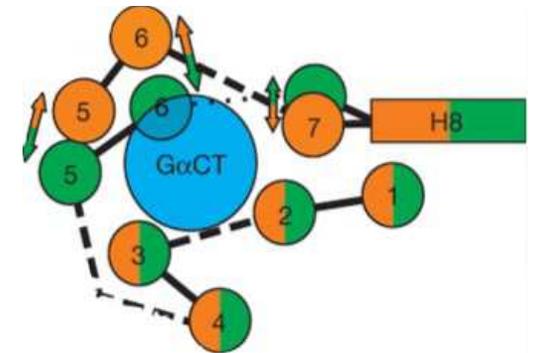
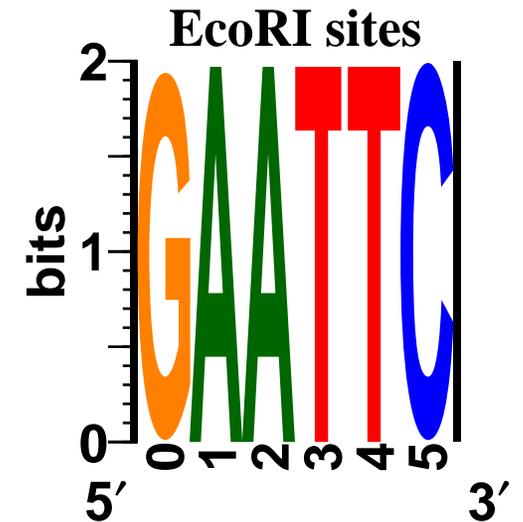


Why are molecular machines 70% efficient?

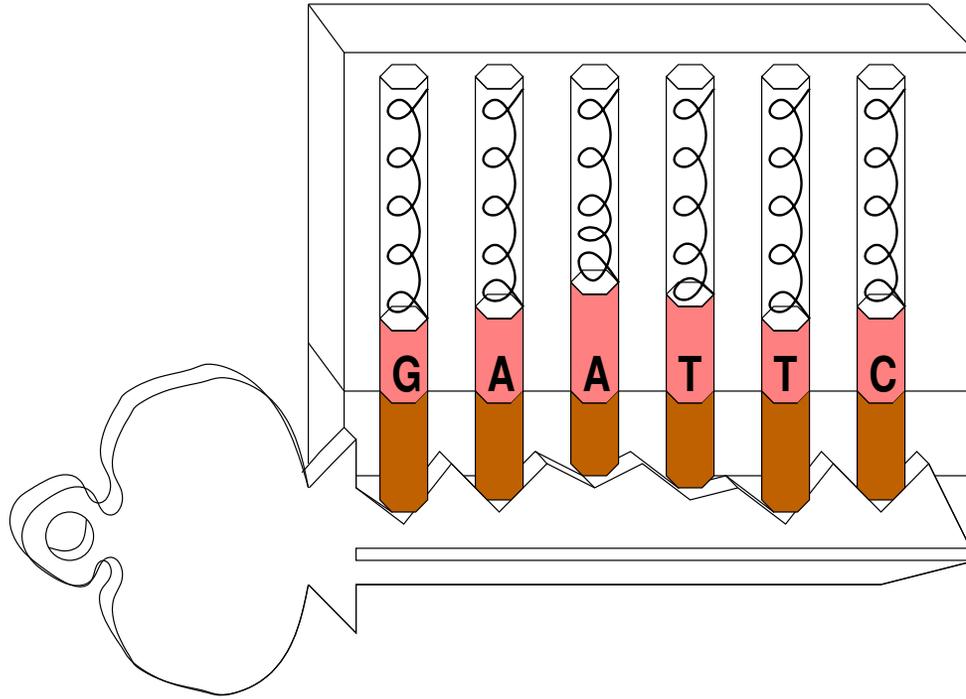
70% efficiency appears widely in biology:

- DNA - protein binding
- rhodopsin
- muscle
- other systems

Why 70% efficiency?



Lock and Key

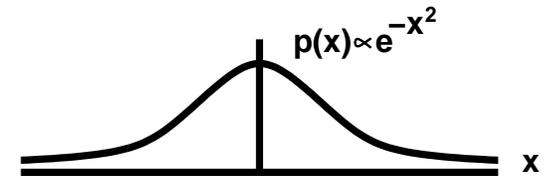


**Like a key in a lock
which has many independent pins,
it takes many numbers
to describe the vibrational state
of a molecular machine**

Gaussians

- Pin motion x has a Gaussian distribution:

$$p(x) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

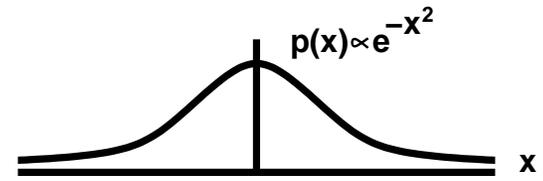


μ = mean, σ = standard deviation

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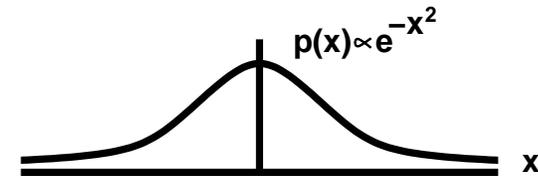
μ = mean, σ = standard deviation

- Gaussian distributions are generated by the sum of many small random variables

Gaussians

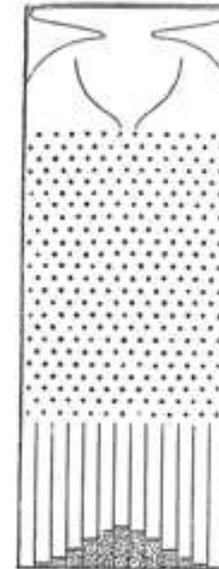
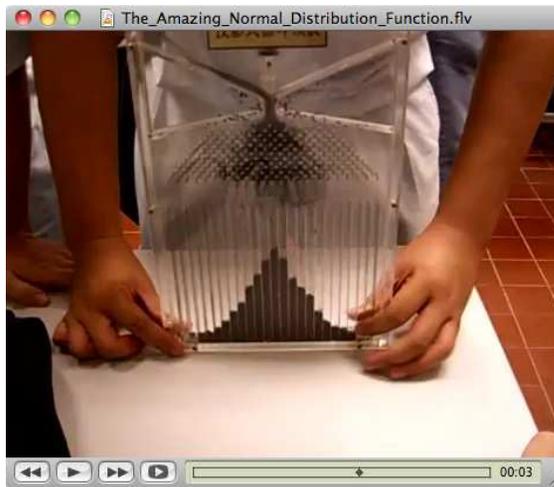
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- Drunkard's walk: Galton's quincunx device!



Two Gaussians

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$$p(y) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{(y-\mu)^2}{2\sigma^2}} \quad (2)$$

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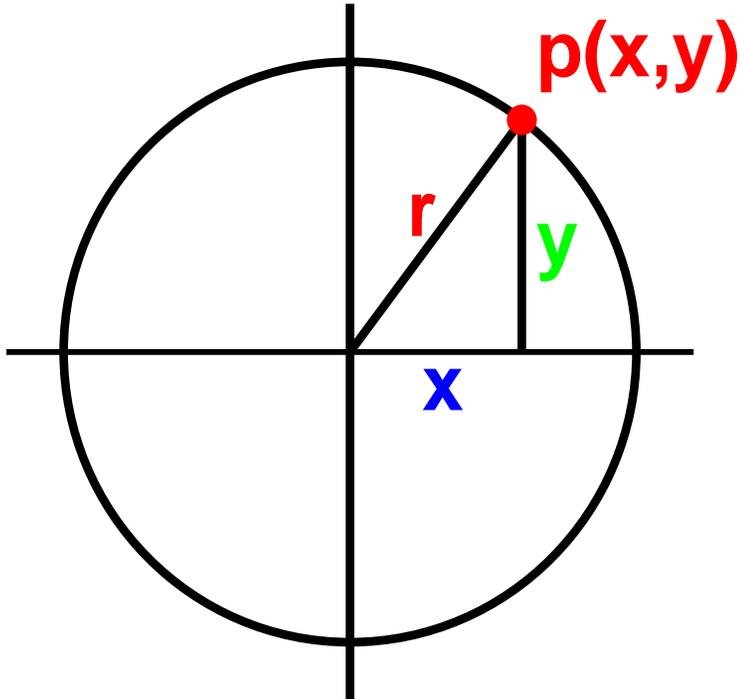
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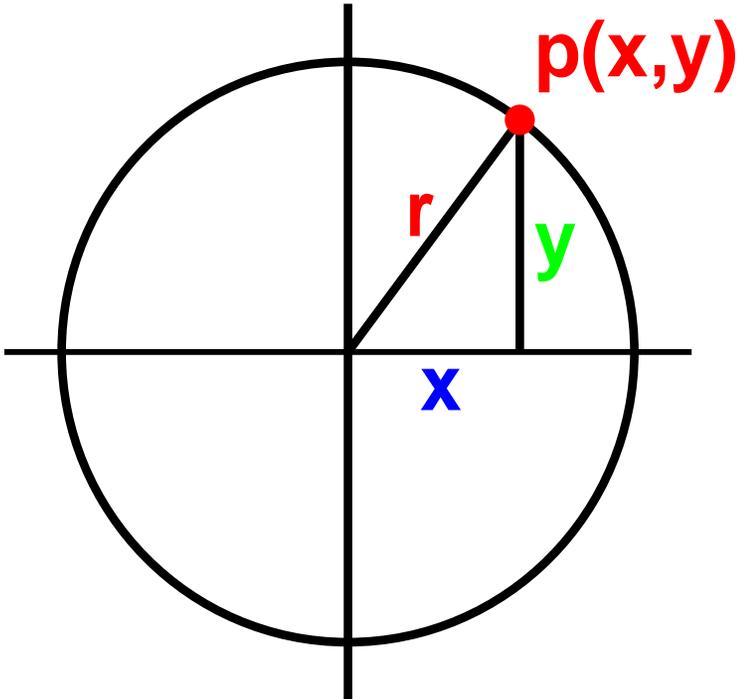


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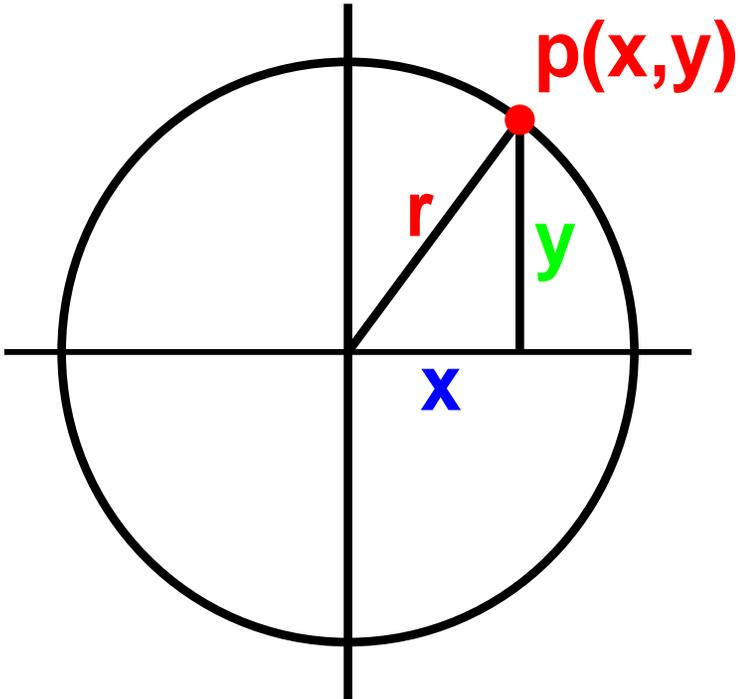
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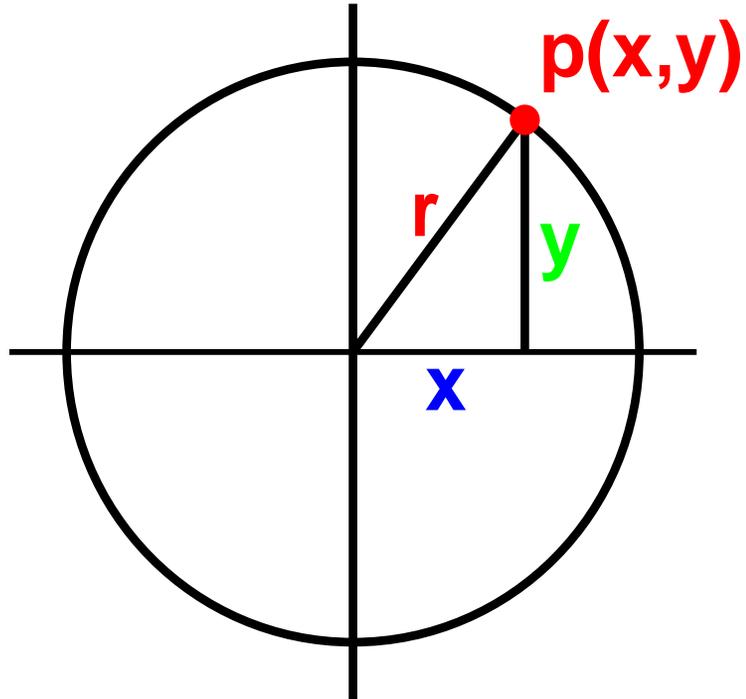
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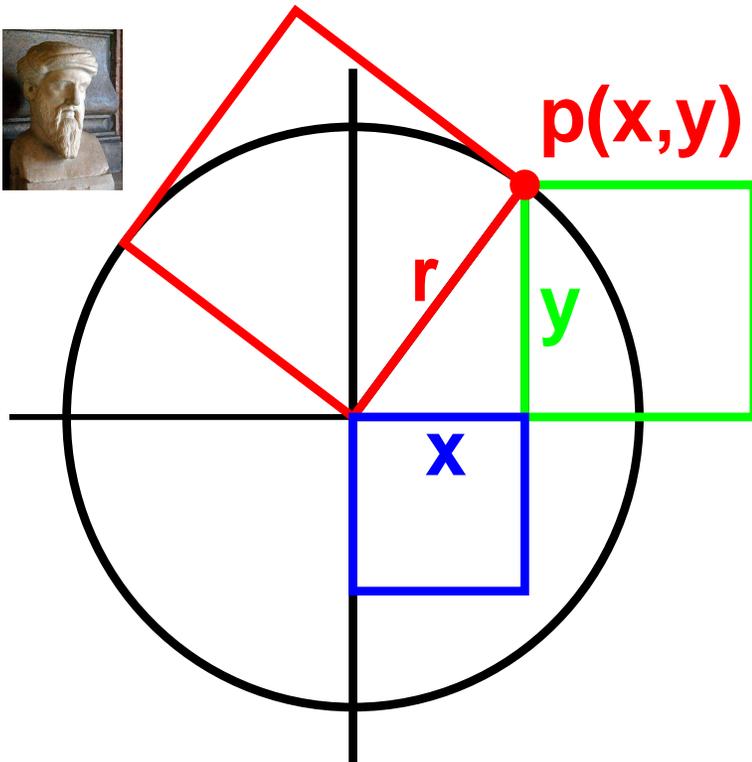
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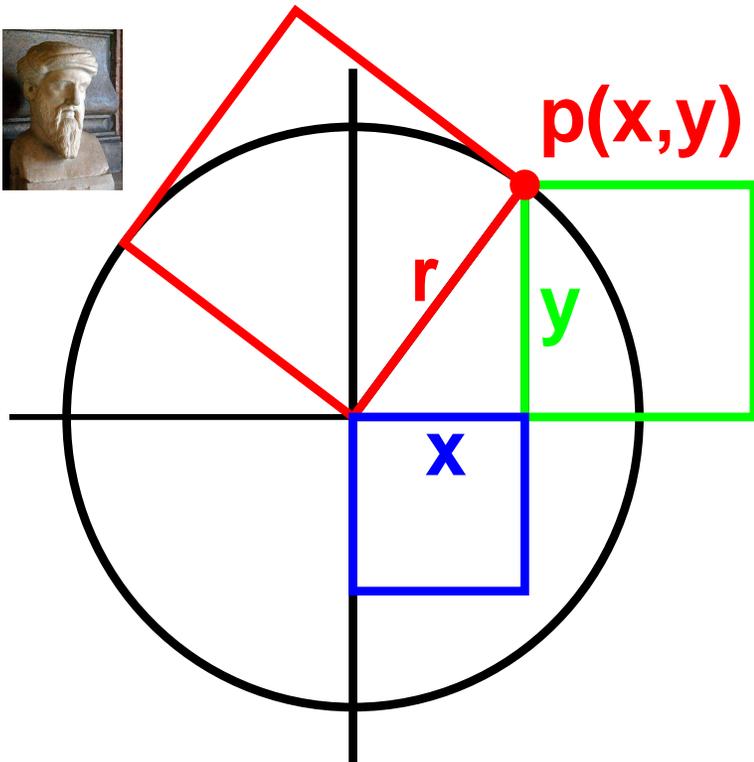
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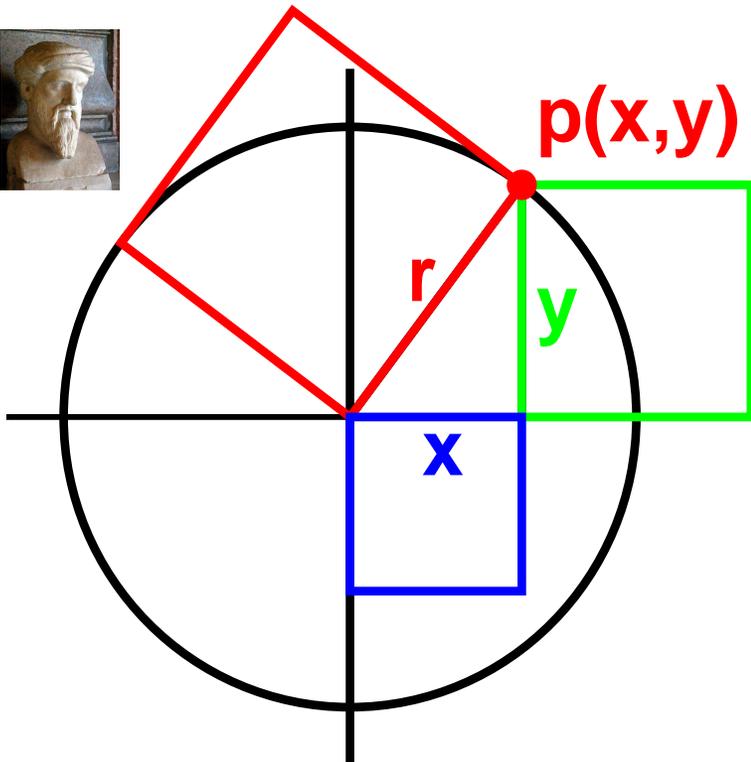
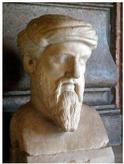
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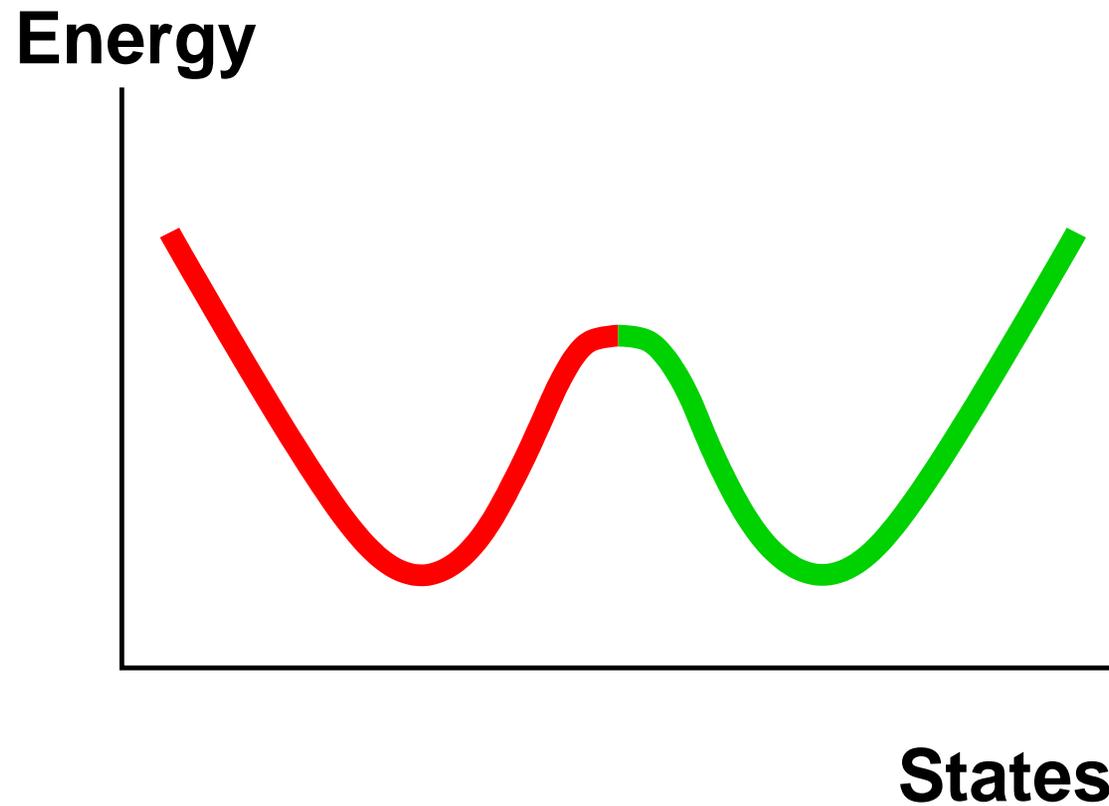
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Circular distribution!



1 Dimension



1 dimension is too simple!

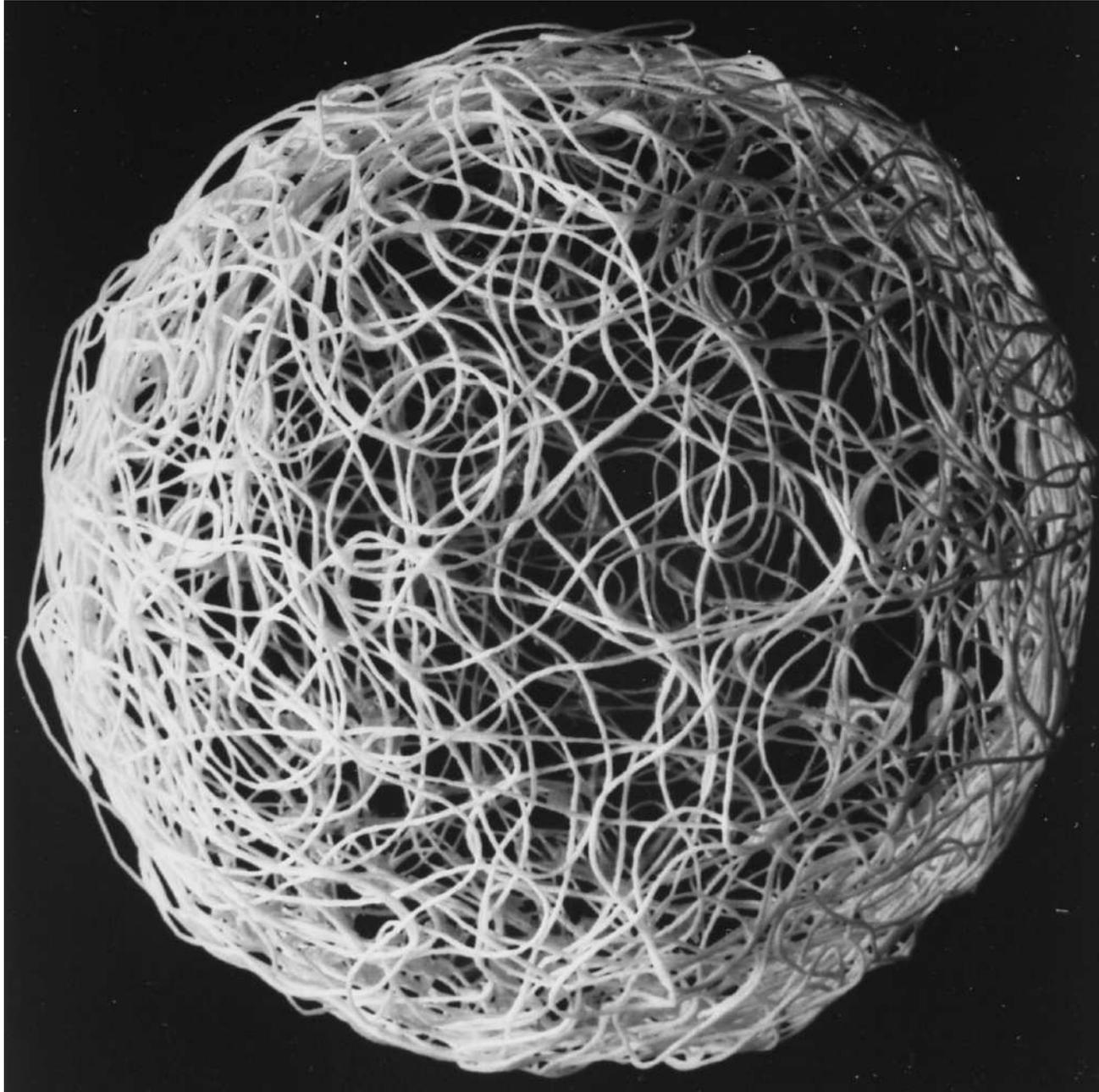
Bowles in 2 Dimensions



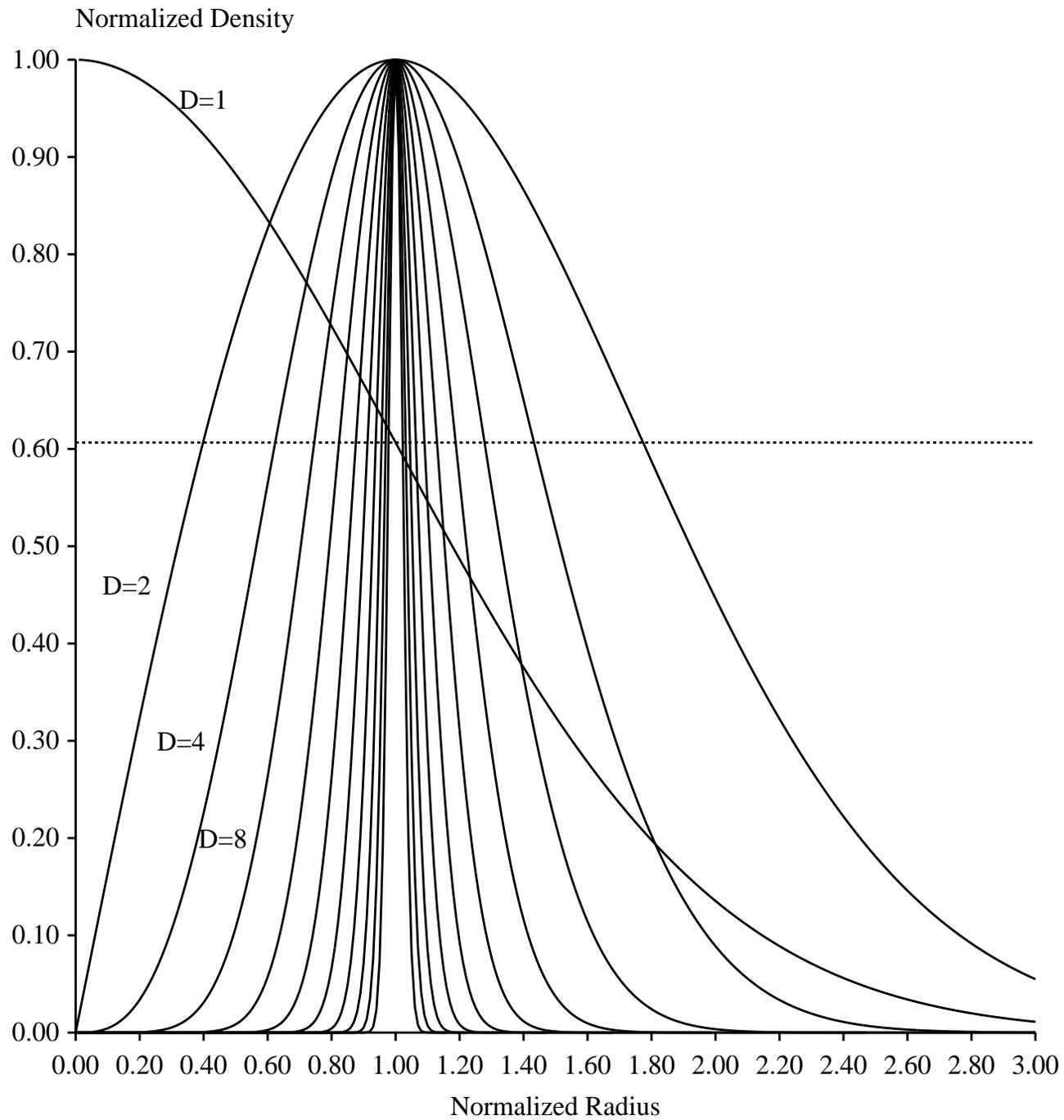
Spheres in 3 Dimensions



N Dimensional Sphere



Spheres tighten in high dimensions



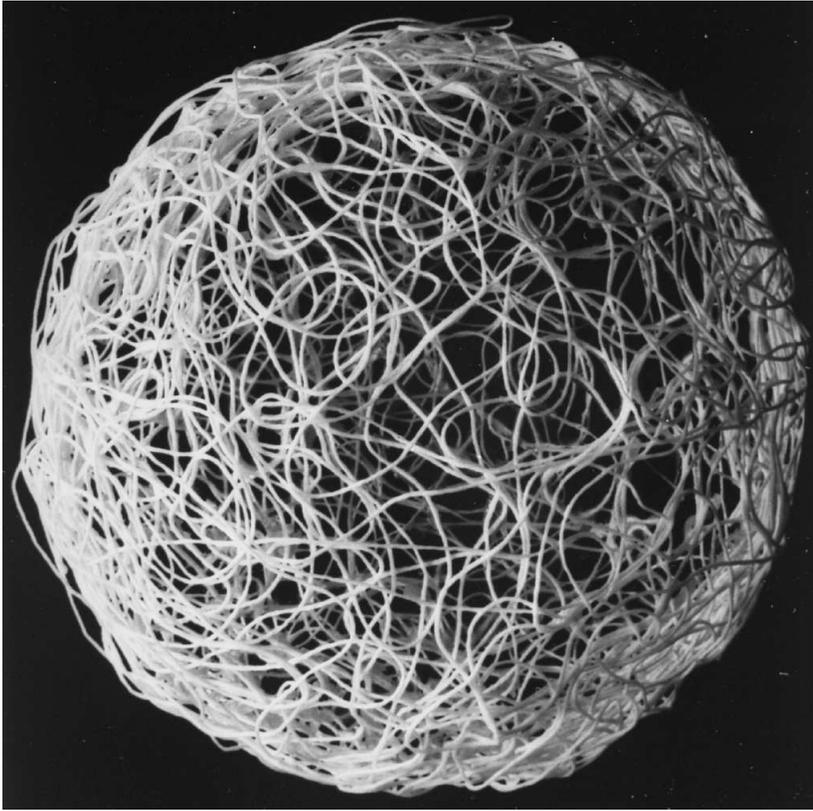
Good Sphere Packing



Good packing of spheres
gives a molecule
the capacity
to make selections efficiently

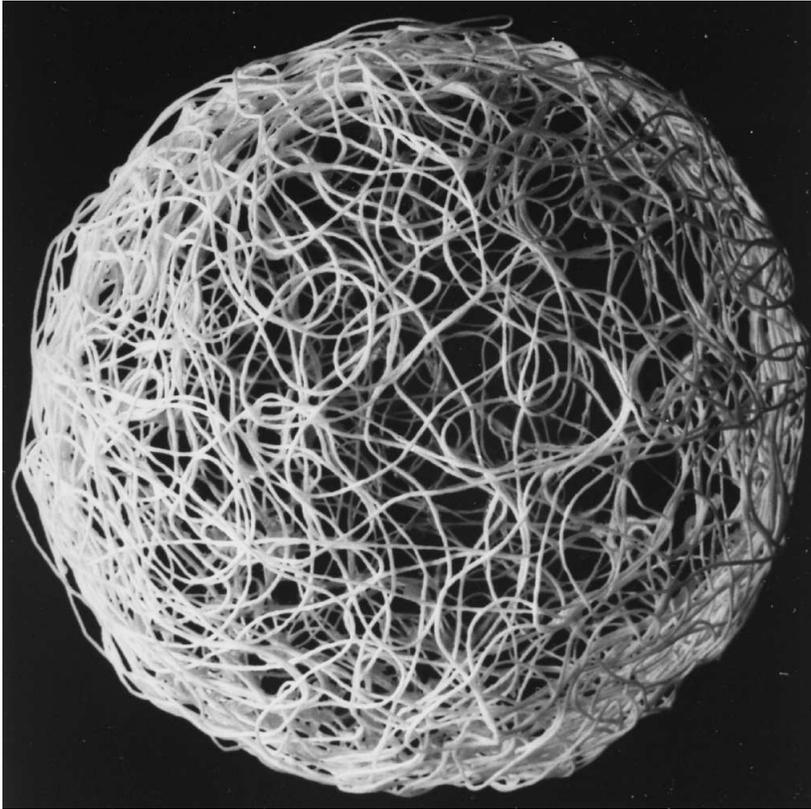
N Dimensional Sphere Separation

Degenerate Sphere

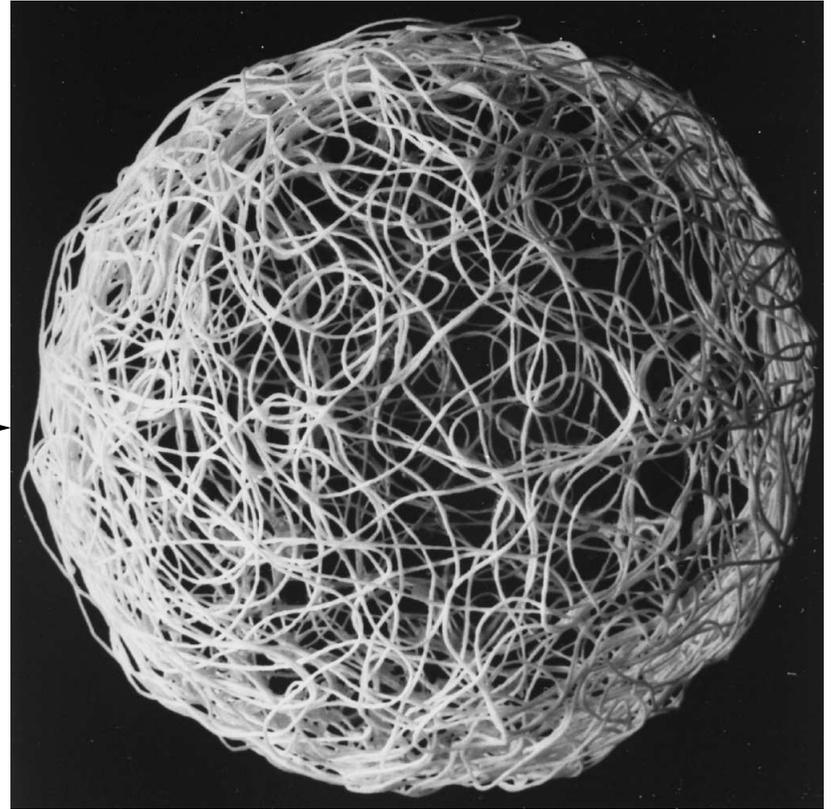


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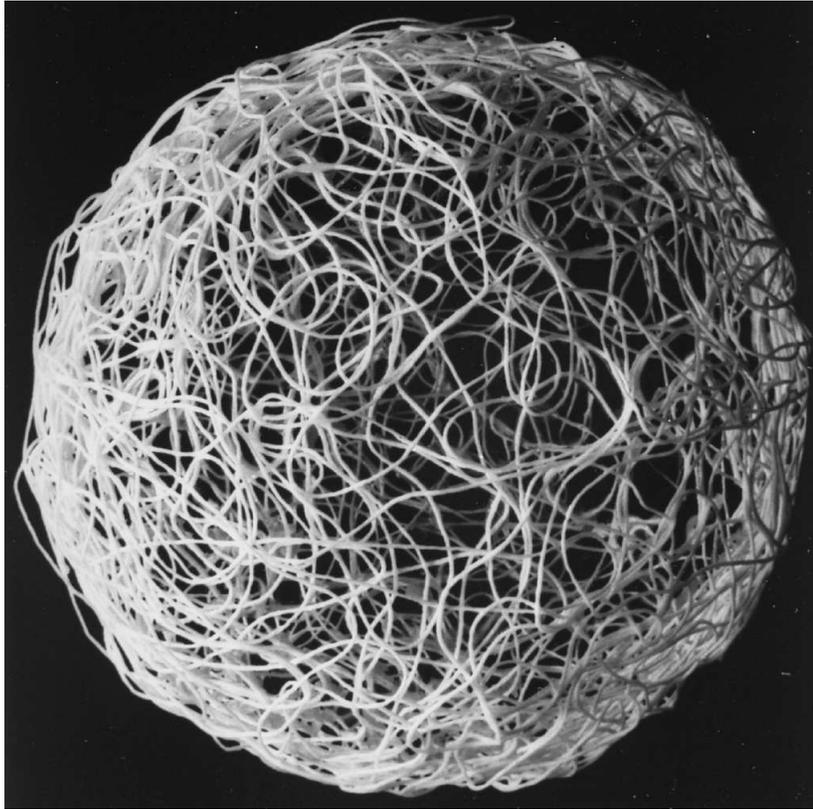


Forward Sphere

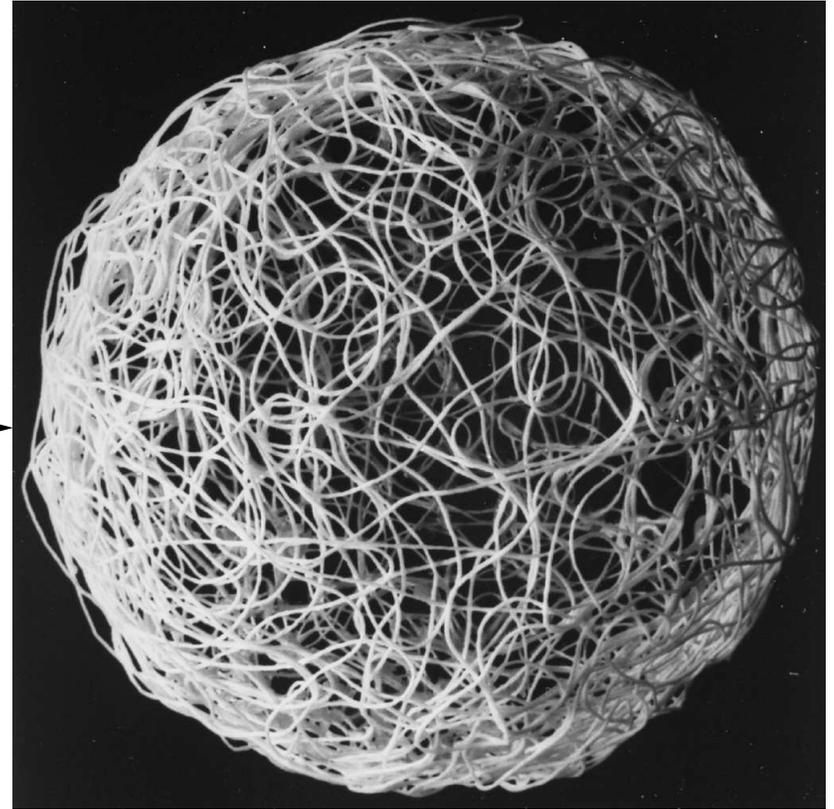


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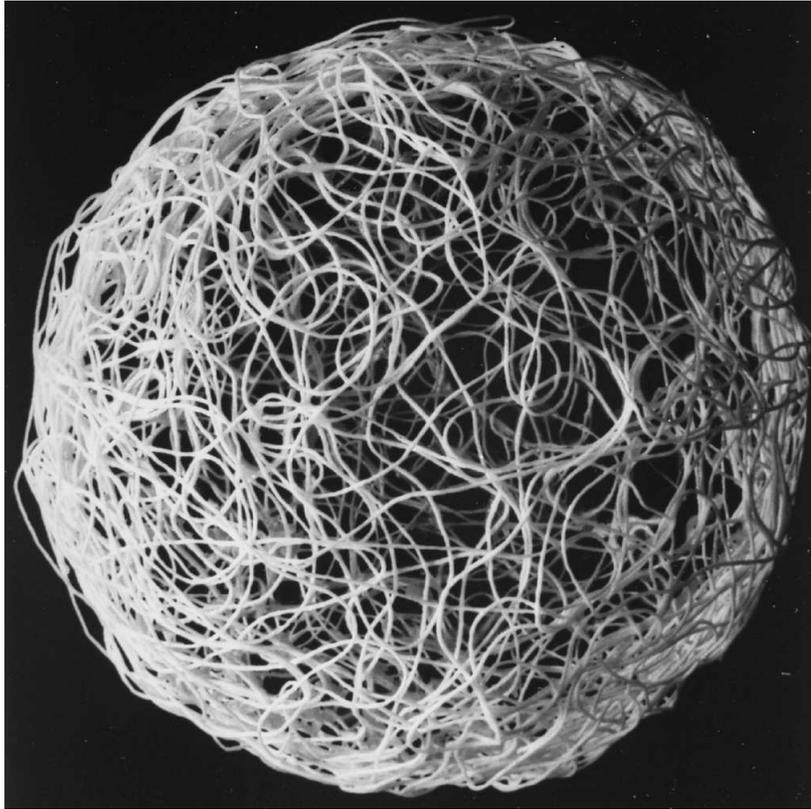
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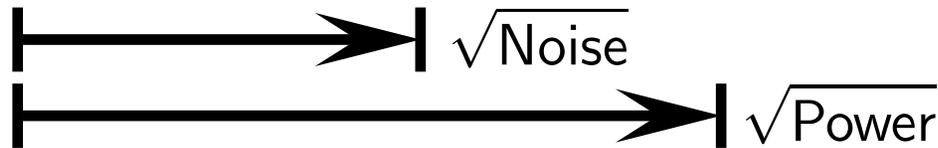
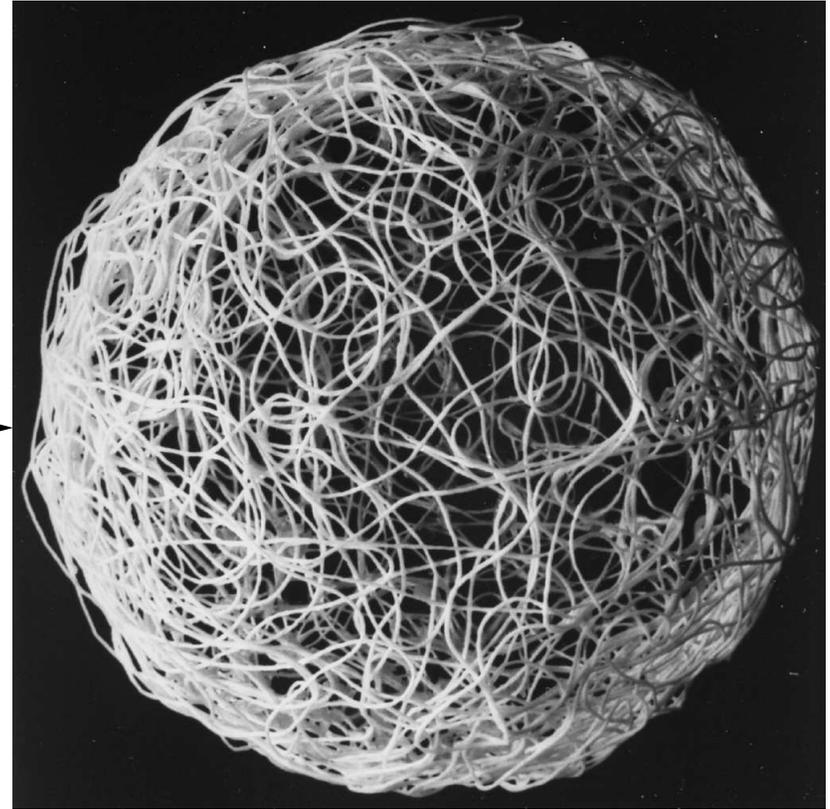
$\sqrt{\text{Noise}}$

N Dimensional Sphere Separation

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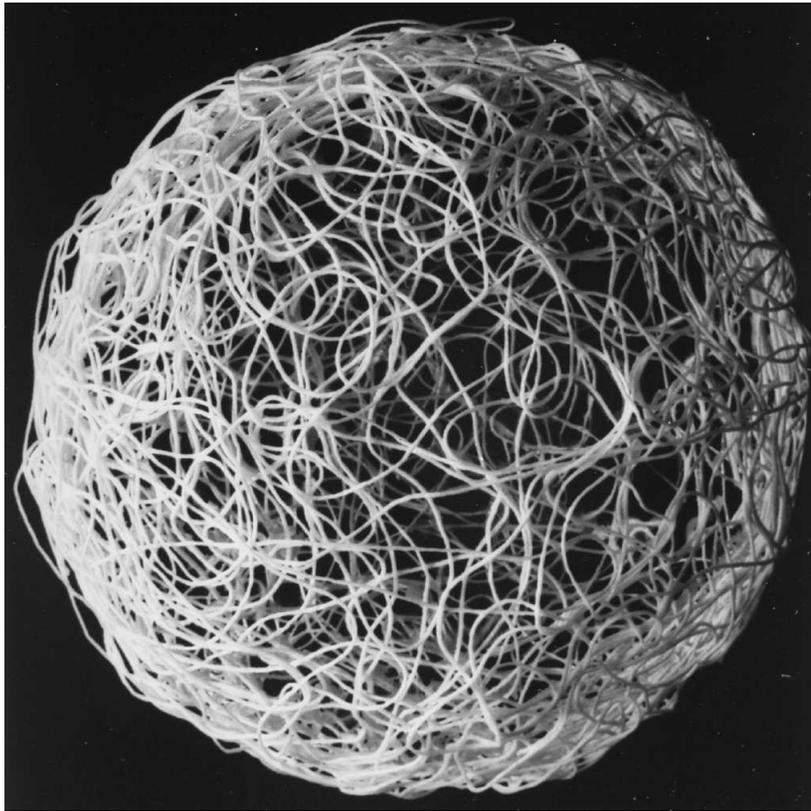


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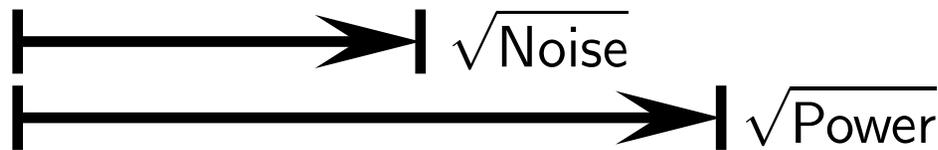
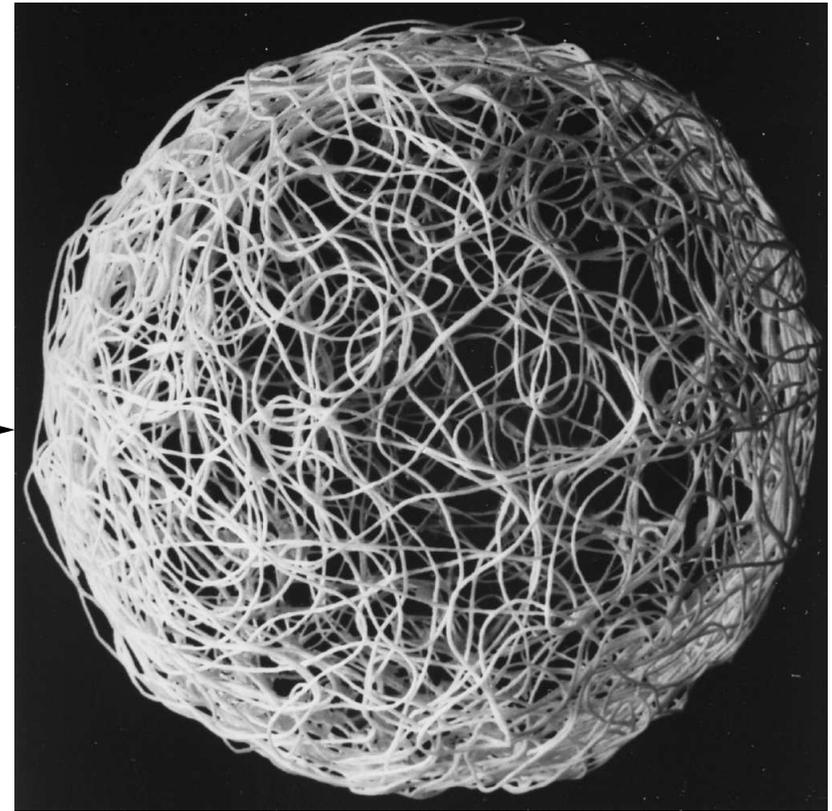


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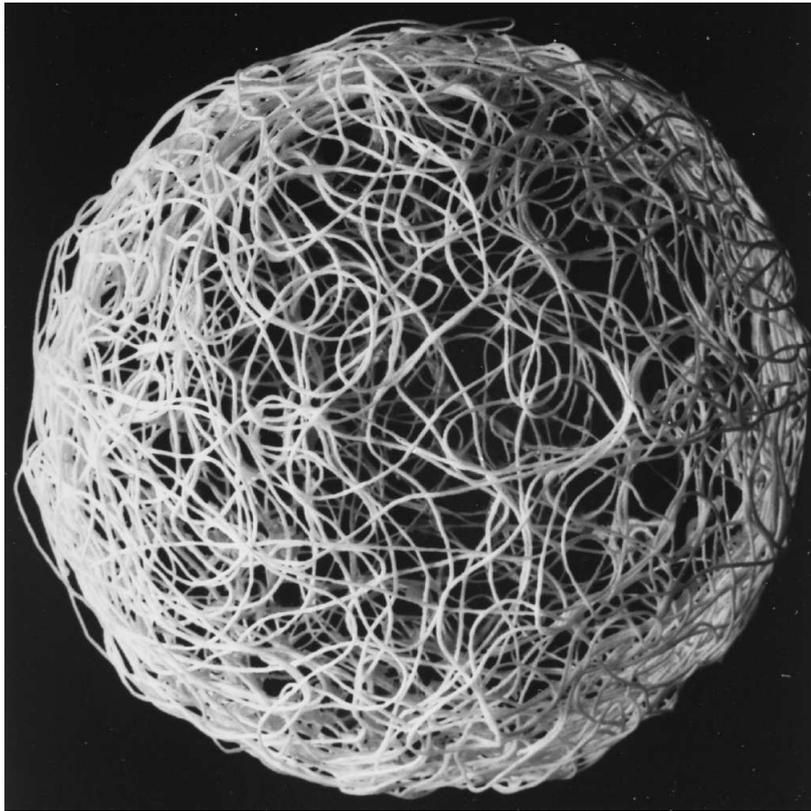
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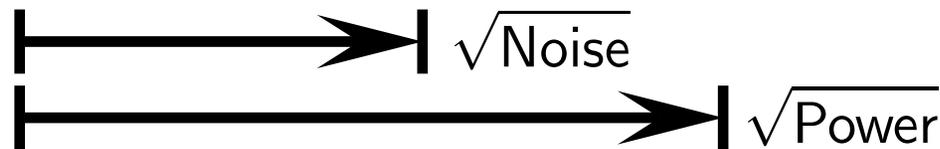
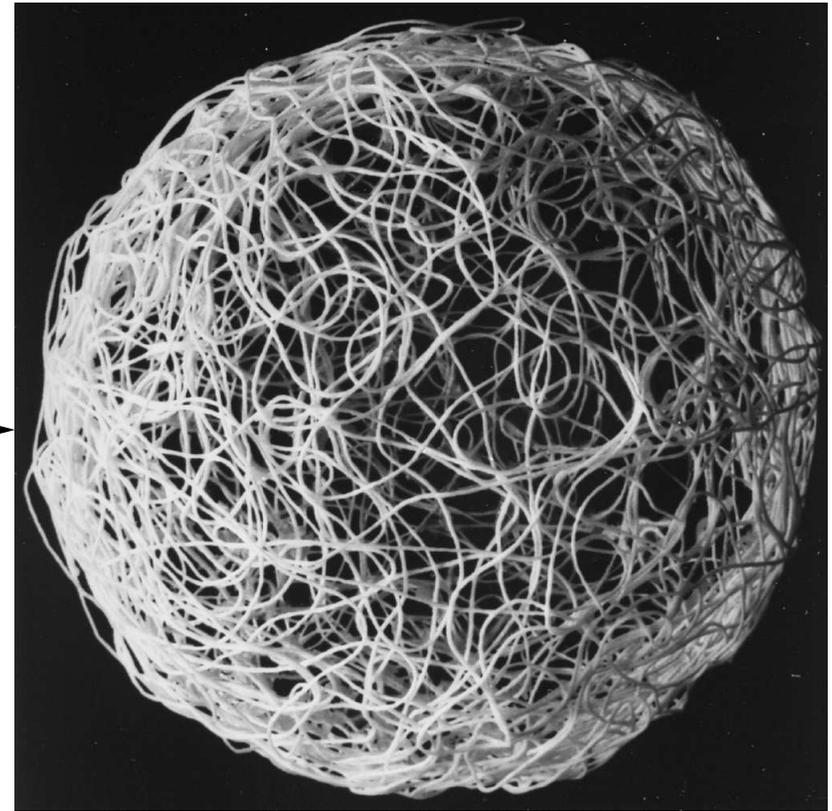
Energy dissipated to escape the Degenerate Sphere must exceed the Noise

N Dimensional Sphere Separation

Degenerate Sphere



Forward Sphere



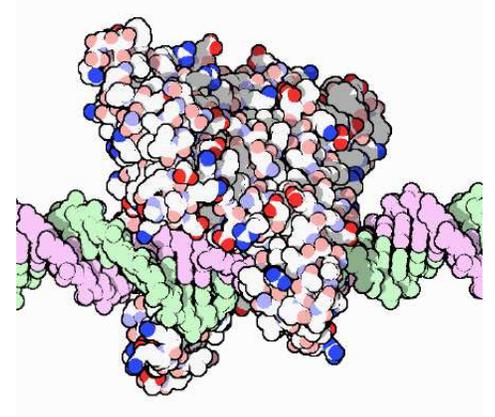
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$$\sqrt{\text{Power}} > \sqrt{\text{Noise}}$$

Theoretical Isothermal Efficiency

- For molecular states of molecules with d_{space} 'parts' P_y energy is dissipated for noise N_y and

$$C_y = d_{space} \log_2(P_y/N_y + 1) \leftarrow \text{machine capacity}$$

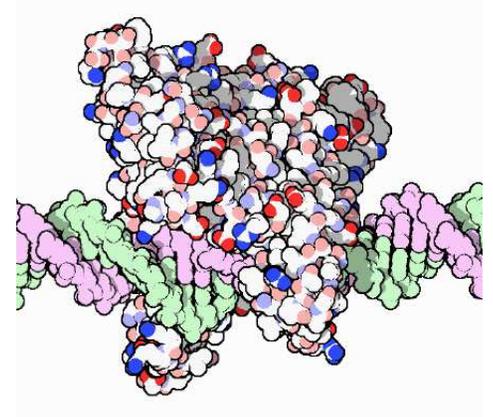


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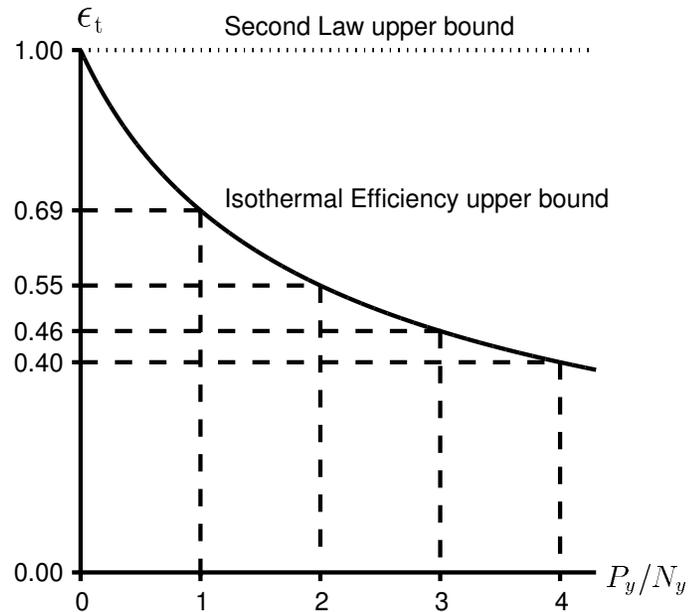
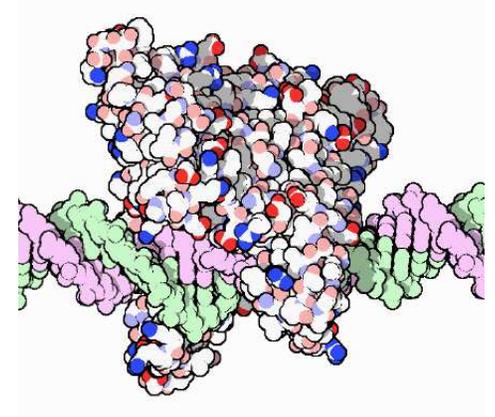


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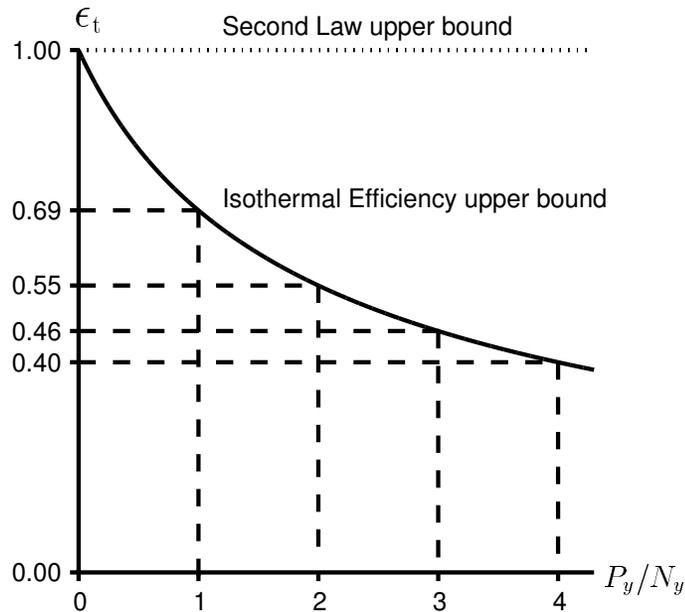
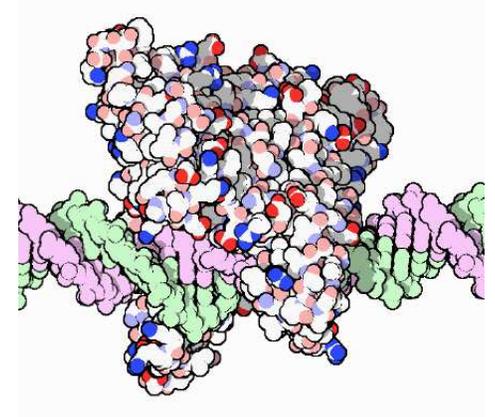
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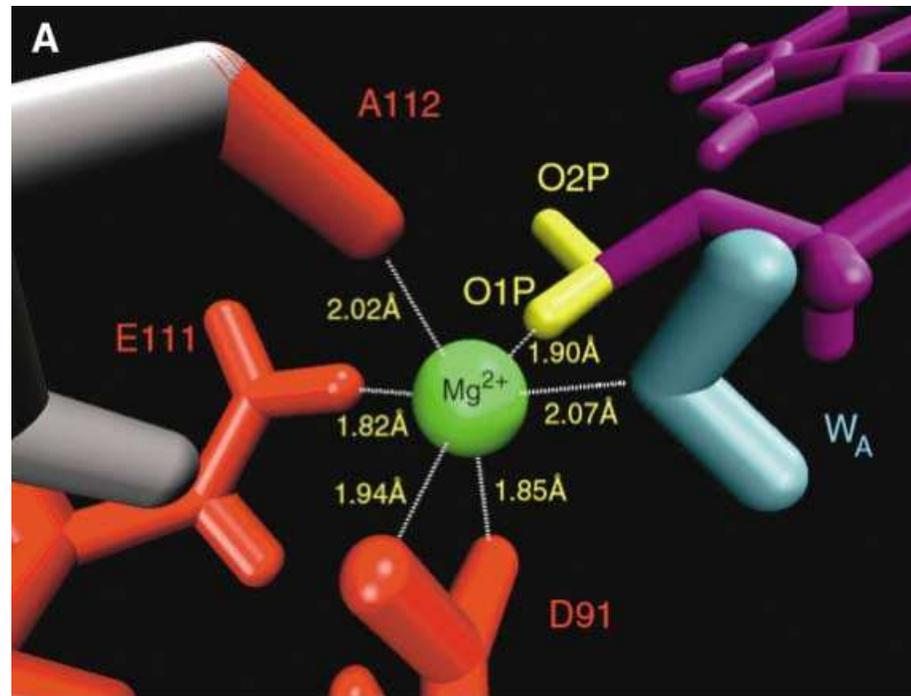
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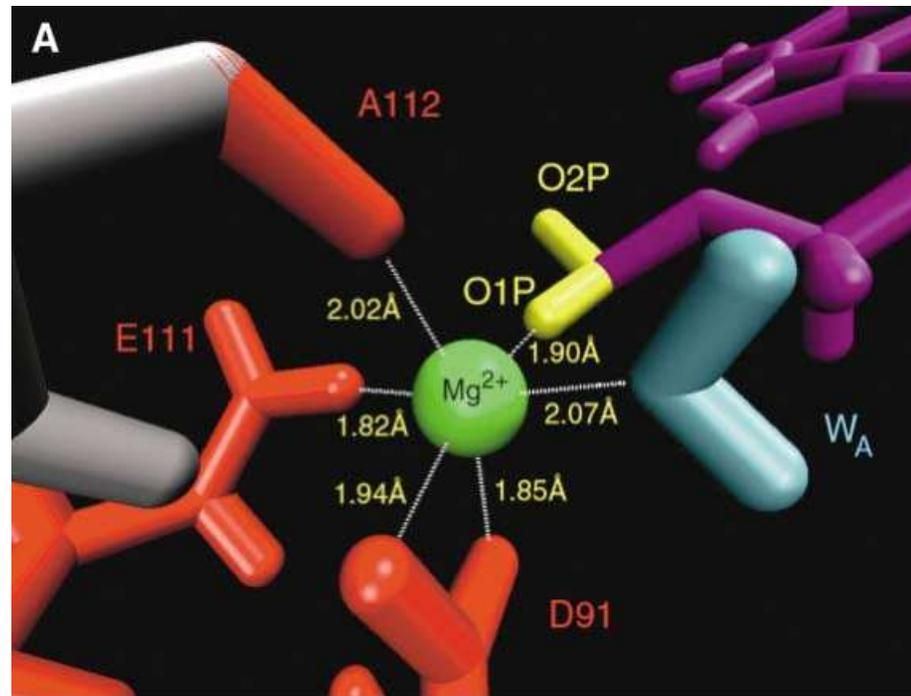
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- If $P_y/N_y = 1$ the efficiency is 70%!

Magnesium bound by EcoRI



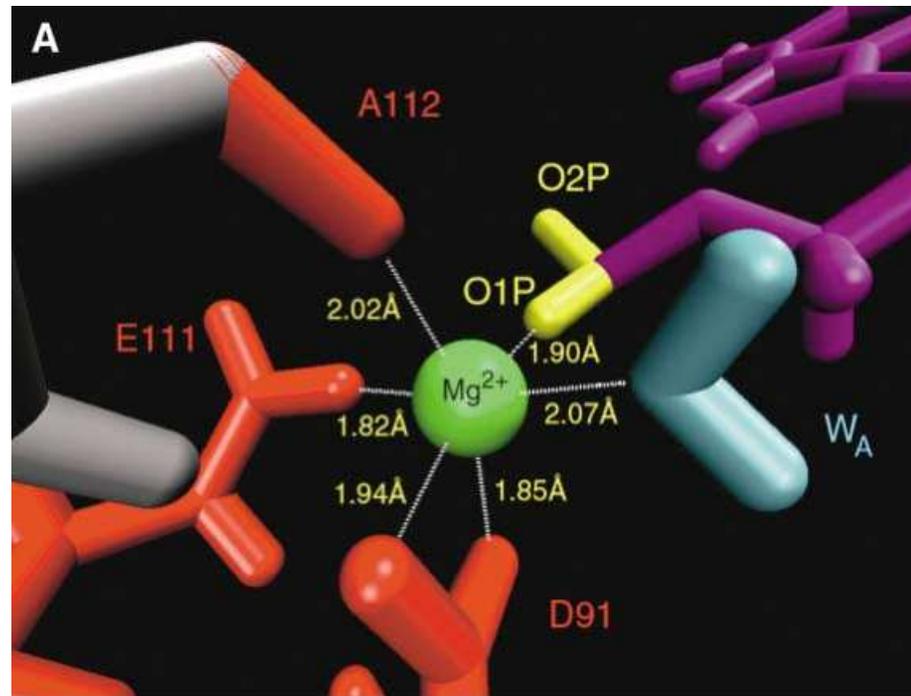
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Kurpiewski *et. al* Structure 12: 1775-1788, 2004

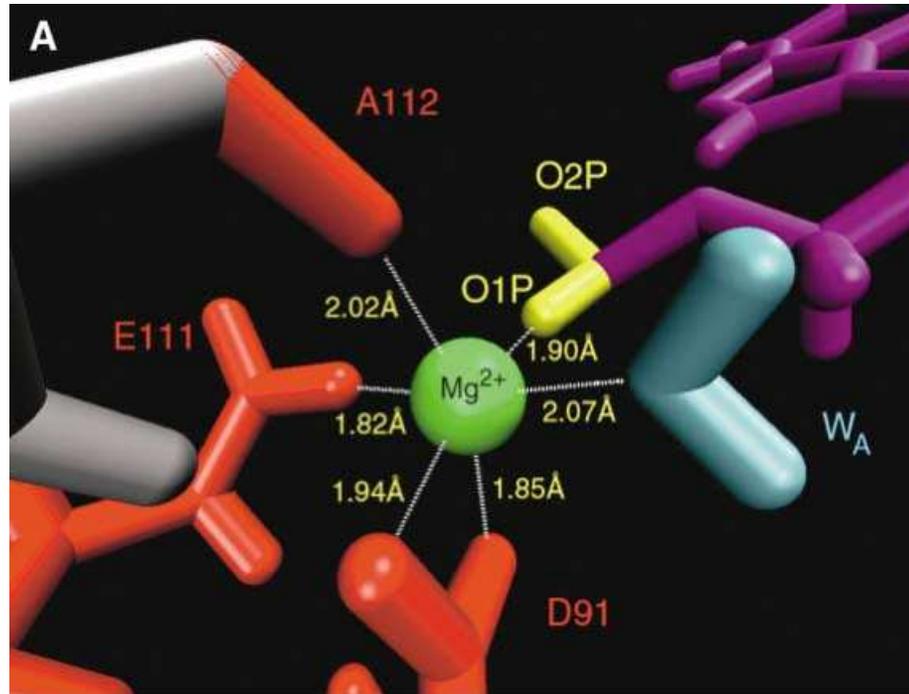
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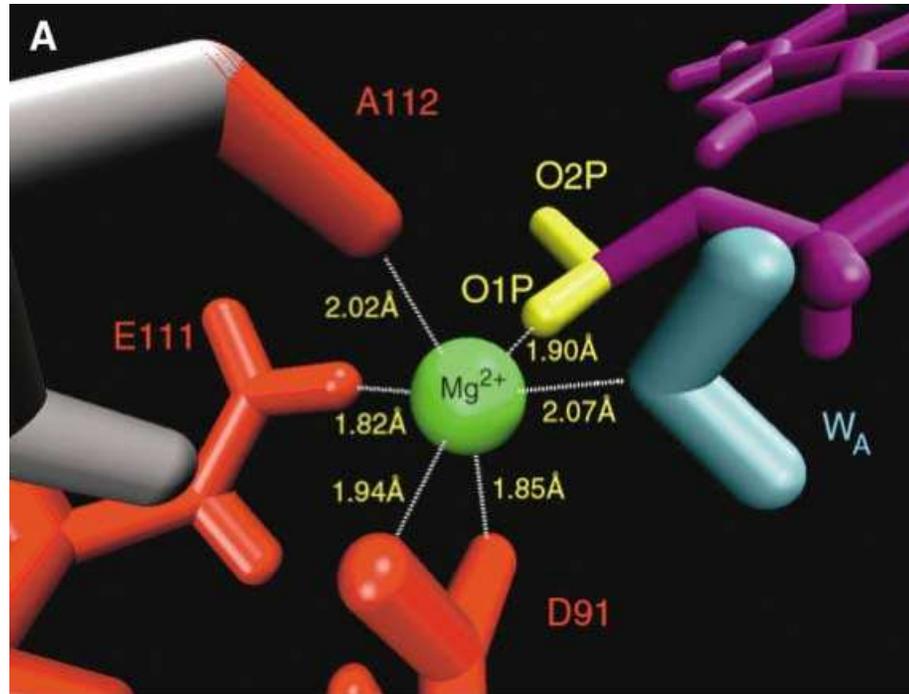
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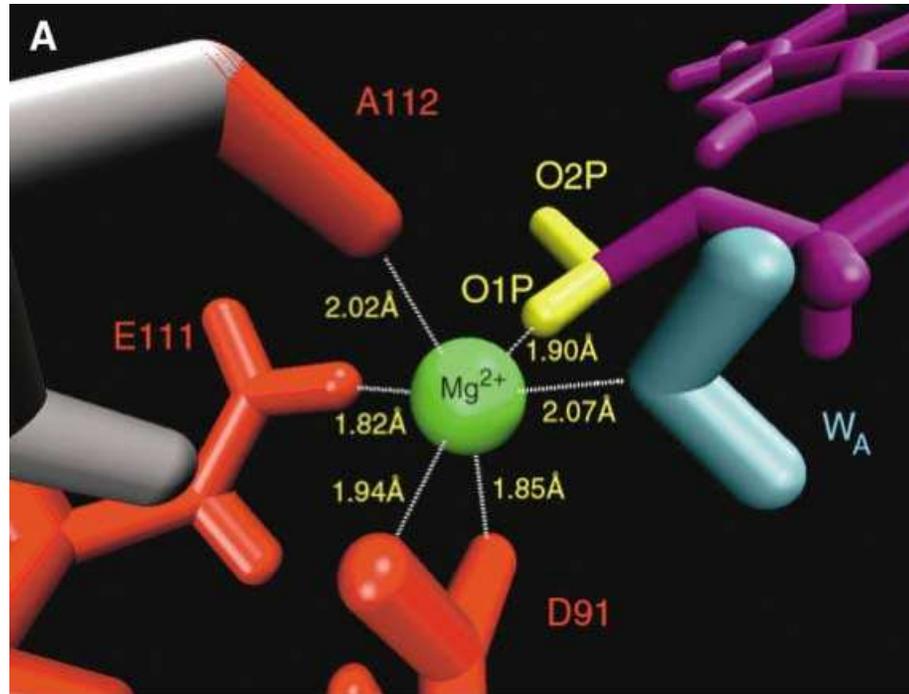
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- Efficiency = $\frac{6}{8.3 \pm 0.53} = 0.72 \pm 0.05$

Kurpiewski *et. al* Structure 12: 1775-1788, 2004
Jen-Jacobson EMBO J, 15, 2870-2882, 1996

Ecosystem Evenness

- Even ecosystem:
all species equally represented
evenness $\approx 100\%$



Ecosystem Evenness

- Even ecosystem:
all species equally represented

evenness $\approx 100\%$



- Uneven ecosystem:
one species dominates

evenness $\approx 0\%$



Family

Ecological Efficiency = 'Evenness'

4 humans

Family



Ecological Efficiency = 'Evenness'

4 humans



1 dog



Family

Ecological Efficiency = 'Evenness'

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2 cats



Family

Ecological Efficiency = 'Evenness'

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Family

4 goldfish



Ecological Efficiency = 'Evenness'

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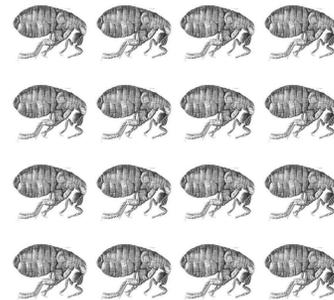
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16 fleas



Ecological Efficiency = 'Evenness'

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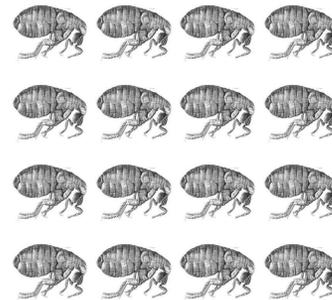
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Shannon Diversity (= uncertainty) for $M = 5$ species with probabilities p_i :

$$H = - \sum_{i=1}^M p_i \log_2 p_i = 1.72 \quad \text{bits per species}$$

Ecological Efficiency = 'Evenness'

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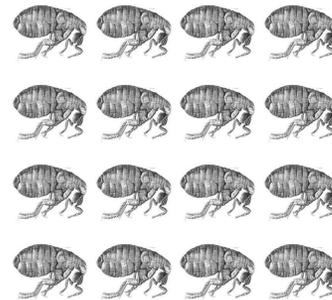
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Maximum Diversity:

$$H_{max} = \log_2 M = 2.32 \quad \text{bits per species}$$

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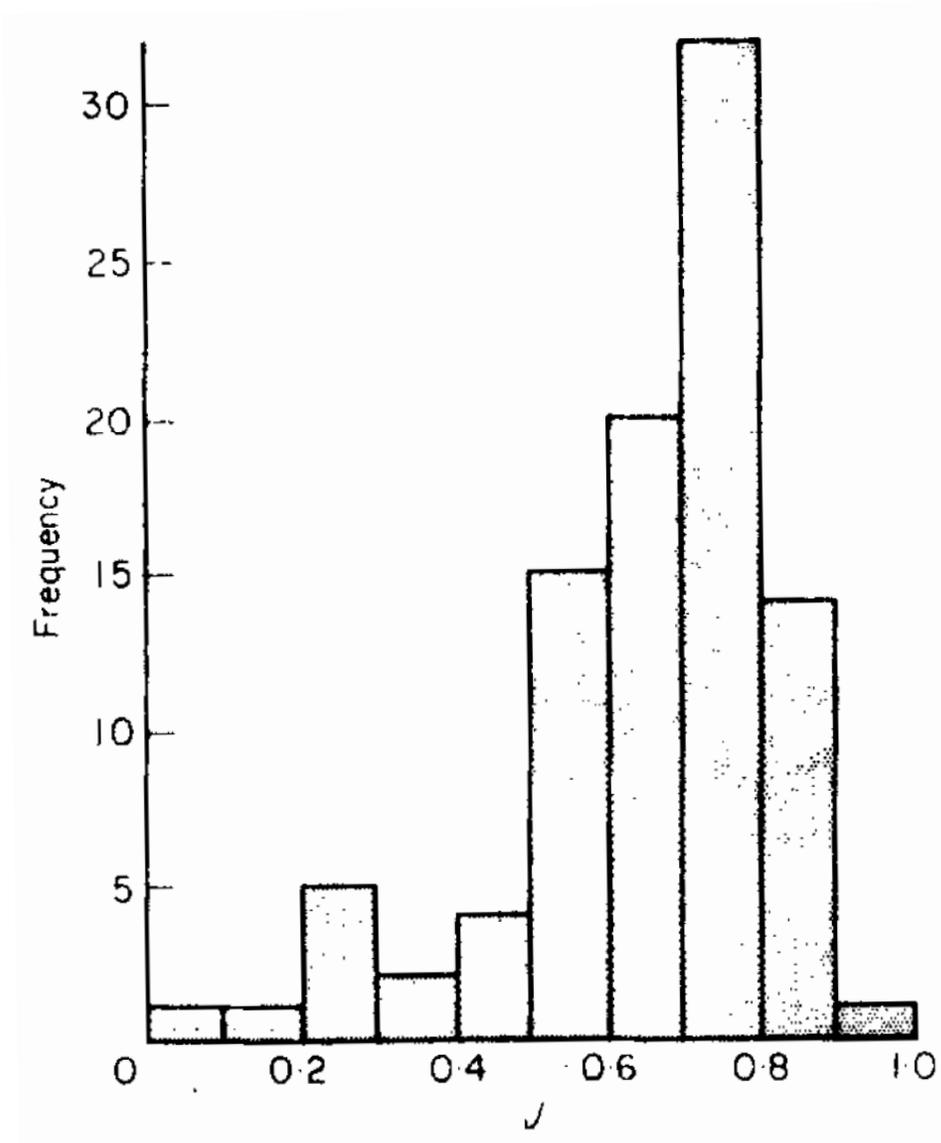
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Normalized Shannon Diversity = "evenness":

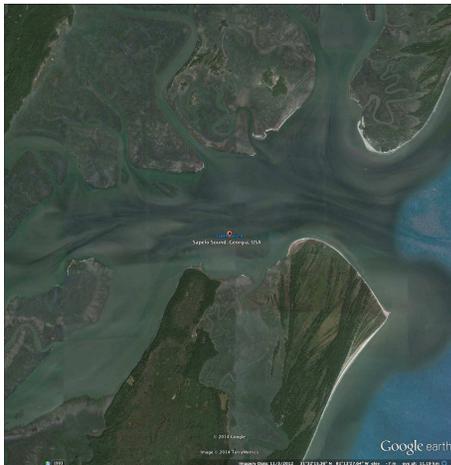
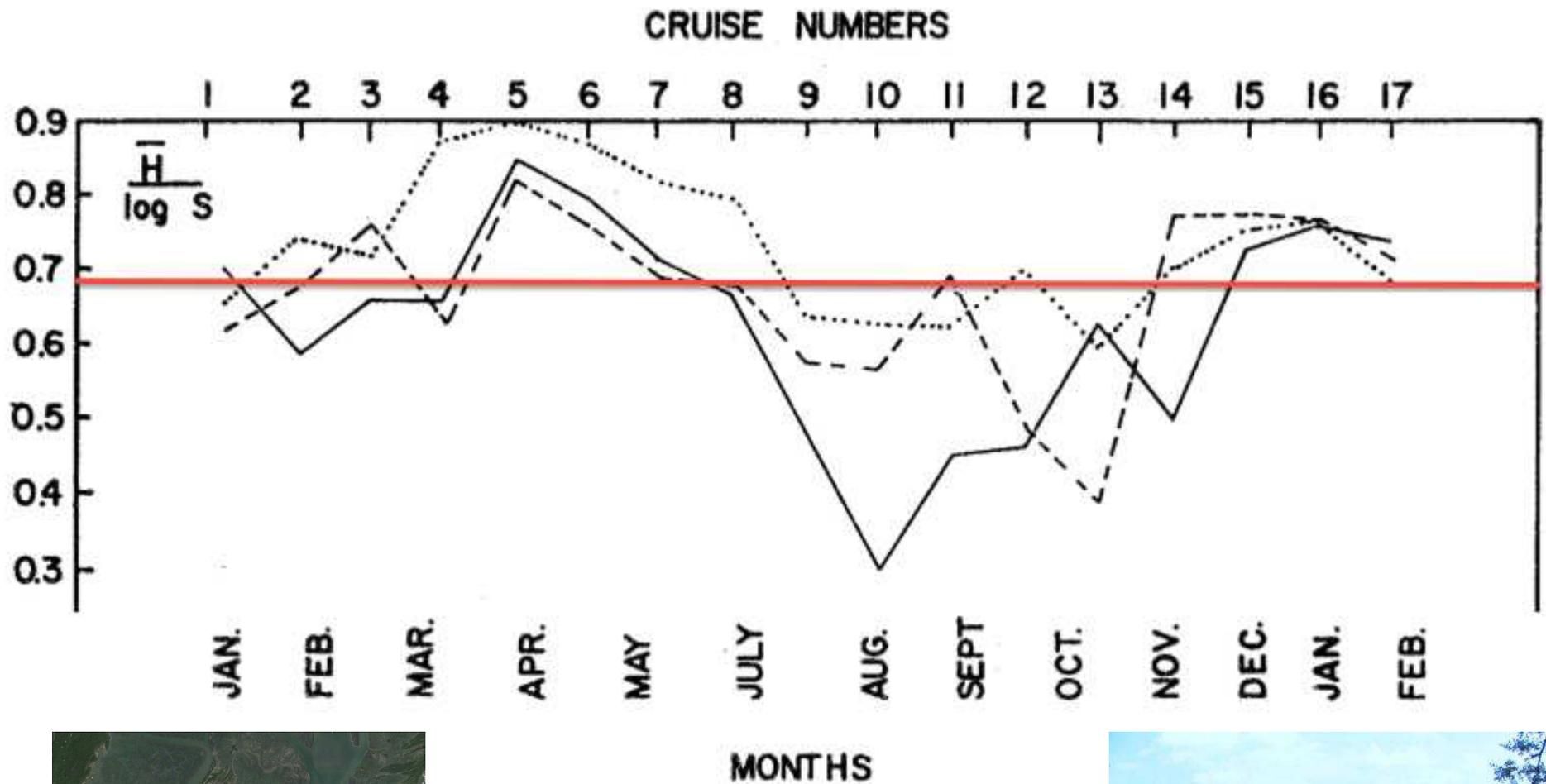
$$J = H/H_{max} = 0.69$$

Evelyn Pielou's First Evenness Measure was $\sim 0.7!$



Normalized Shannon Diversity distribution of ground vegetation from Pielou 1966

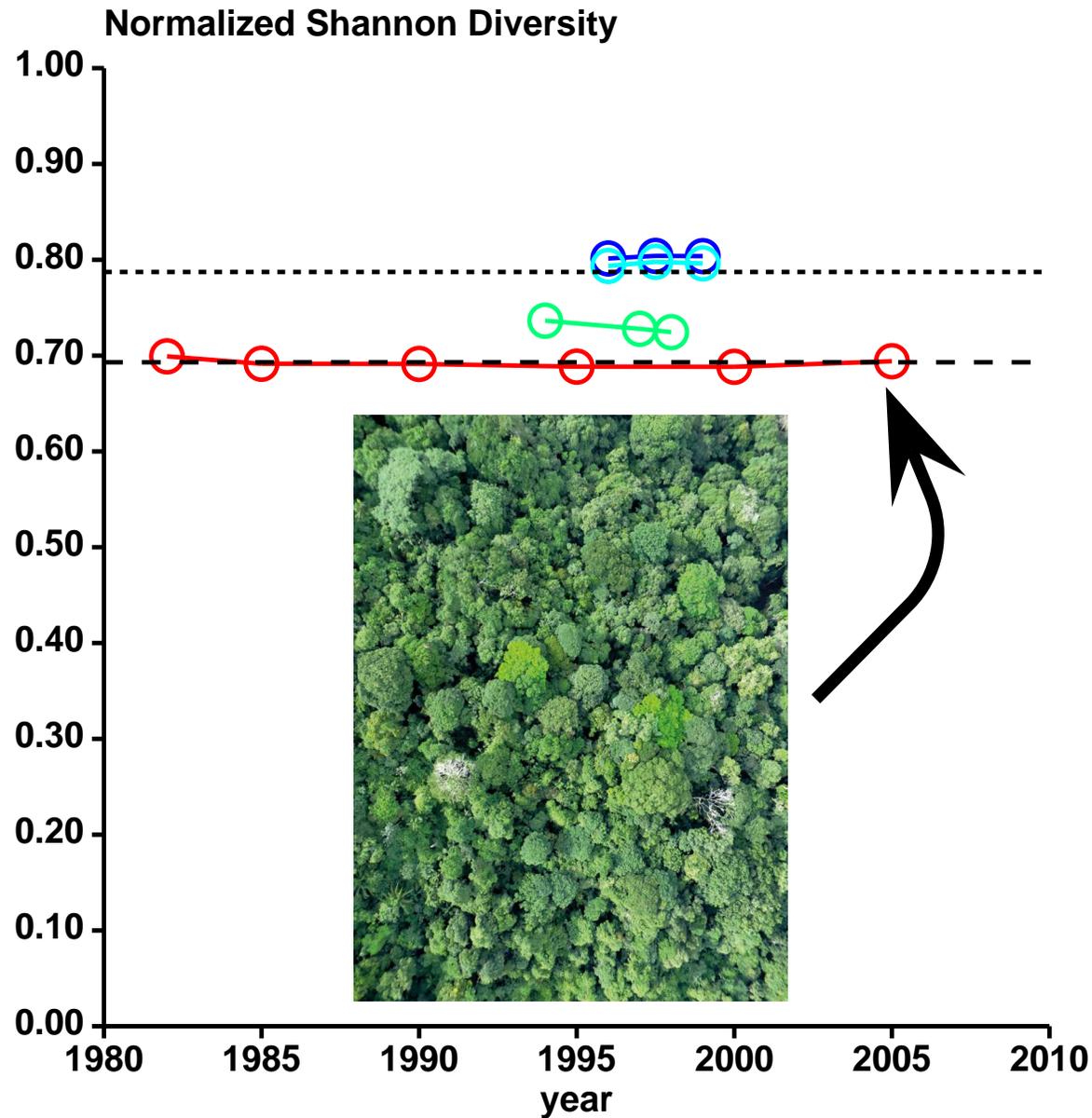
Normalized Shannon diversity of Estuarine fish



70 fish species from a Georgia salt marsh estuary, Sapelo Sound, Georgia.

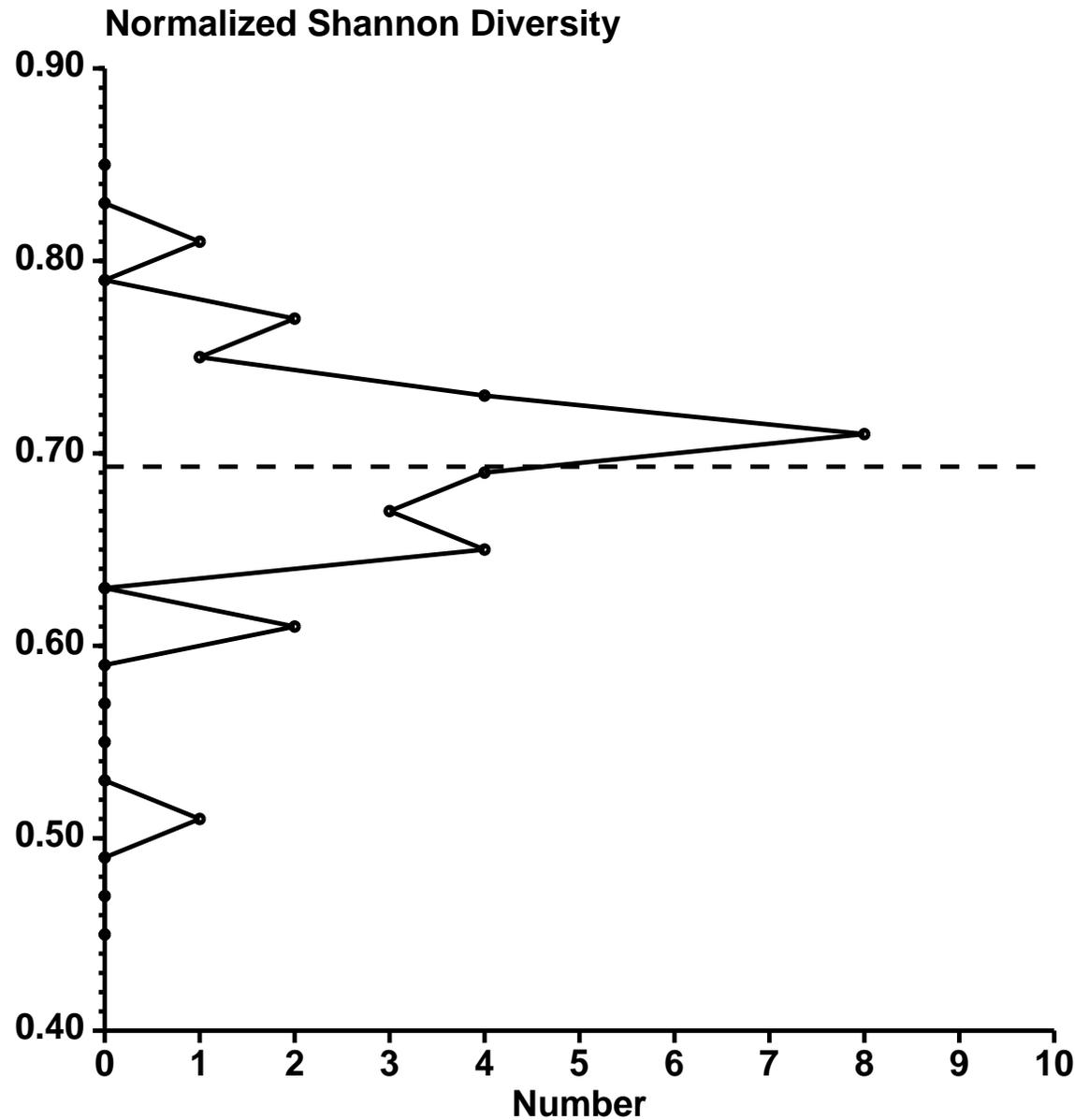


Tropical forest trees



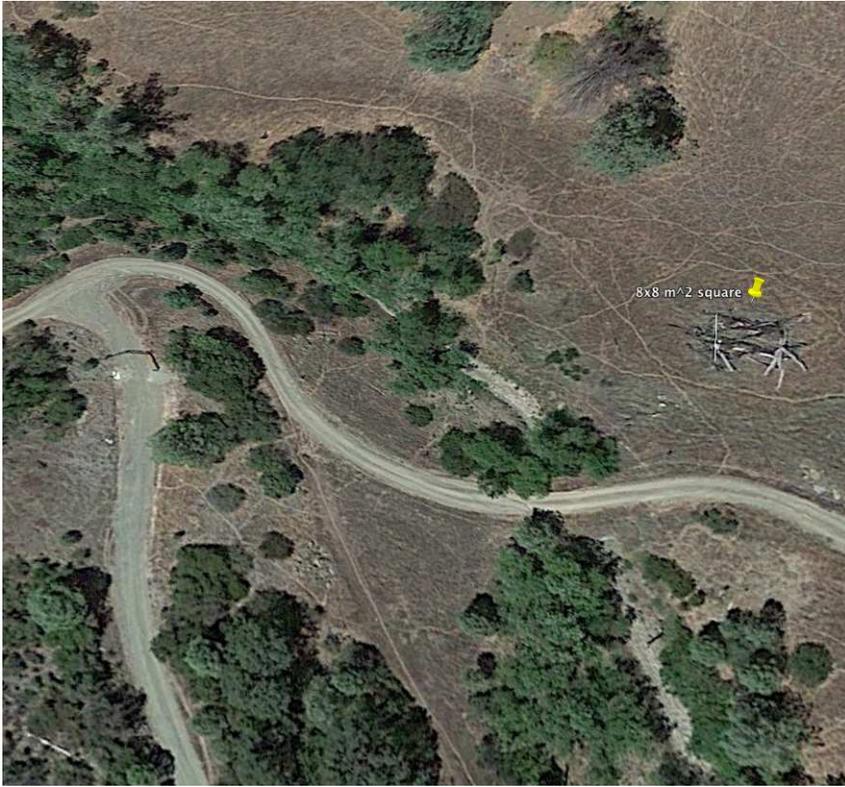
Barro Colorado Island data have $\sim 10\times$
more counts than the other data sets: 0.692 ± 0.004

Sponge microbiota



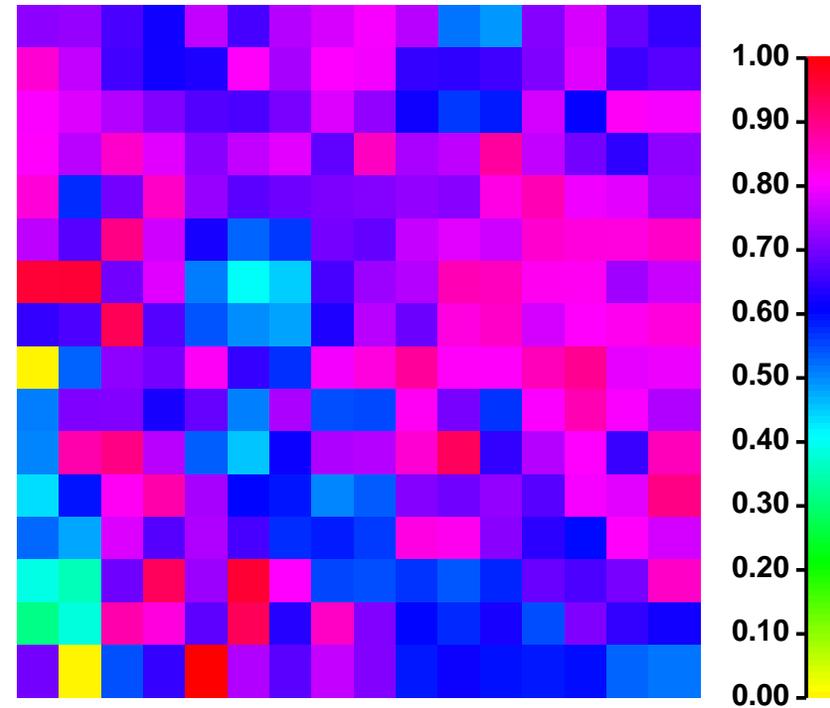
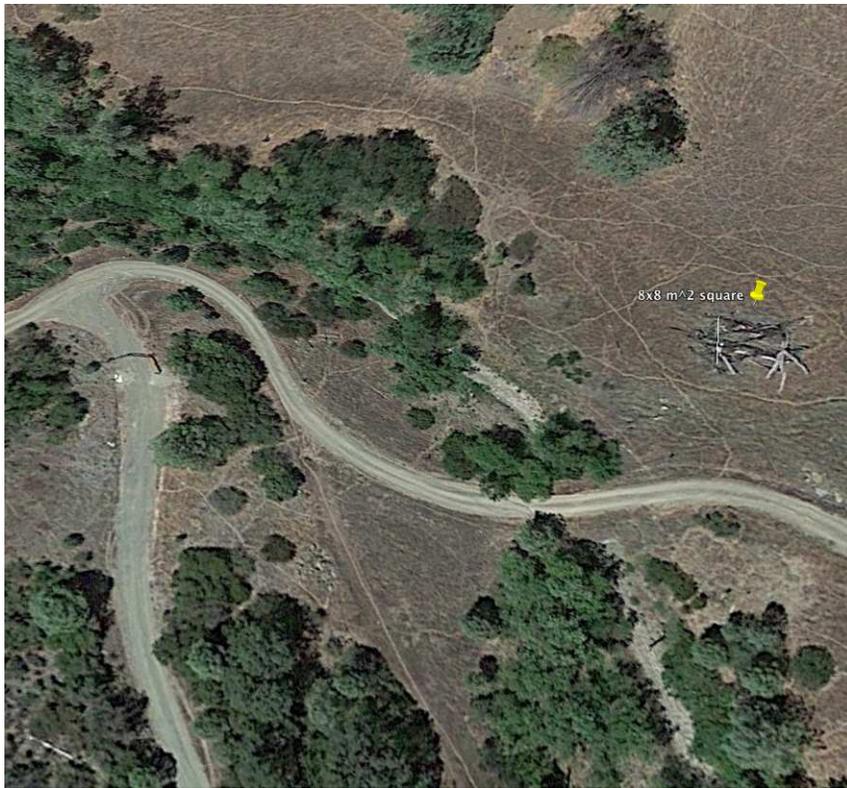
The mean and standard deviation are 0.69 ± 0.06 .
Dashed line is at $\ln 2 = 0.69$.

Serpentine Grassland



- Jessica Green recorded the number of all plant species in 256 subdivisions of an $8\text{m} \times 8\text{m}$ plot in Yolo county, CA.

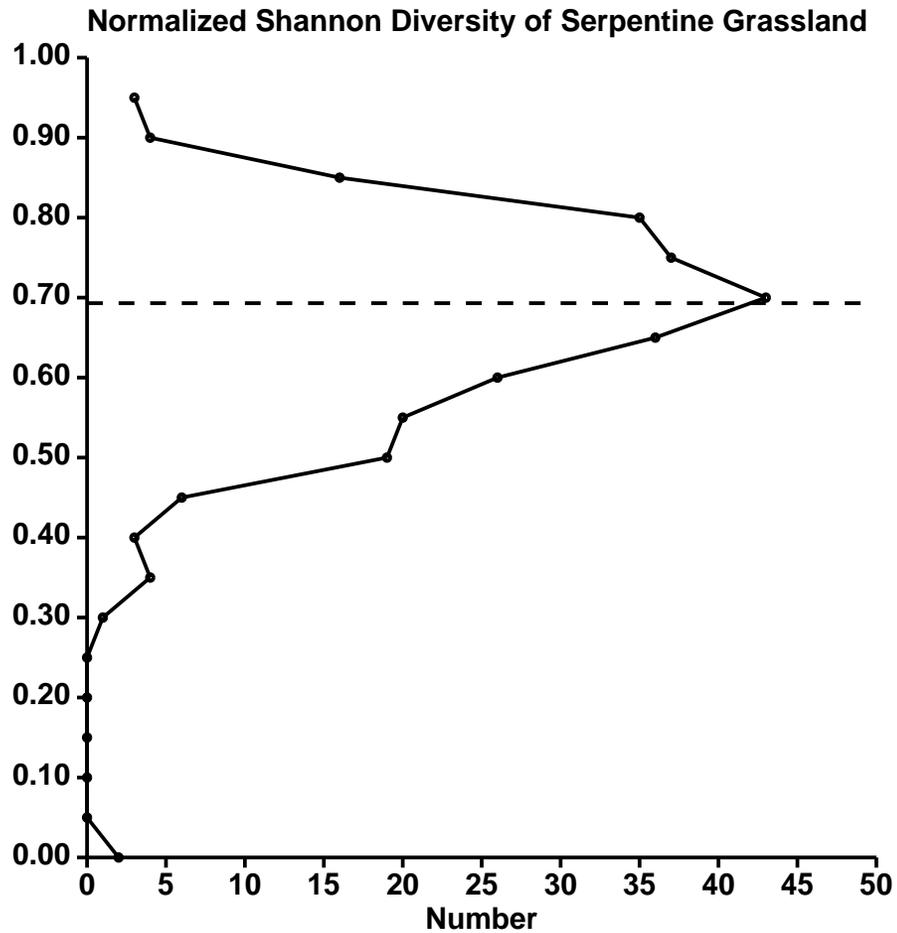
Serpentine Grassland



Normalized Shannon Diversity in serpentine grassland

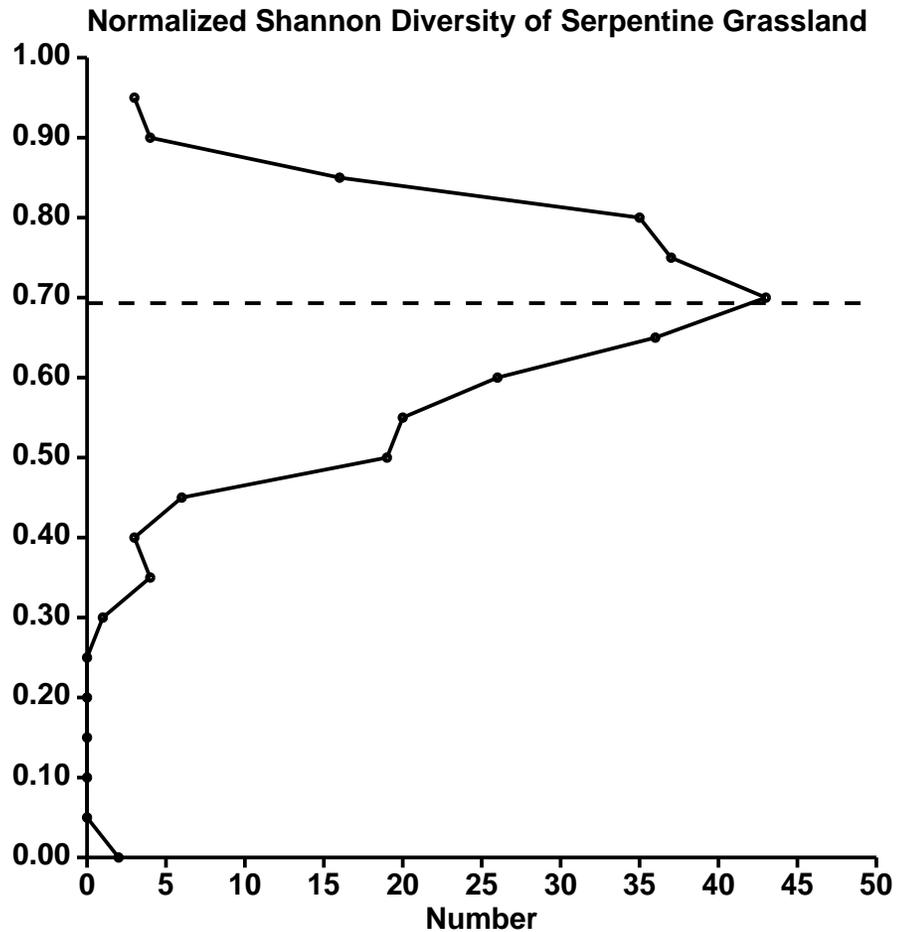
- Jessica Green recorded the number of all plant species in 256 subdivisions of an $8\text{m} \times 8\text{m}$ plot in Yolo county, CA.
- Compute the evenness for each subdivision

Serpentine Grassland



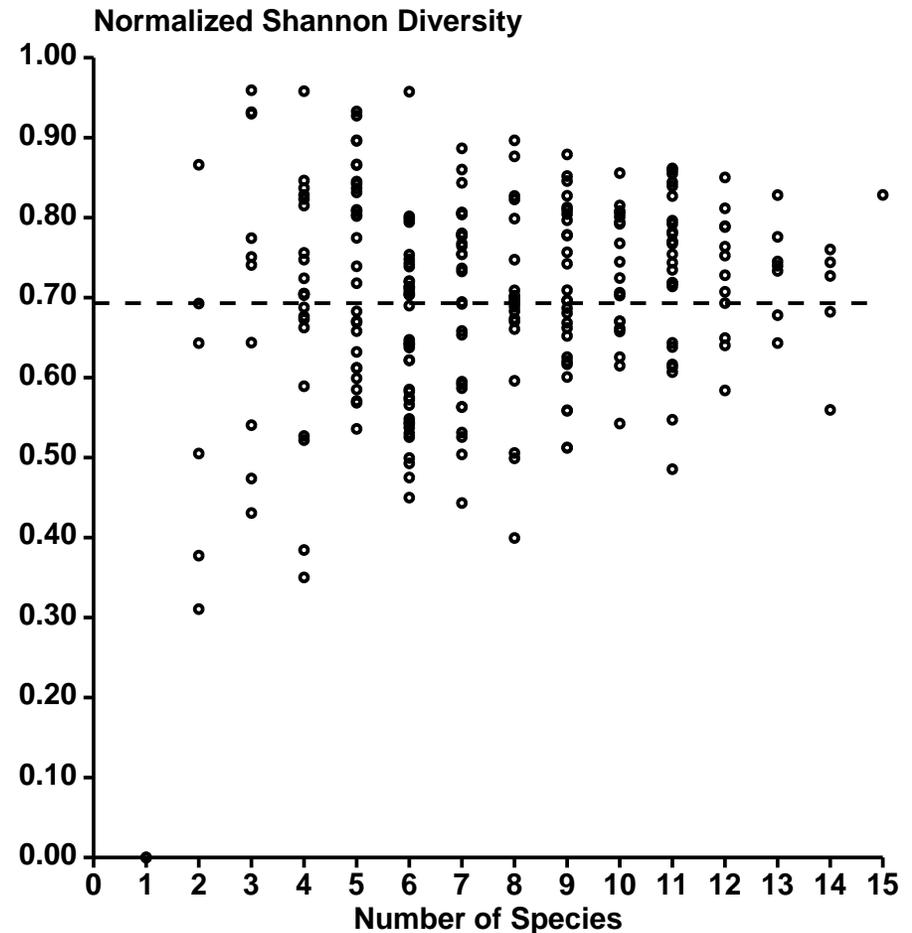
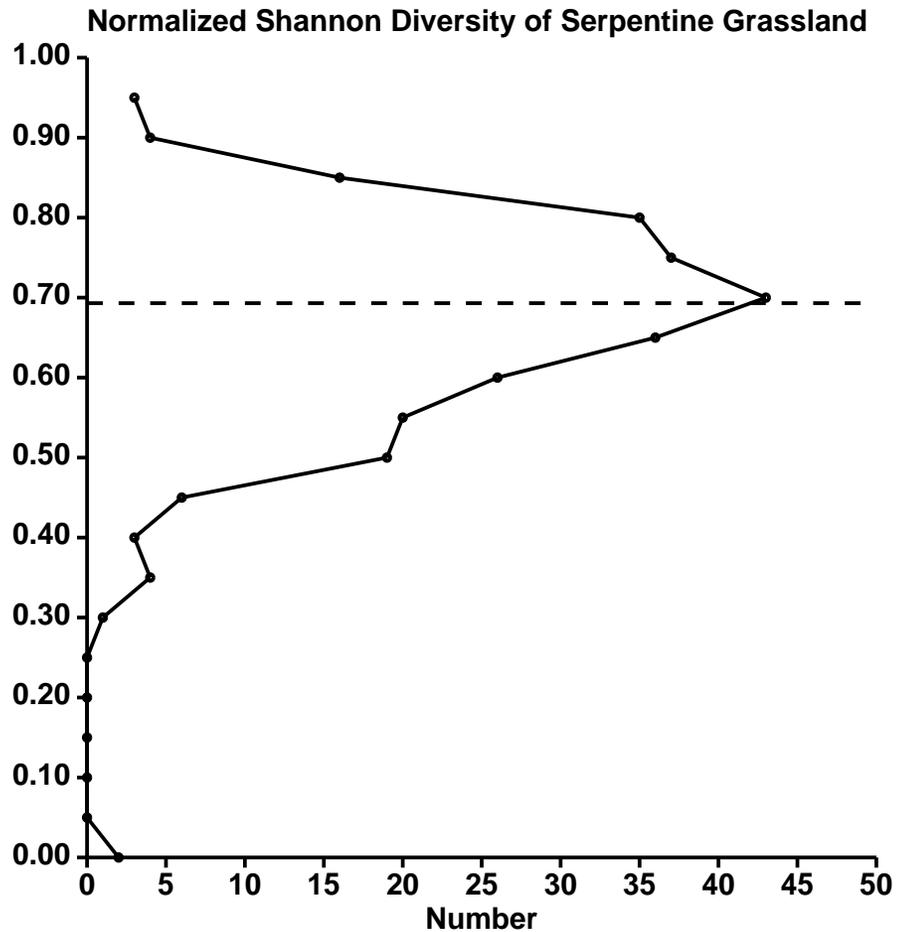
- Plot the histogram of the 256 subdivisions.

Serpentine Grassland



- Plot the histogram of the 256 subdivisions.
- The evenness for the 256 subdivisions is 0.697 ± 0.137
standard error of the mean: 0.009
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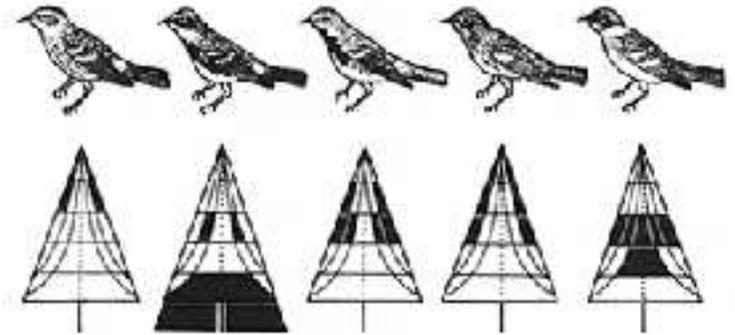
Serpentine Grassland



- Plot the histogram of the 256 subdivisions.
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Dashed line is at $\ln 2 = 0.693$.
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Why 70% Evenness Appears in Ecology? It's the Same Math!

- McArthur's famous Cape May Warblers:
5 species sharing conifer trees -
Why don't they conflict?



Why 70% Evenness Appears in Ecology? It's the Same Math!

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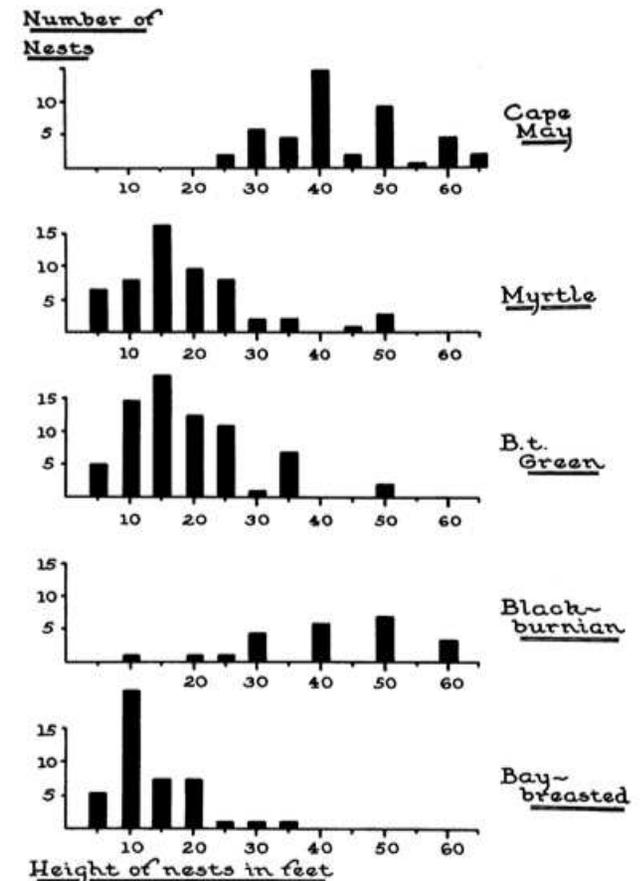
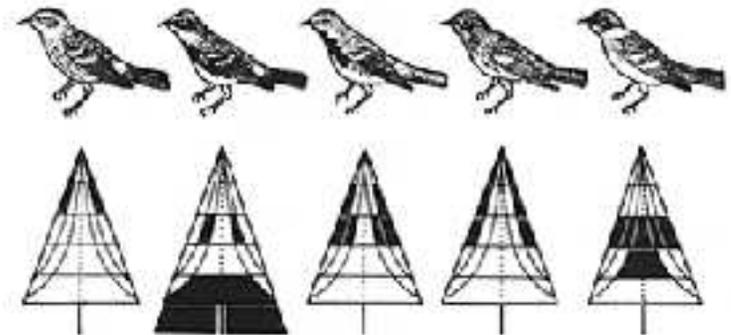


FIG. 8. Nesting heights of warblers.

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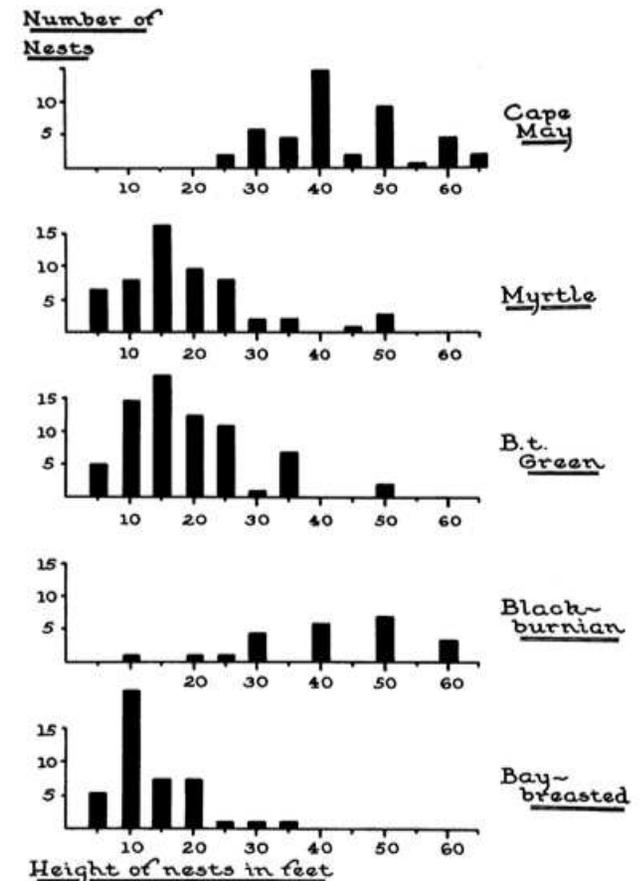
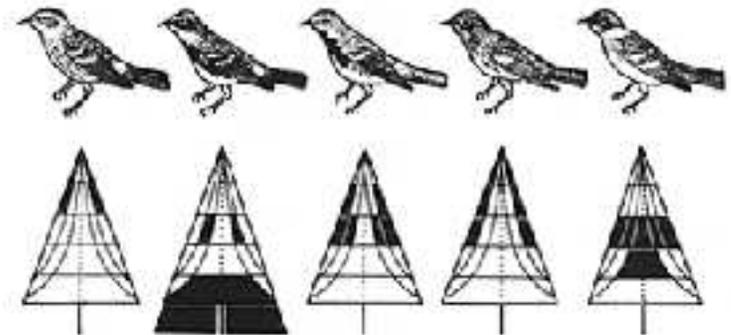
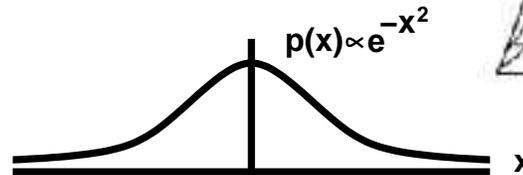


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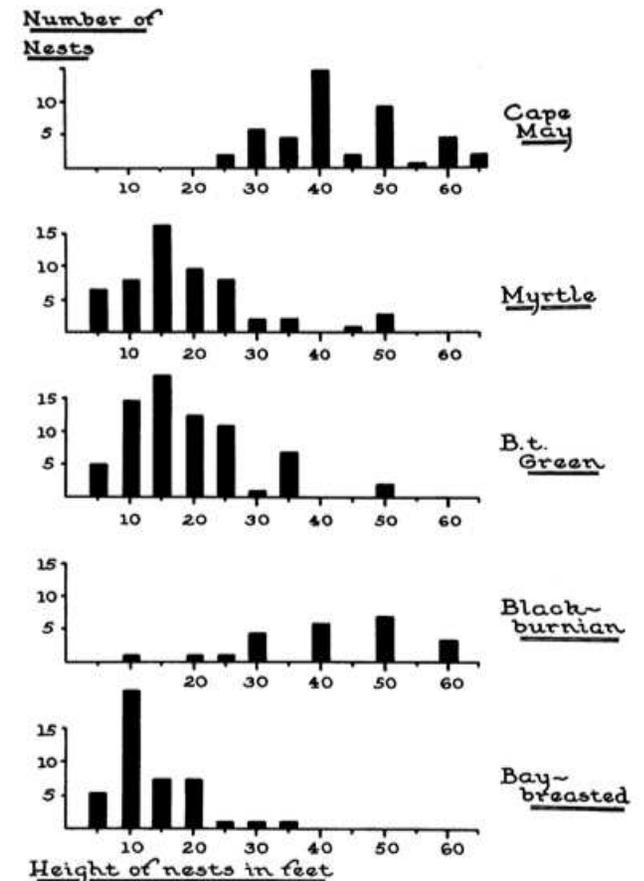
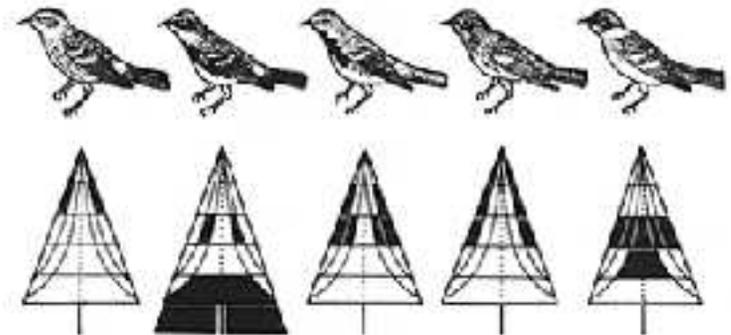
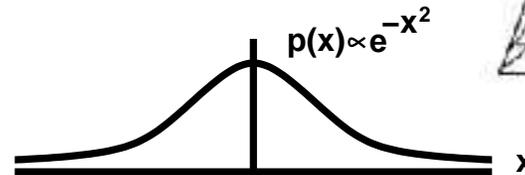
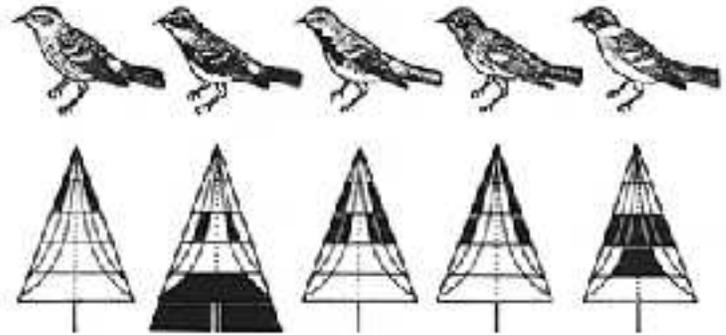


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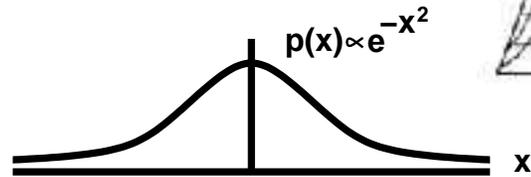
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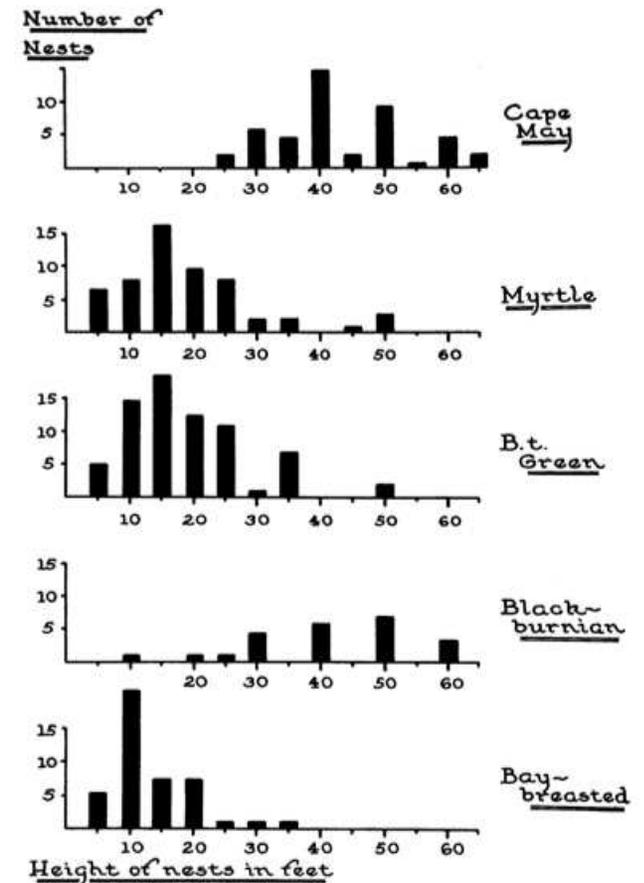
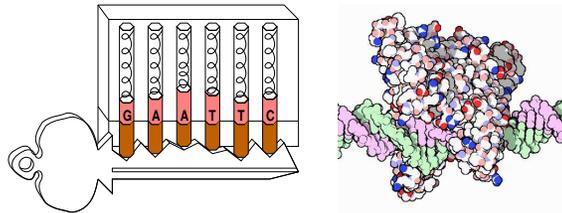
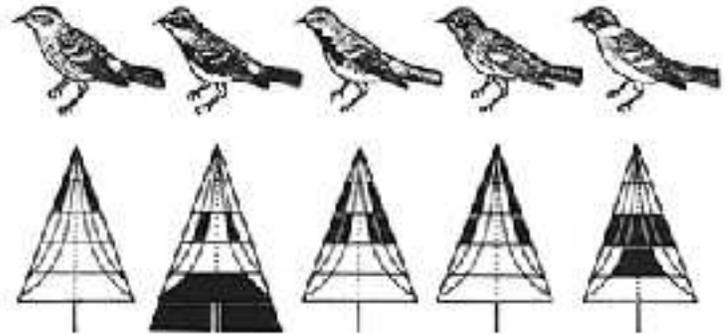


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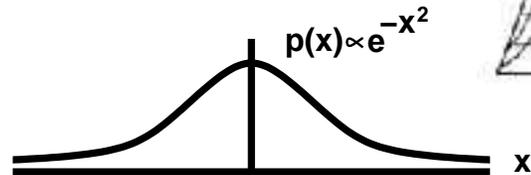
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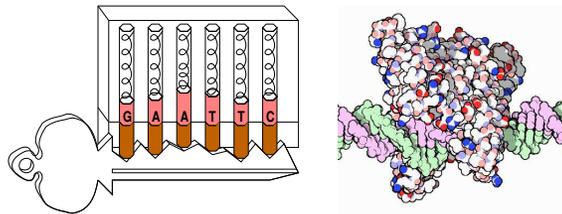
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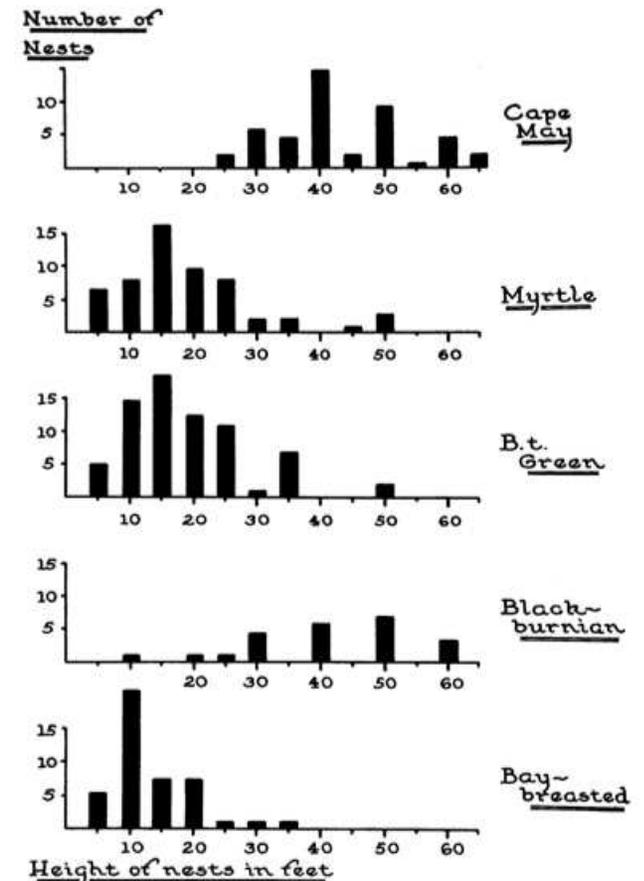
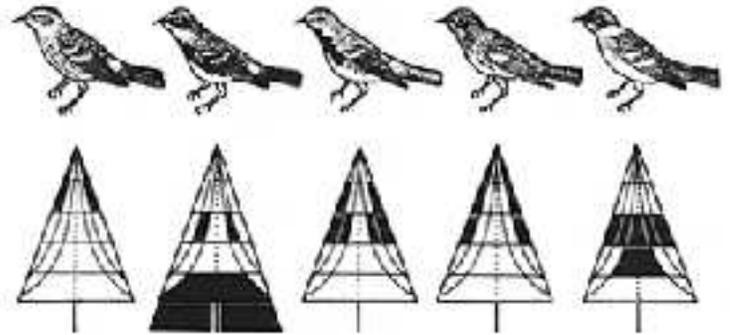


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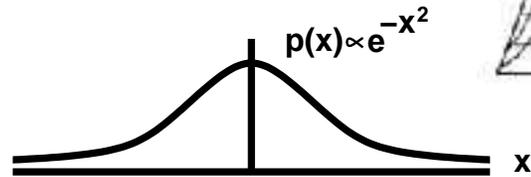
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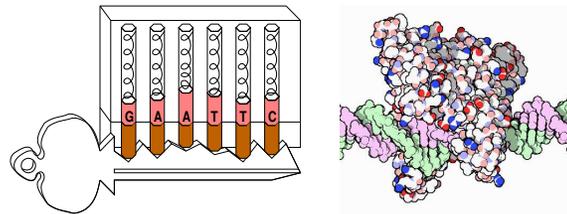
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- RESULT: Packing spheres in a high dimensional space!
⇒ the efficiency equation and 70%!

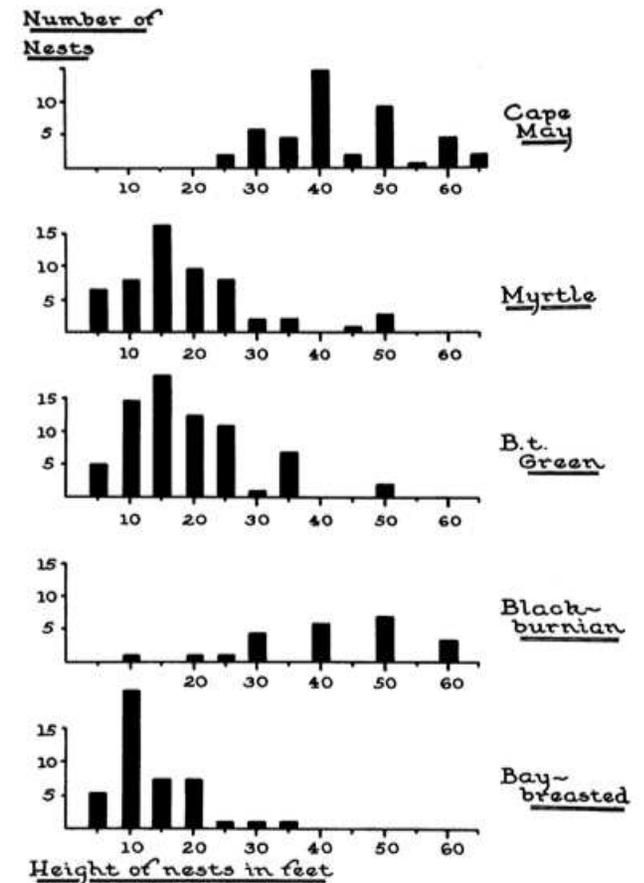
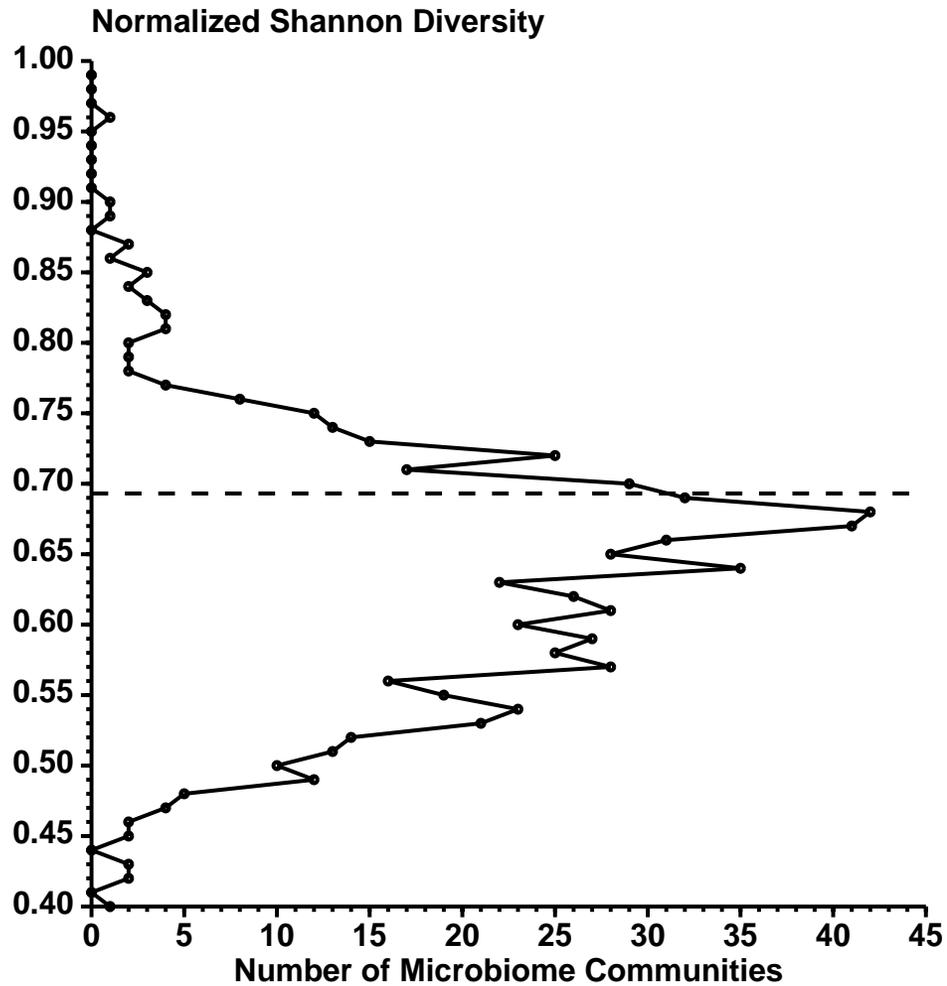


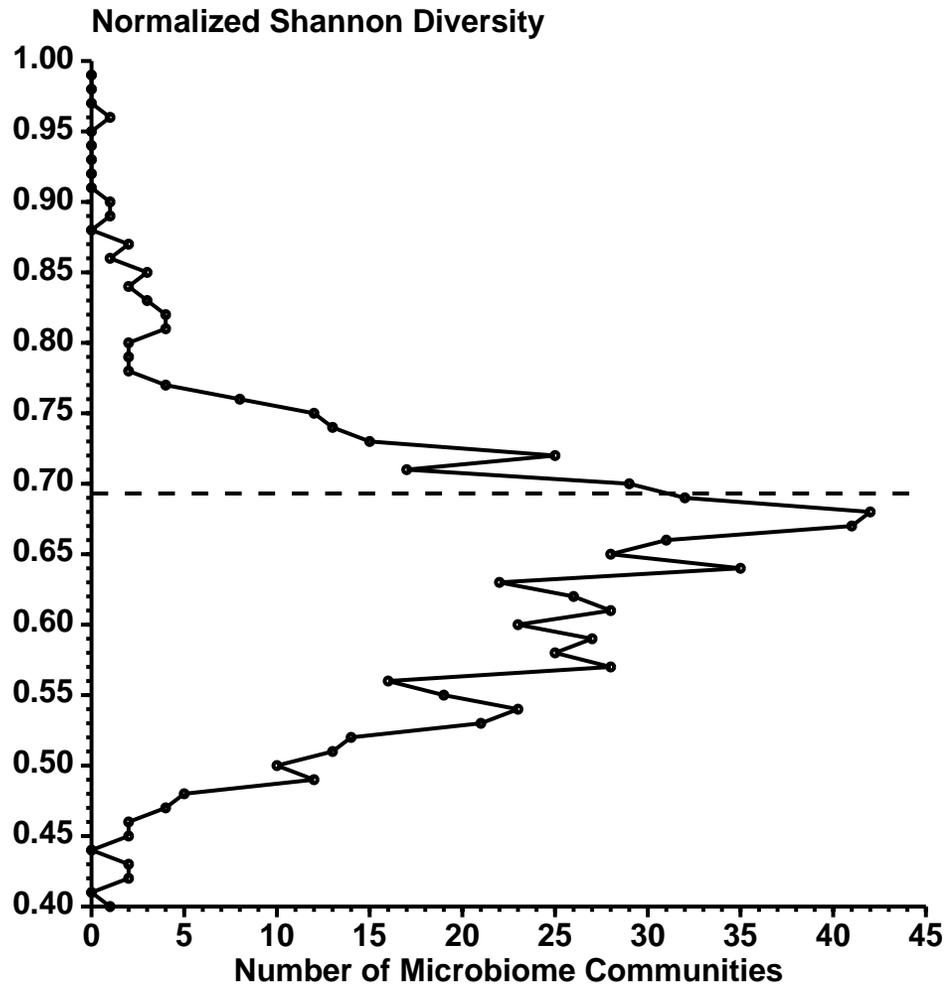
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Healthy Human Microbiota



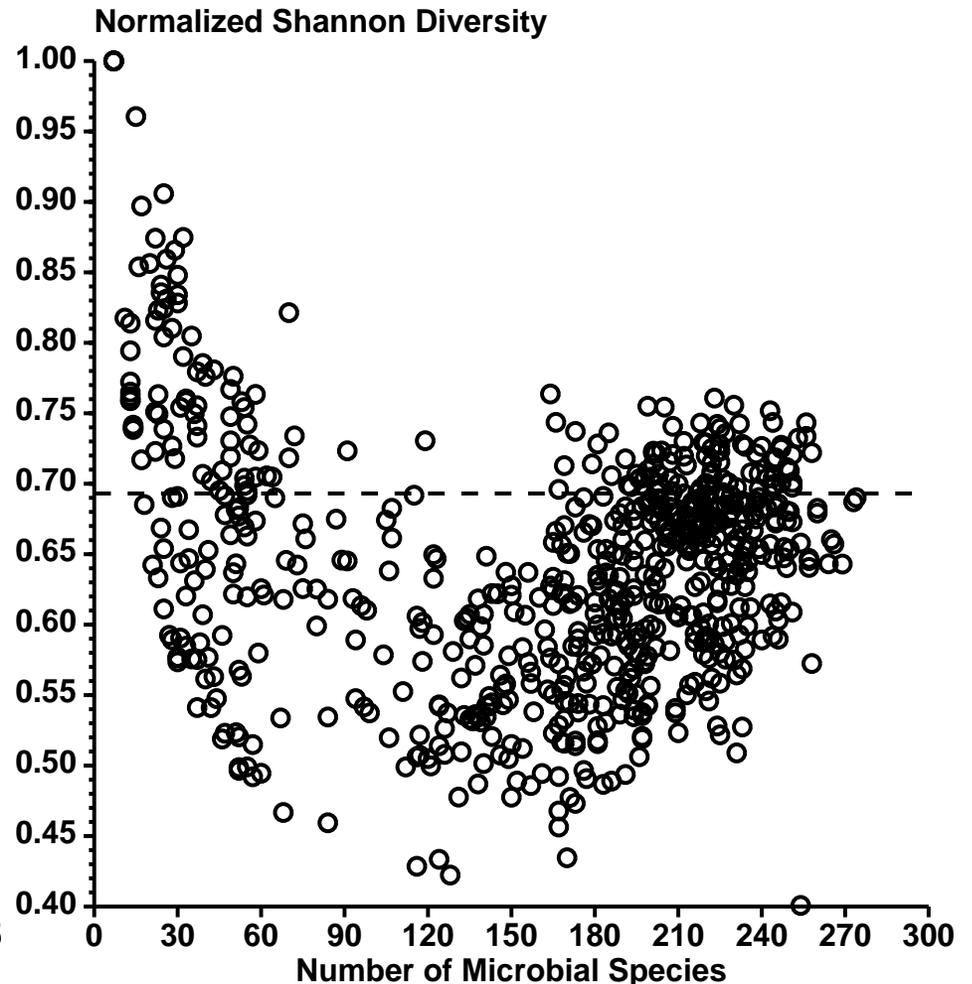
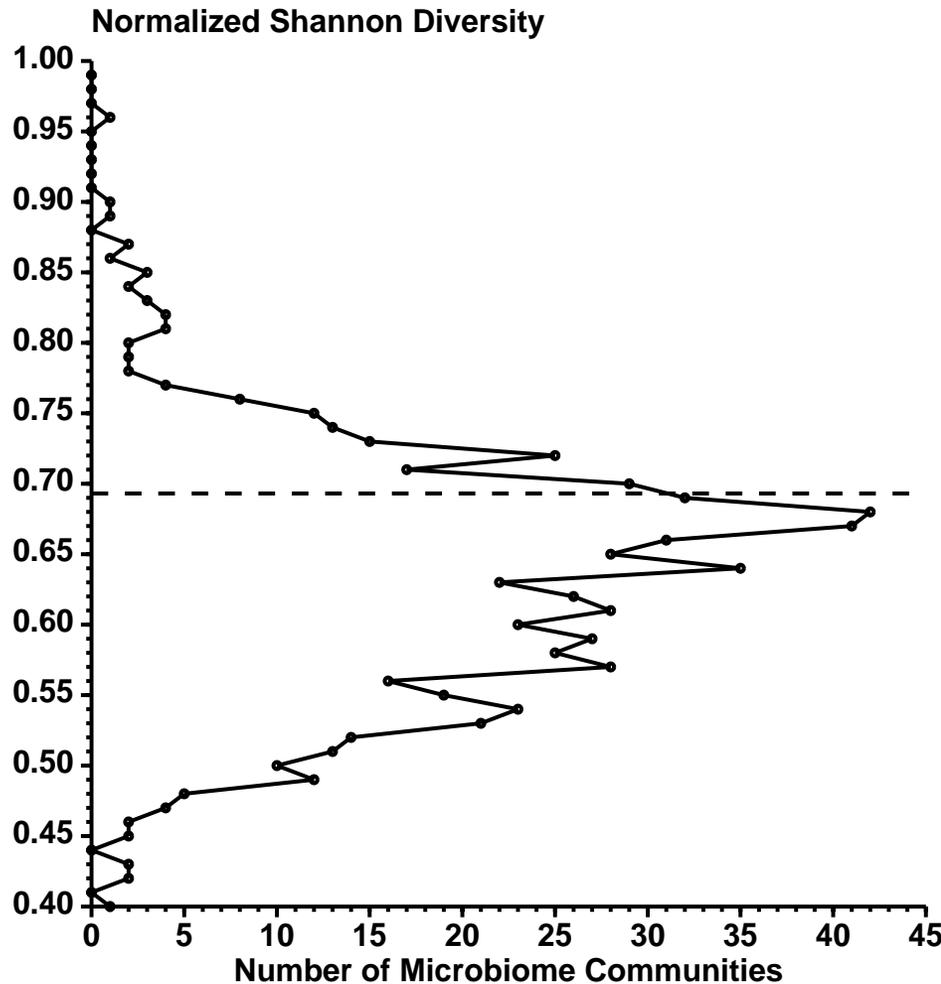
- Species abundencies of 690 microbiome samples from the human body

Healthy Human Microbiota



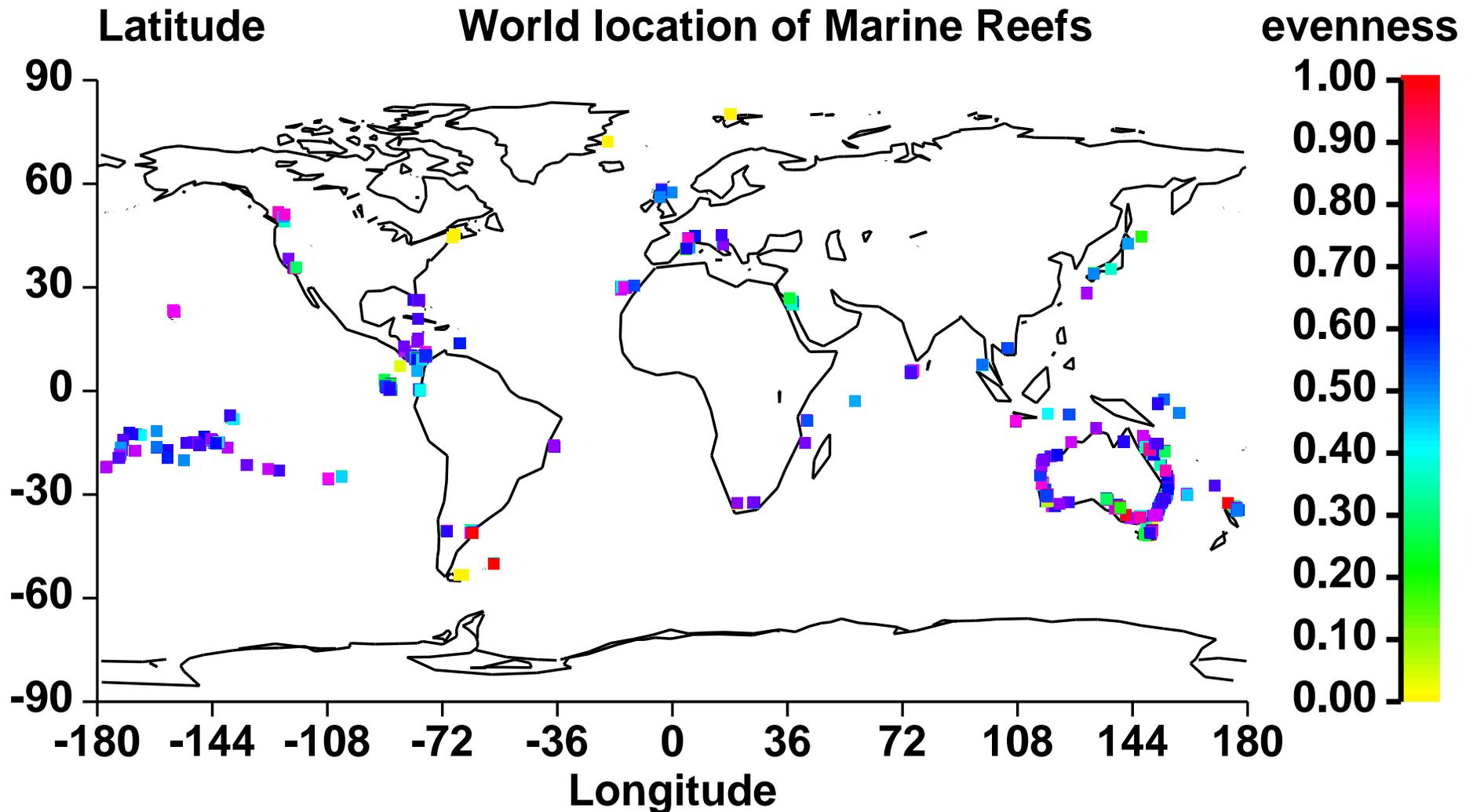
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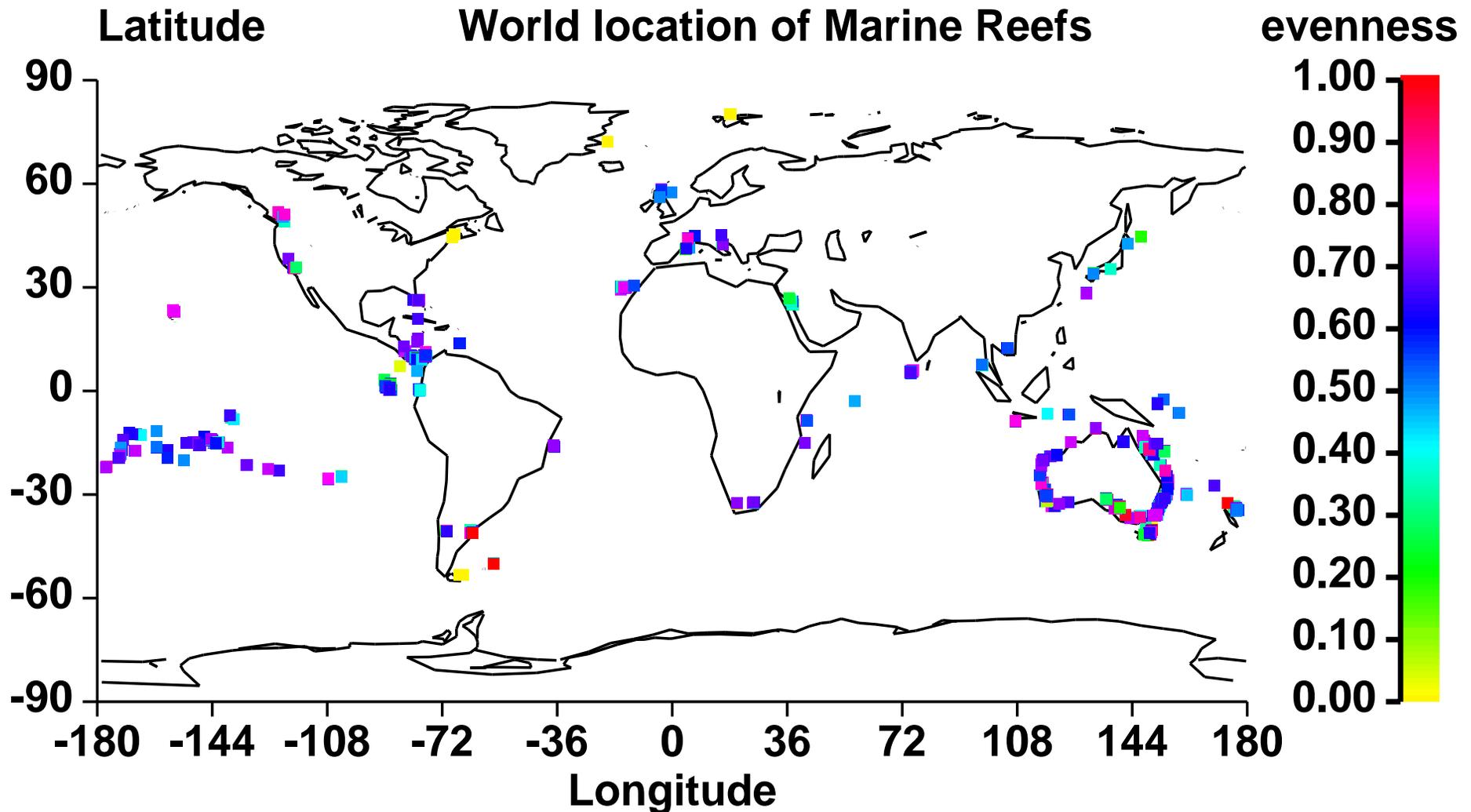
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- Spread by species - comma shape is unexplained!! **PUZZLE!**

Marine Reef Fish



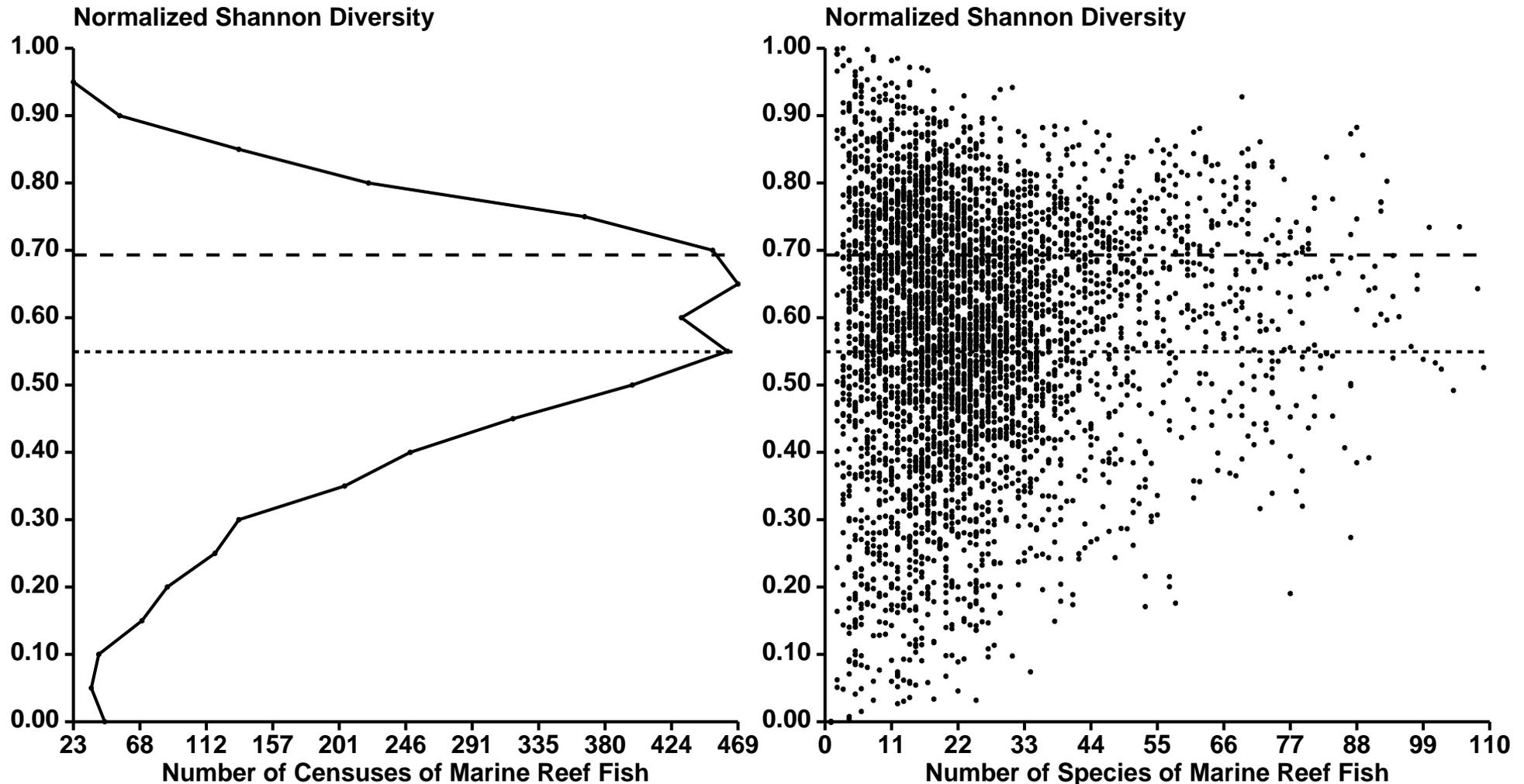
- World map of 1,844 sites with the normalized Shannon diversity at each site ('evenness') shown in color.

Marine Reef Fish



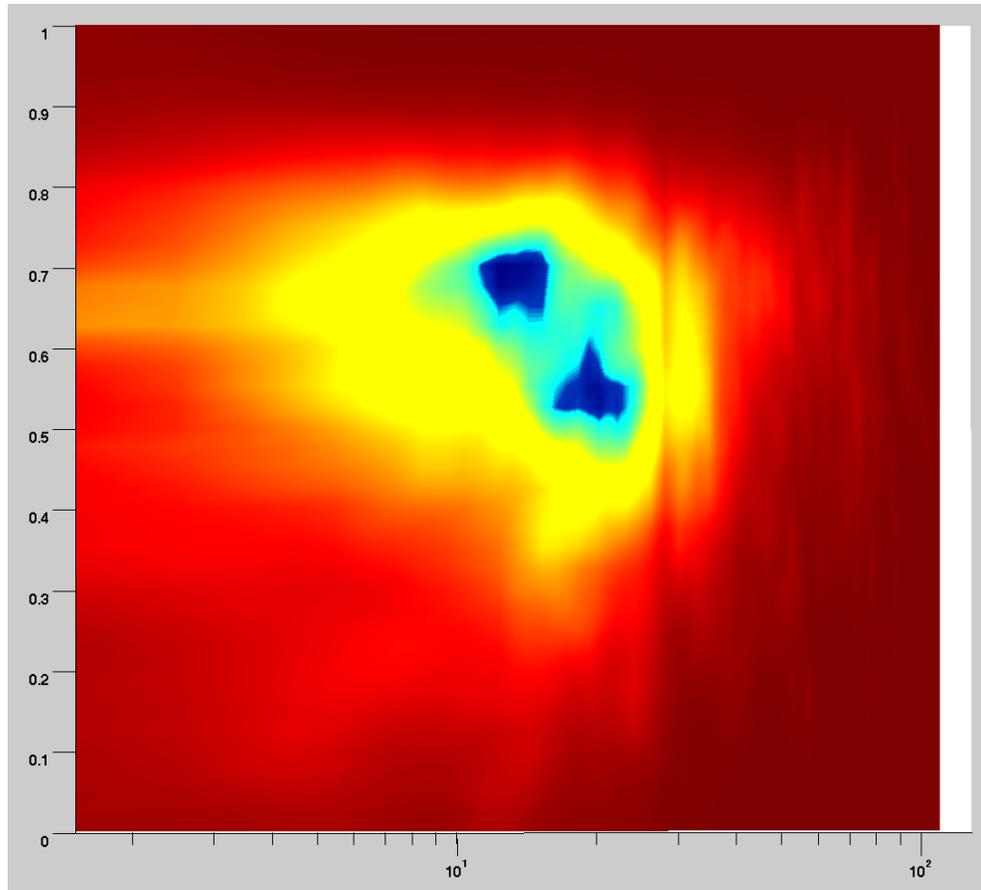
- World map of 1,844 sites with the normalized Shannon diversity at each site ('evenness') shown in color.
- Except for low evenness in extreme latitudes, there is little correlation of world location with evenness.

Marine Reef Fish



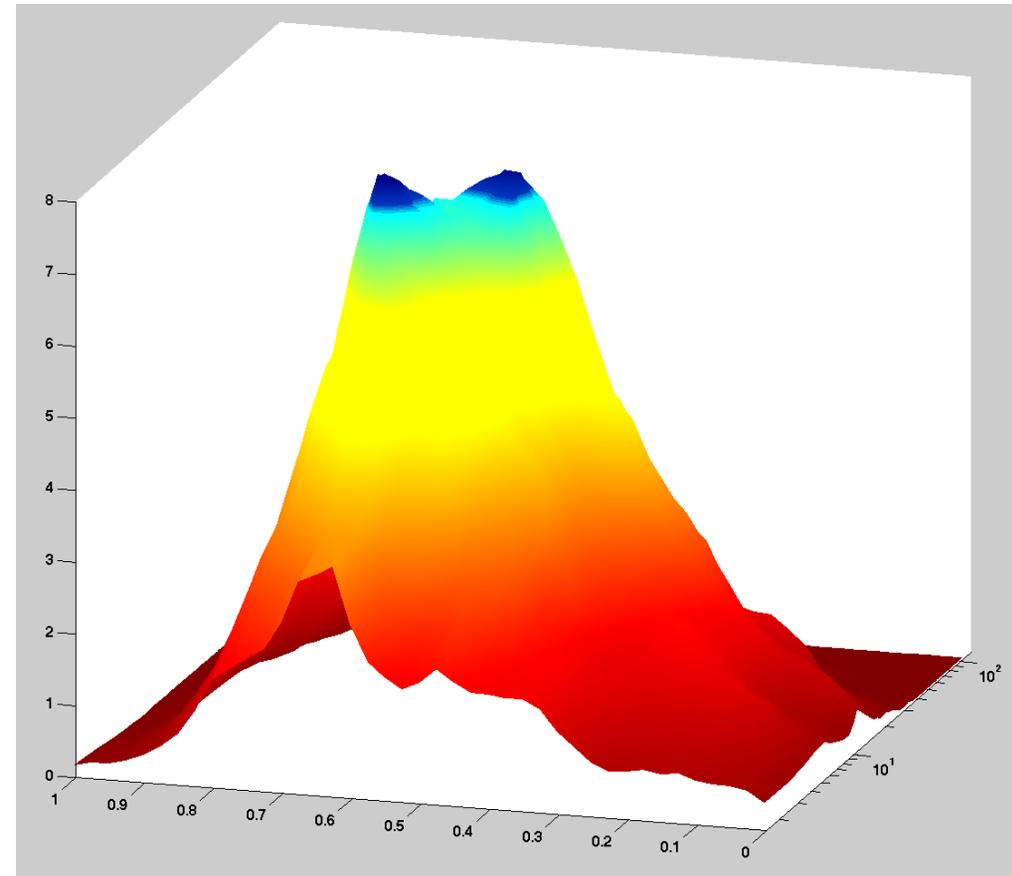
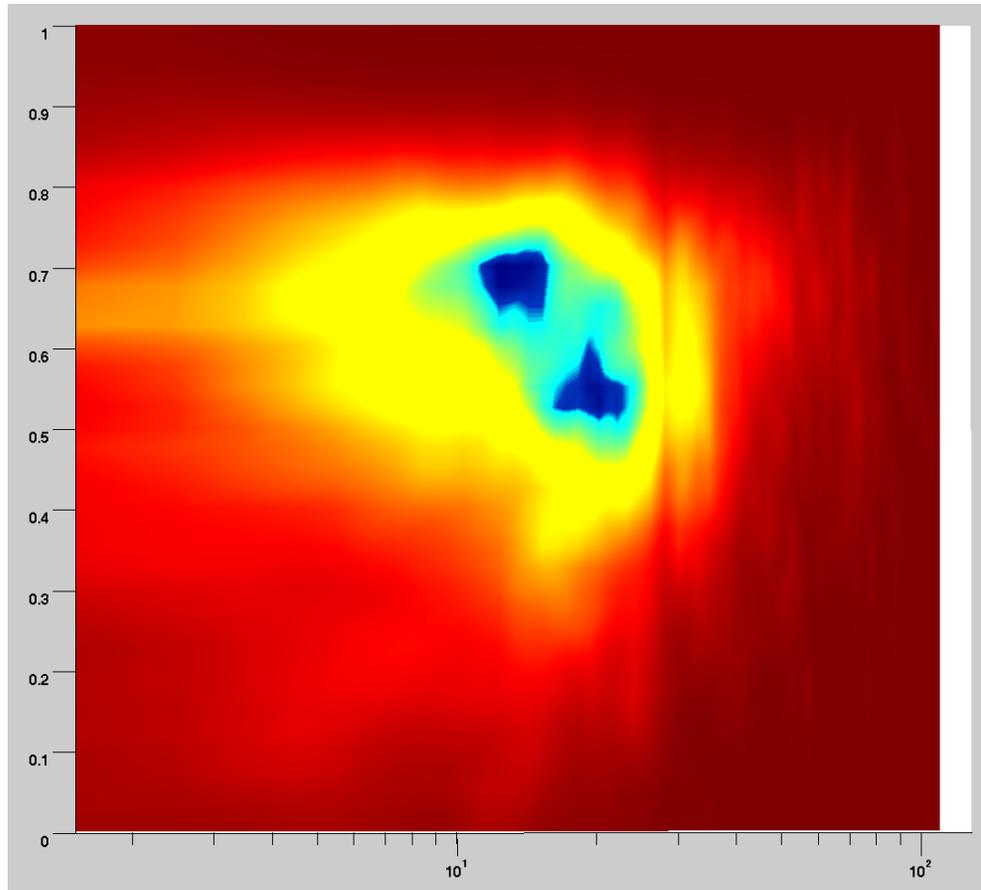
- The measured normalized Shannon diversity converges to near 0.7 as the number of species increases but the data suggest two populations.

Marine Reef Fish



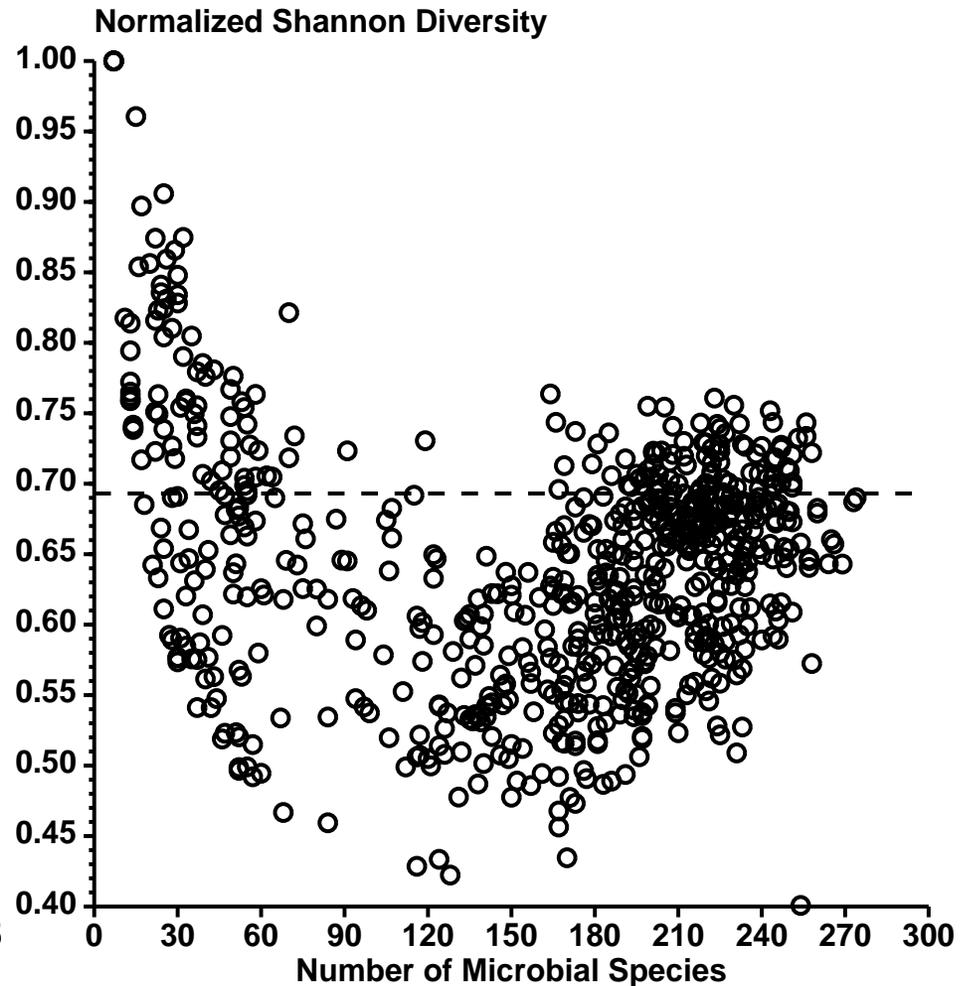
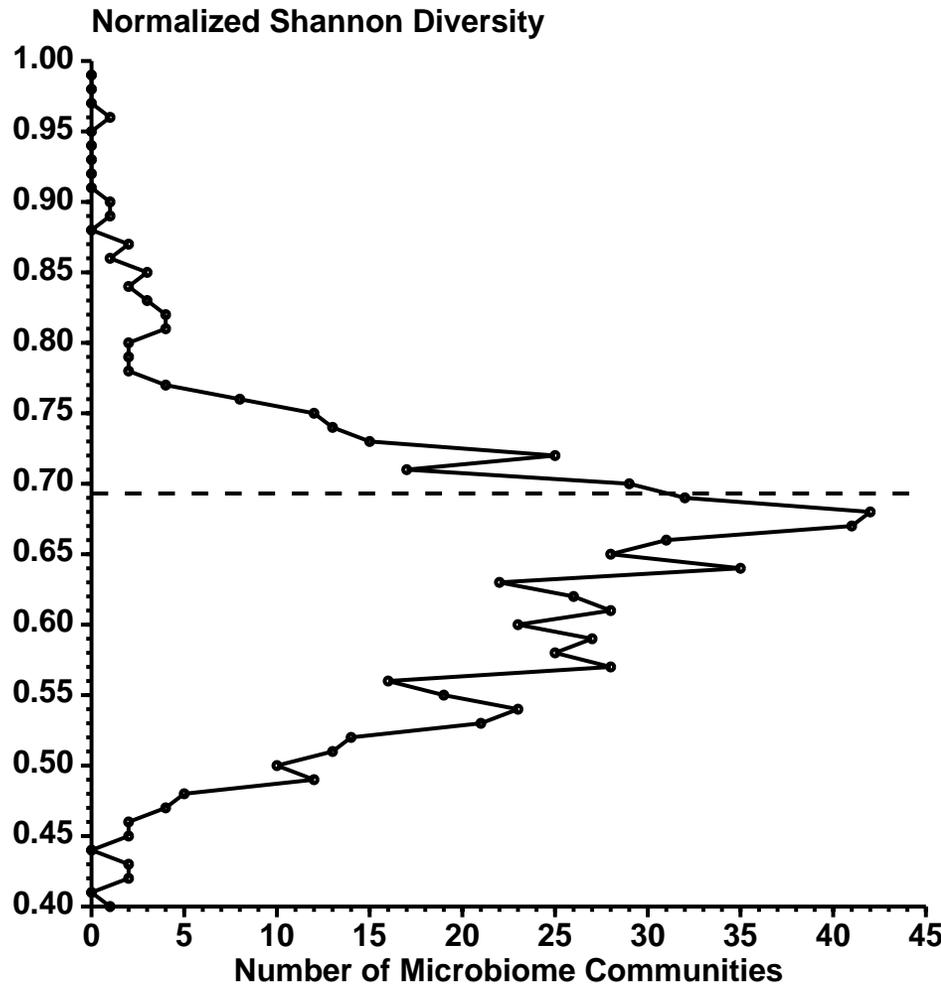
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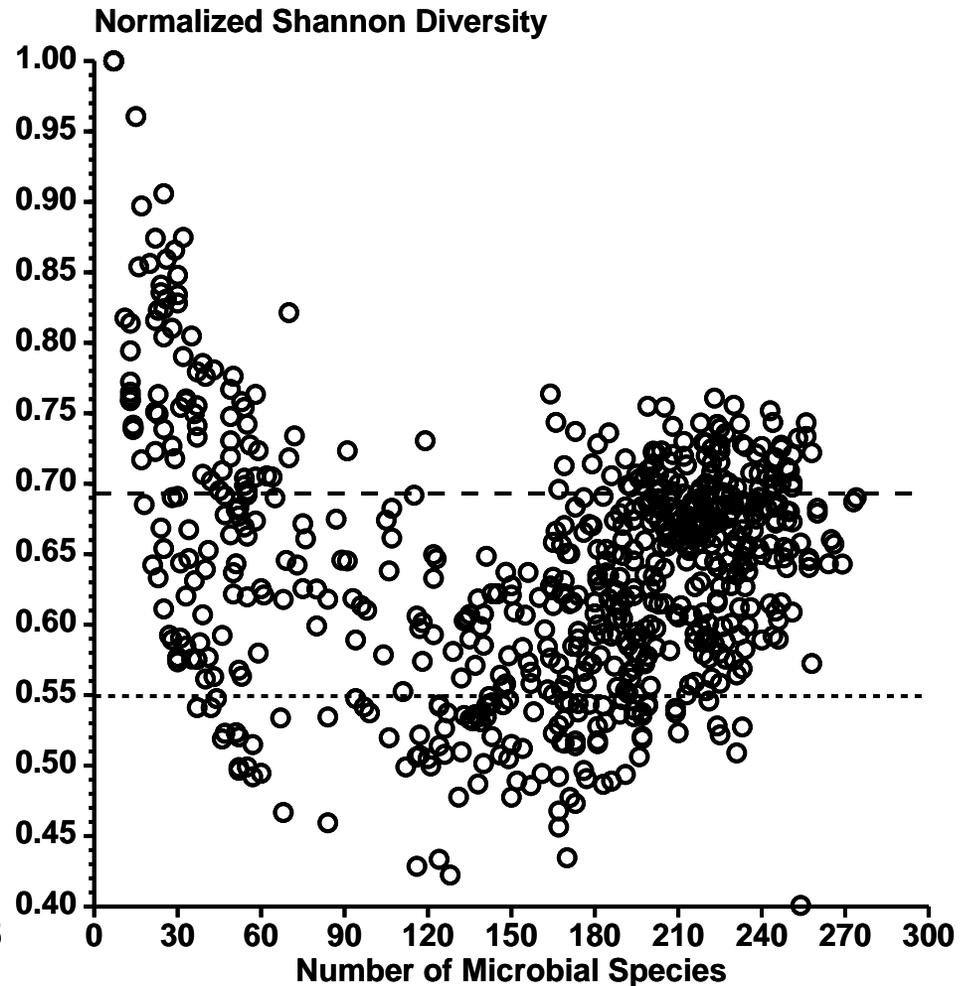
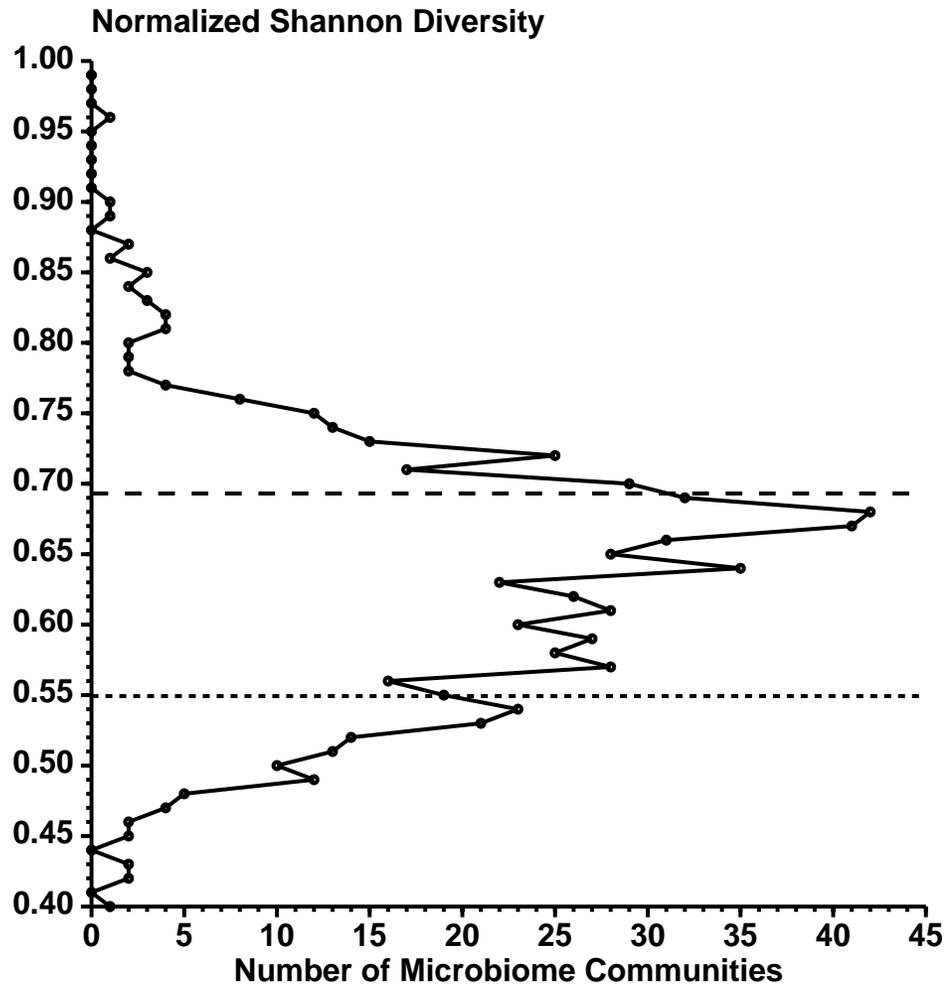
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- Perspective view

Healthy Human Microbiota PART 2



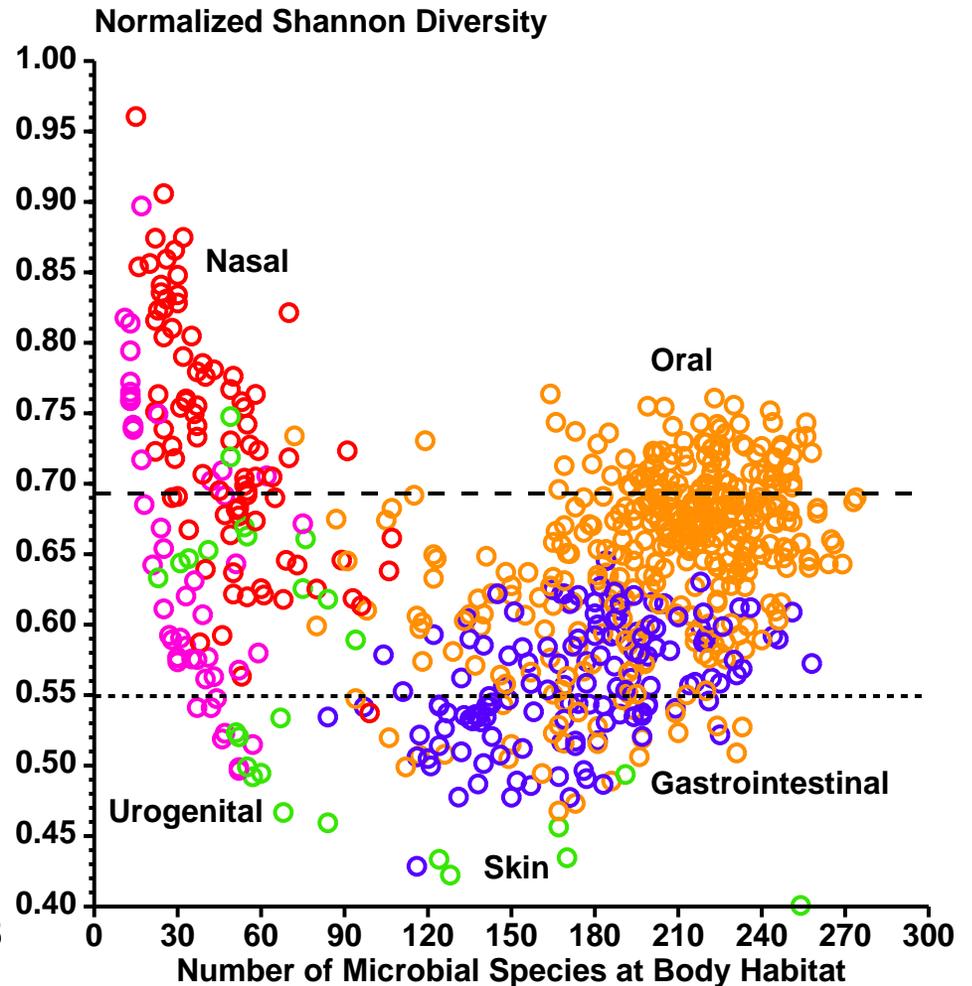
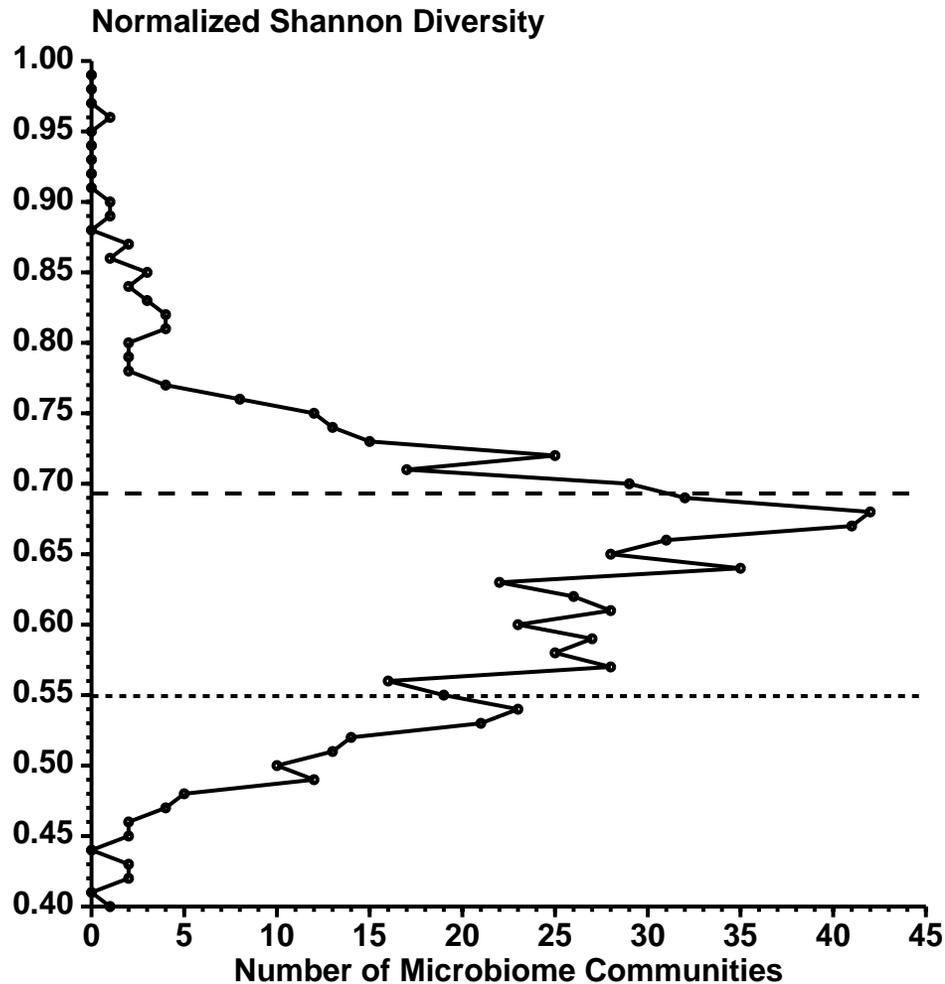
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Healthy Human Microbiota PART 2



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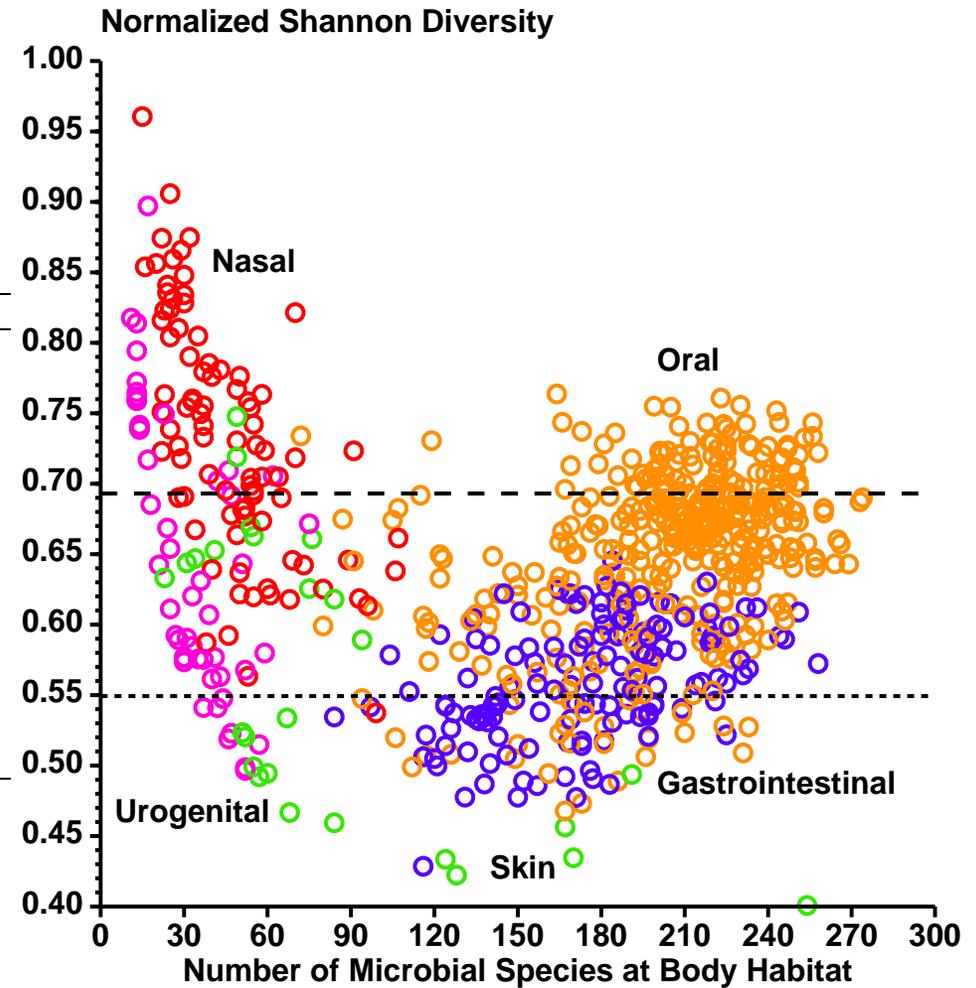
Healthy Human Microbiota PART 2



- Species abundencies of 690 microbiome samples from the human body
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- Color the Body Habitats - the comma shape is resolved!!

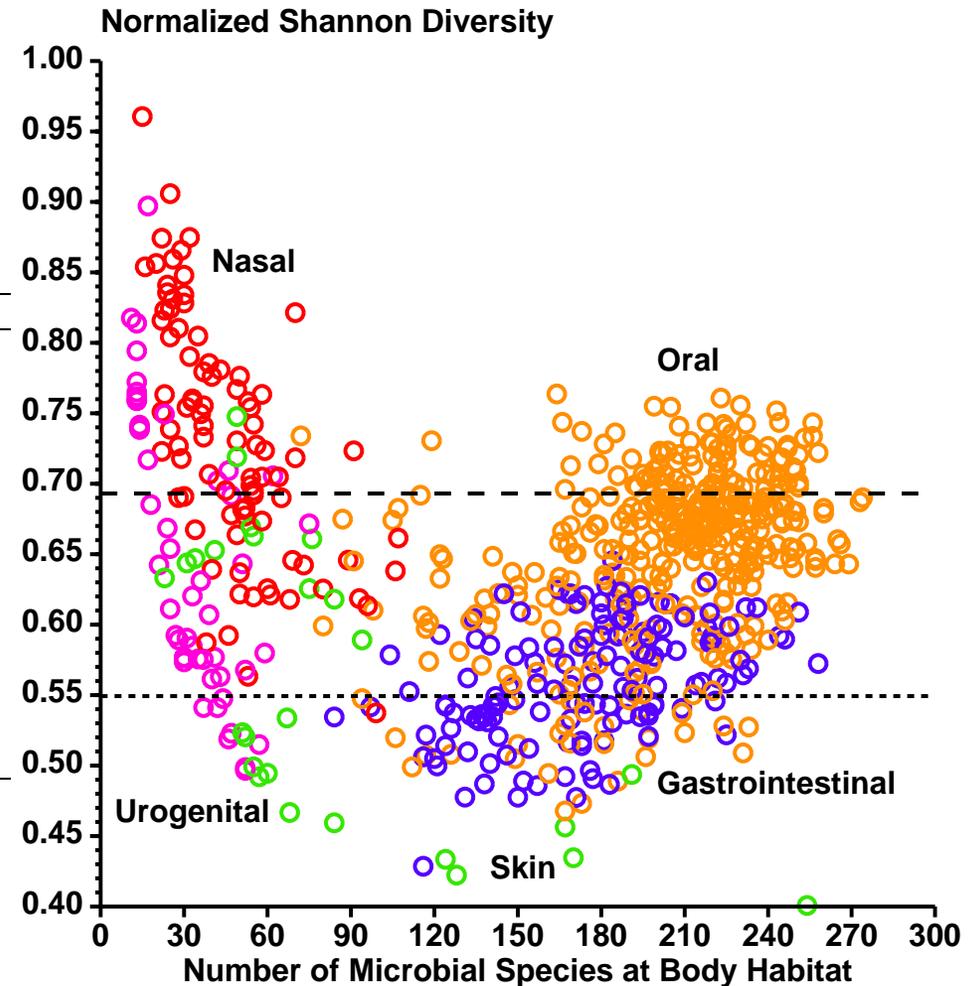
Healthy Human Microbiota PART 3

Body Habitat	color key	n	Evennes
Nasal	red	87	0.73 ± 0.09
Urogenital	purple	56	0.68 ± 0.14
Oral-attached keratinized gingiva	orange	6	0.57 ± 0.04
Oral-buccal mucosa	orange	107	0.60 ± 0.06
Oral-palatine tonsils	orange	6	0.69 ± 0.05
Oral-saliva	orange	3	0.67 ± 0.03
Oral-subgingival plaque	orange	7	0.74 ± 0.02
Oral-supragingival plaque	orange	118	0.69 ± 0.04
Oral-throat	orange	7	0.67 ± 0.05
Oral-tongue dorsum	orange	128	0.66 ± 0.03
Oral	orange	382	0.65 ± 0.06
Skin	green	26	0.56 ± 0.10
Gastrointestinal	blue	139	0.56 ± 0.04



Healthy Human Microbiota PART 3

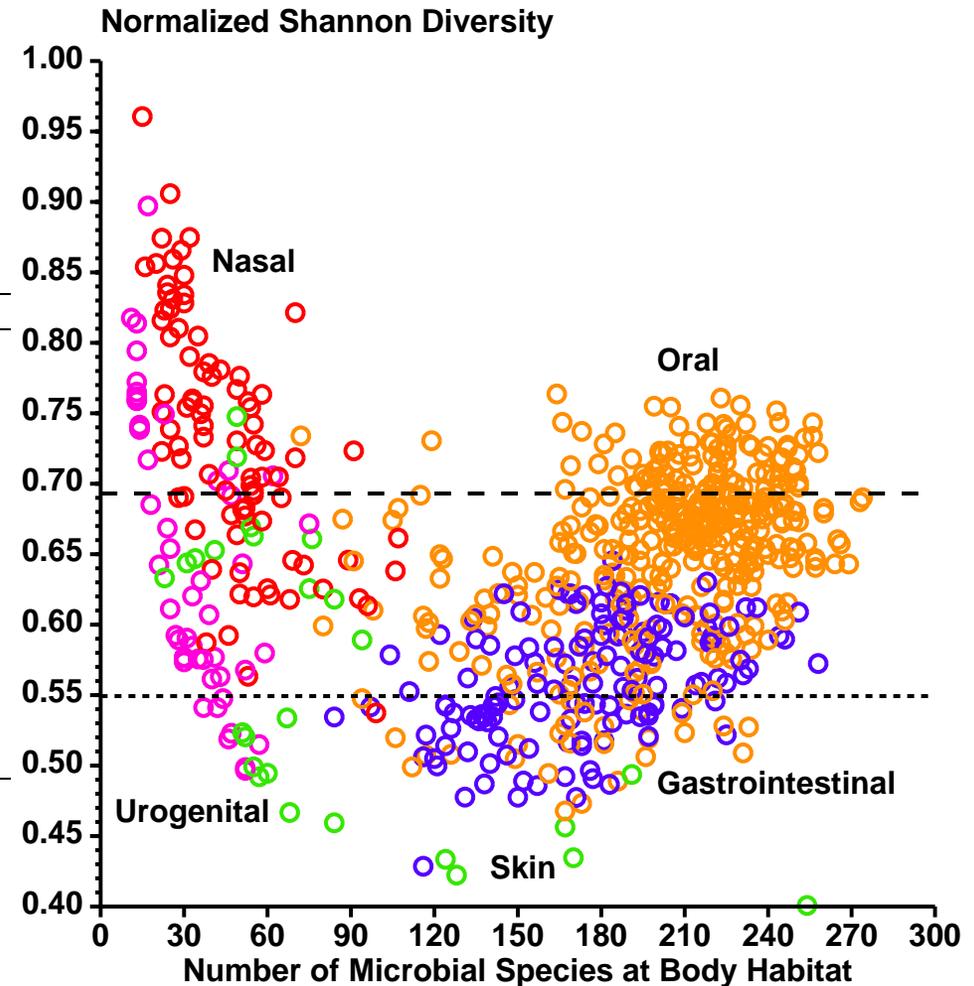
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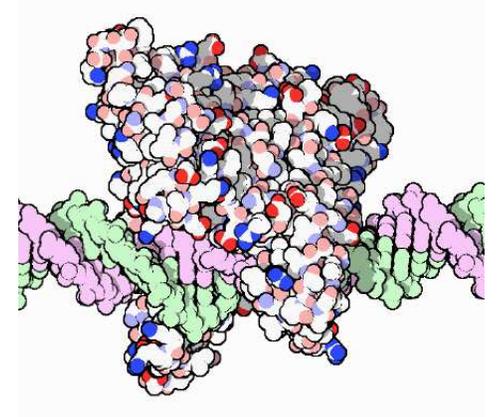


- The body habitats fall into two classes: 70% and 55%
- Two possible exceptions are

Oral-attached keratinized gingiva	0.57 ± 0.04	gums attached to teeth
Oral-buccal mucosa	0.60 ± 0.06	cheeks

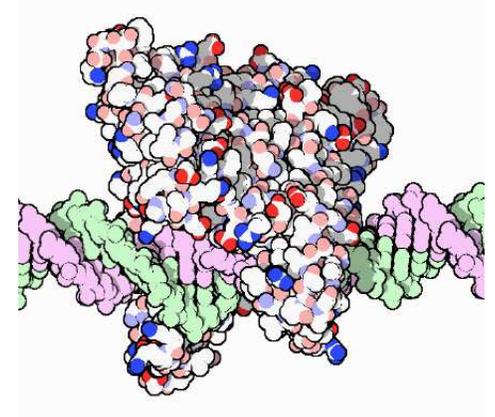
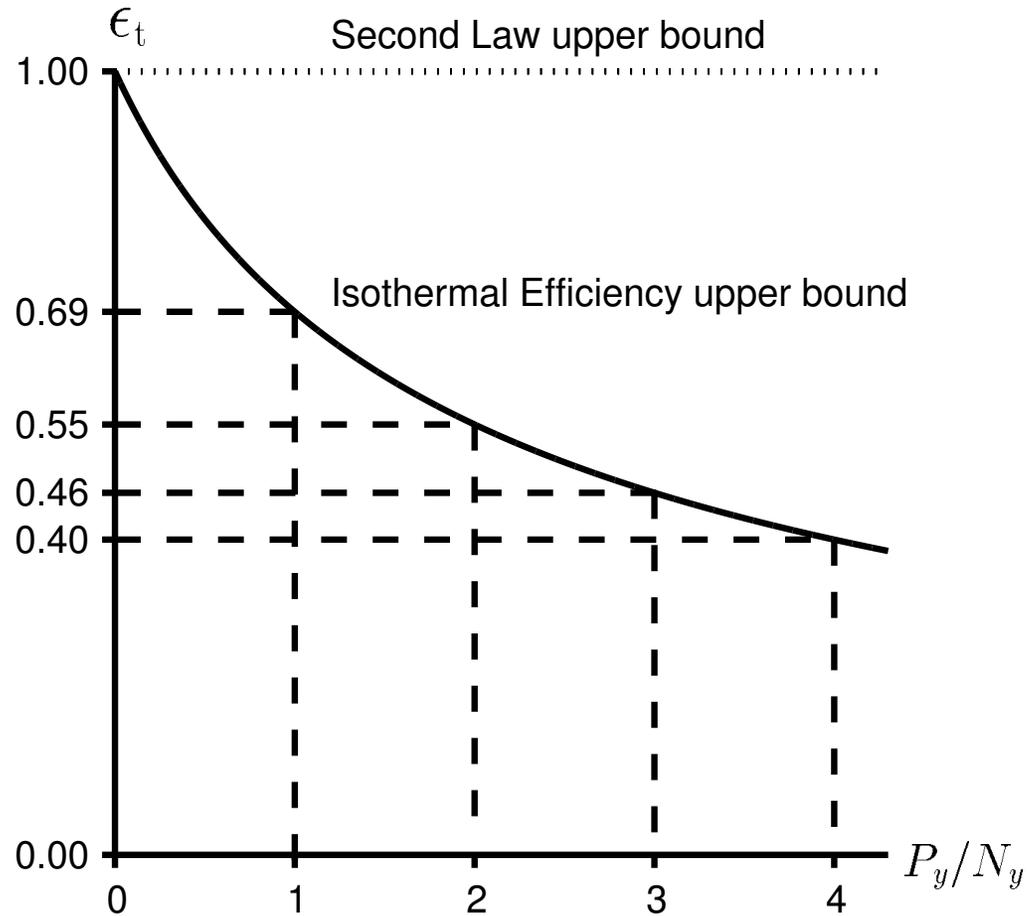
The Discovery of Class 2 Biological Systems!

- $\epsilon_t = \frac{\ln\left(\frac{P_y}{N_y} + 1\right)}{\frac{P_y}{N_y}} \leftarrow \text{molecular efficiency}$



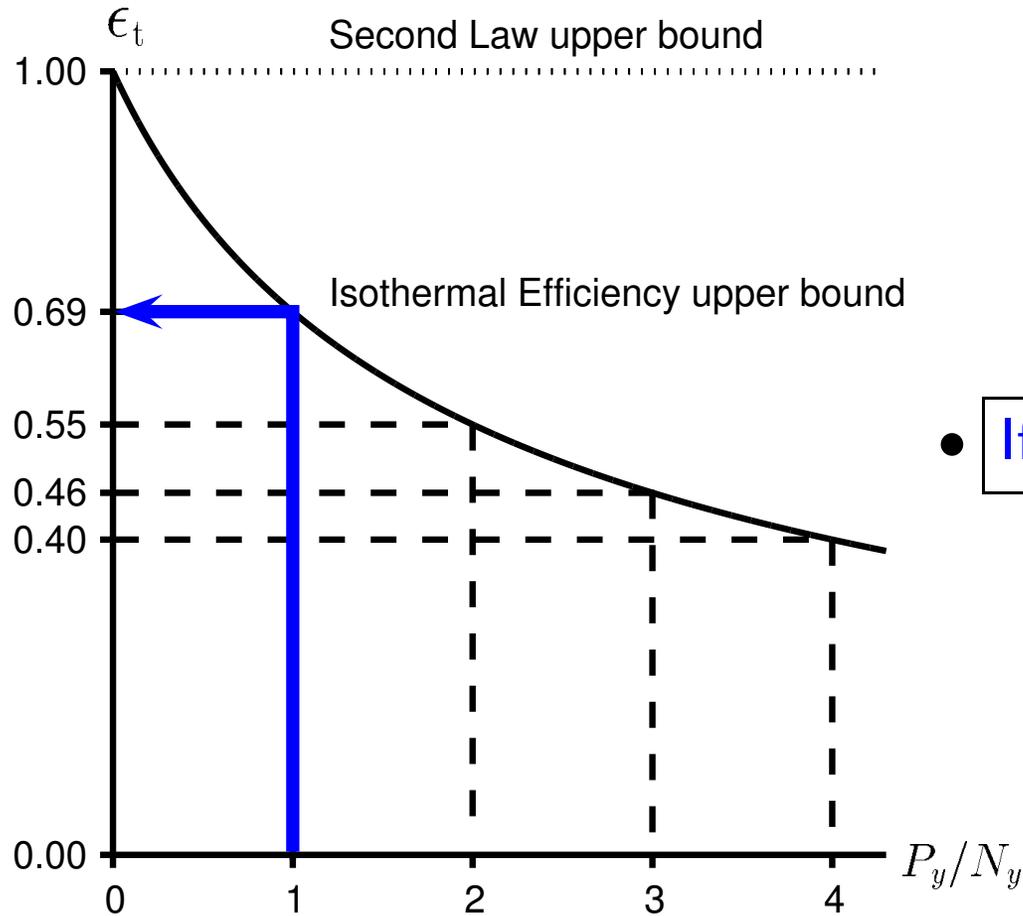
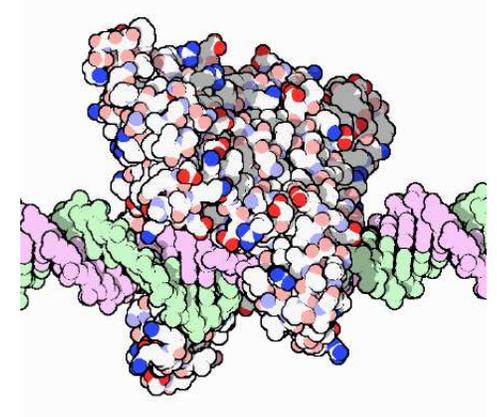
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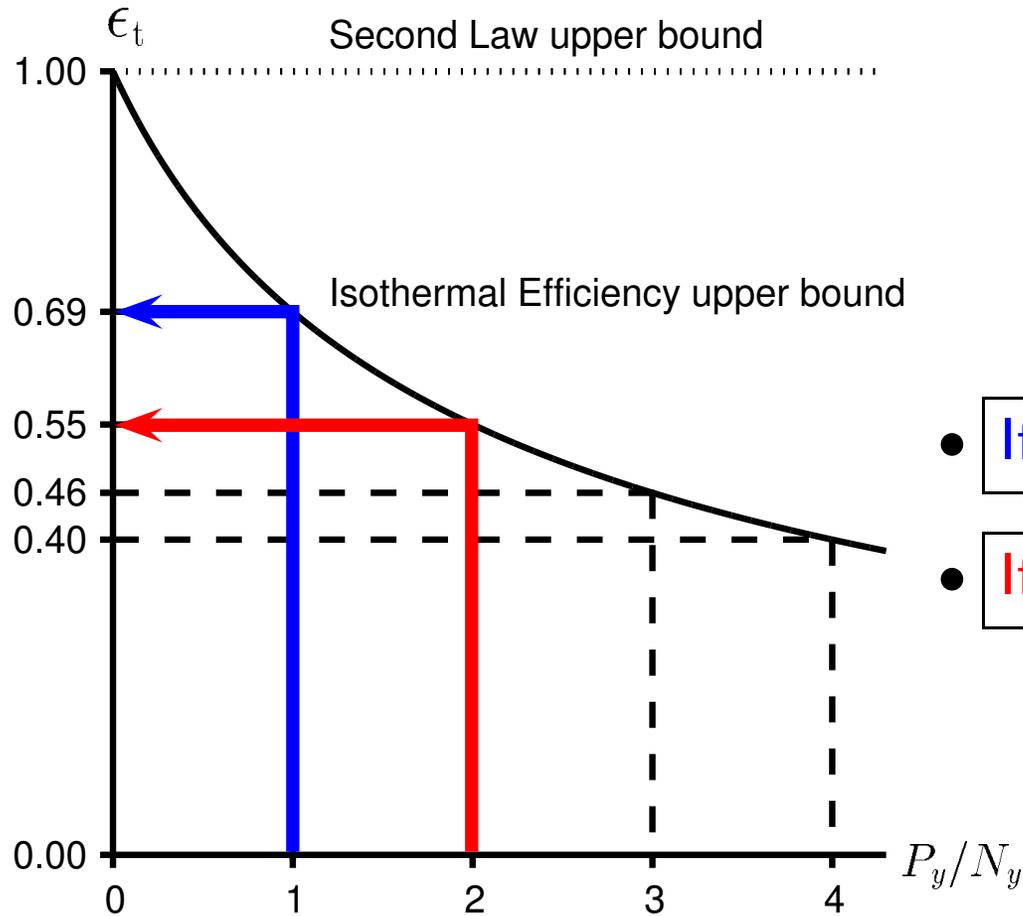
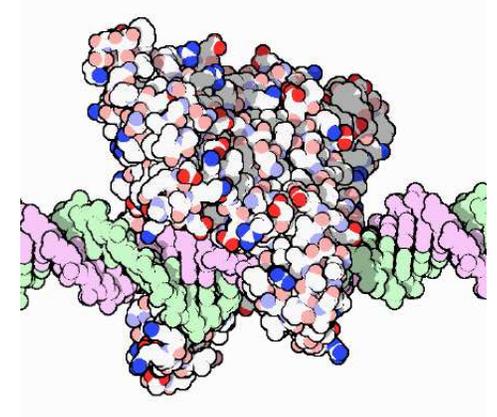
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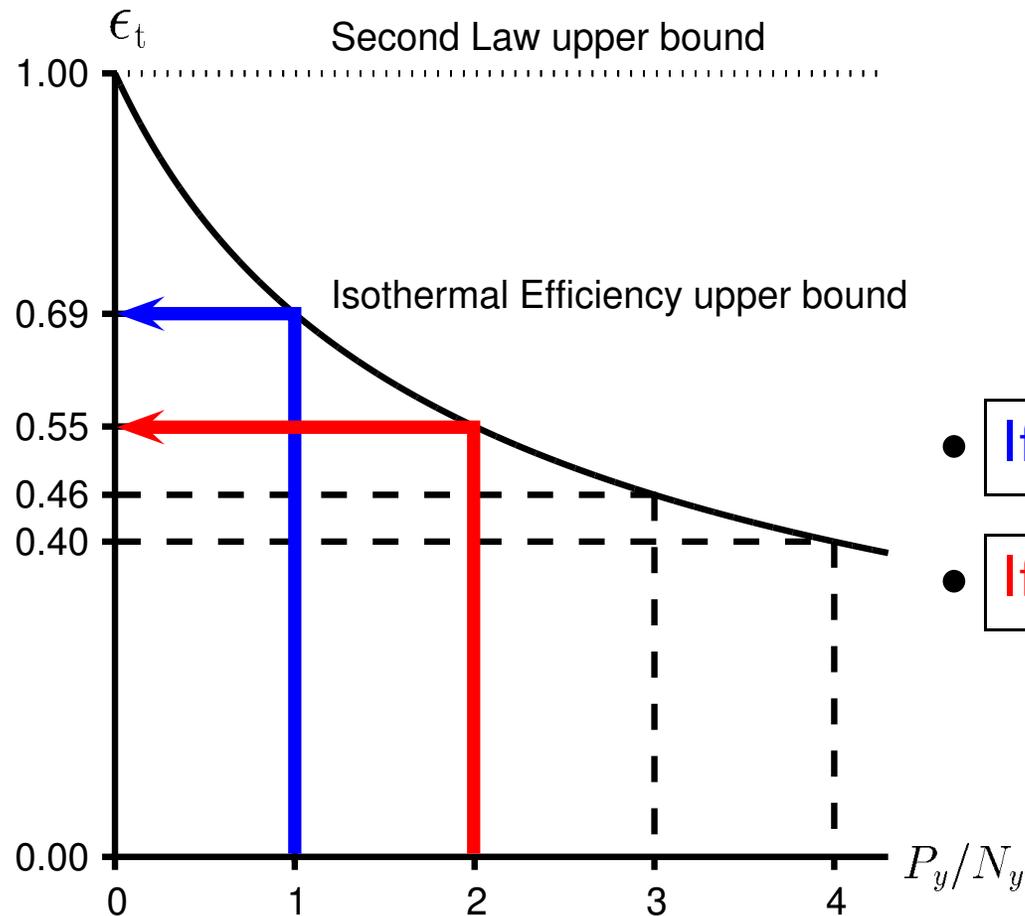
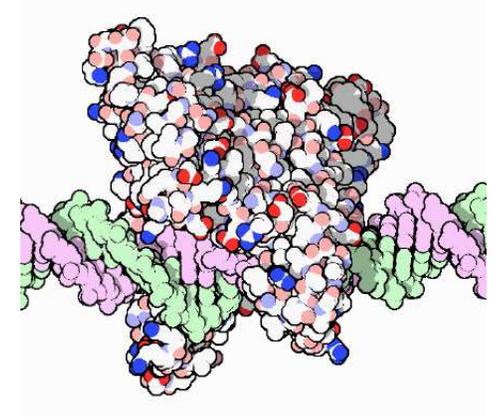


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- If $P_y/N_y = 2$ the efficiency is 55%!

The Discovery of Class 2 Biological Systems!

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The theory can explain 55% ecological systems!

Ant Communities and Fire

Environment	State	Evenness	P/N
-------------	-------	----------	-------

- The P/N ratio can be computed **BACKWARDS** from the evenness using

$$\epsilon_t = \frac{\ln\left(\frac{P}{N} + 1\right)}{\frac{P}{N}}$$

with Newton's method
assuming evenness is maximized for a given P/N .

Ant Communities and Fire

Environment	State	Evenness	P/N	Class
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- The Class given in the table is the rounded P/N value.

Ant Communities and Fire

Environment	State	Evenness	P/N	Class
Scrub	unburned	0.73	0.821	1 →



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Ant Communities and Fire

Environment	State	Evenness	P/N	Class
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Scrub	burned	0.55	1.994	2



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with Newton's method
assuming evenness is maximized for a given P/N .

- The Class given in the table is the rounded P/N value.

Ant Communities and Fire

Environment	State	Evenness	P/N	Class
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Steppe	unburned	0.47	2.891	3



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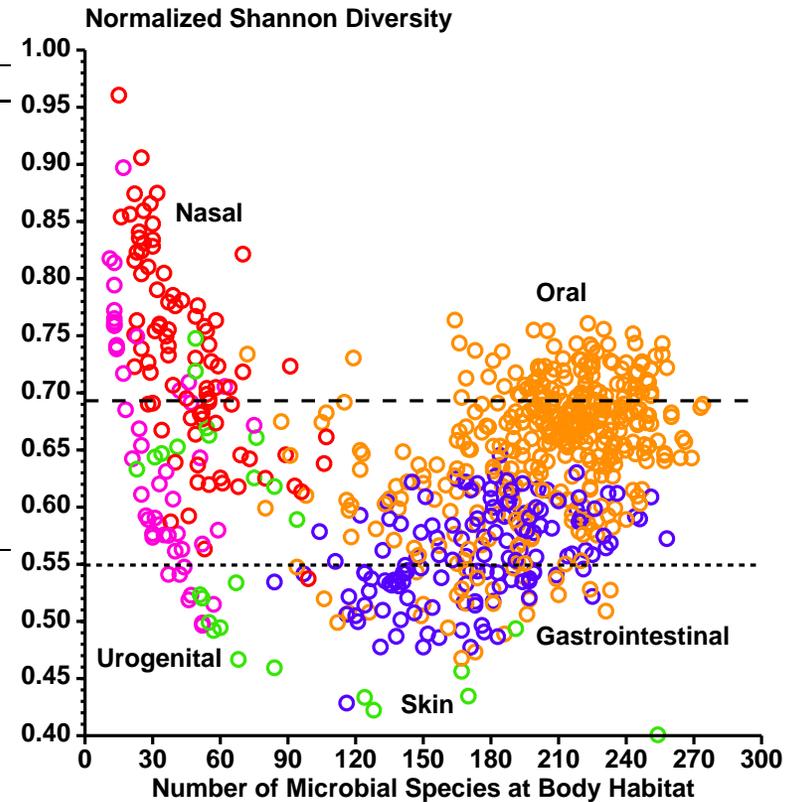
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Hypothesis: Class 2 and Class 3 are stressed ecosystems

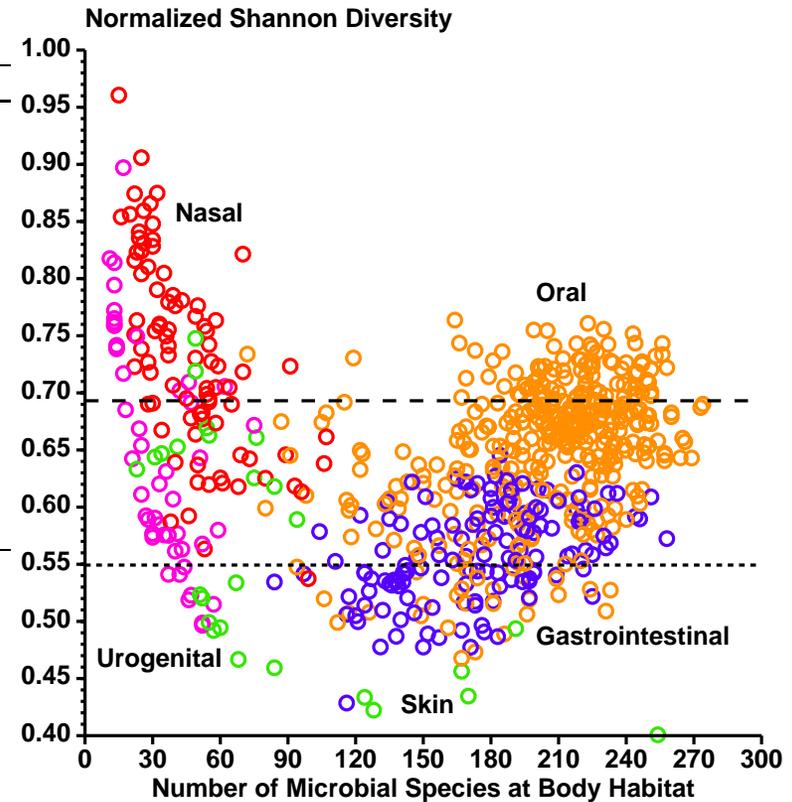
Healthy Human Microbiota PART 4

Body Habitat	color key	n	Evennes
Nasal	red	87	0.73 ± 0.09
Urogenital	purple	56	0.68 ± 0.14
Oral-attached keratinized gingiva	orange	6	0.57 ± 0.04
Oral-buccal mucosa	orange	107	0.60 ± 0.06
Oral-palatine tonsils	orange	6	0.69 ± 0.05
Oral-saliva	orange	3	0.67 ± 0.03
Oral-subgingival plaque	orange	7	0.74 ± 0.02
Oral-supragingival plaque	orange	118	0.69 ± 0.04
Oral-throat	orange	7	0.67 ± 0.05
Oral-tongue dorsum	orange	128	0.66 ± 0.03
Oral	orange	382	0.65 ± 0.06
Skin	green	26	0.56 ± 0.10
Gastrointestinal	blue	139	0.56 ± 0.04



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Location

evenness

possible stress

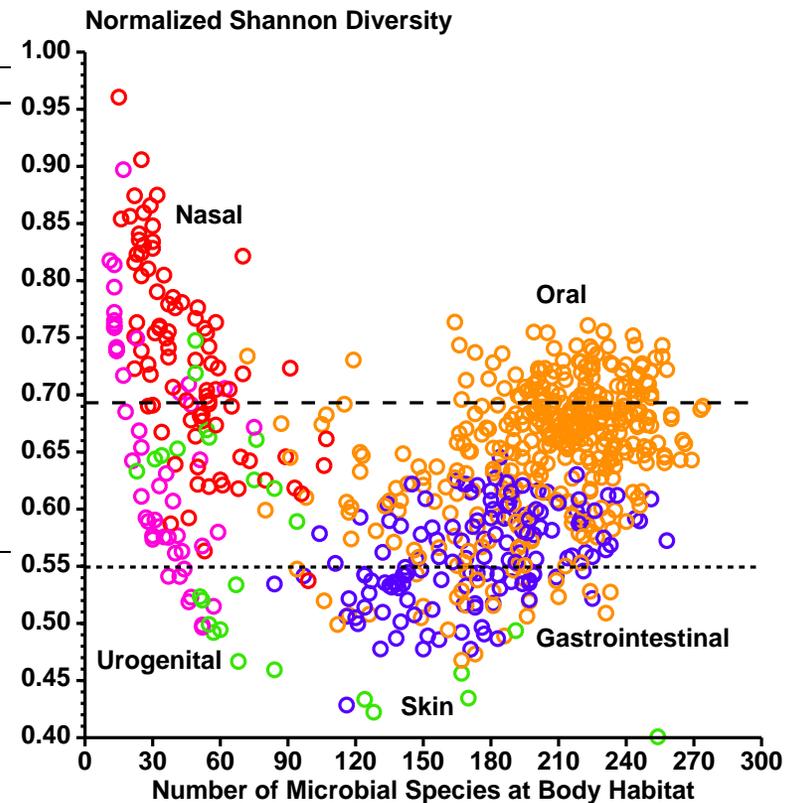
Oral-attached keratinized gingiva
= gums attached to teeth

0.57 ± 0.04

brushing teeth

Healthy Human Microbiota PART 4

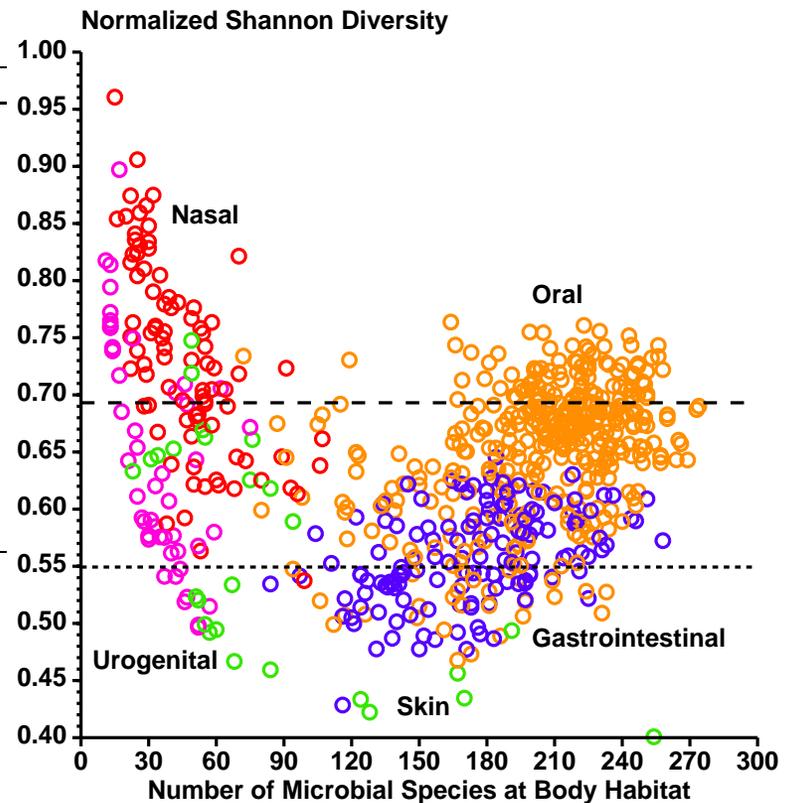
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Location	evenness	possible stress
Oral-attached keratinized gingiva = gums attached to teeth	0.57 ± 0.04	brushing teeth
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Healthy Human Microbiota PART 4

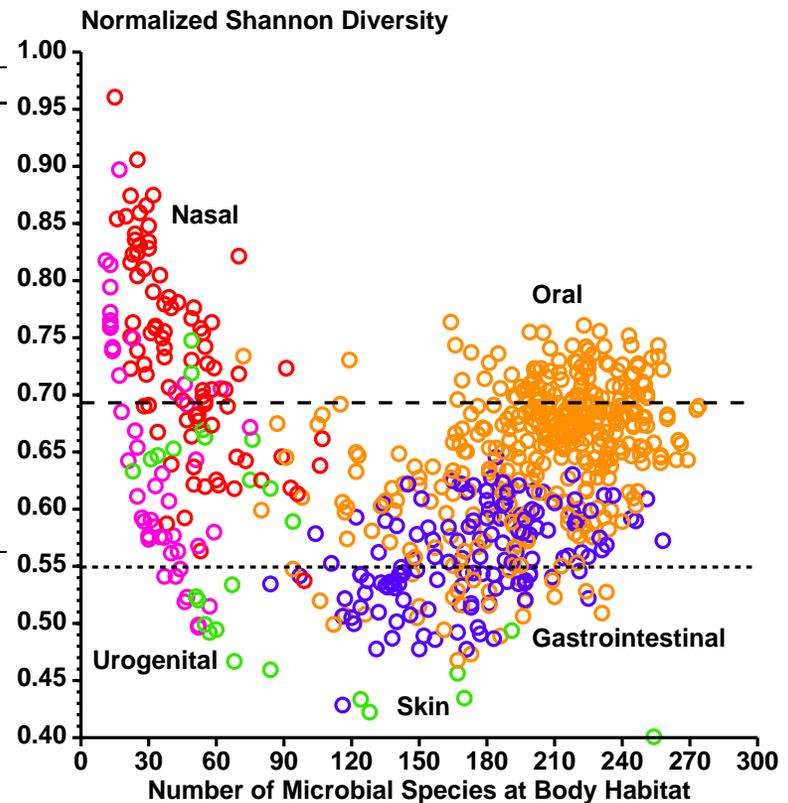
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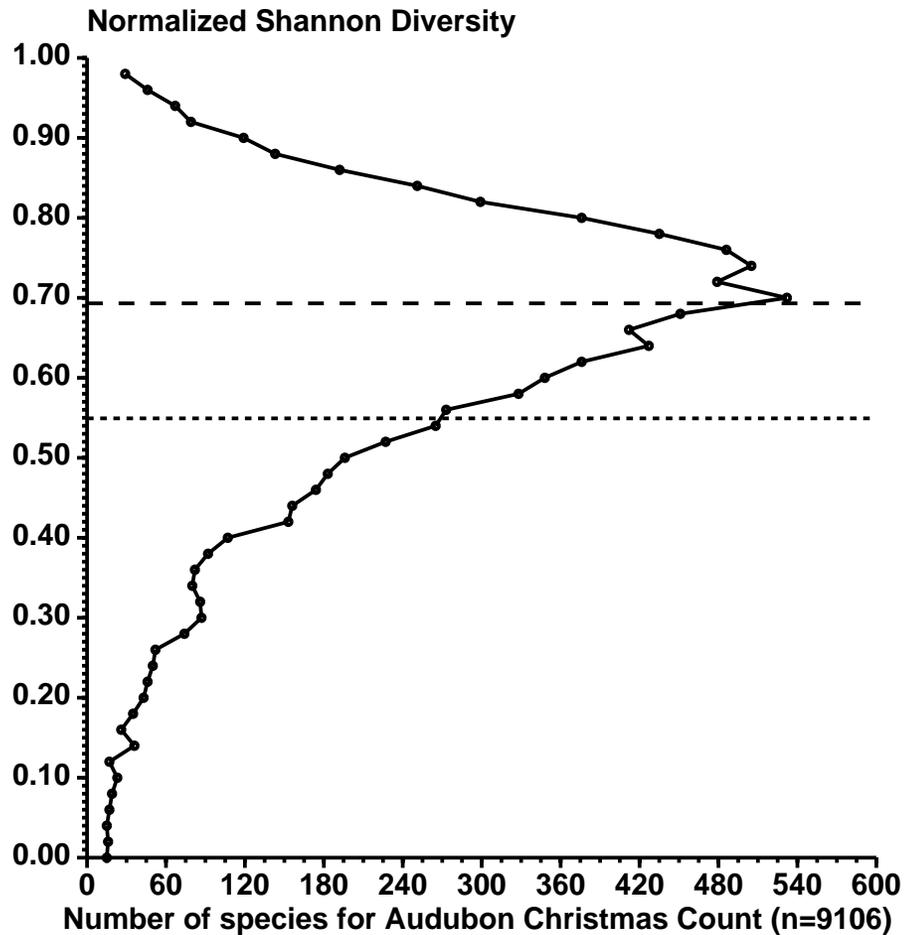
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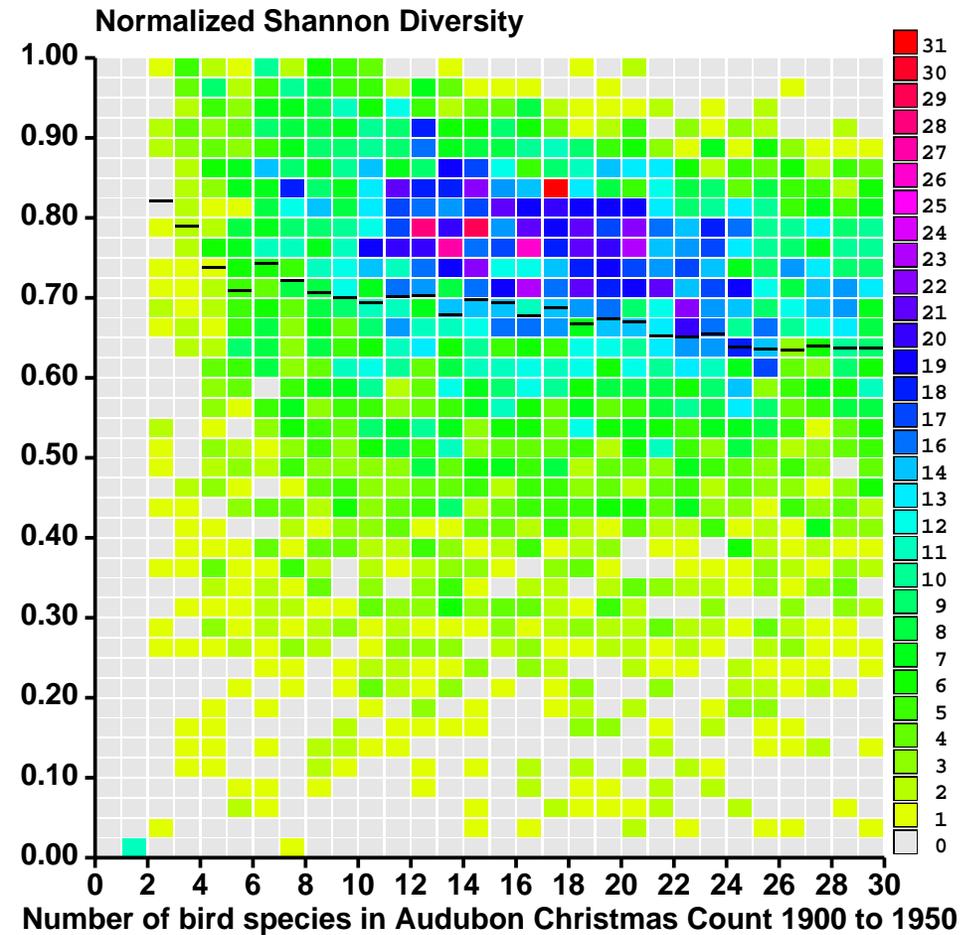
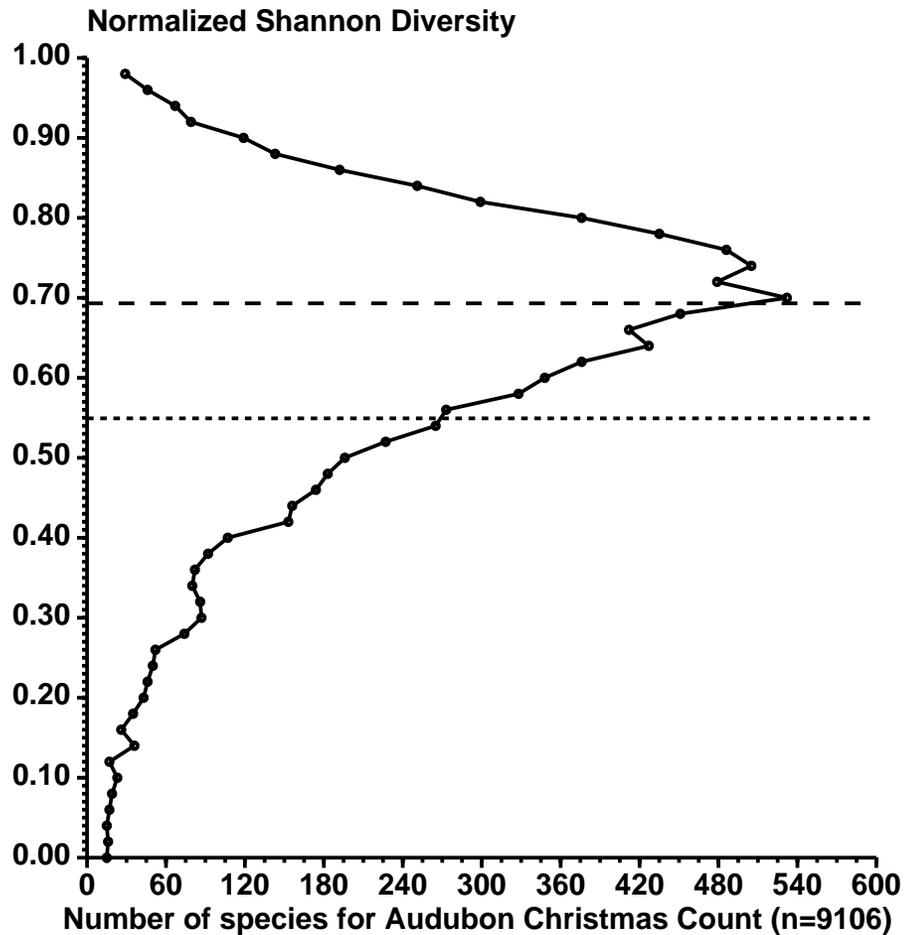
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gastrointestinal	0.56 ± 0.04	continuous flow

Birds from Audubon Christmas Bird Count



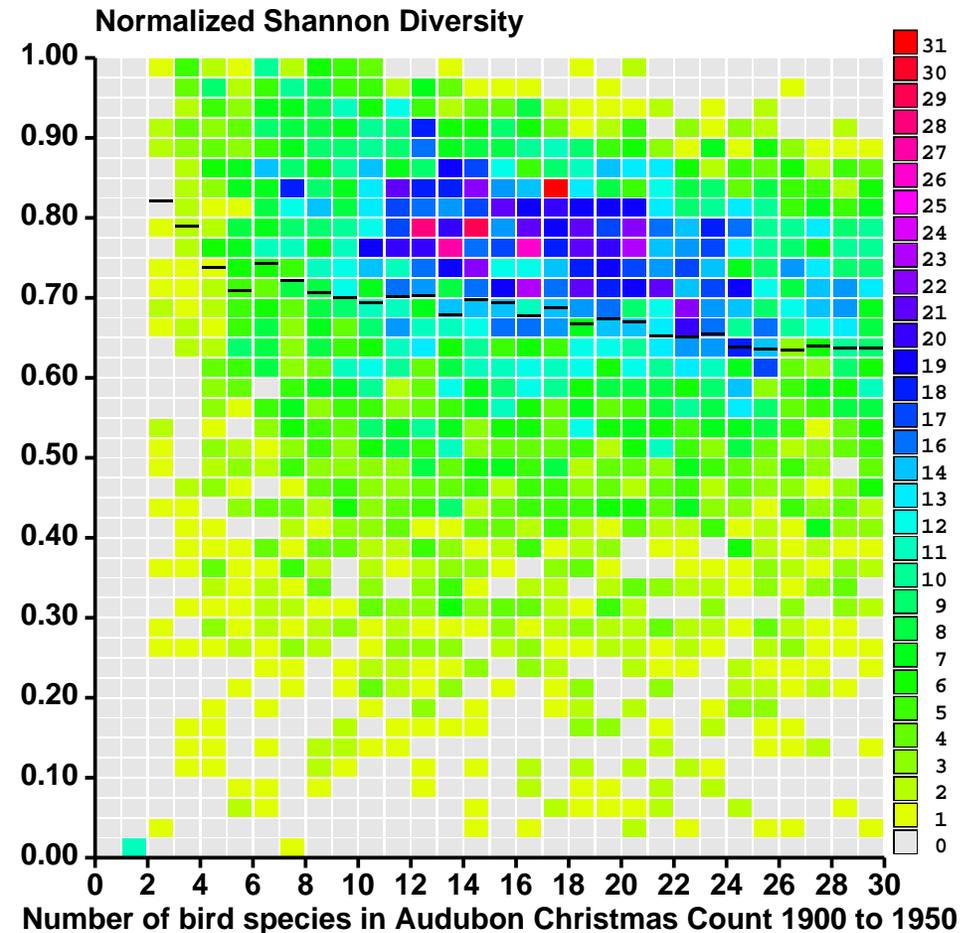
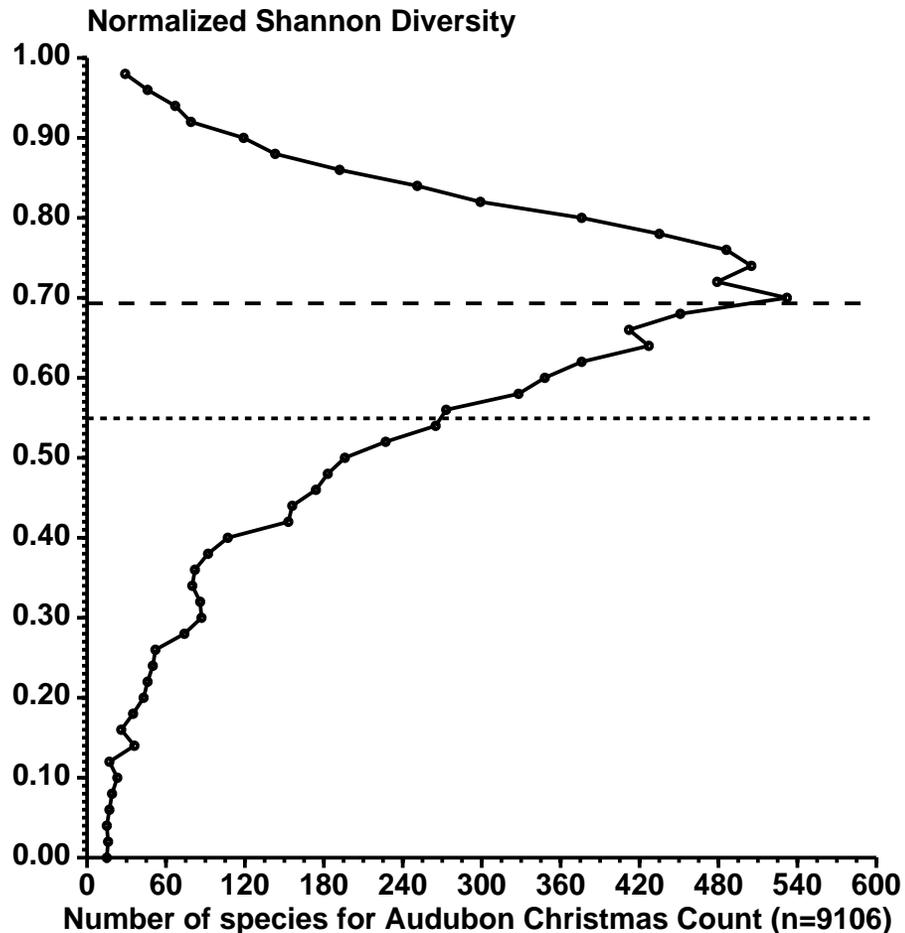
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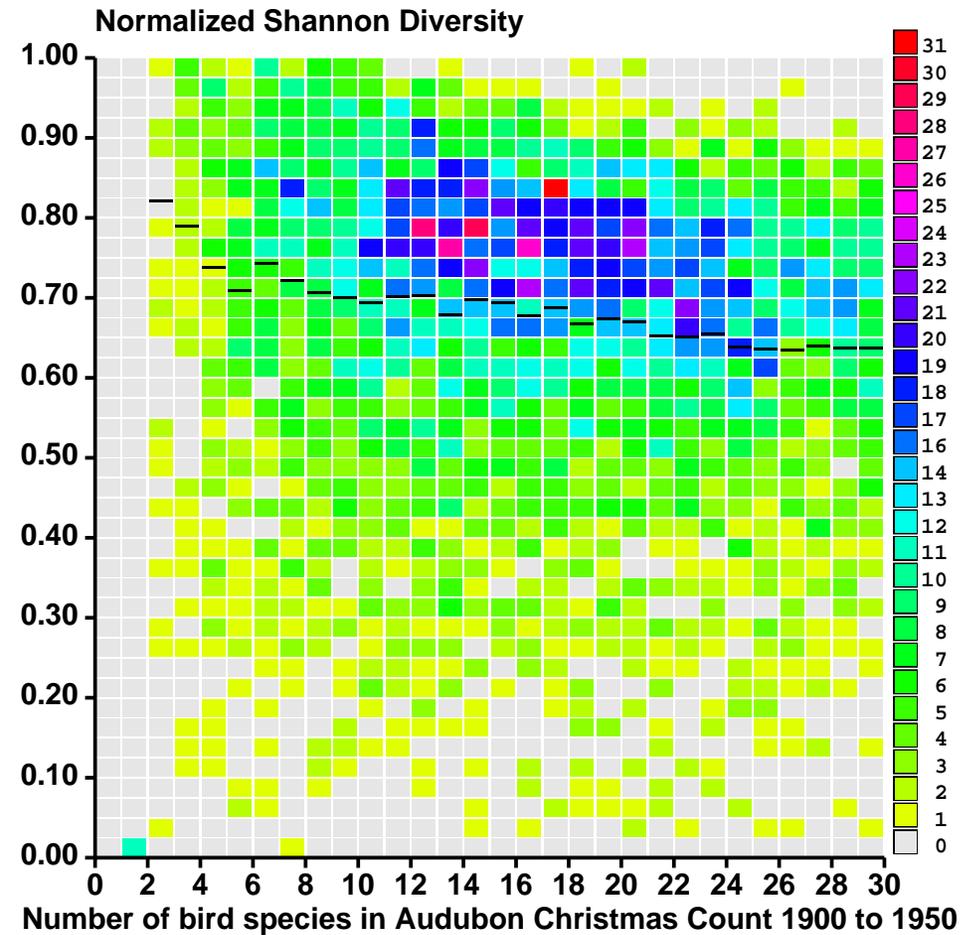
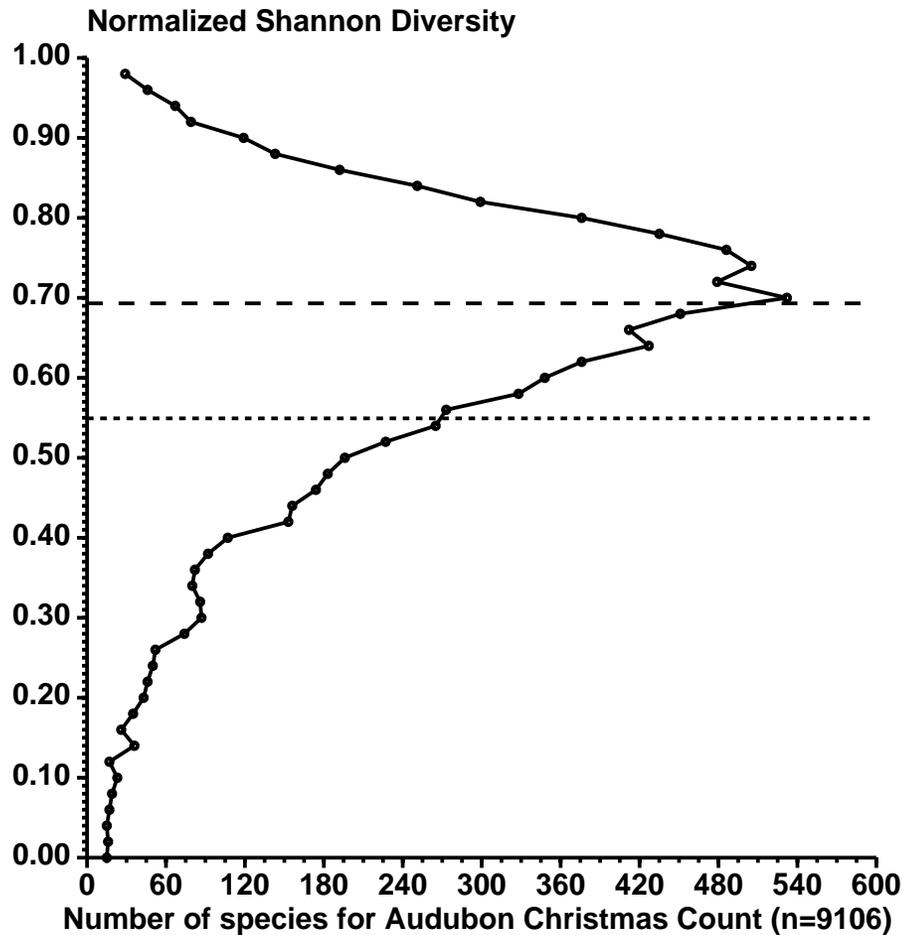
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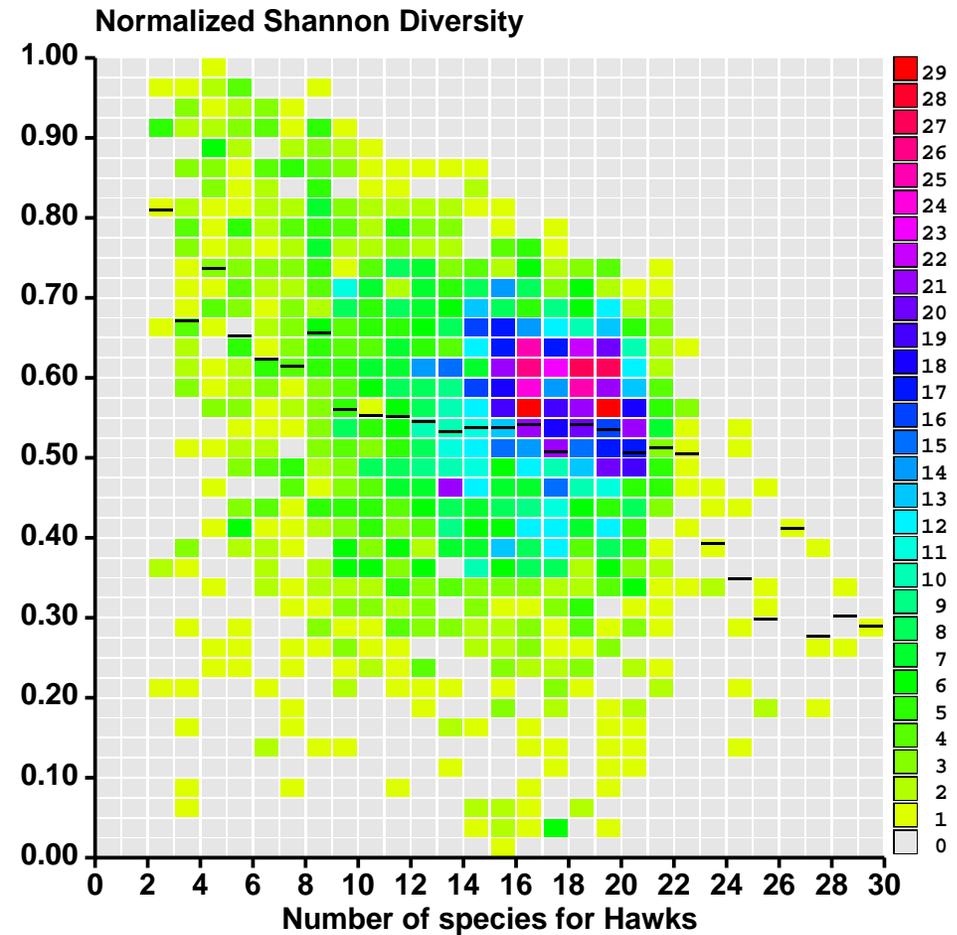
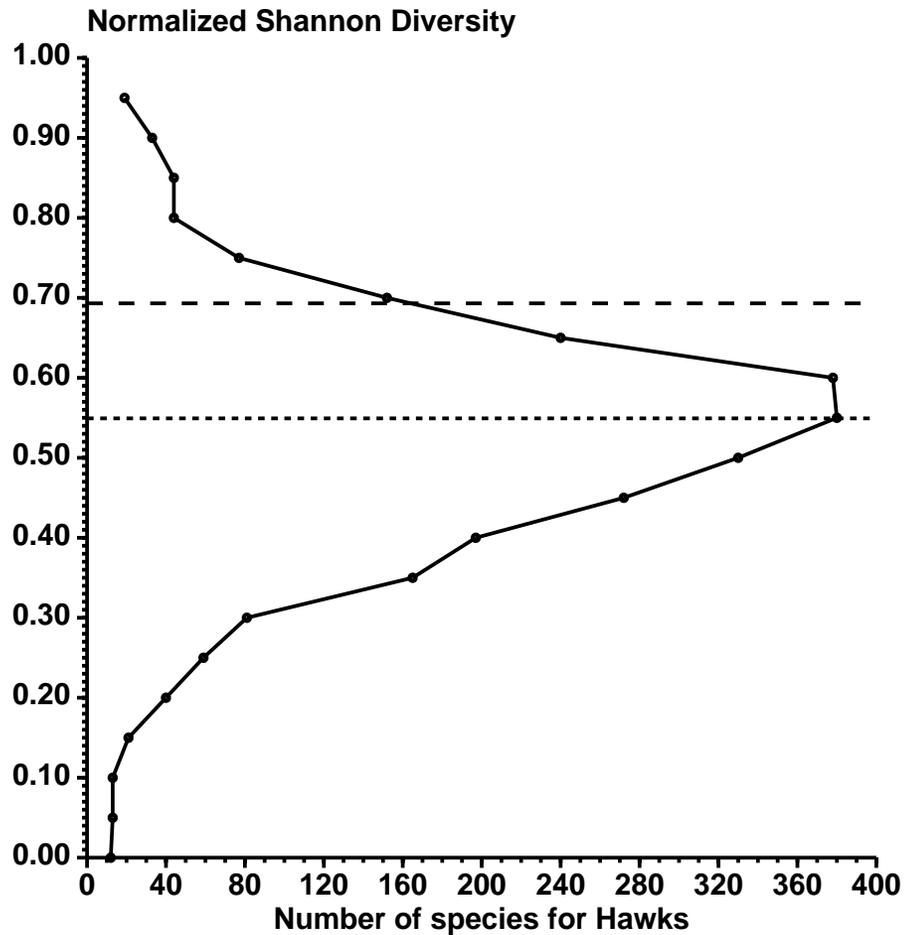
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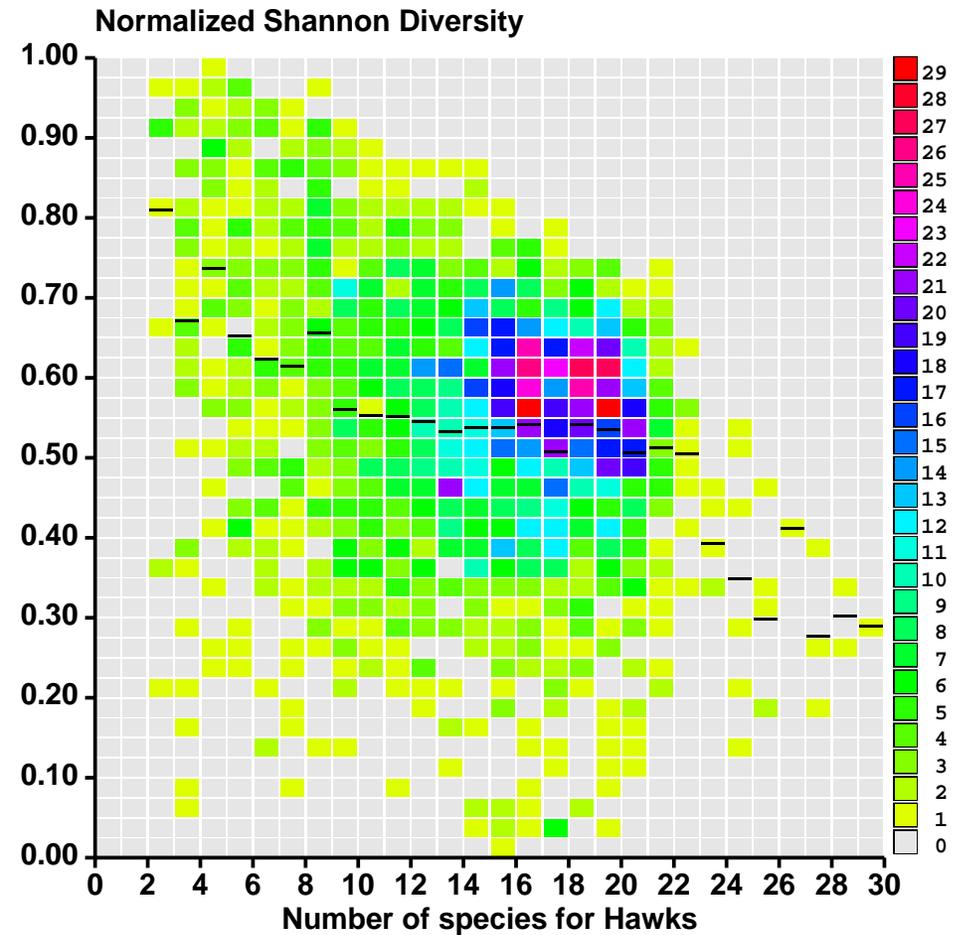
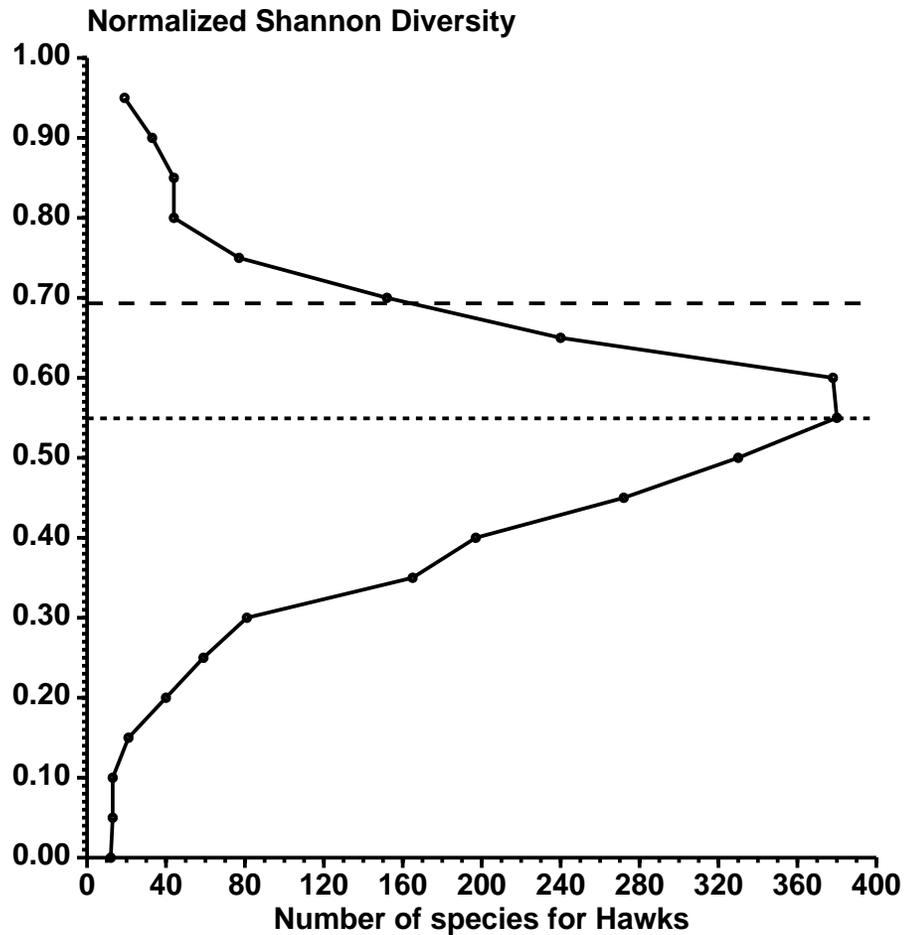
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Hawks



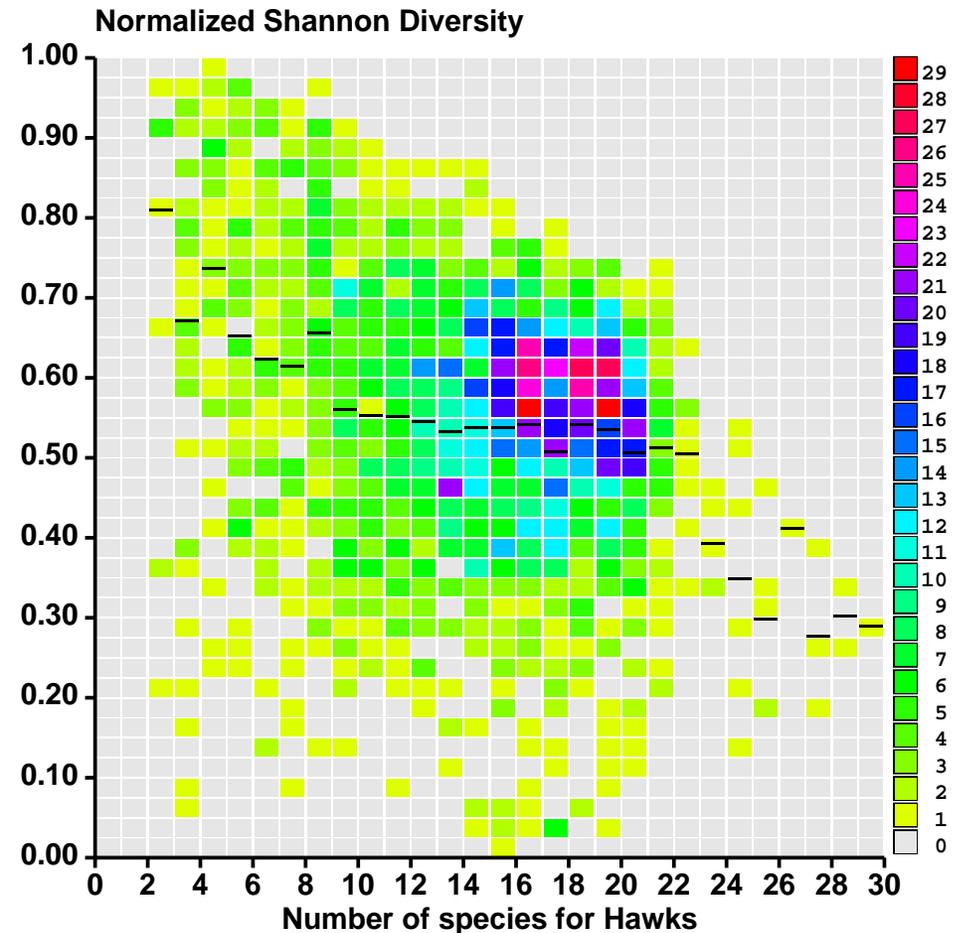
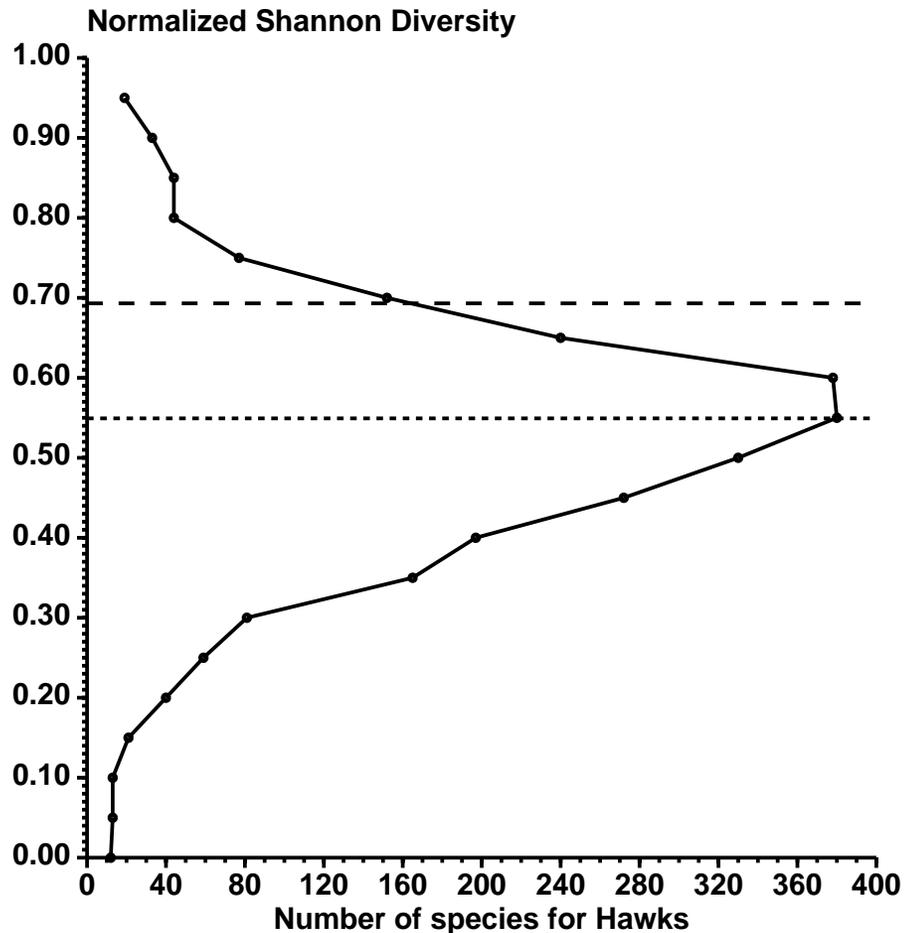
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Hawks



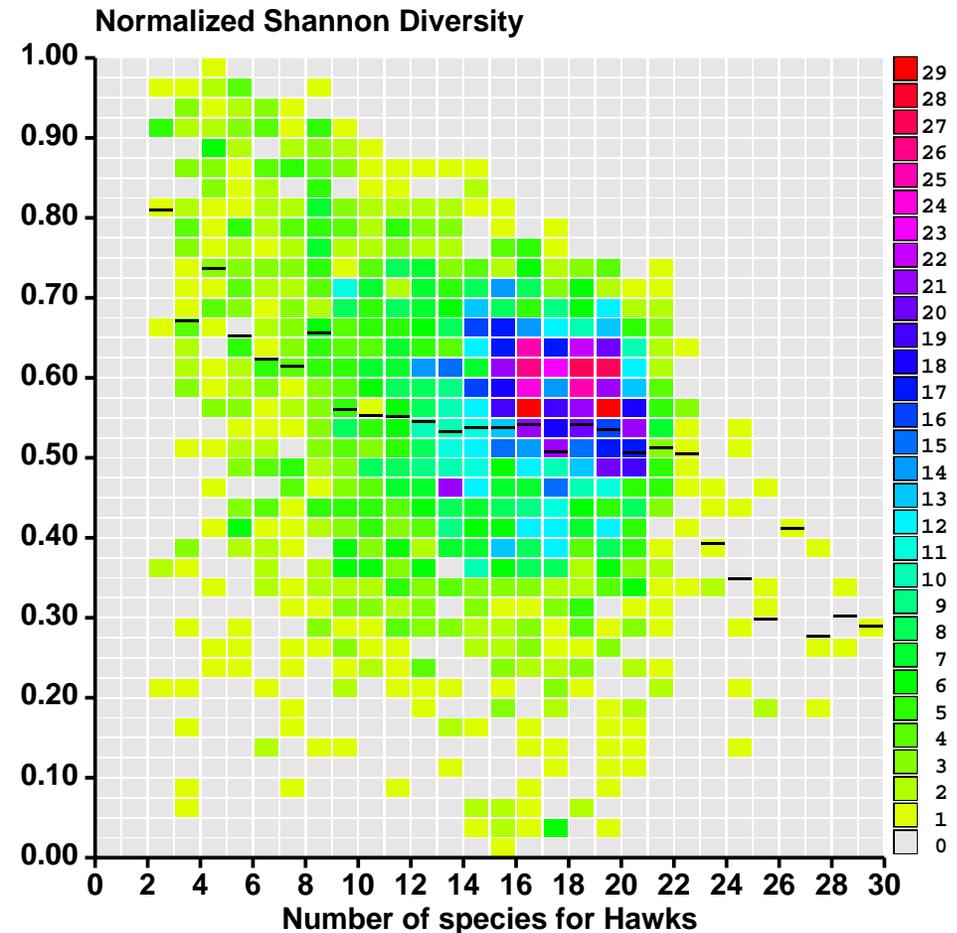
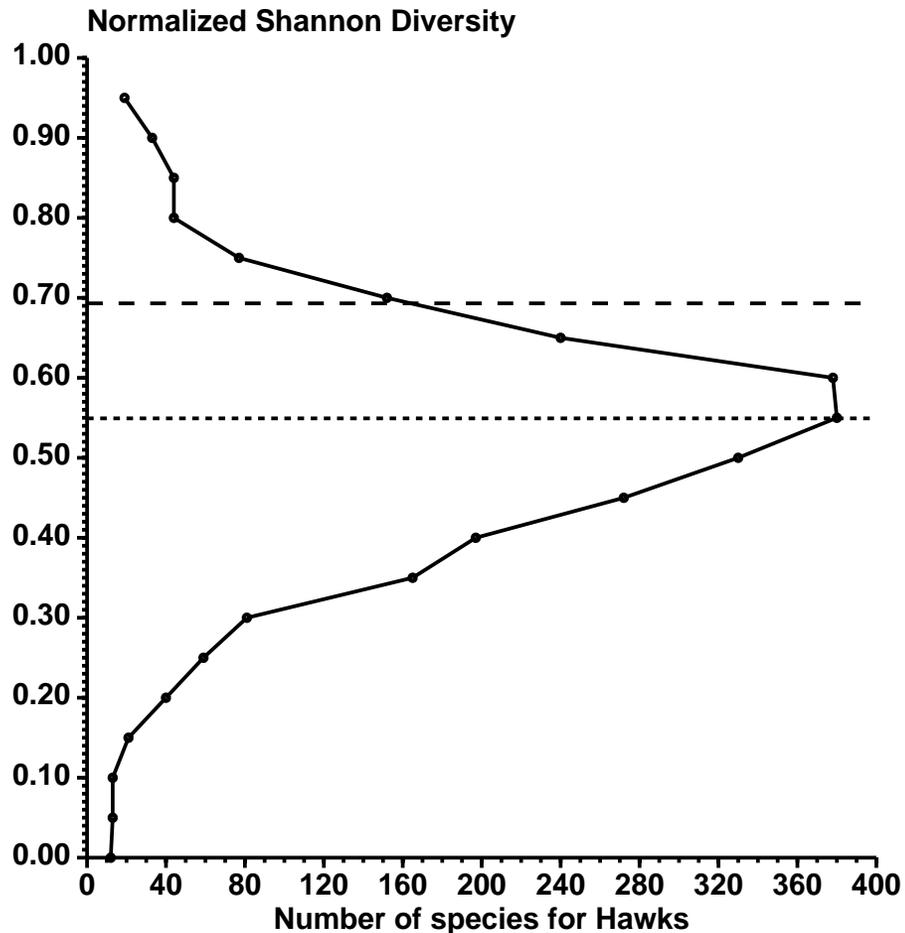
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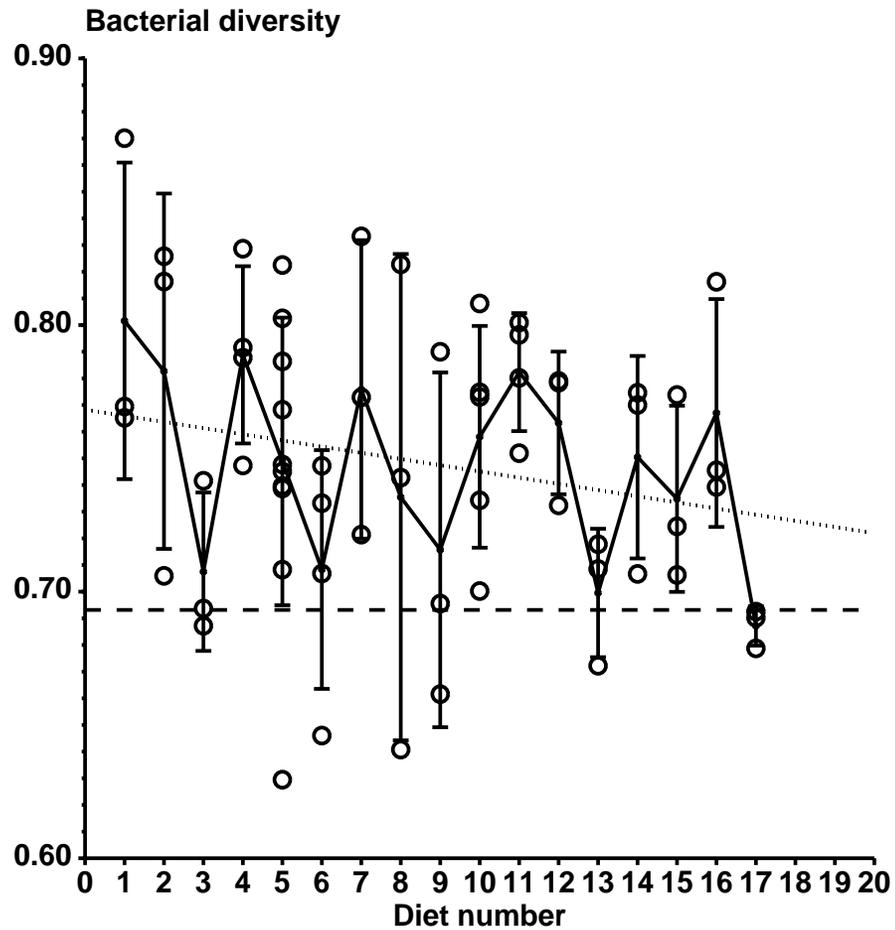
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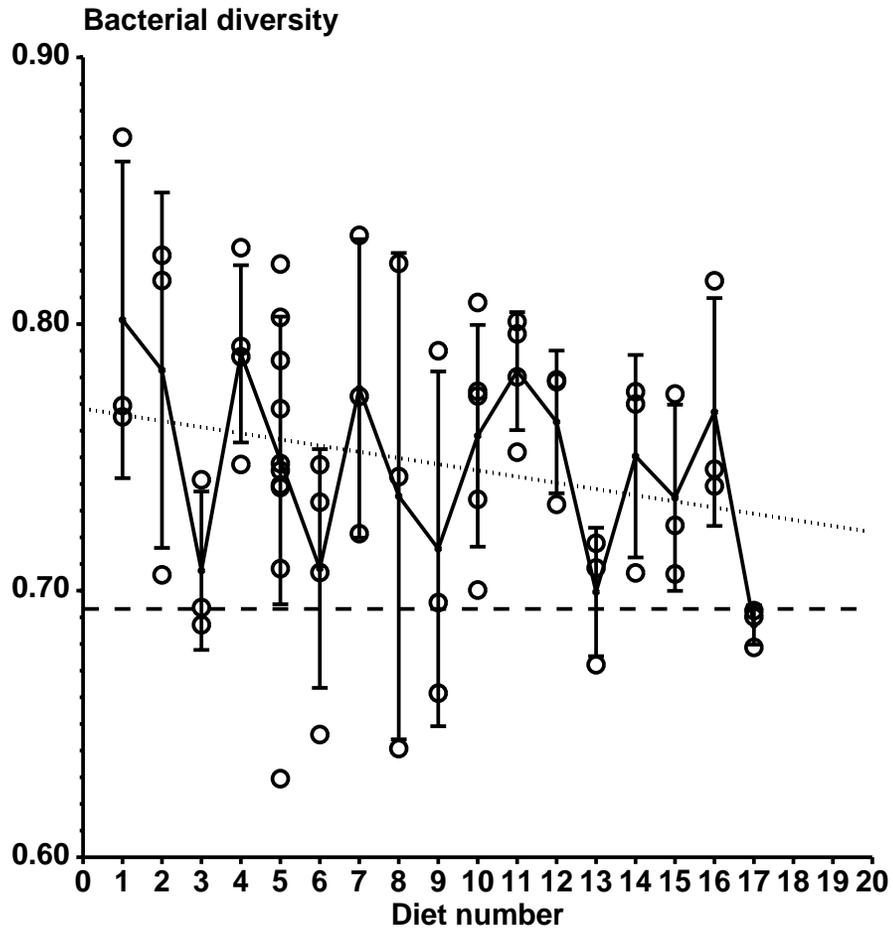
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- **Hypotheses 2**: hawks are only part of the ecosystem, spheres are separated.

Human gut microbiota gavaged into mice



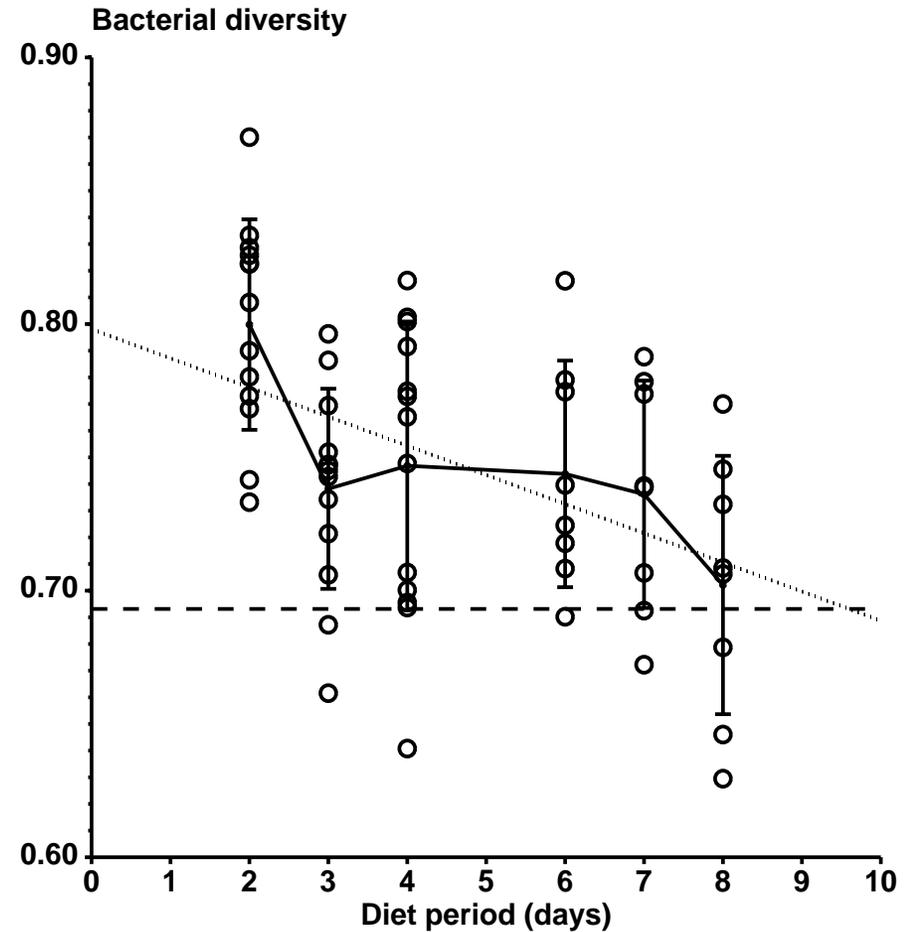
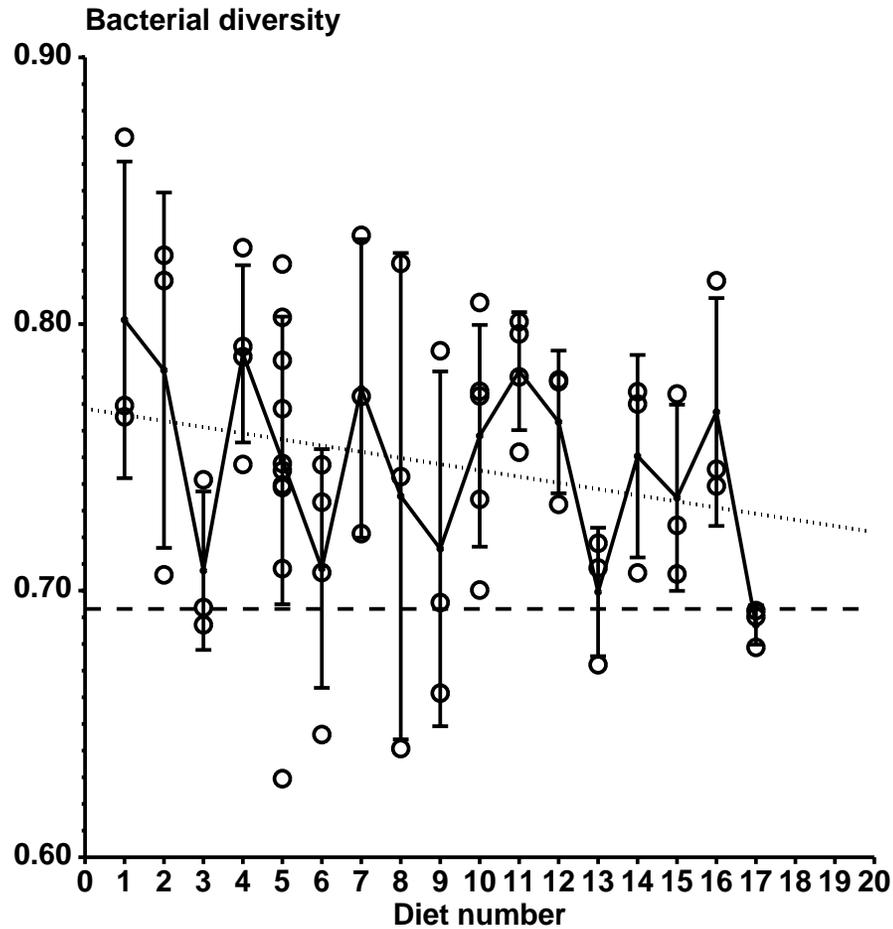
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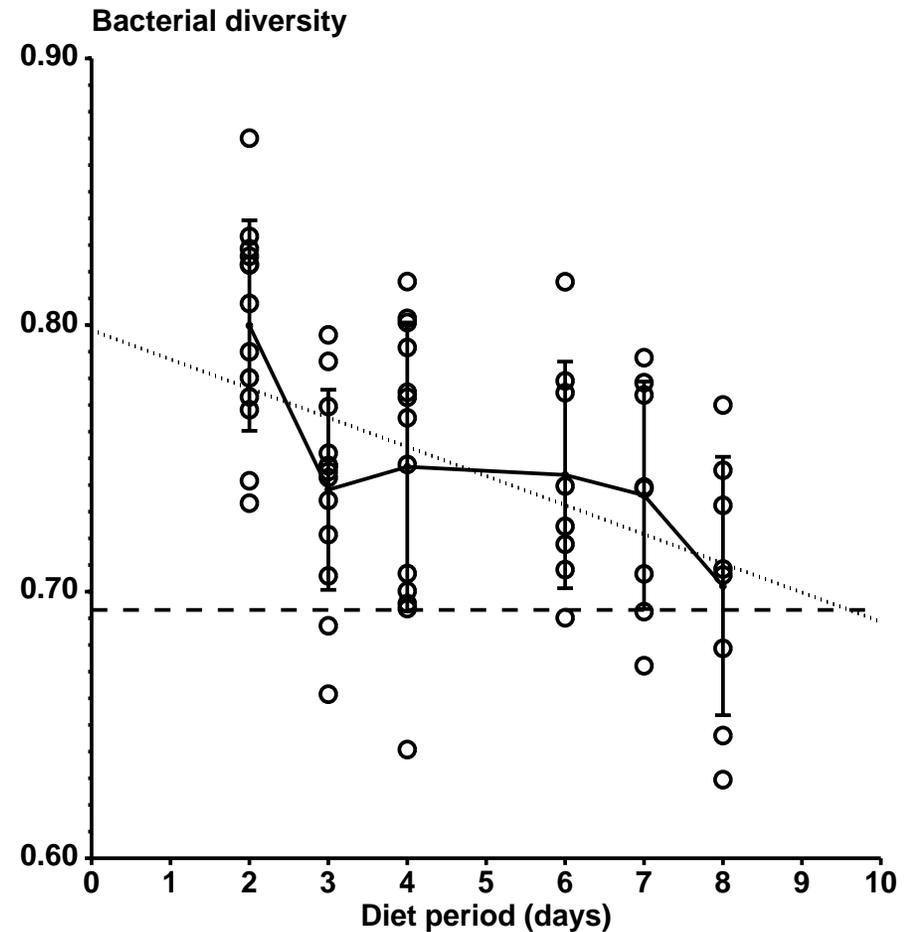
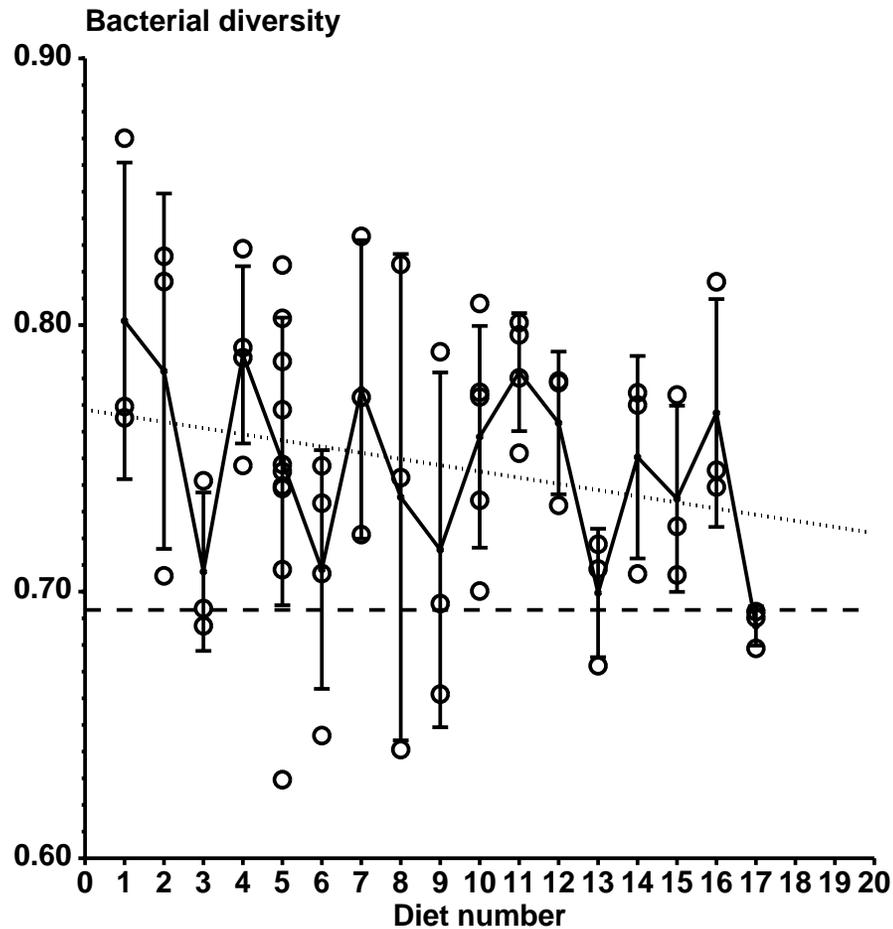
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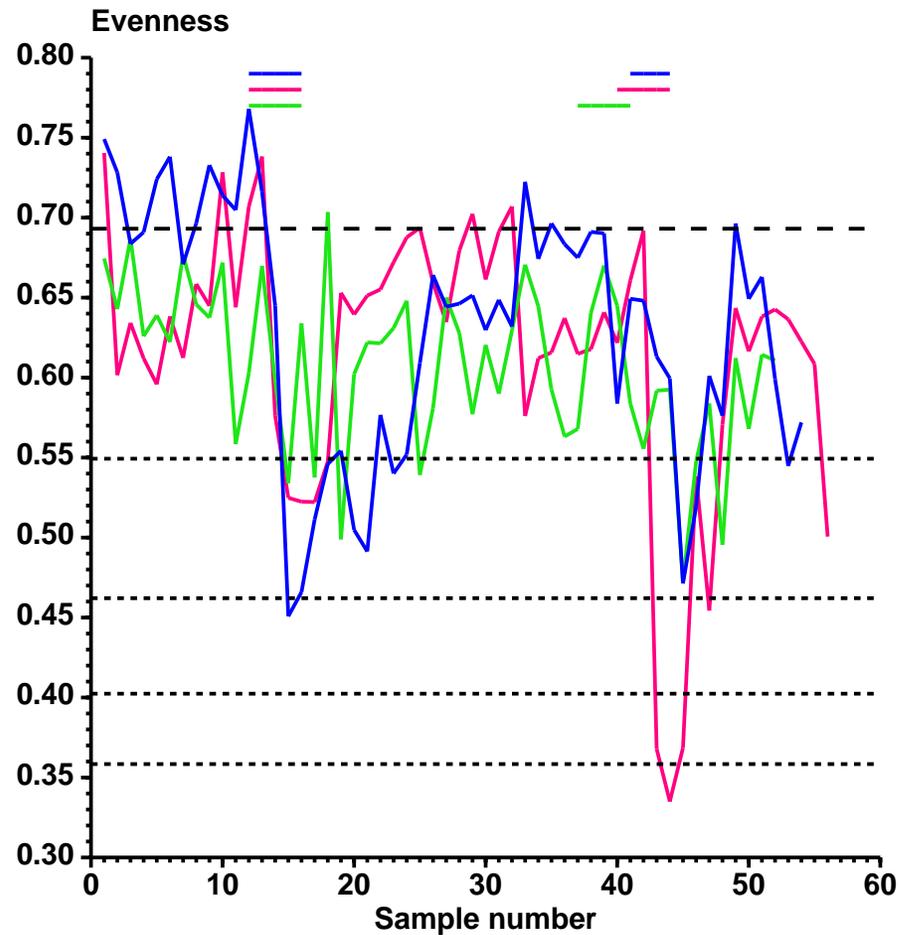
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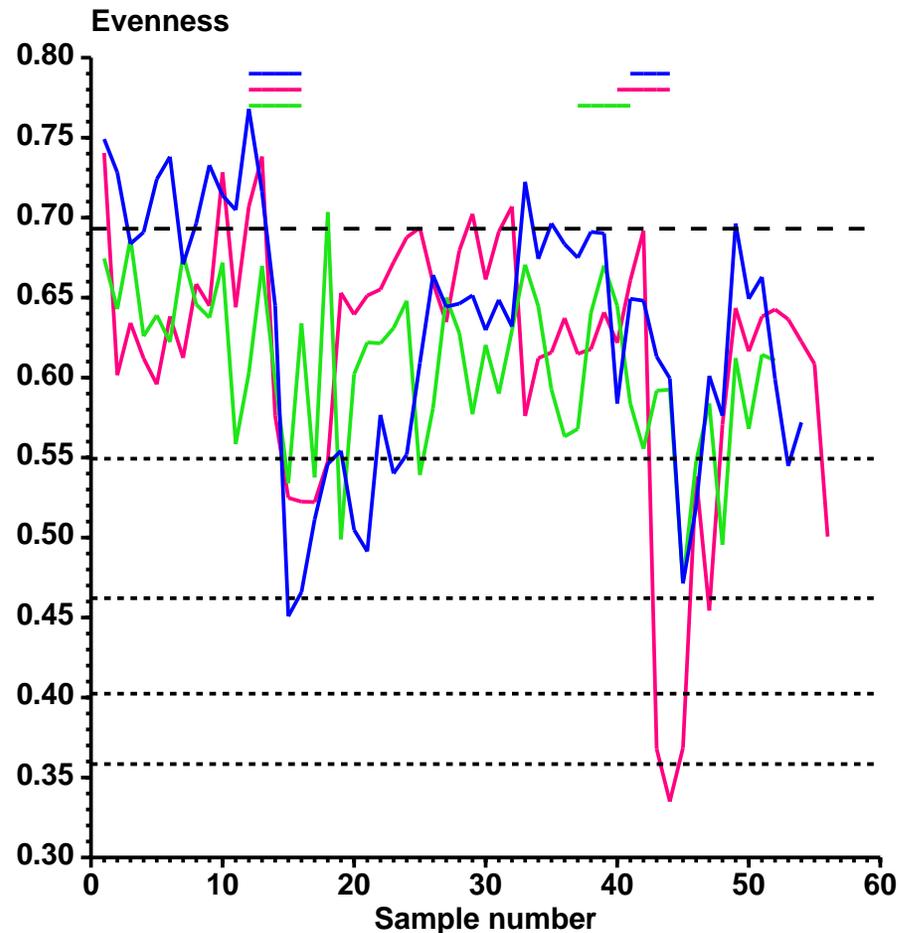
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- Populations converge from an evenness of 0.80 ± 0.04 on day 2 to an evenness of 0.70 ± 0.05 on day 8.

Effect of ciprofloxacin on human gut microbiota diversity



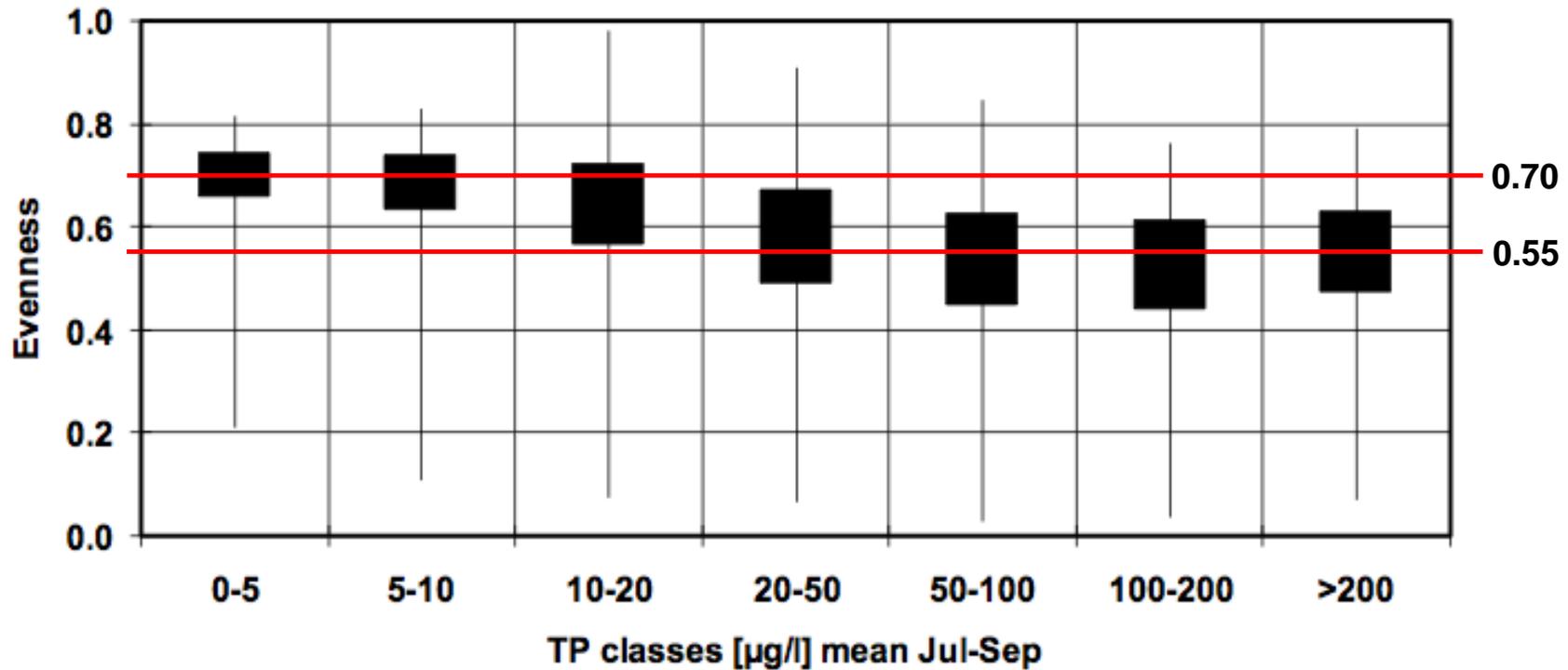
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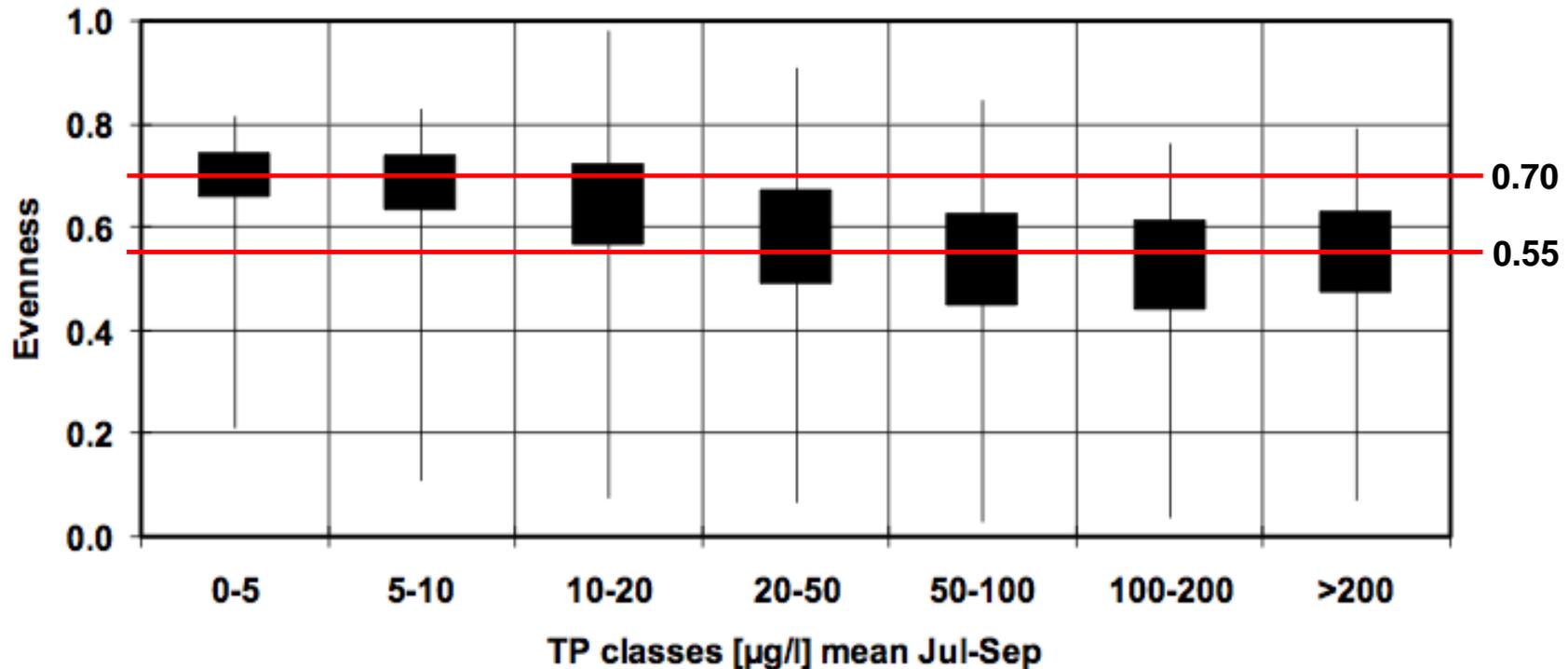
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Phytoplankton Responding to Phosphate



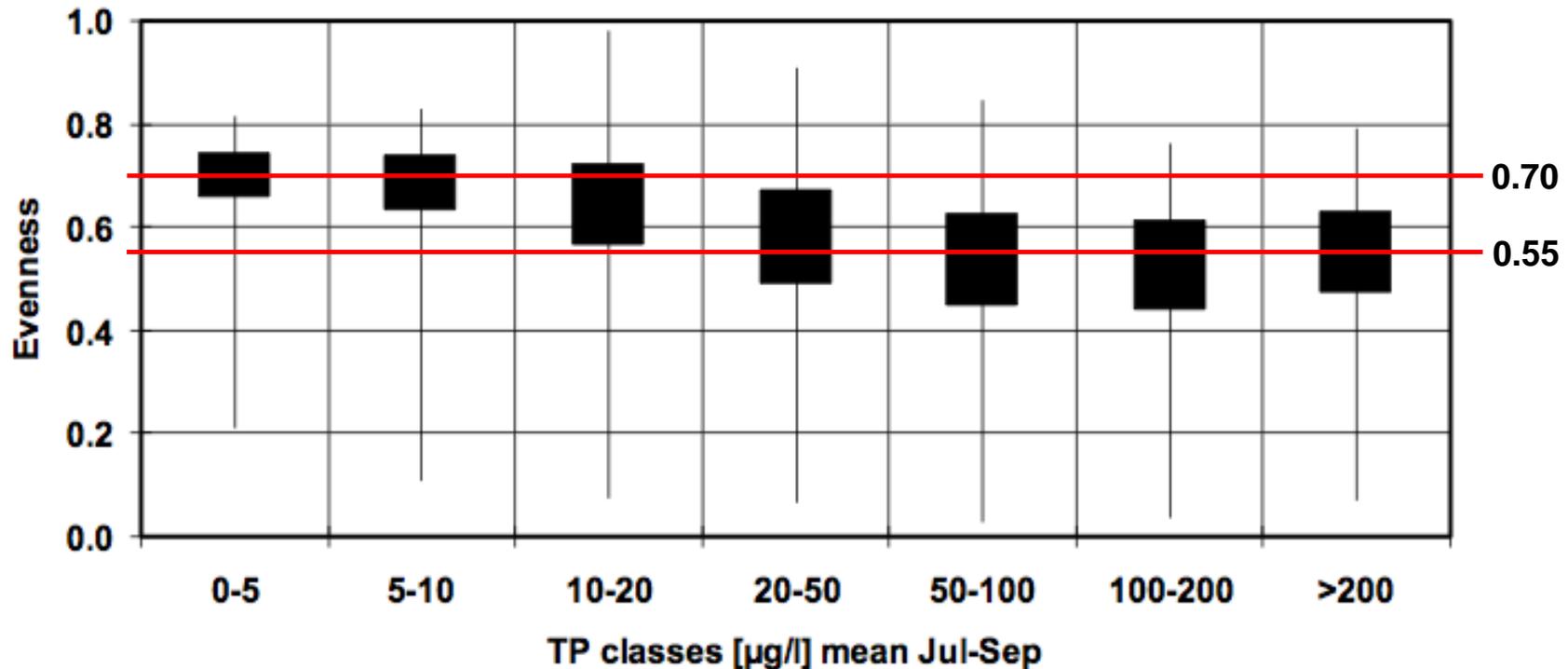
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Phytoplankton Responding to Phosphate



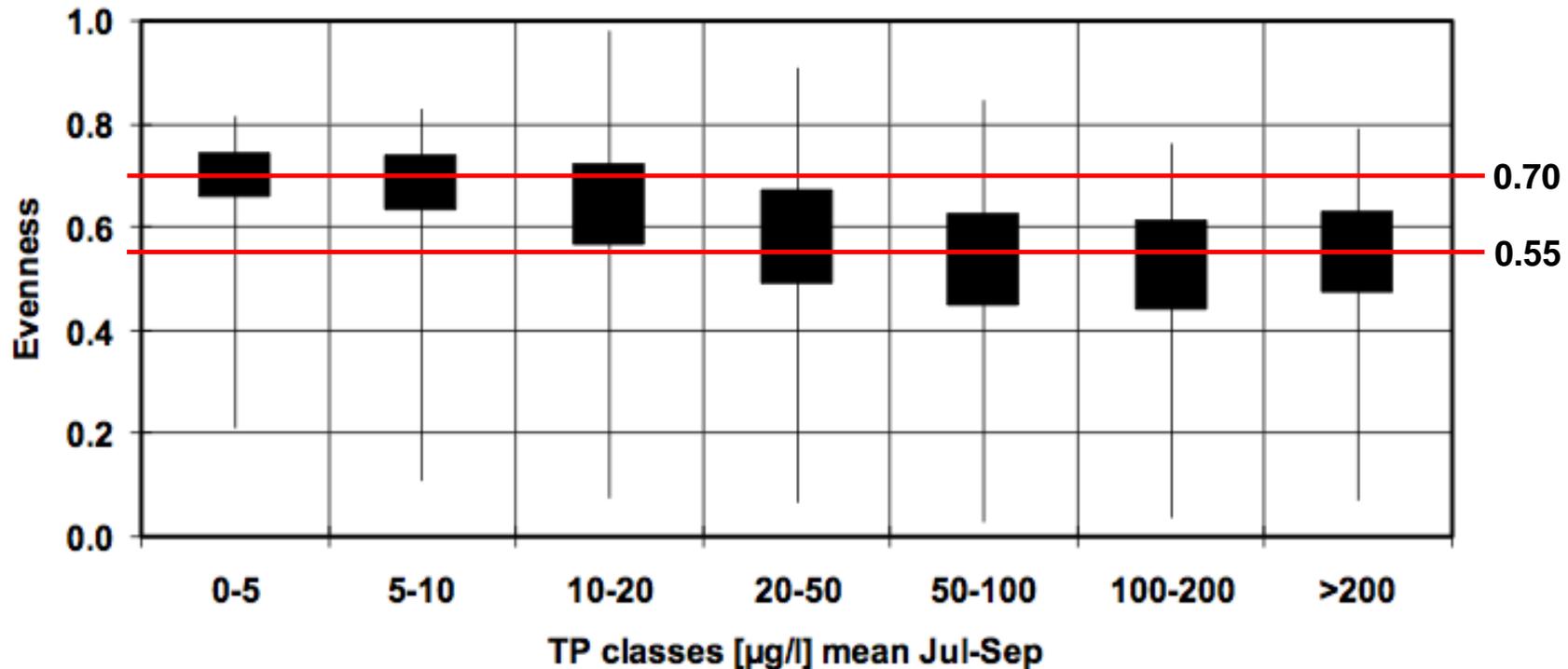
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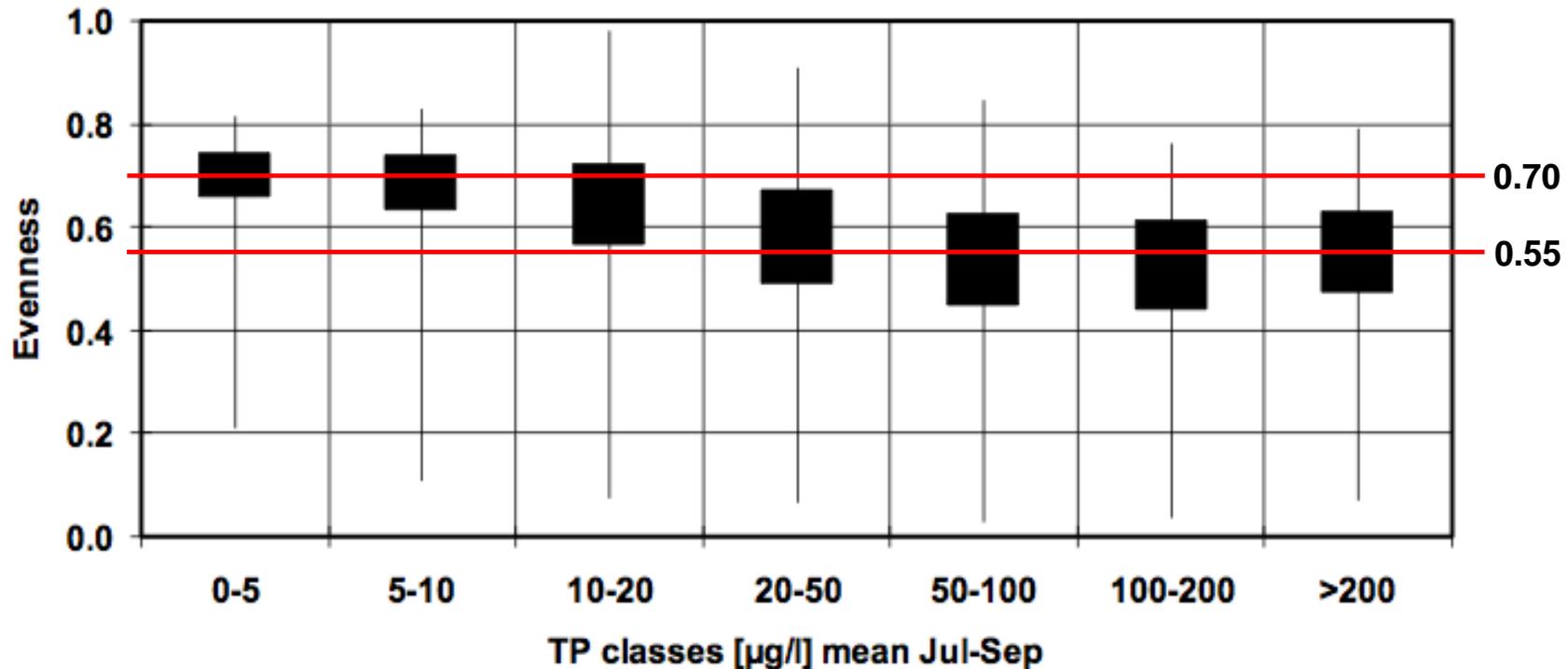
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Phytoplankton Responding to Phosphate

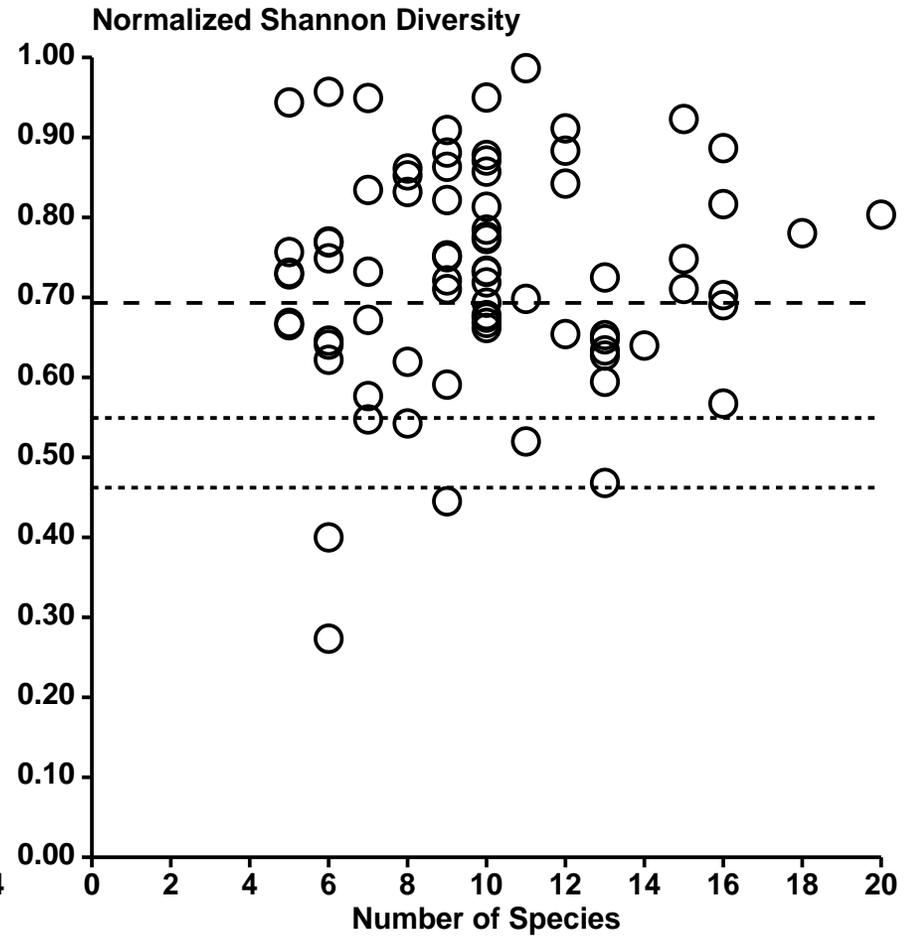
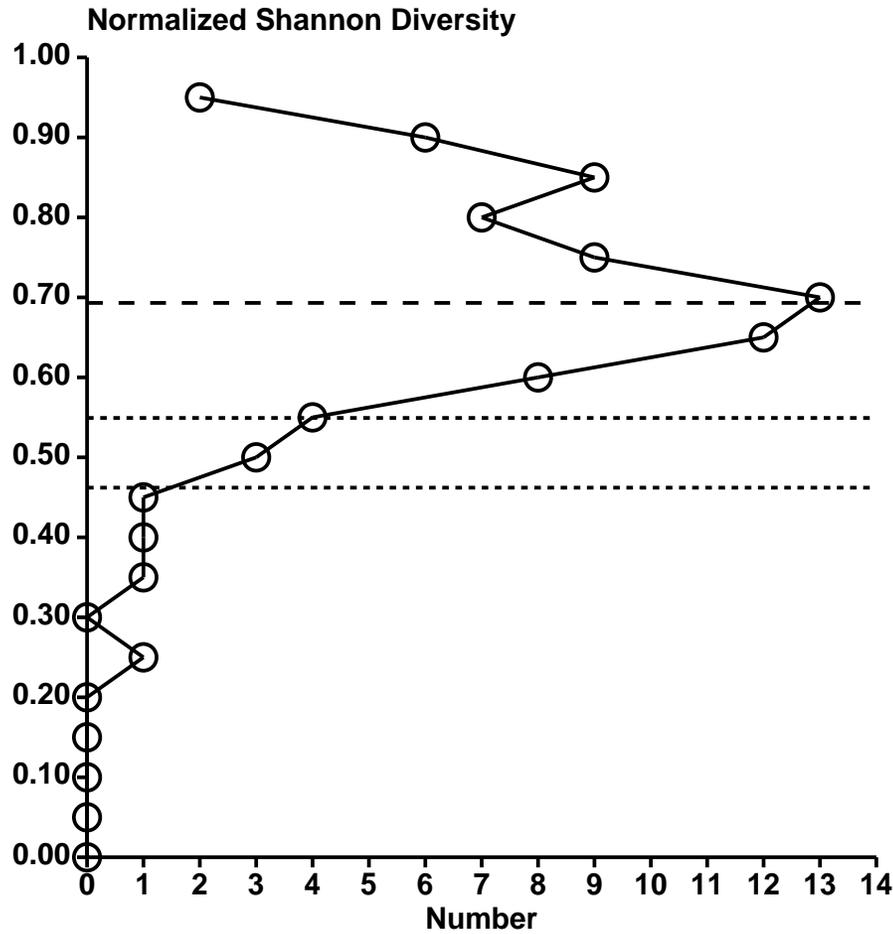


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- A healthy lake becomes Class 2 during the phytoplankton bloom.



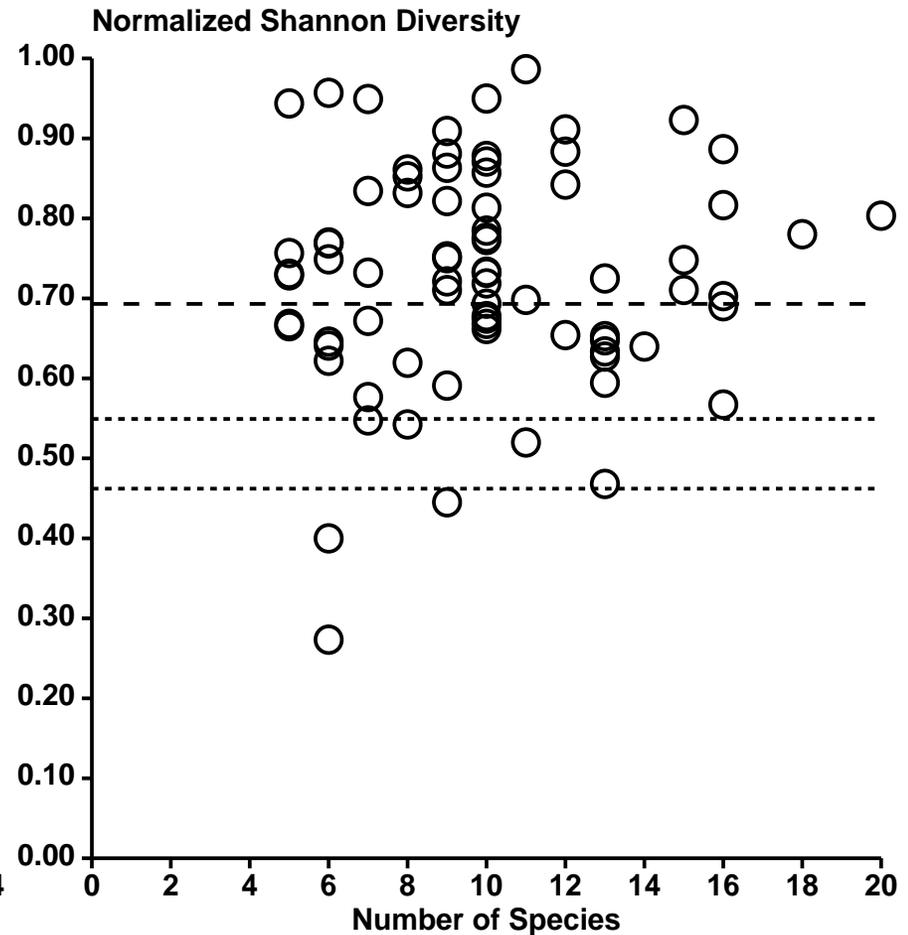
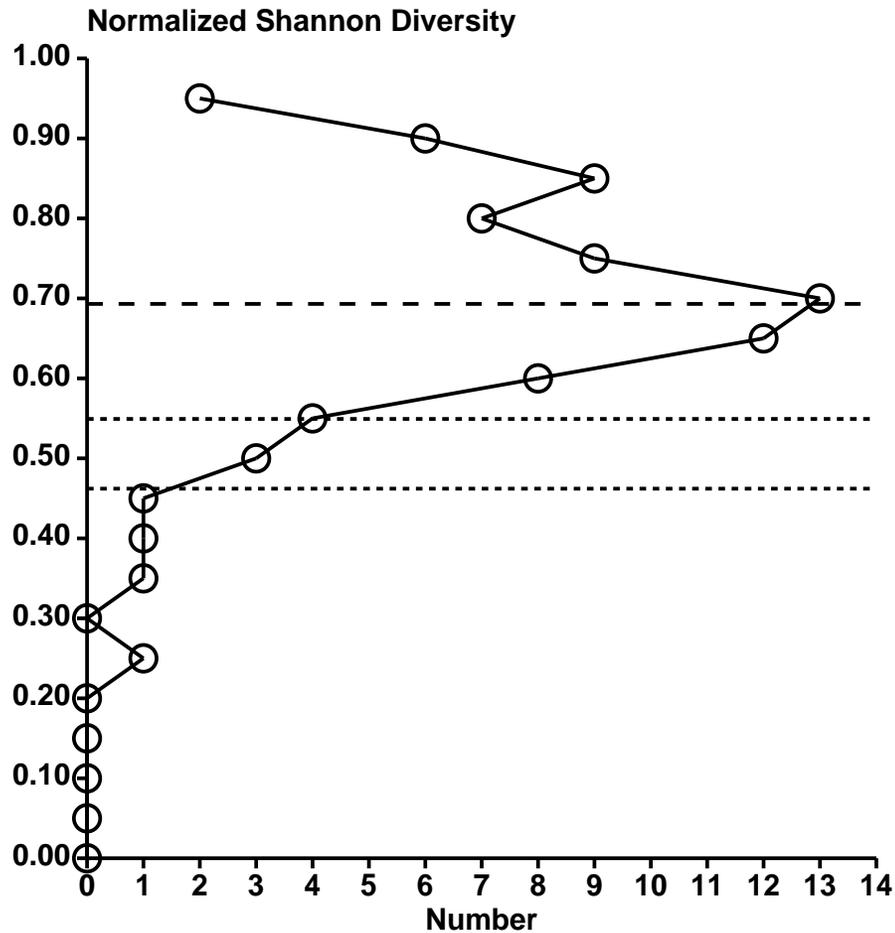
<http://en.wikipedia.org/wiki/File:TARDIS2.jpg>

Pennsylvanian Community, 320 to 300 Ma



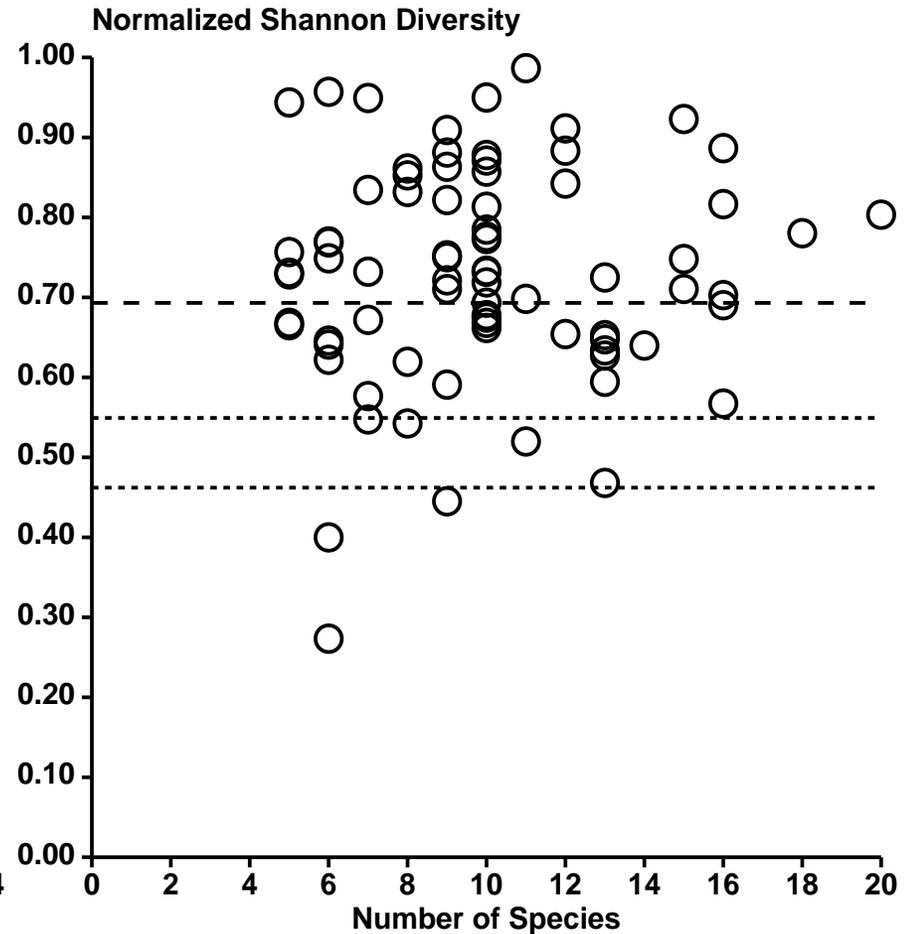
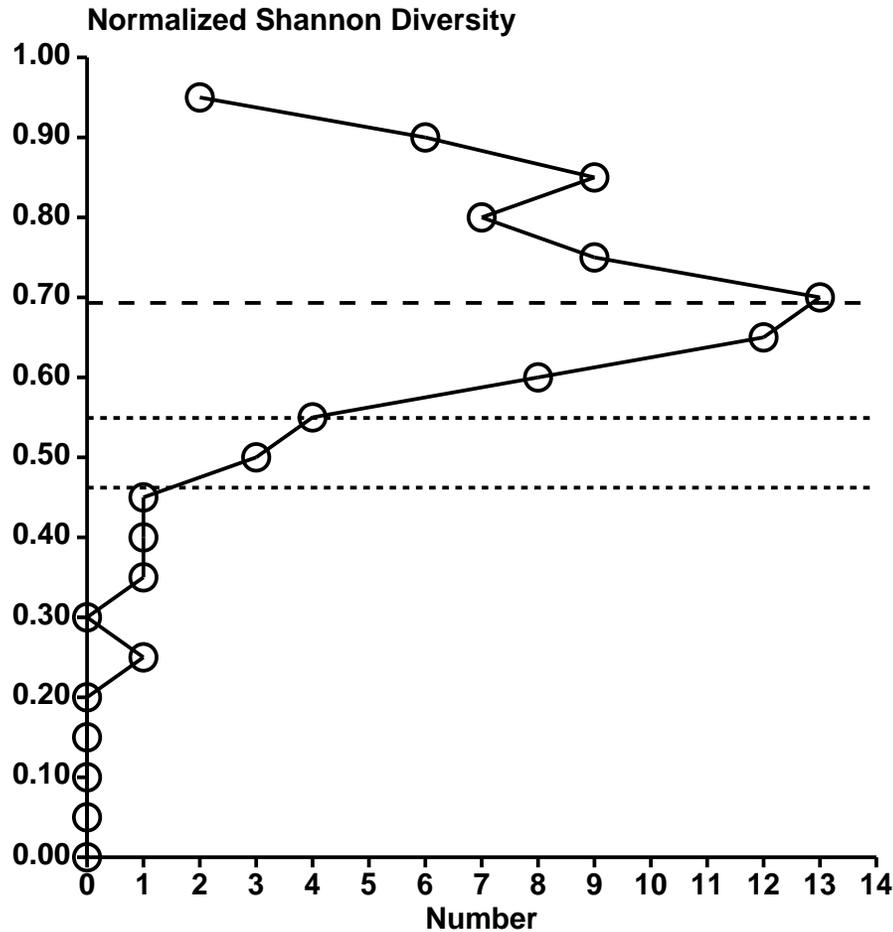
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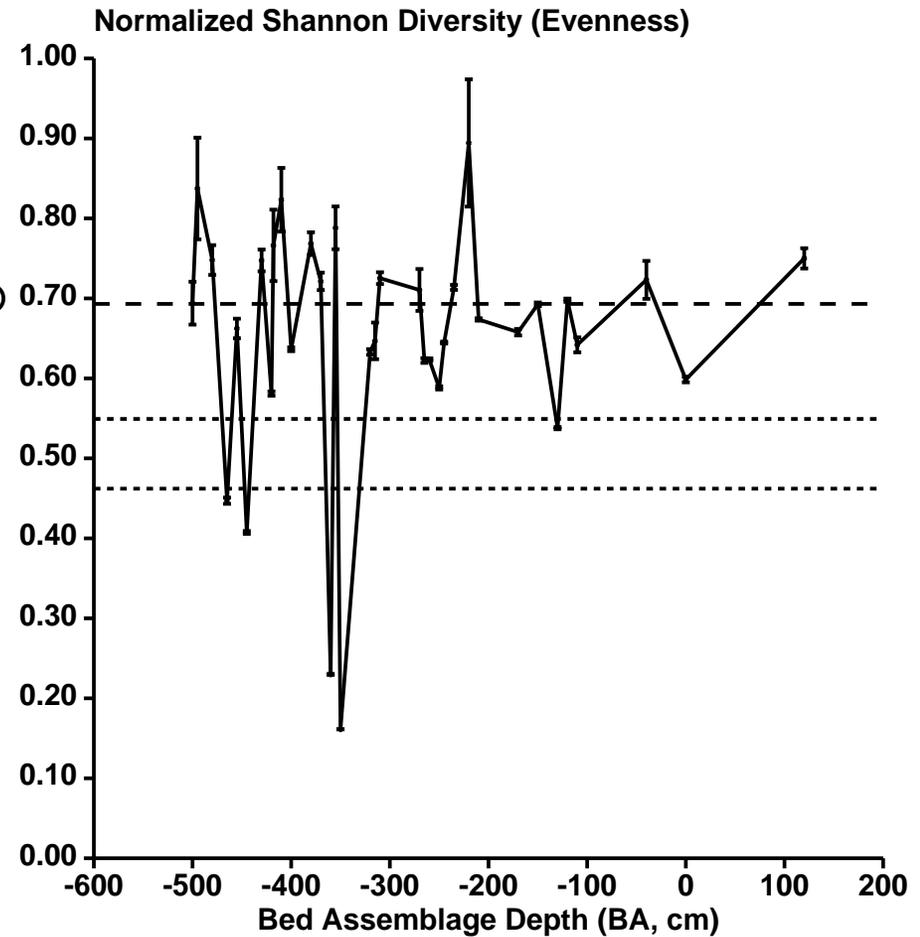
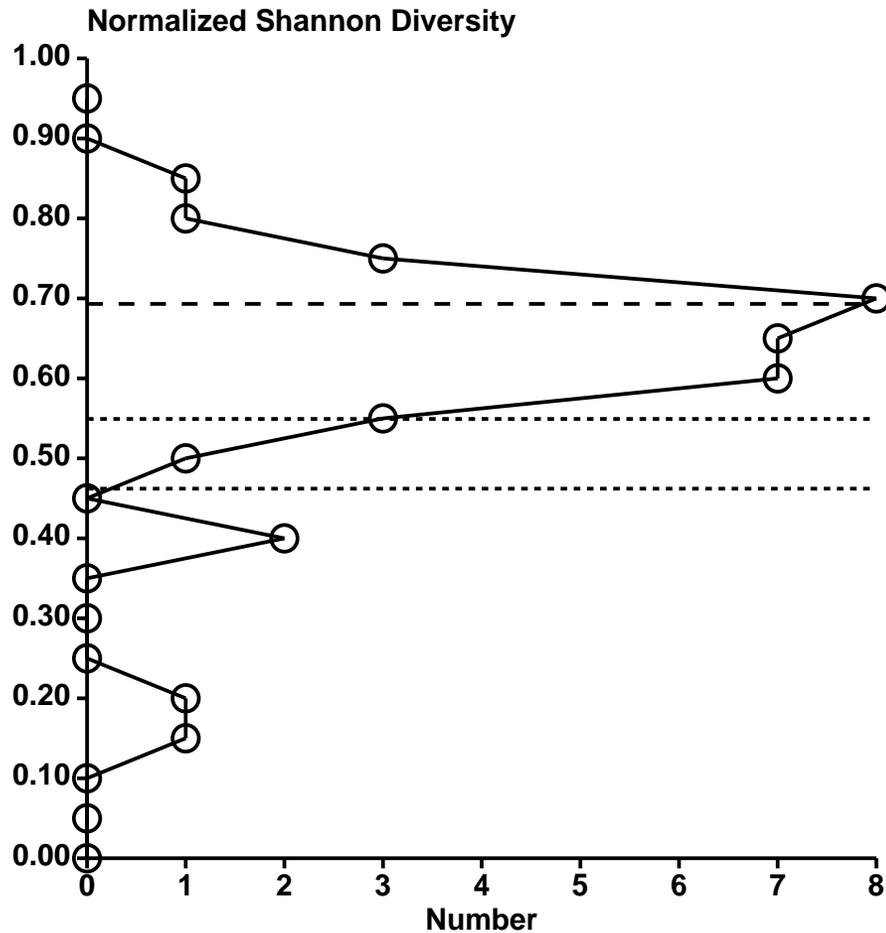
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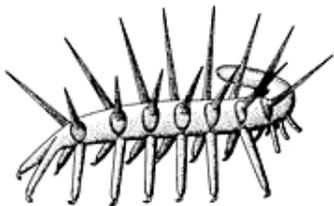


- Productids, echinoids, bryozoans, crinoids, corals and brachiopods
- evenness of 0.73 ± 0.14
- Ancient stable healthy Class 1 ecosystems!

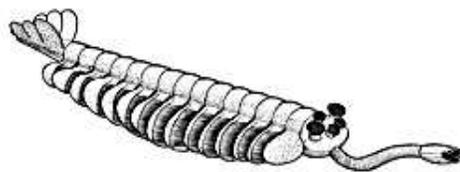
Cambrian Burgess Shale Community, 510 to 505 Ma



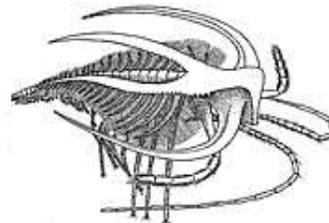
Hallucigenia



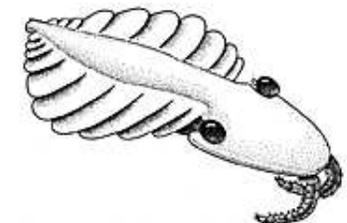
Opabinia



Marrella

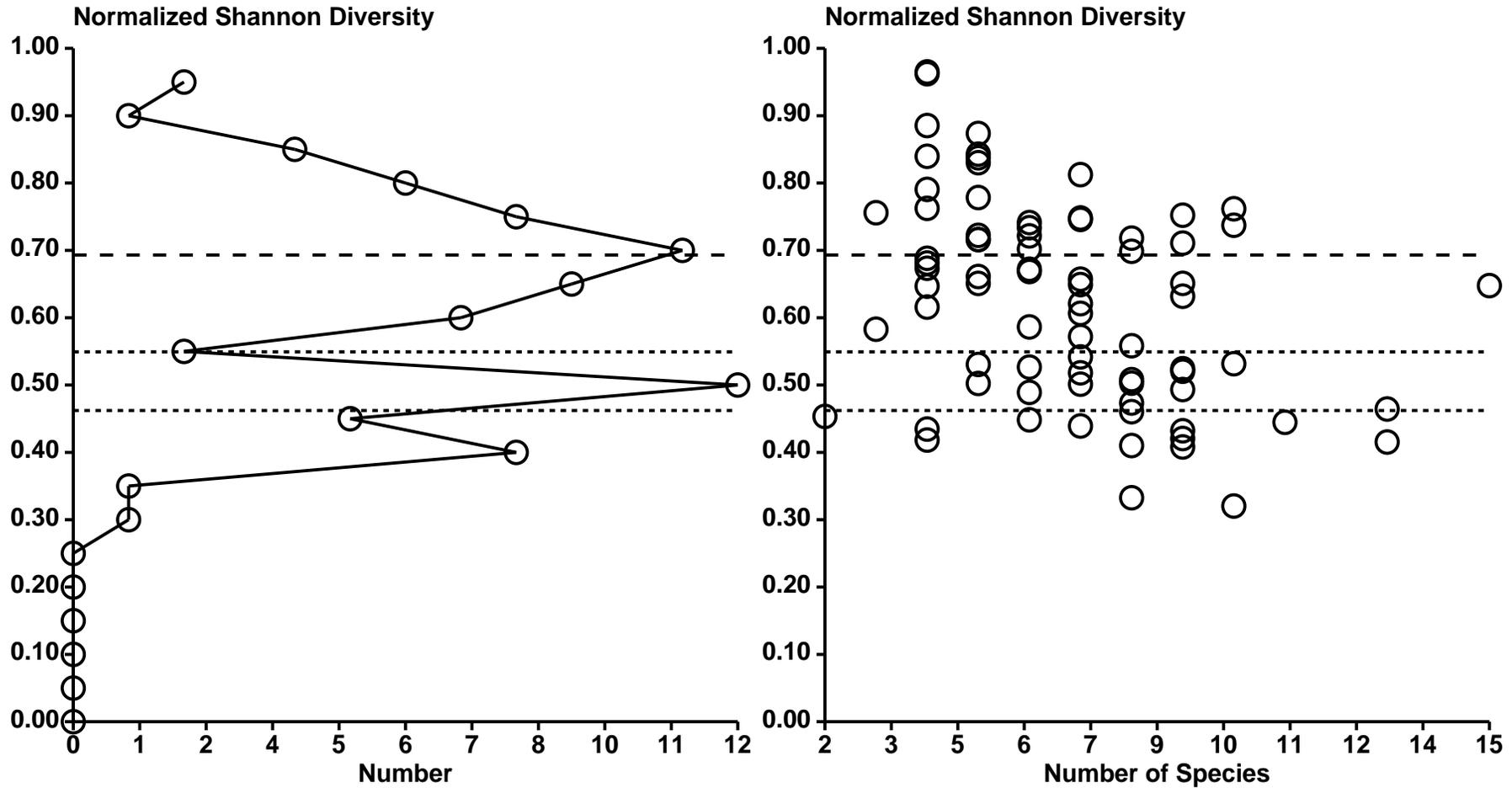


Anomalocaris



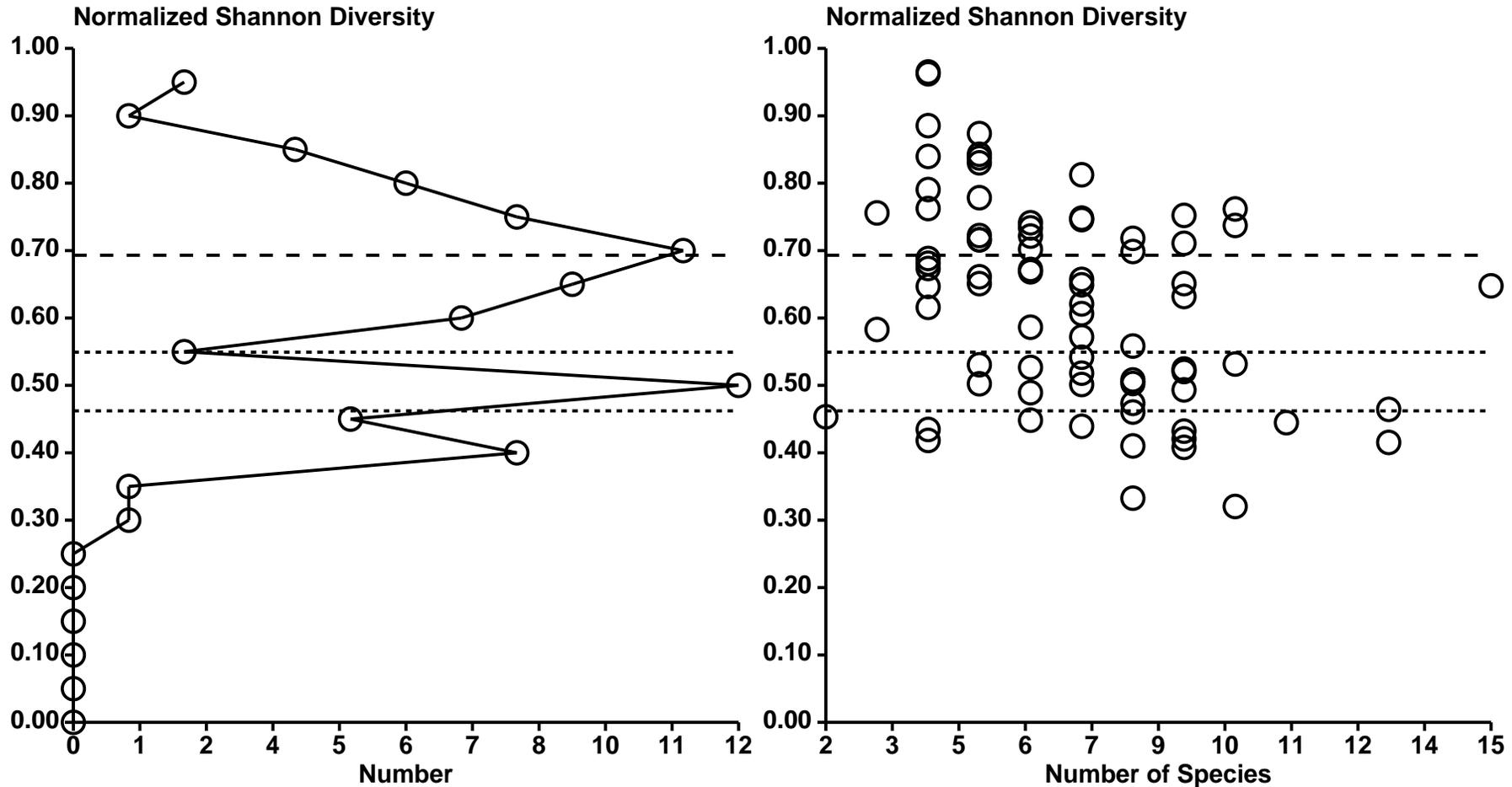
<http://paleobiology.si.edu/burgess/burgessSpecimens.html>

Trilobite to Brachiopod transition, 472 Ma



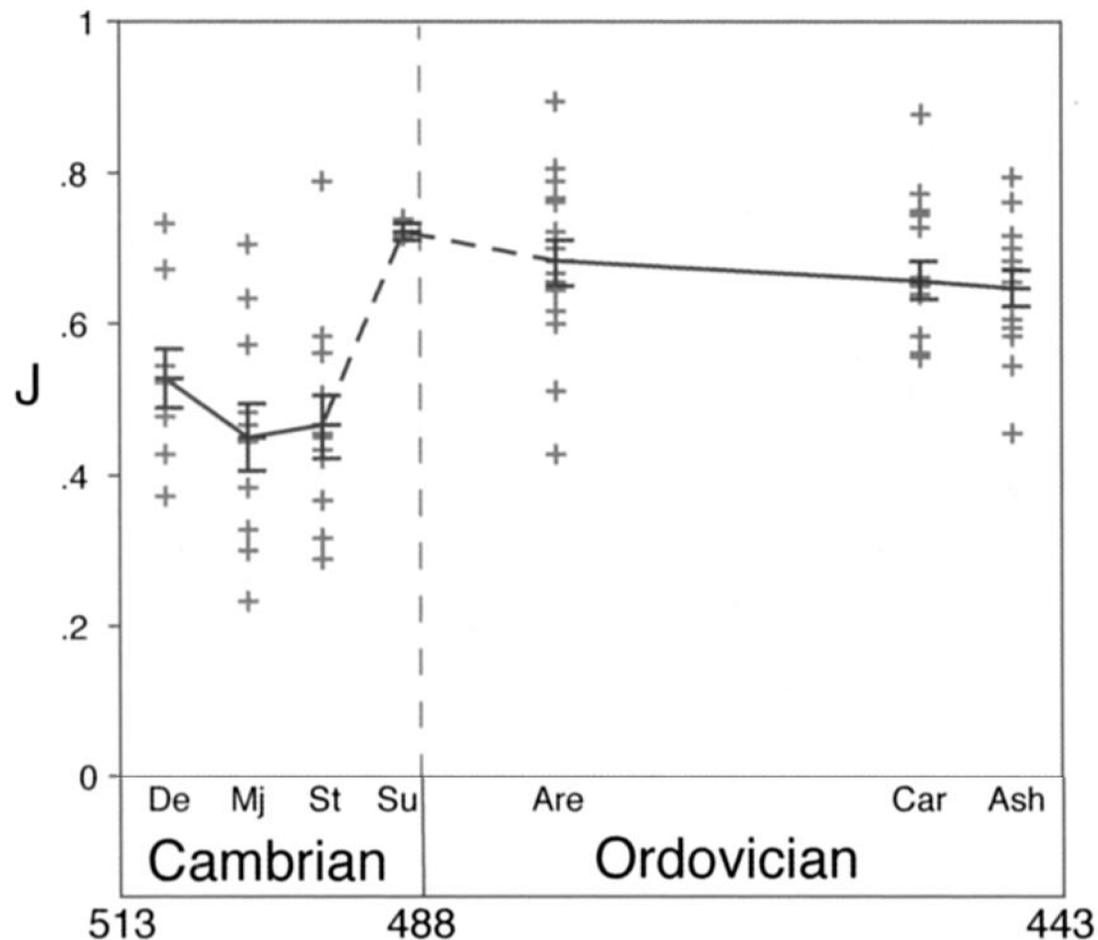
- The community was from the lower to the middle Ordovician.

Trilobite to Brachiopod transition, 472 Ma

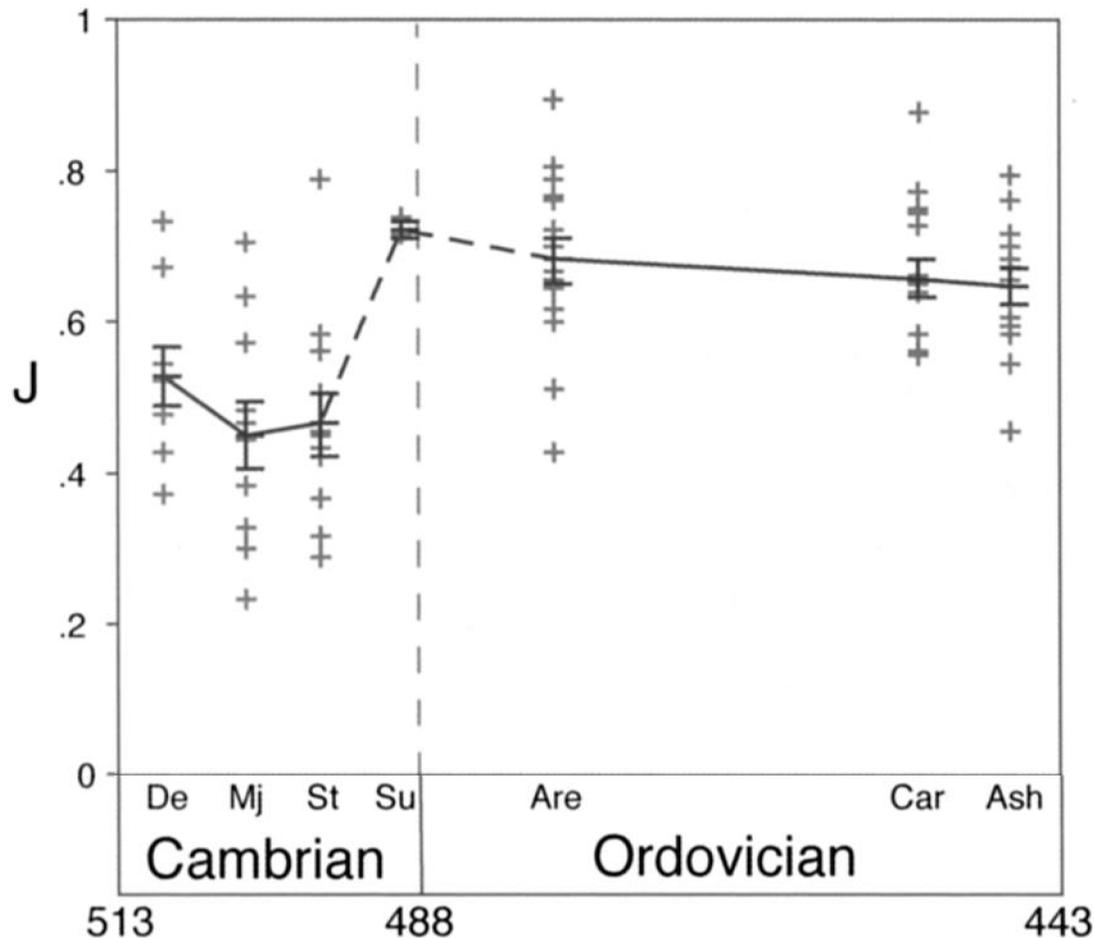
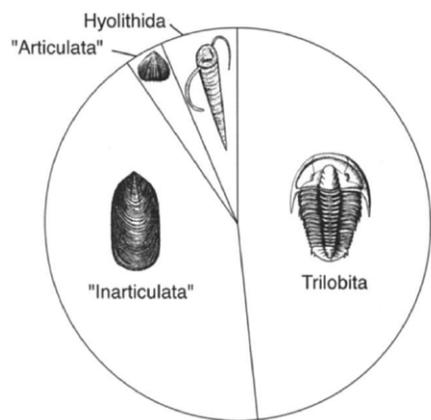


- The community was from the lower to the middle Ordovician.
- The data appear to indicate that the ecologies were either Class 1 or Class 3.

Trilobite to Brachiopod Paleoecosystem Transition at 488 Ma

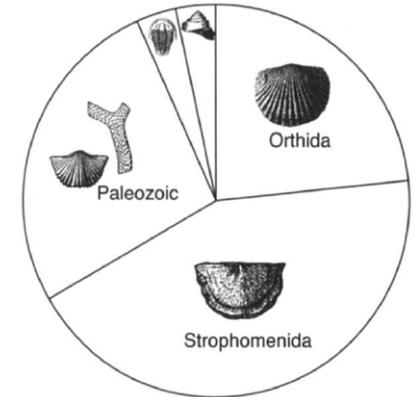
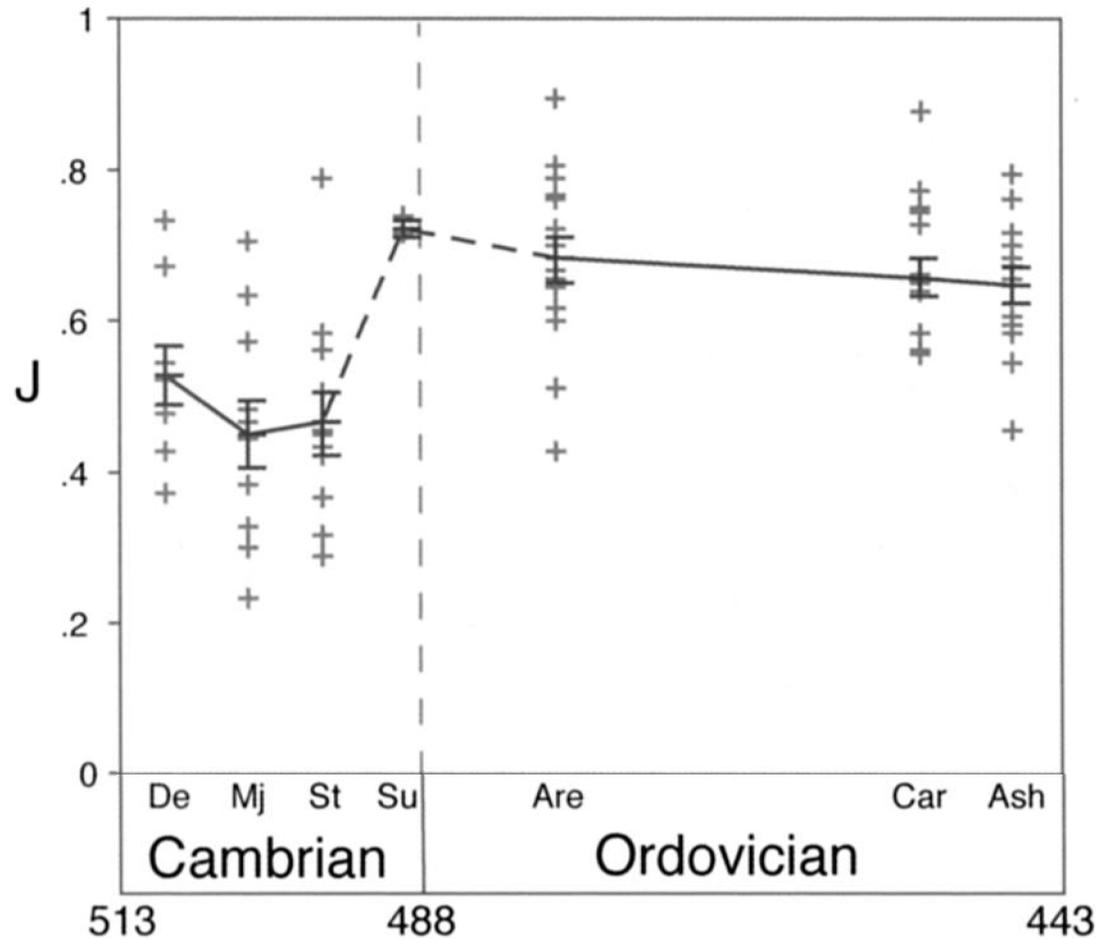
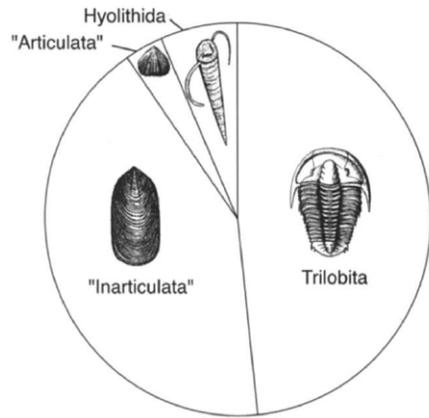


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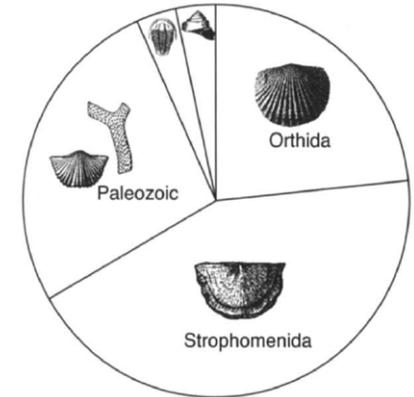
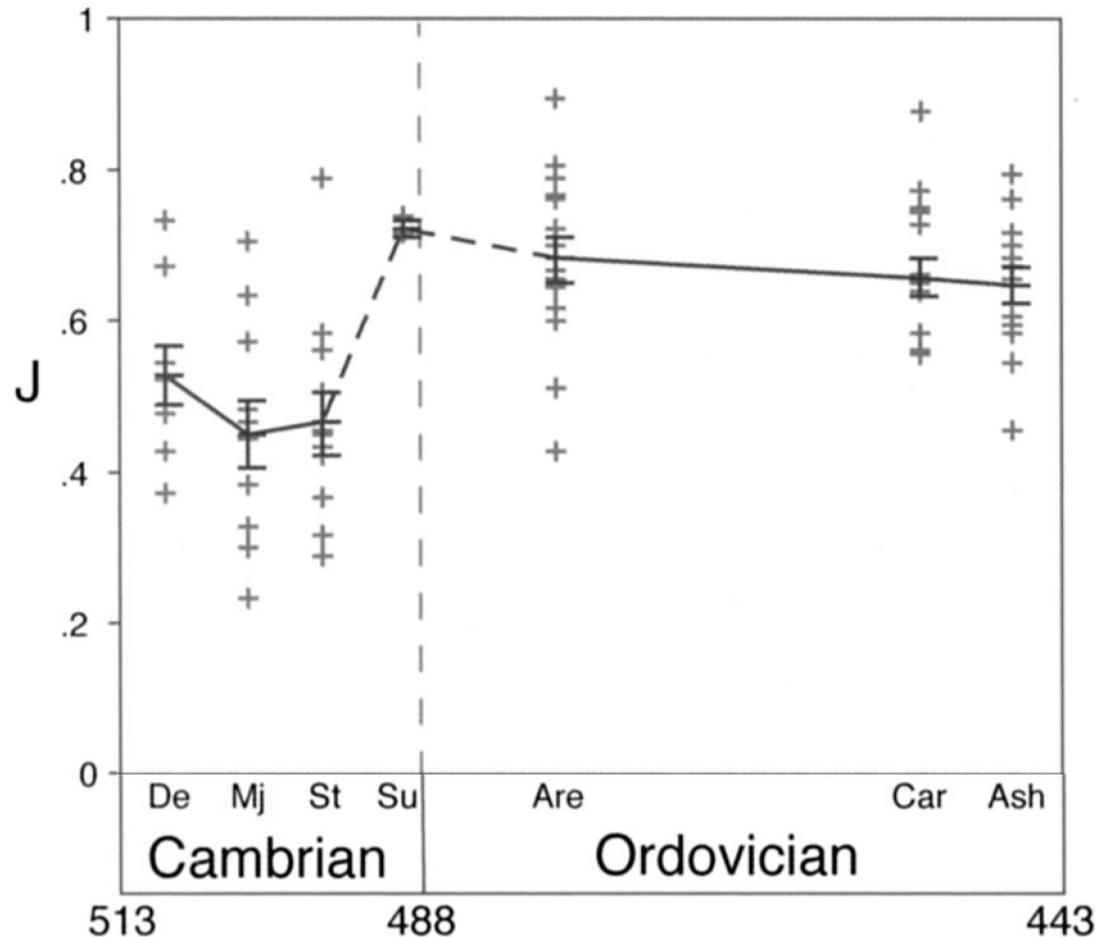
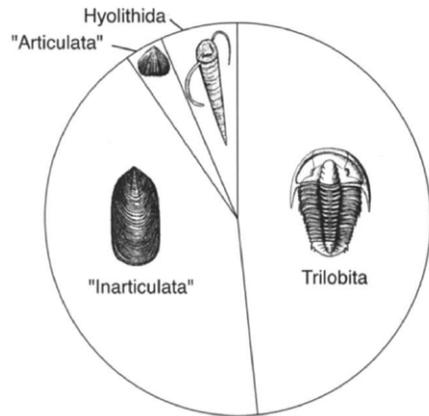
- Trilobite paleoecosystem was perhaps Class 2 or Class 3.

Trilobite to Brachiopod Paleoecosystem Transition at 488 Ma



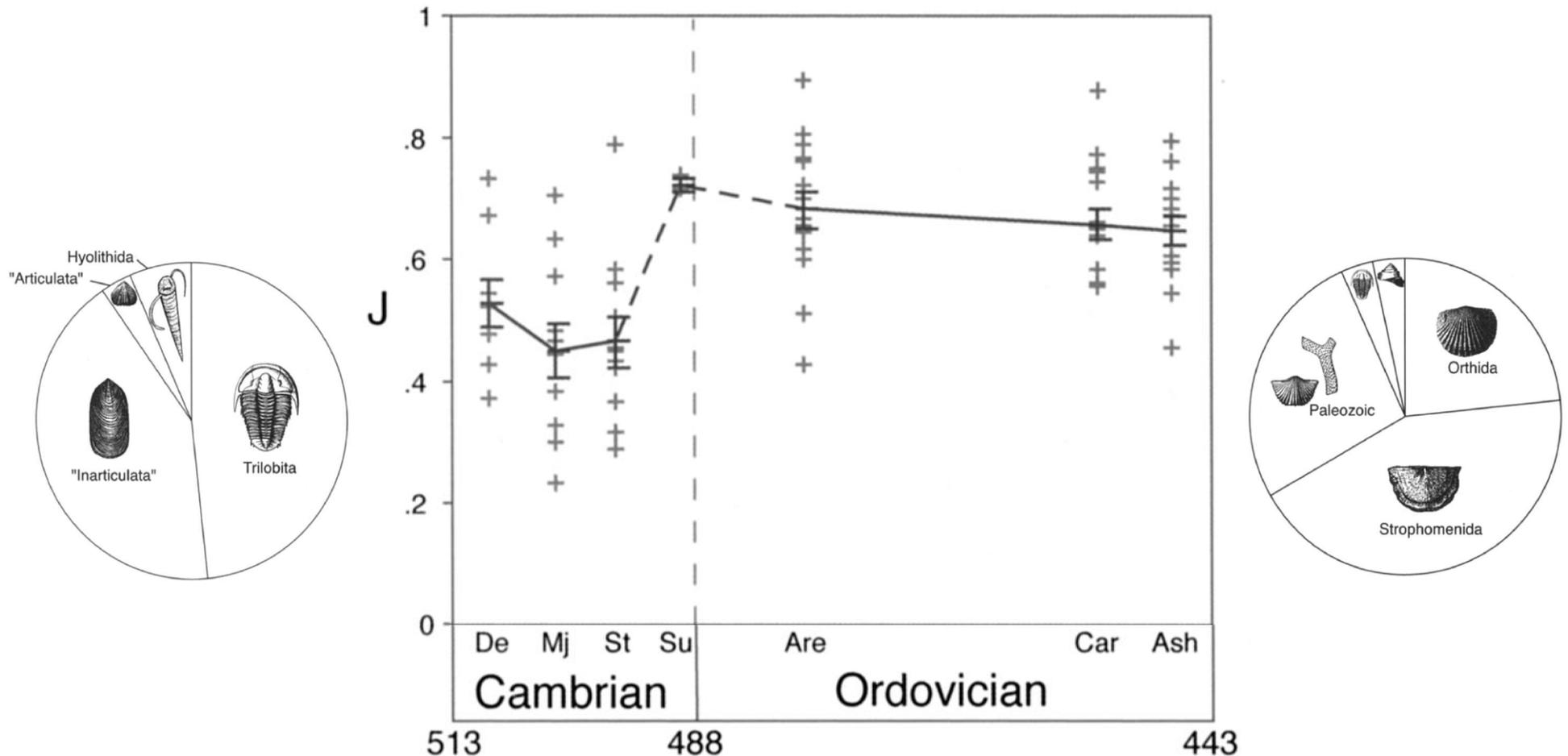
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Trilobite to Brachiopod Paleoecosystem Transition at 488 Ma



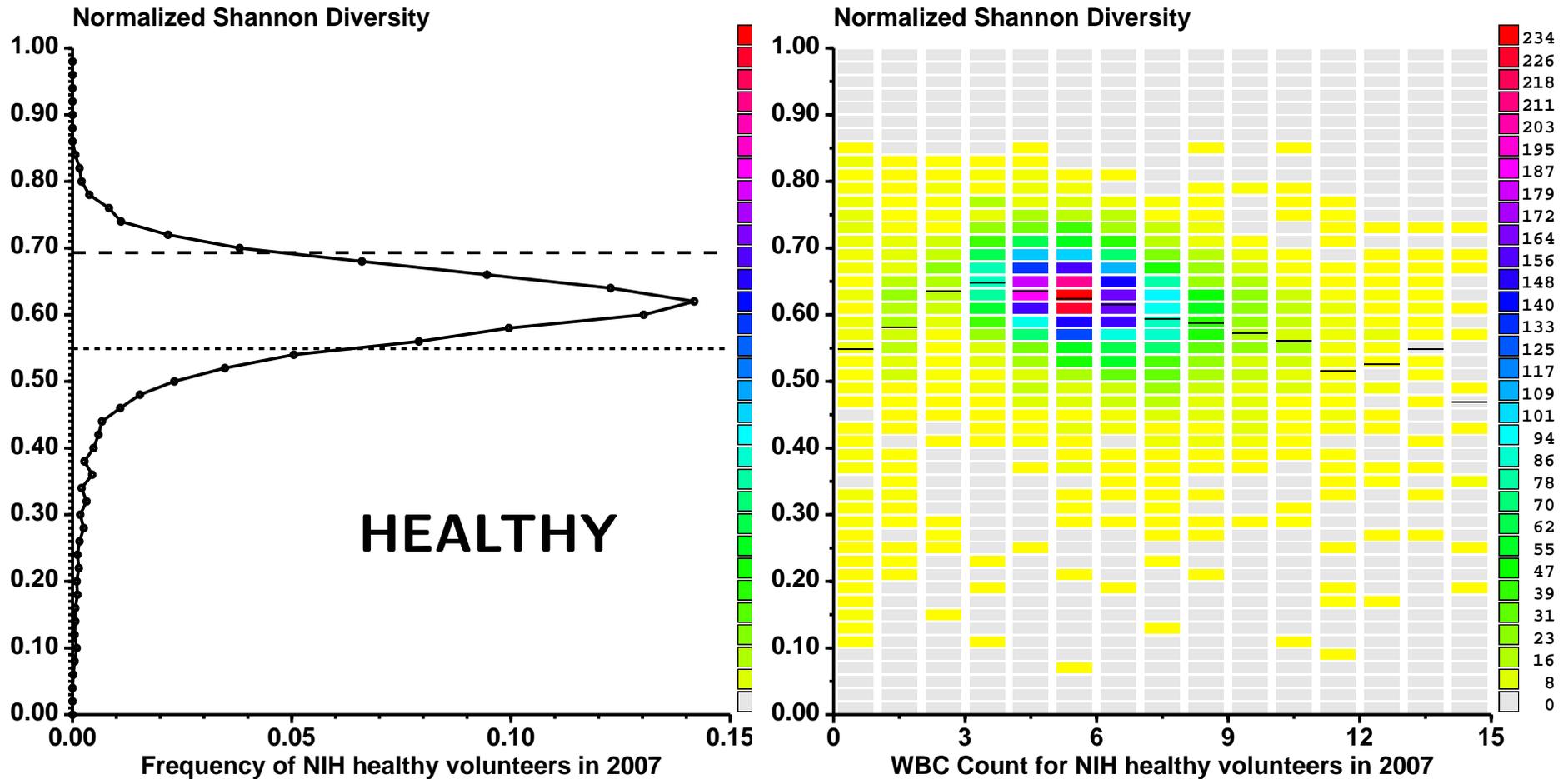
- Trilobite paleoecosystem was perhaps Class 2 or Class 3.
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- **Hypotheses 1:** Transition by improvement of the ecosystem

Trilobite to Brachiopod Paleoecosystem Transition at 488 Ma



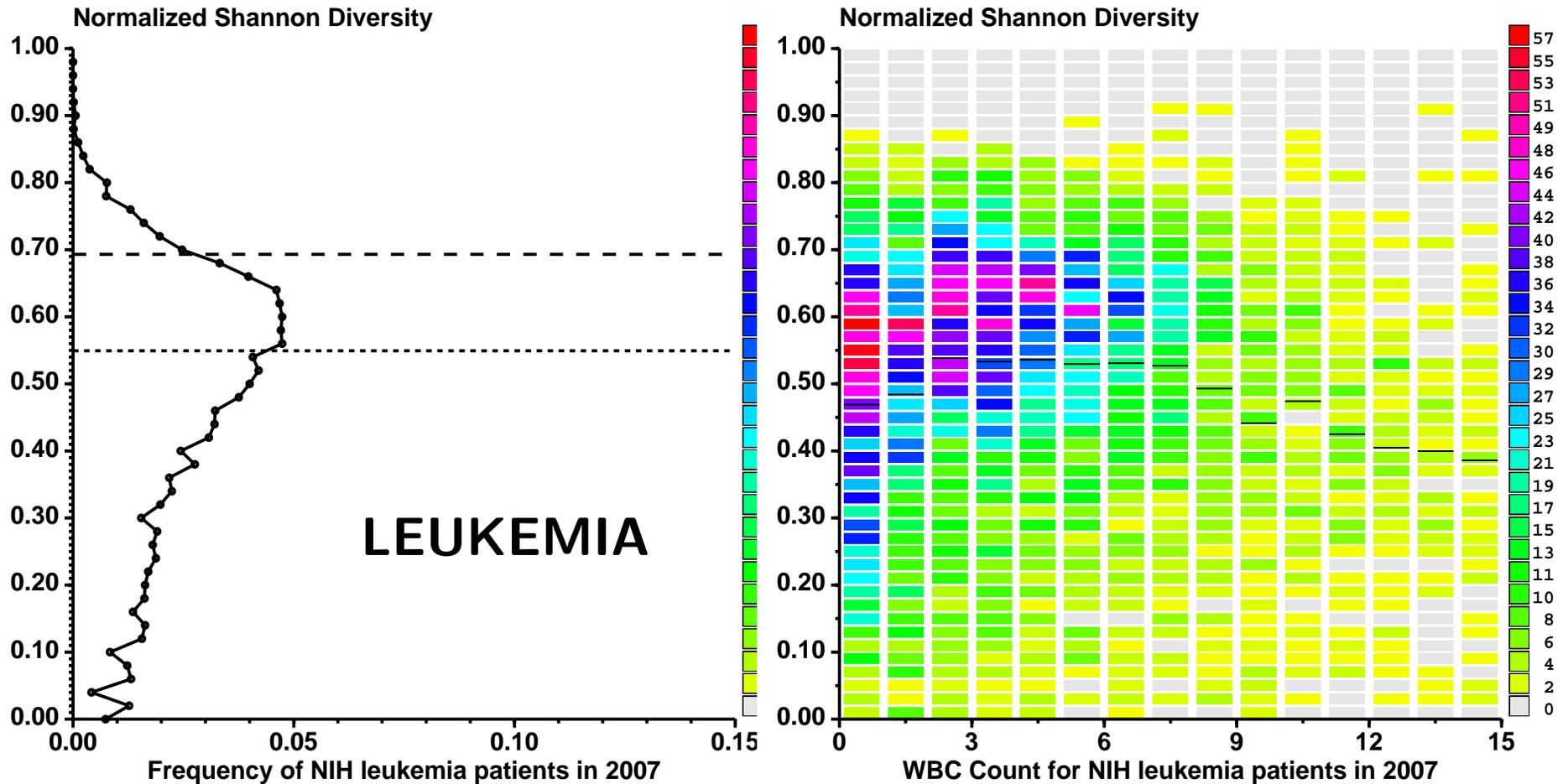
- Trilobite paleoecosystem was perhaps Class 2 or Class 3.
- Brachiopod paleoecosystem was Class 1
- **Hypotheses 1**: Transition by improvement of the ecosystem
- **Hypotheses 2**: Other factor(s) and brachiopods were more efficient.

White blood cell counts: healthy people



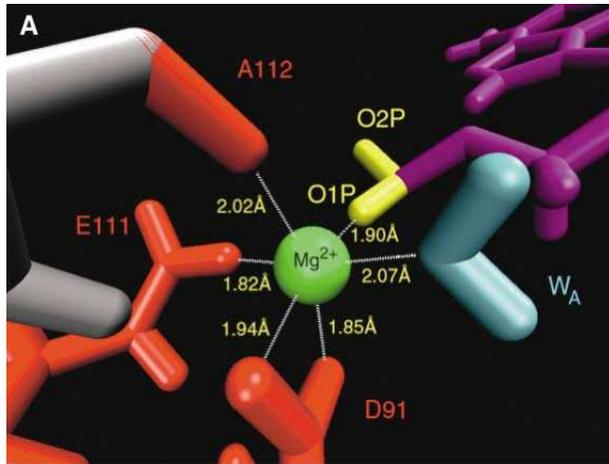
- CBC with differential: (Neutrophil, Eosinophil, Basophil, Lymphocyte and Monocyte) were obtained for healthy volunteers ($n = 6241$) and leukemia patients ($n = 6924$). Data peak at 0.61 ± 0.8 . at NIH in 2007.

White blood cell counts: leukemia patients

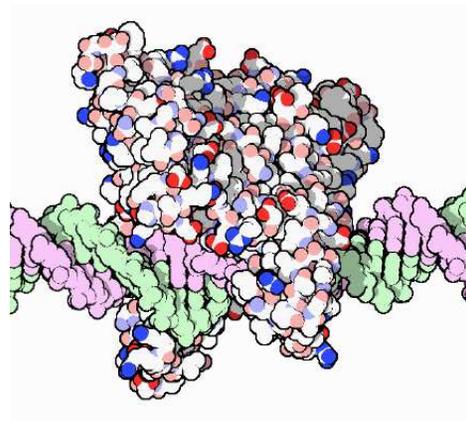
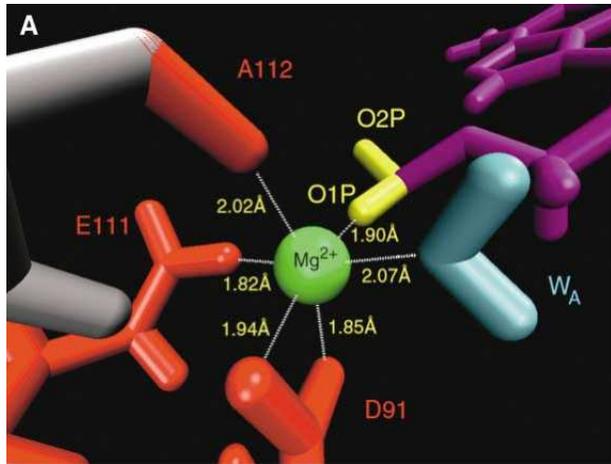


- CBC with differential: (Neutrophil, Eosinophil, Basophil, Lymphocyte and Monocyte) were obtained for healthy volunteers ($n = 6241$) and leukemia patients ($n = 6924$). Data peak at 0.61 ± 0.8 . at NIH in 2007.
- Leukemia patients still peak ~ 0.6 but the distribution strongly spreads to lower evenness suggesting this is a Class 2 disease.

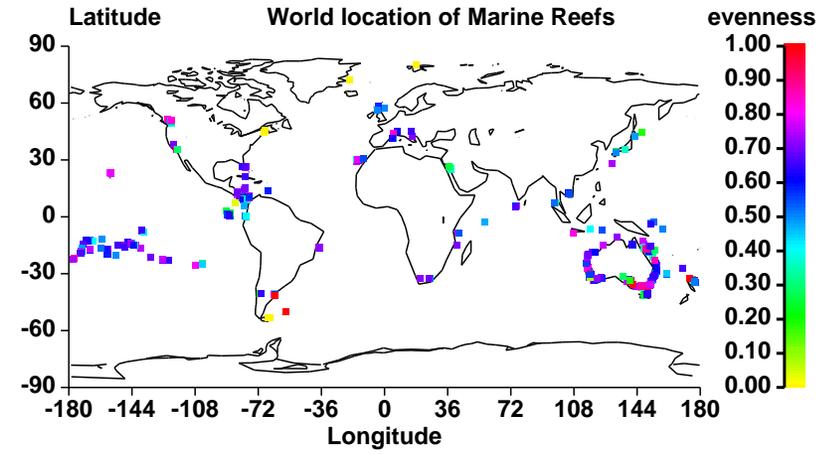
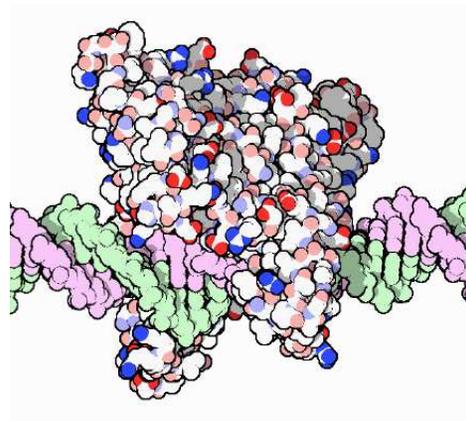
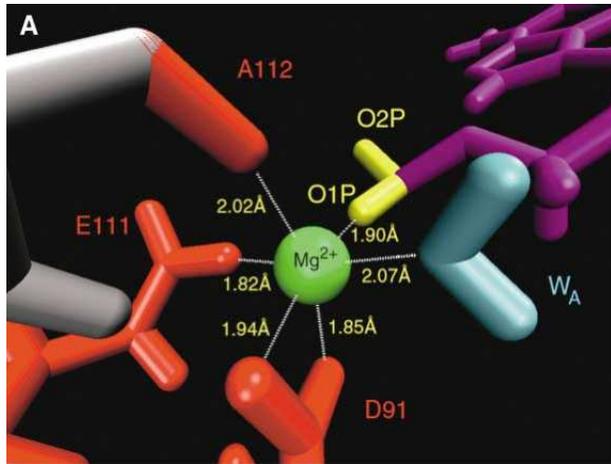
Three Principles



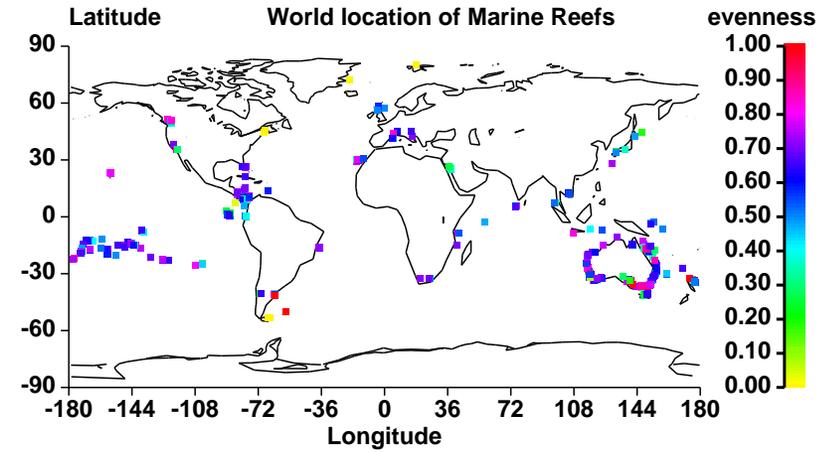
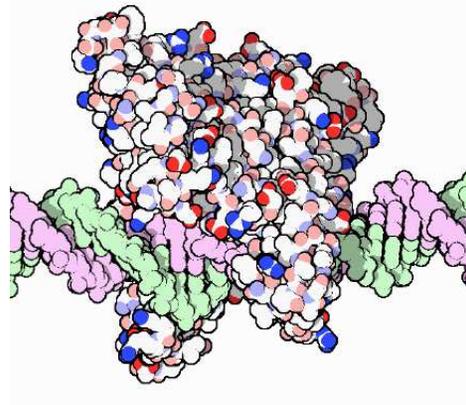
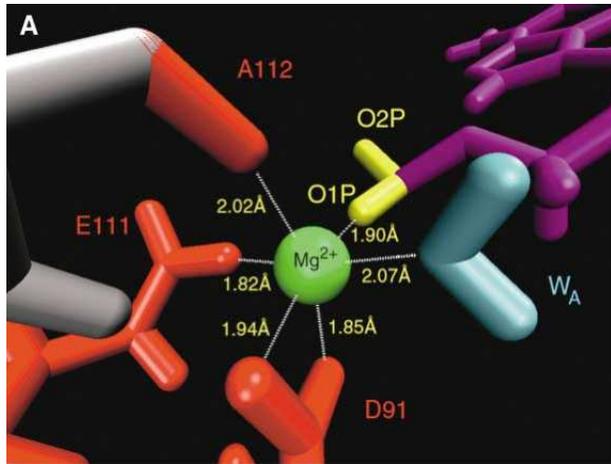
Three Principles



Three Principles

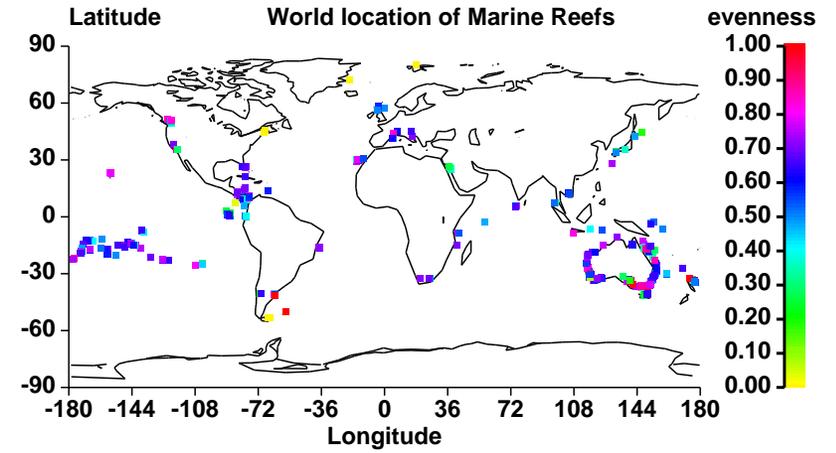
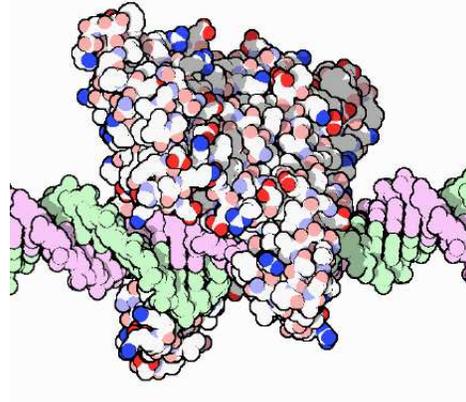
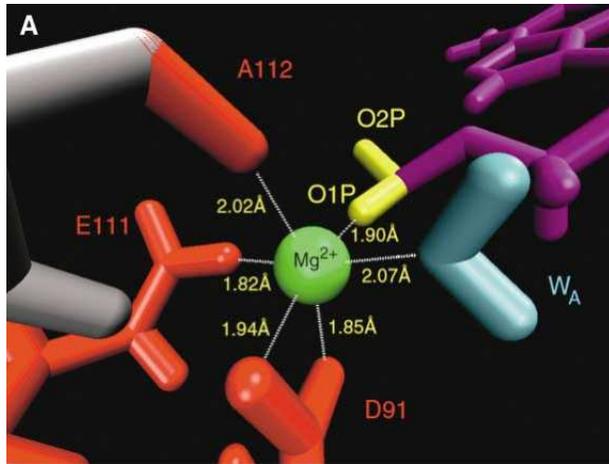


Three Principles



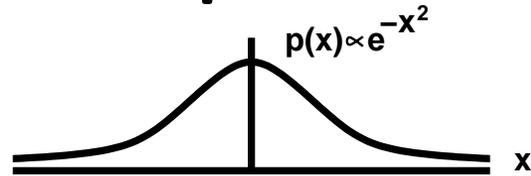
Three Principles of Biological States

Three Principles

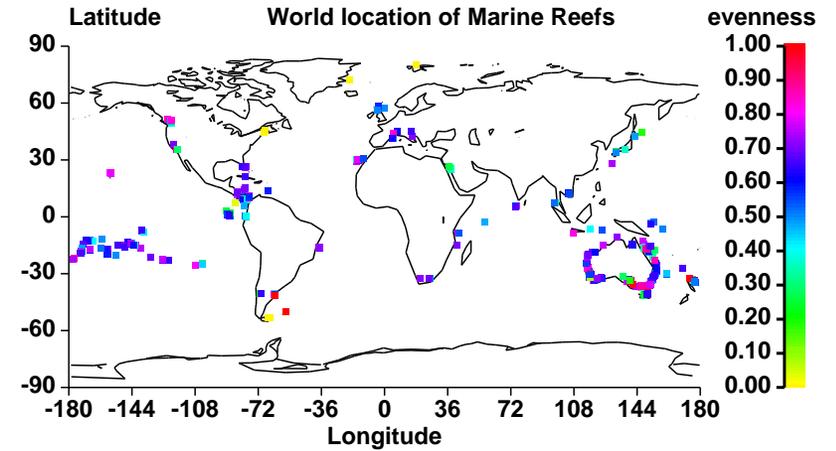
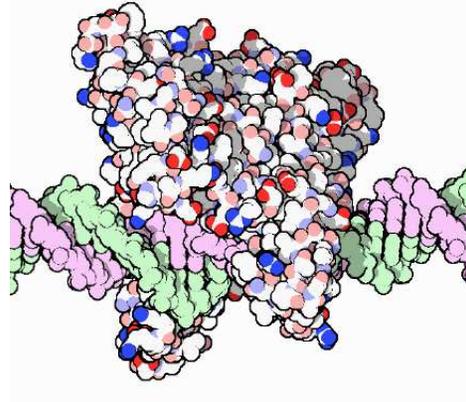
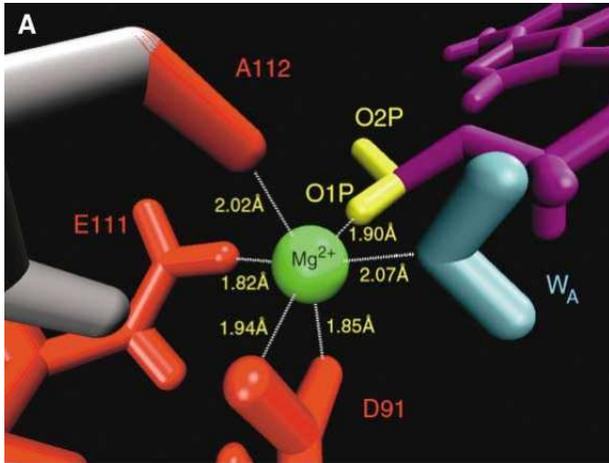


Three Principles of Biological States

- Noise

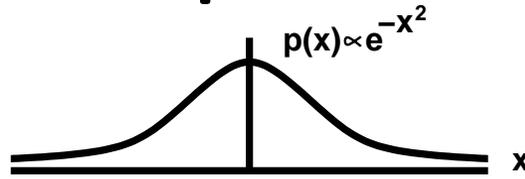


Three Principles

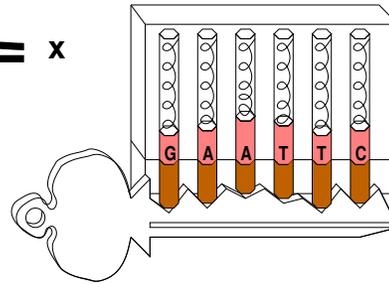


Three Principles of Biological States

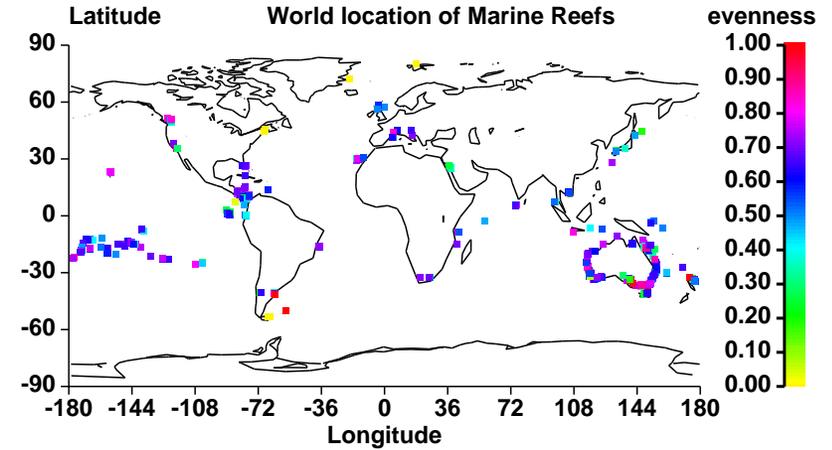
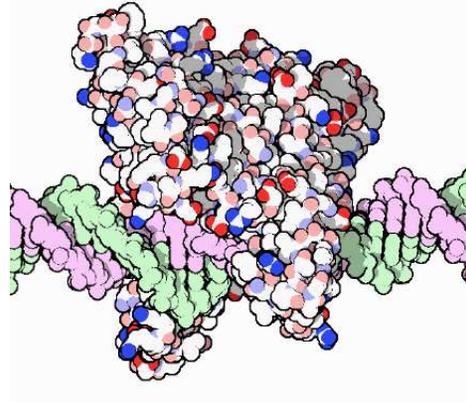
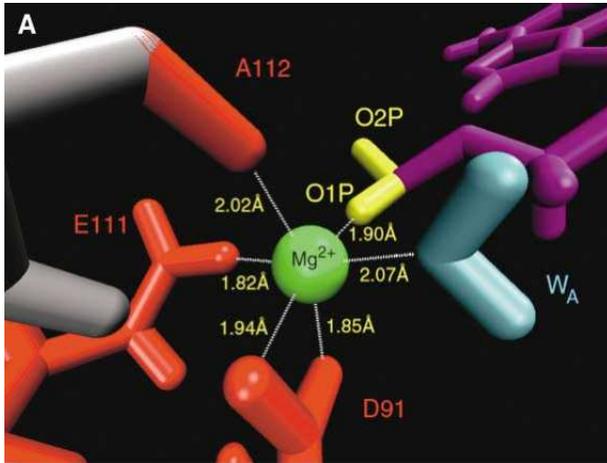
- Noise



- High dimensionality

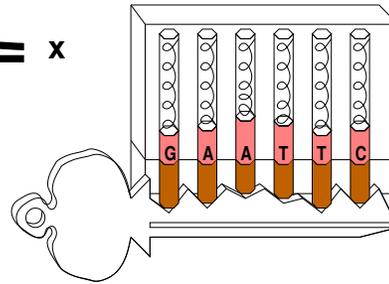
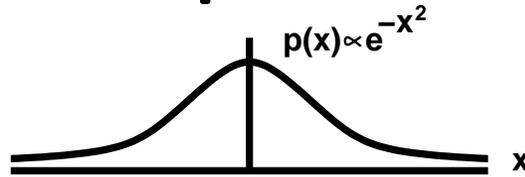


Three Principles



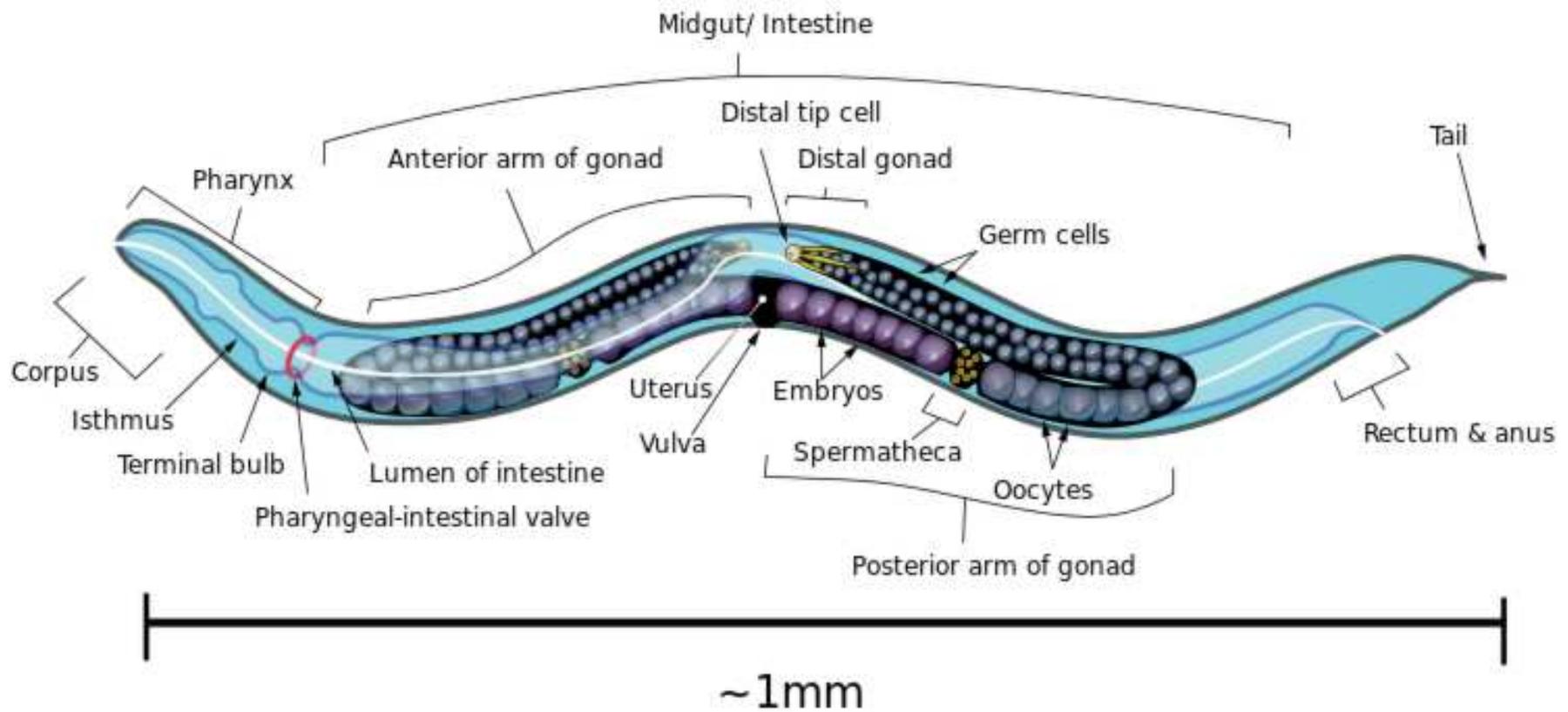
Three Principles of Biological States

- Noise
- High dimensionality
- Separation of states



These Principles imply that the isothermal efficiency will be:
0.69, 0.55, 0.46 ...

Caenorhabditis elegans



Caenorhabditis elegans cell divisions

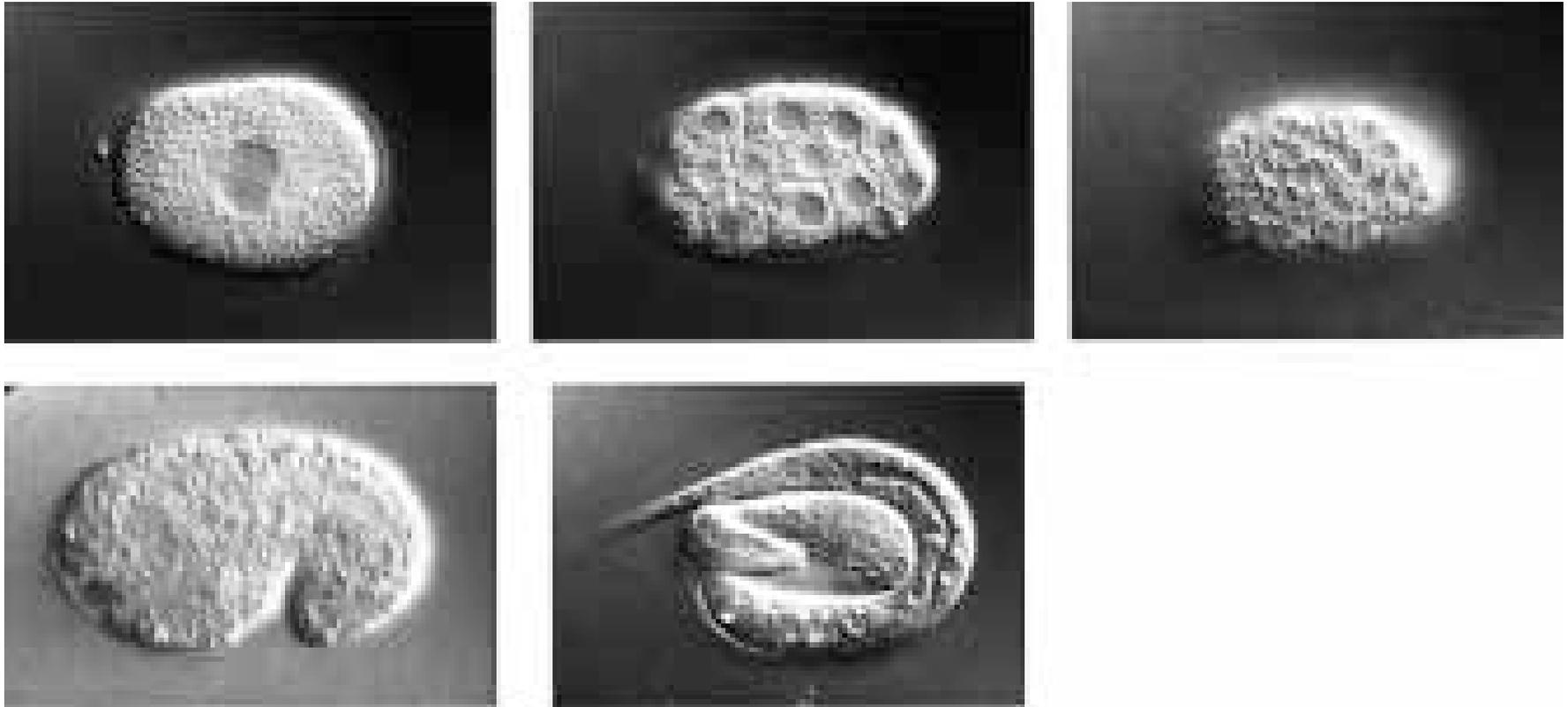
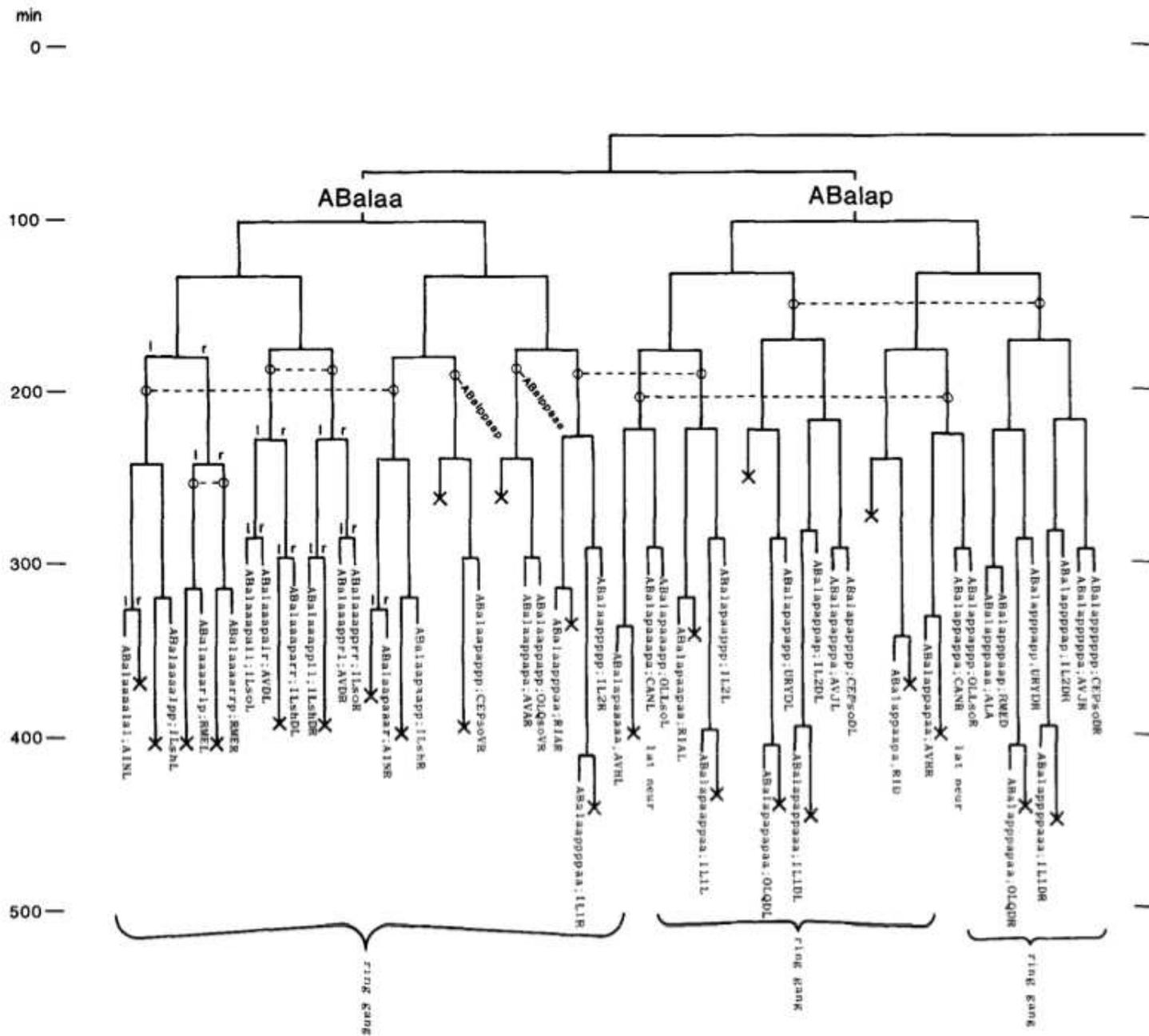
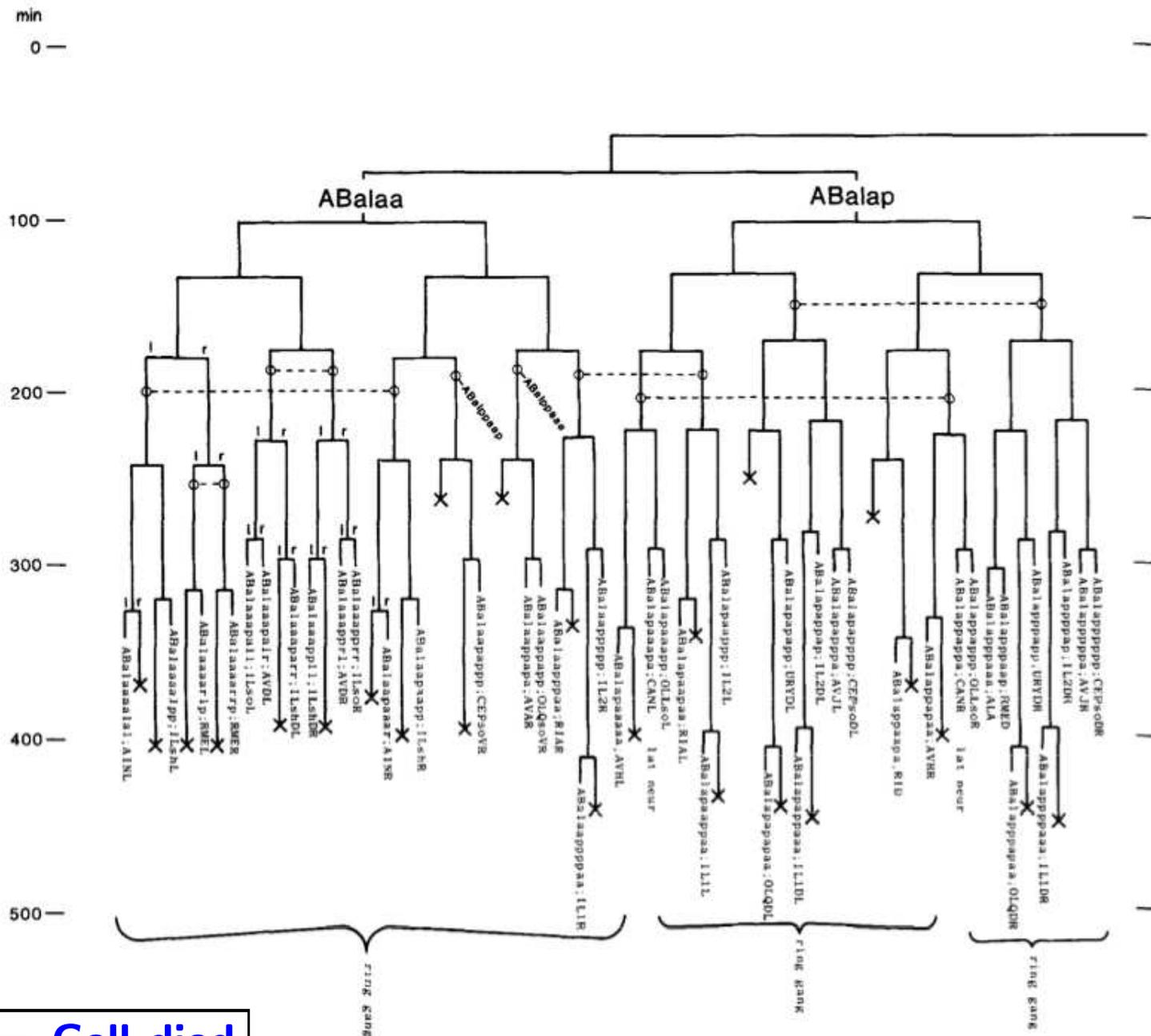


Figure 18. The egg, seen in Nomarski optics, from pronuclear fusion to hatching.

Caenorhabditis elegans Lineage



Caenorhabditis elegans Lineage



Caenorhabditis elegans Lineage Evenness

Sex	Stage	Deaths Counted	Number of Cell Types, M	Cells Counted	H (bits)	Evenness \pm SD	Δ from $\ln 2$	Z
hermaphrodite	L1	+	22	671	3.192	0.721 \pm 0.008	0.028	3.630
hermaphrodite	L1	-	21	558	3.051	0.701 \pm 0.009	0.007	0.855
hermaphrodite	adult	+	20	1090	3.136	0.728 \pm 0.005	0.035	7.682
hermaphrodite	adult	-	19	959	2.962	0.700 \pm 0.005	0.007	1.494
male	L1	+	22	671	3.189	0.720 \pm 0.008	0.027	3.557
male	L1	-	21	560	3.046	0.699 \pm 0.009	0.006	0.709
male	adult	+	20	1179	3.096	0.719 \pm 0.004	0.026	6.188
male	adult	-	19	1031	2.917	0.690 \pm 0.004	-0.003	-0.760

**The Embryonic Cell Lineage of the Nematode *Caenorhabditis elegans*
J. E. Sulston, E. Schierenberg, J. G. White, and J. N. Thomson
Developmental Biology 100, 64-119 (1983)**

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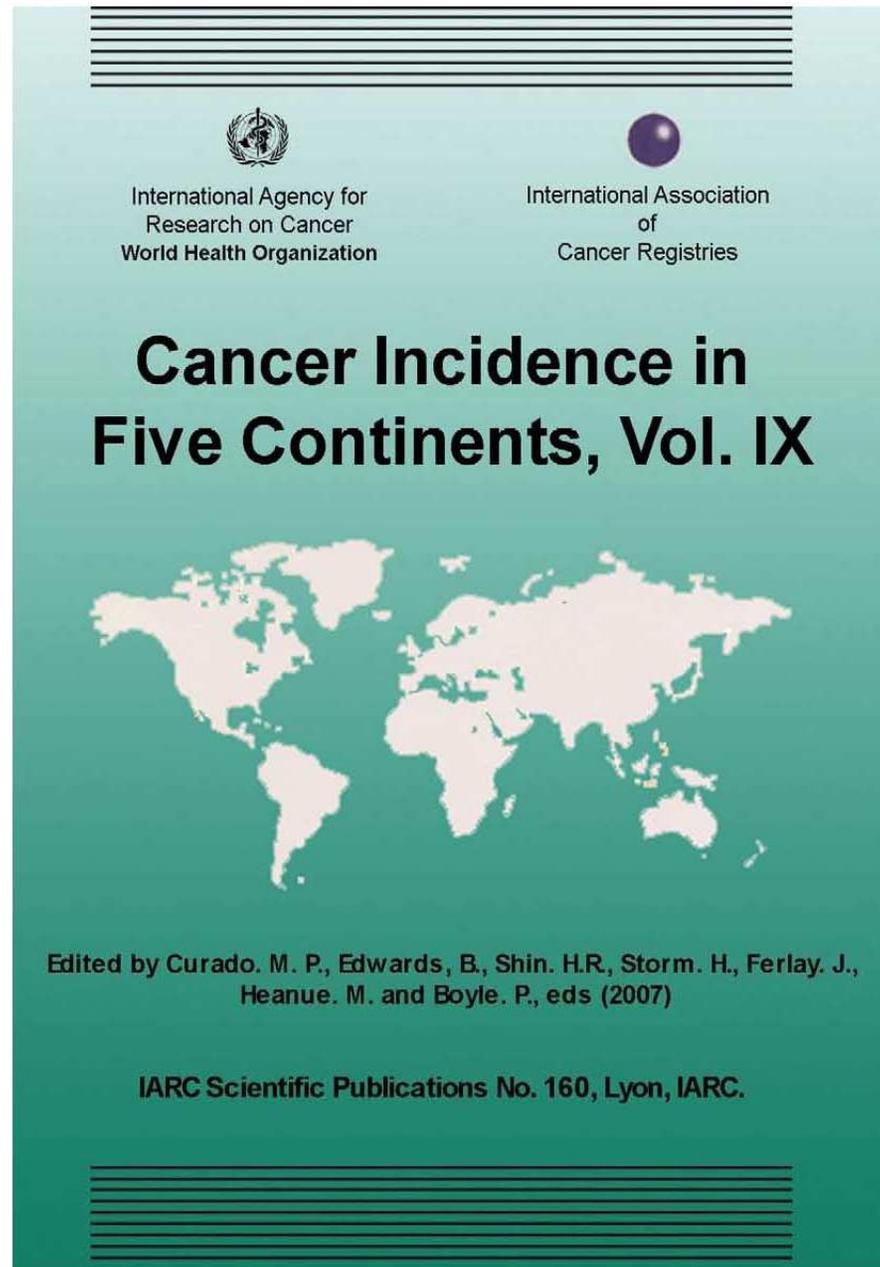
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- Dead cells as a cell type would violate the theory!
- Maybe cells die to avoid exceeding the channel capacity **X = Cell died**

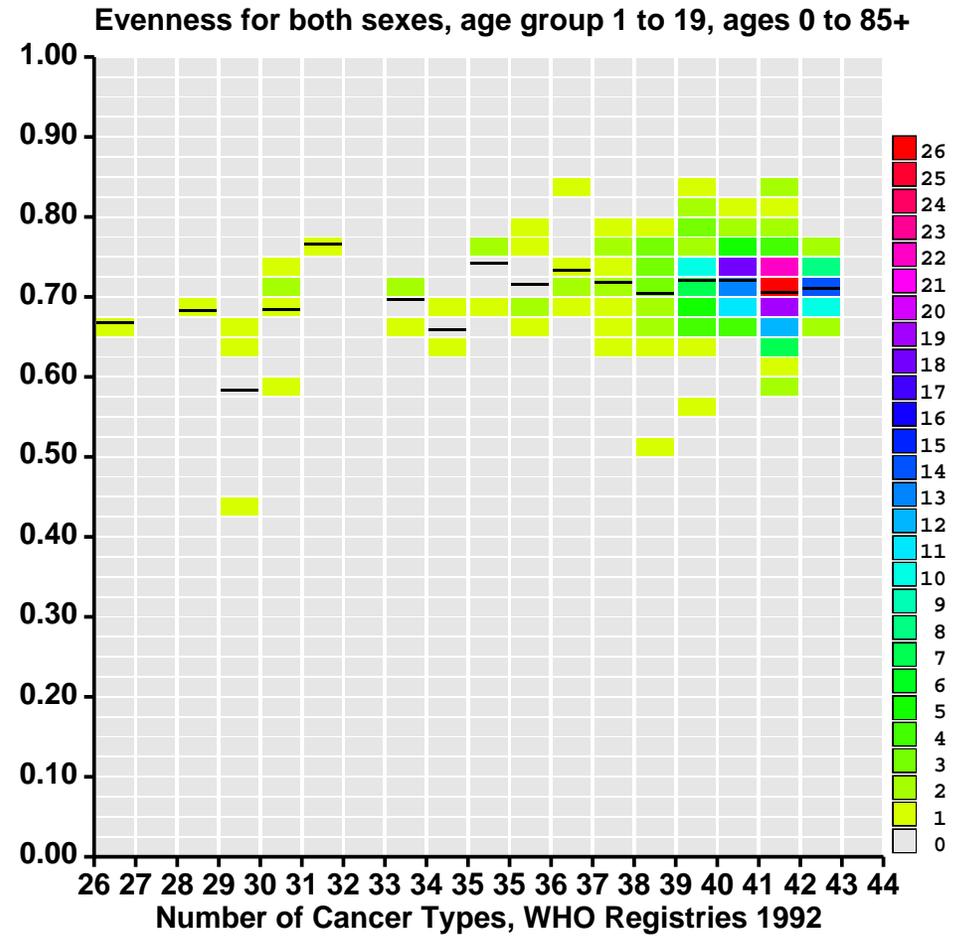
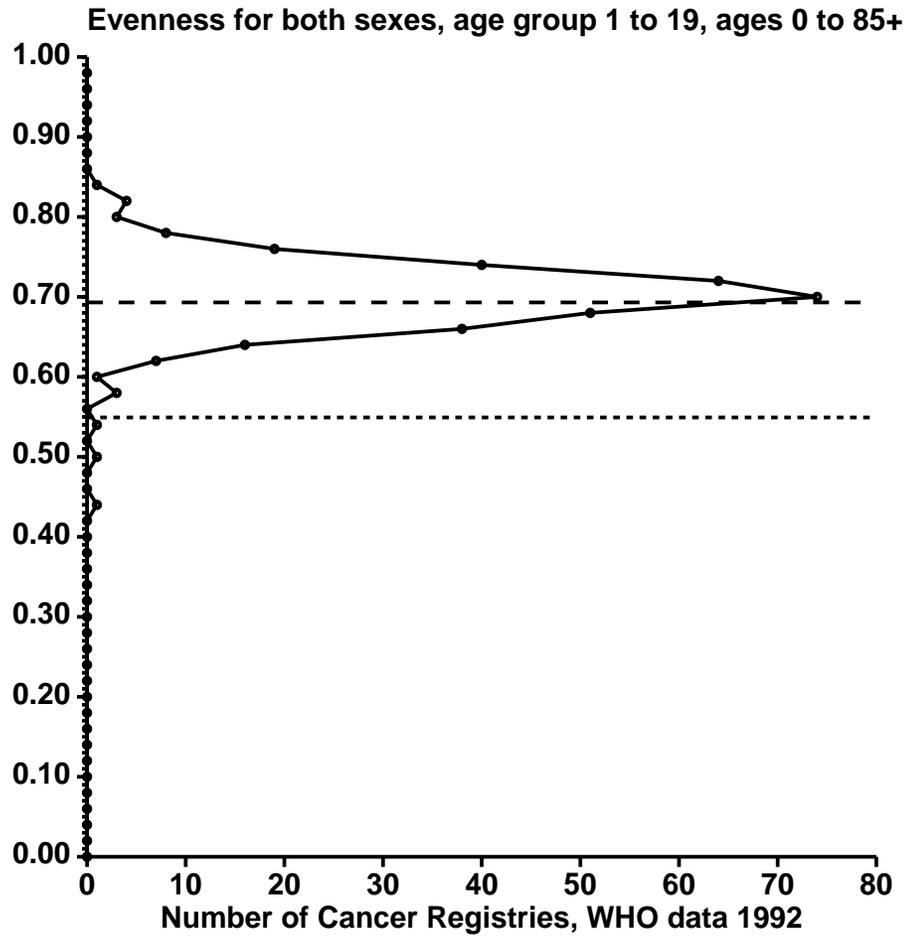


Cancer Incidence WHO data

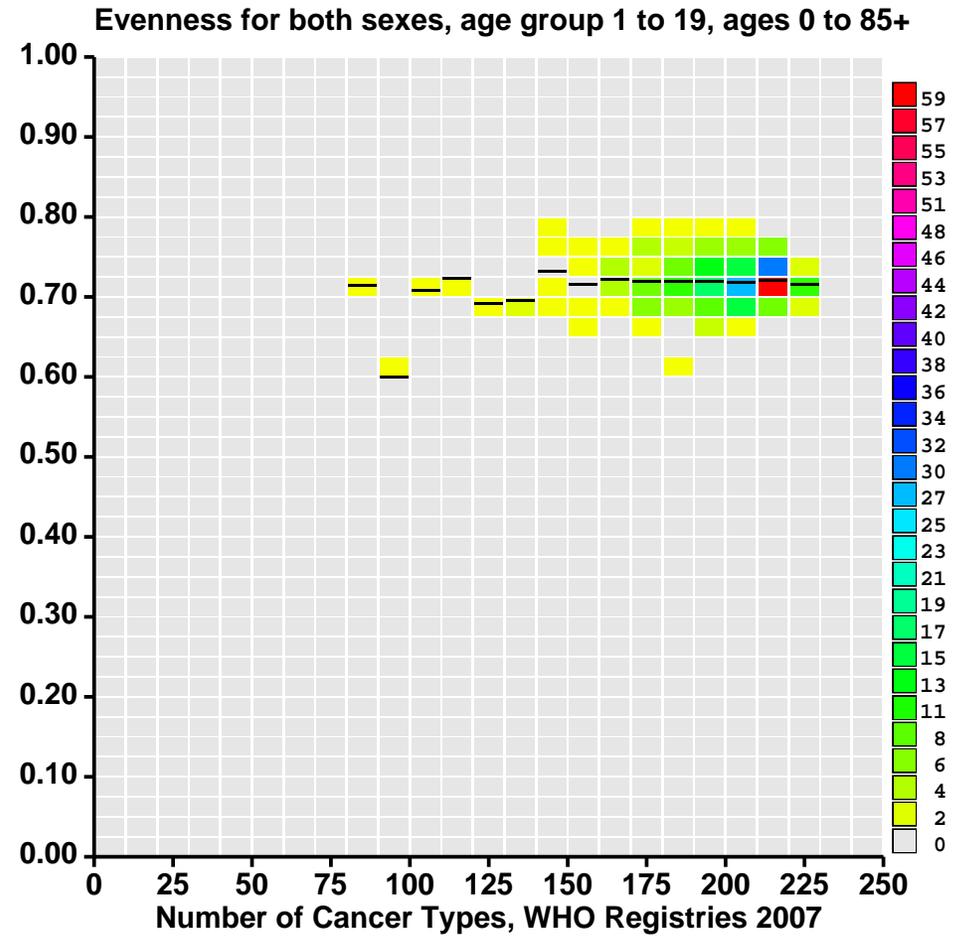
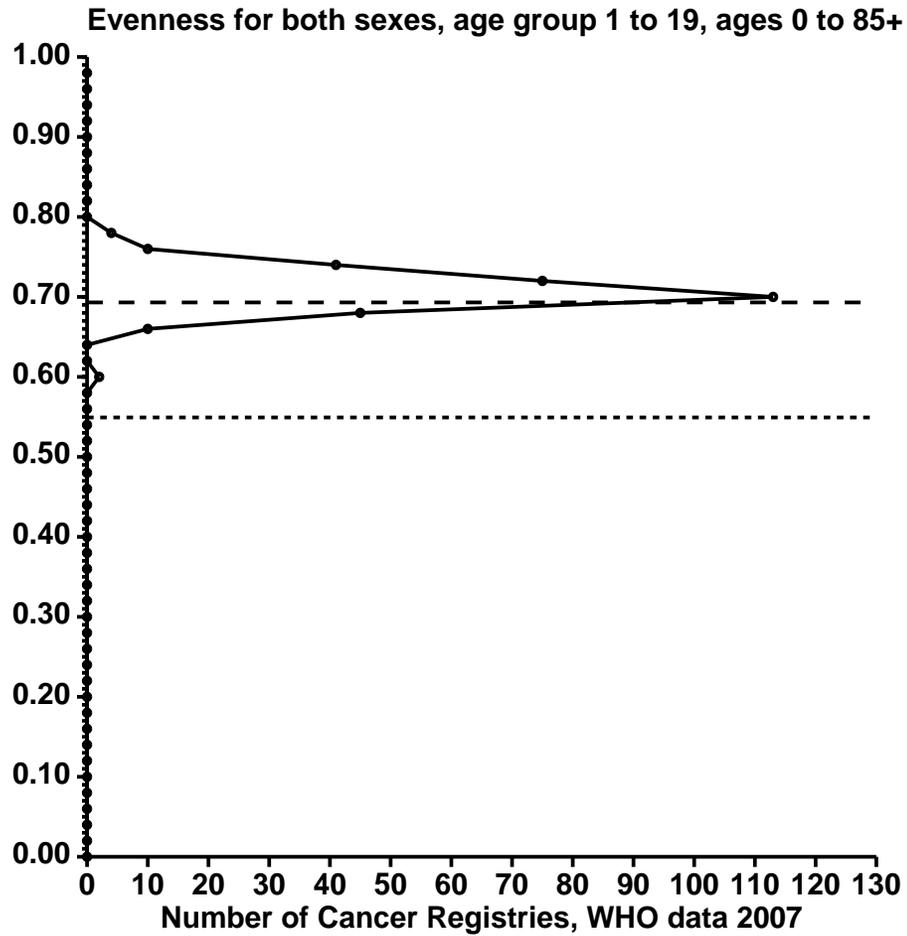
Table 3.1 Classification used in incidence tables

Site	Full title	Groupings used in tables	Short title used in tables
C00	Malignant neoplasm of lip	-	Lip
C01	Malignant neoplasm of base of tongue	C01-C02 are grouped	Tongue
C02	Malignant neoplasm of other and unspecified parts of tongue		
C03	Malignant neoplasm of gum	C03-C06 are grouped	Mouth
C04	Malignant neoplasm of floor of mouth		
C05	Malignant neoplasm of palate		
C06	Malignant neoplasm of other and unspecified parts of mouth	C07-C08 are grouped	Salivary gland
C07	Malignant neoplasm of parotid gland		
C08	Malignant neoplasm of other and unspecified major salivary glands		
C09	Malignant neoplasm of tonsil	-	Tonsil
C10	Malignant neoplasm of oropharynx	-	Other oropharynx
C11	Malignant neoplasm of nasopharynx	-	Nasopharynx
C12	Malignant neoplasm of pyriform sinus	C12-C13 are grouped	Hypopharynx
C13	Malignant neoplasm of hypopharynx		
C14	Malignant neoplasm of other and ill-defined sites in the lip, oral cavity and pharynx	-	Pharynx unspecified
C15	Malignant neoplasm of oesophagus	-	Oesophagus
C16	Malignant neoplasm of stomach	-	Stomach
C17	Malignant neoplasm of small intestine	-	Small intestine
C18	Malignant neoplasm of colon	-	Colon
C19	Malignant neoplasm of rectosigmoid junction	C19-C20 are grouped	Rectum
C20	Malignant neoplasm of rectum		
C21	Malignant neoplasm of anus and anal canal	-	Anus
C22	Malignant neoplasm of liver and intrahepatic bile ducts	-	Liver
C23	Malignant neoplasm of gallbladder	C23-C24 are grouped	Gallbladder etc.
C24	Malignant neoplasm of other and unspecified parts of biliary tract		
C25	Malignant neoplasm of pancreas	-	Pancreas
C26	Malignant neoplasm of other and ill defined digestive organs	C26 is included in other and unspecified	

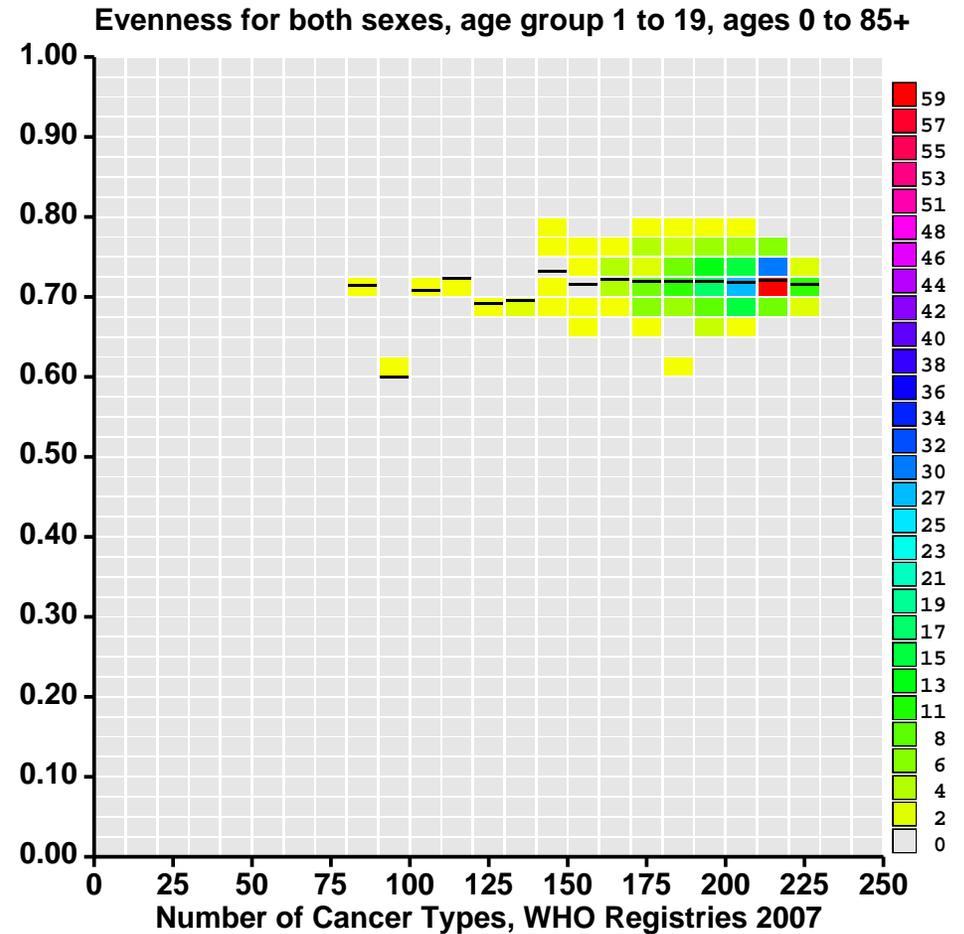
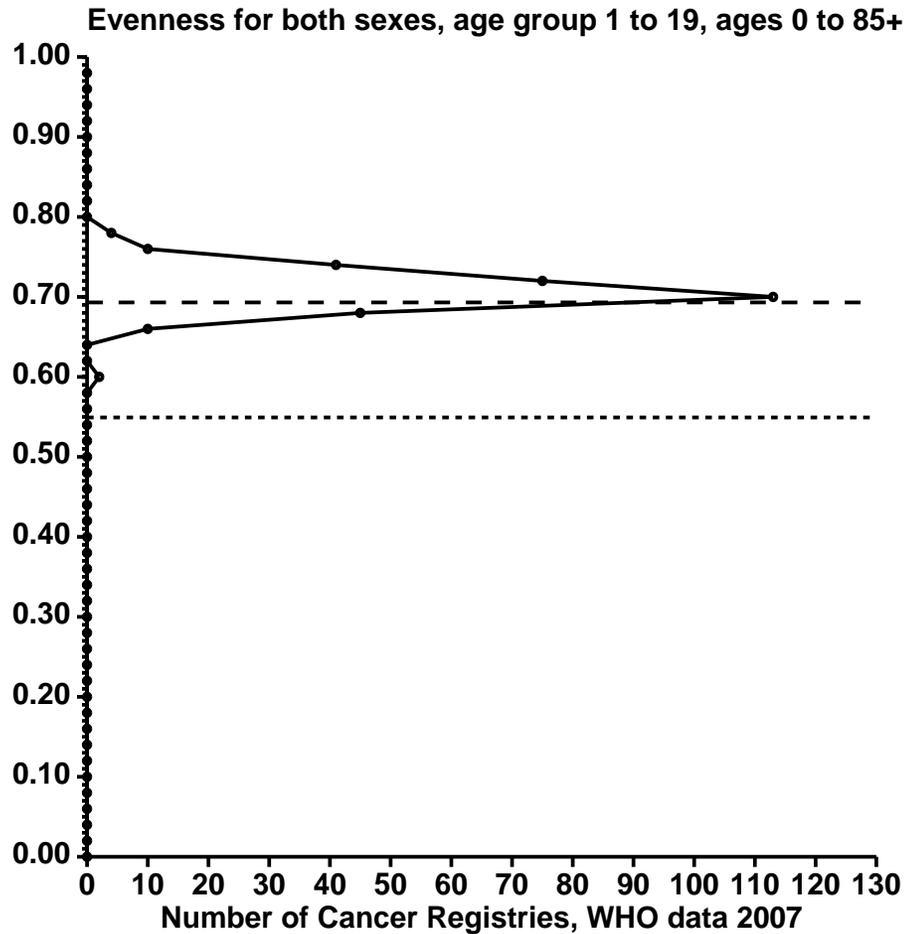
Cancer Incidence WHO data 1992



Cancer Incidence WHO data 2007

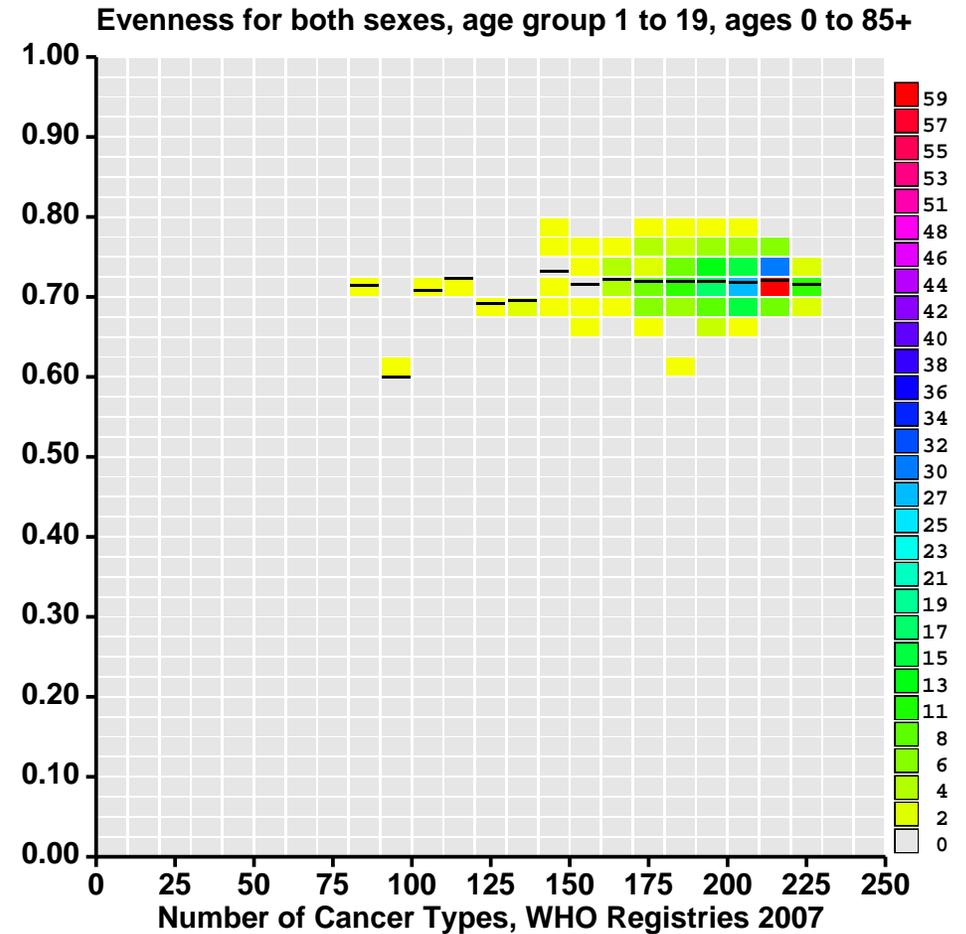
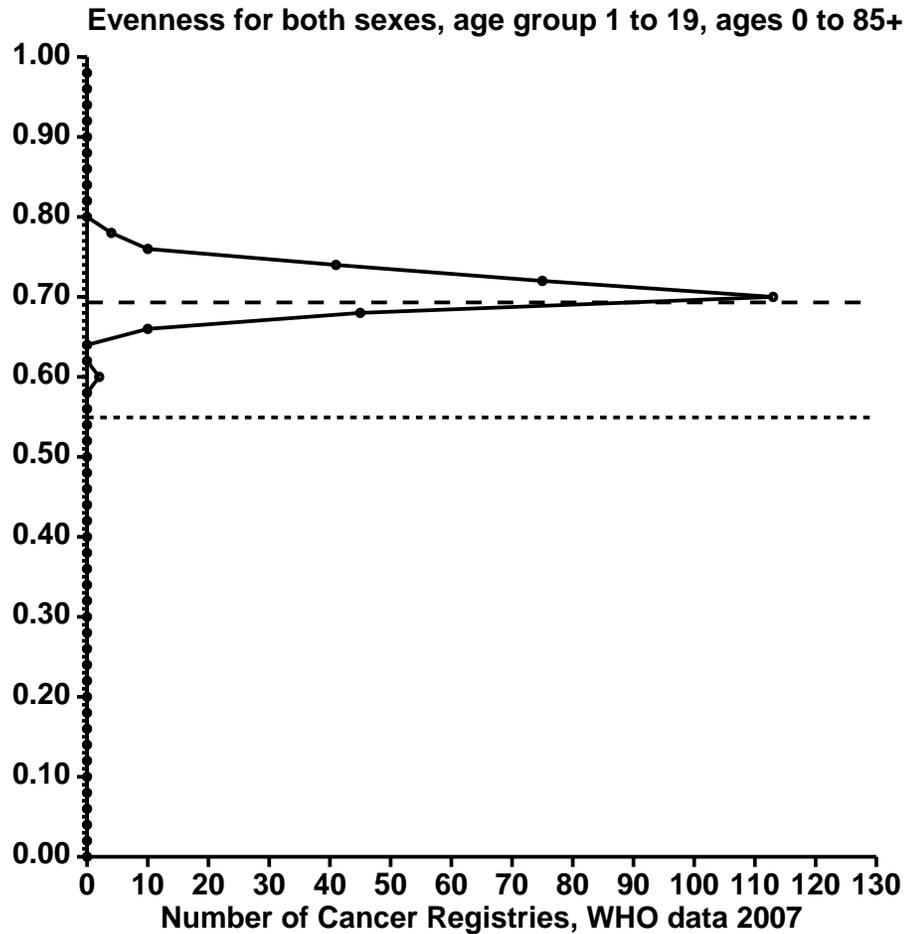


Cancer Incidence WHO data 2007



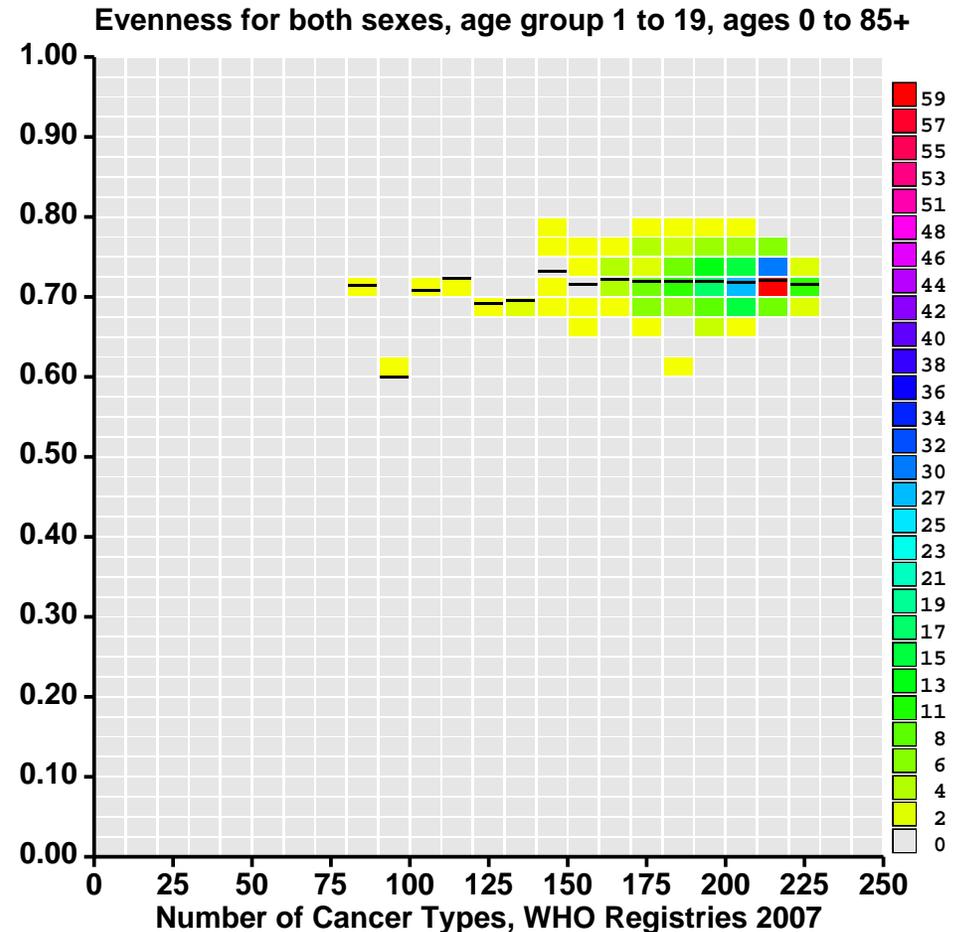
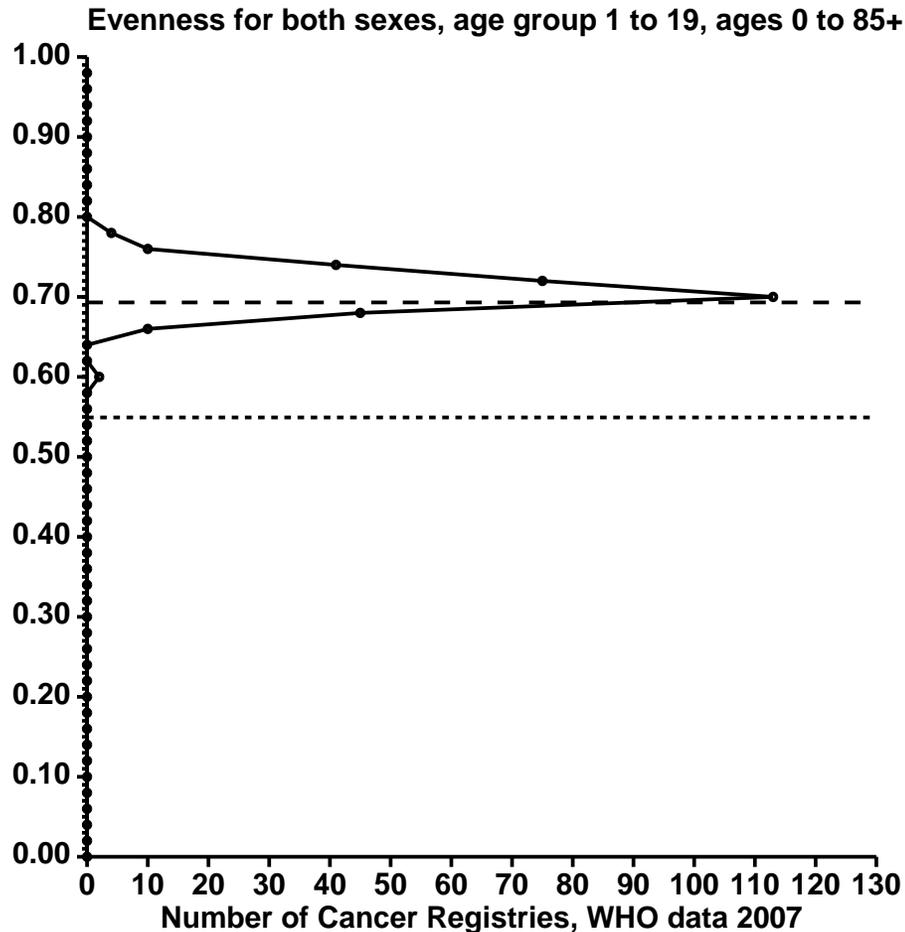
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Cancer Incidence WHO data 2007



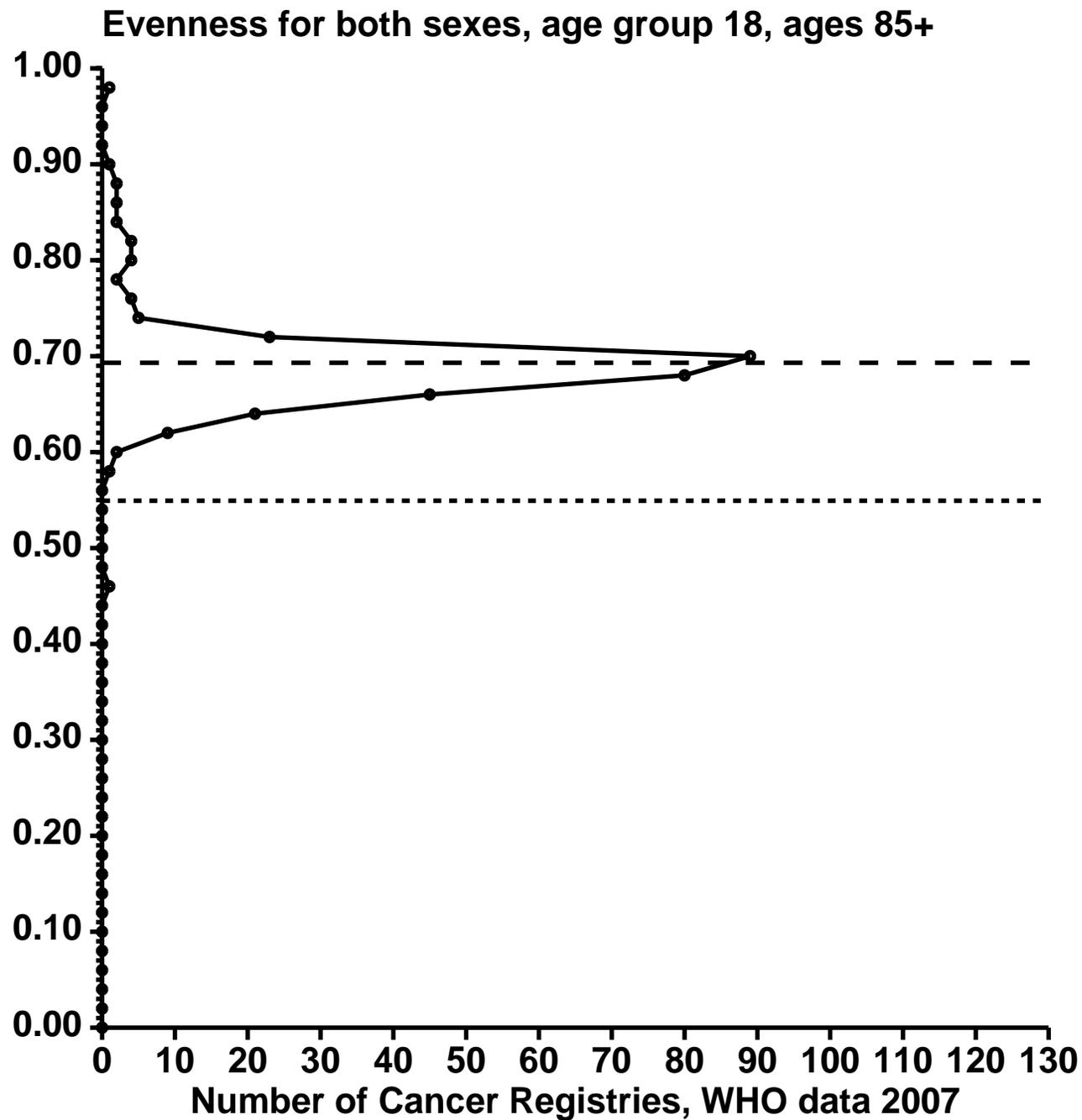
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Cancer Incidence WHO data 2007

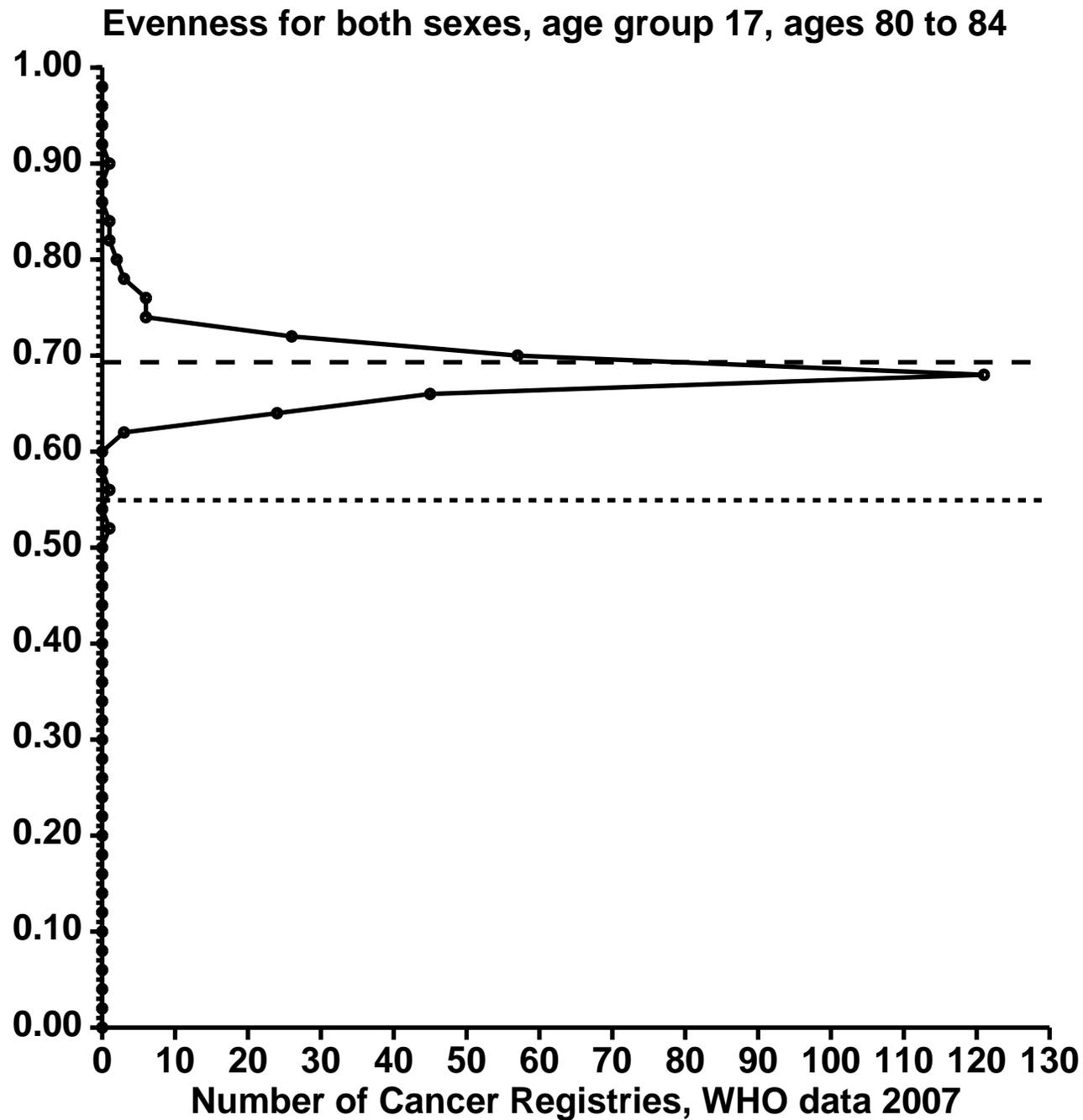


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Cancer is a proxy for cell types, tissues or cell control systems
- Human development is a **Class 1 biological system!**

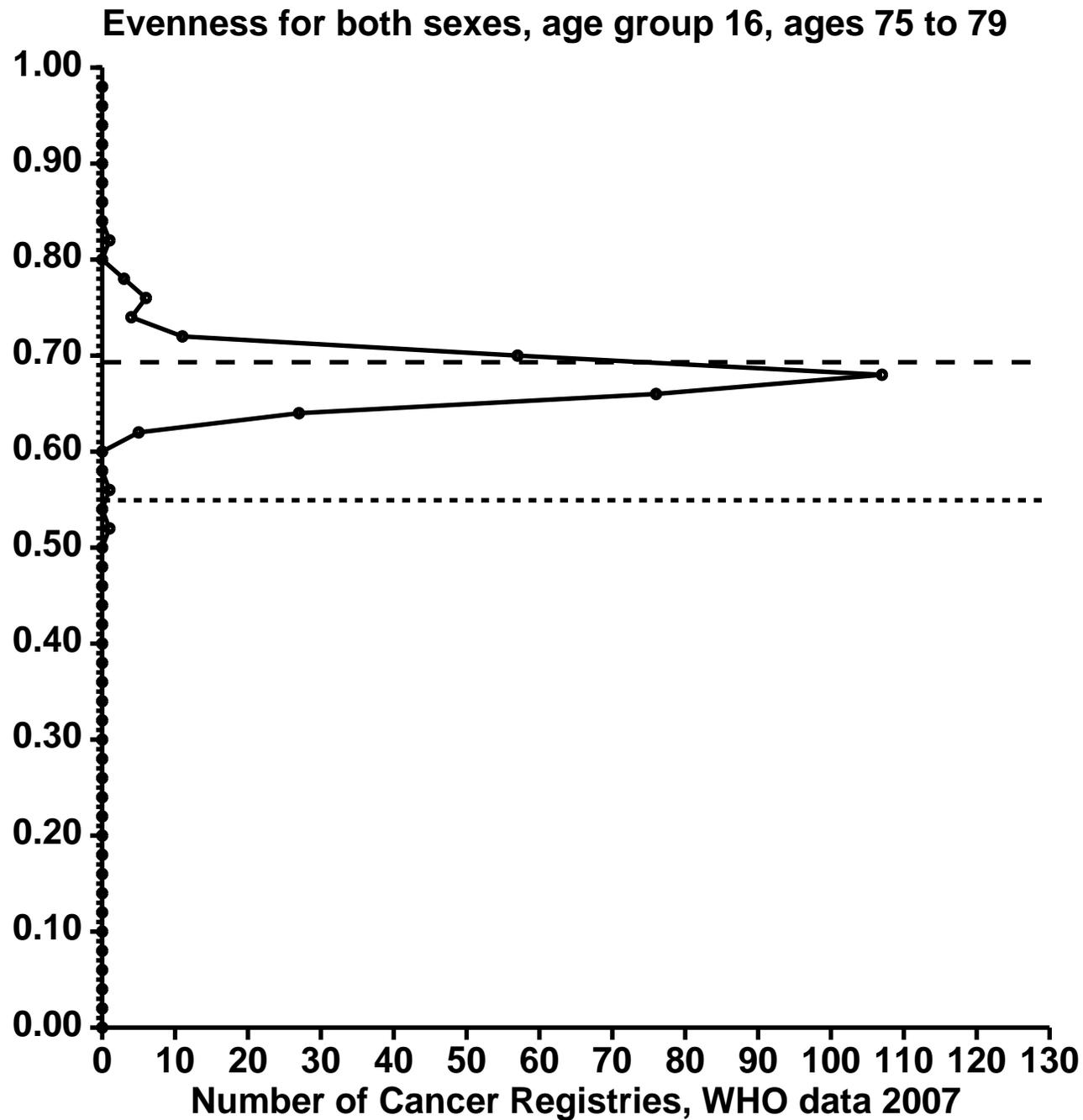
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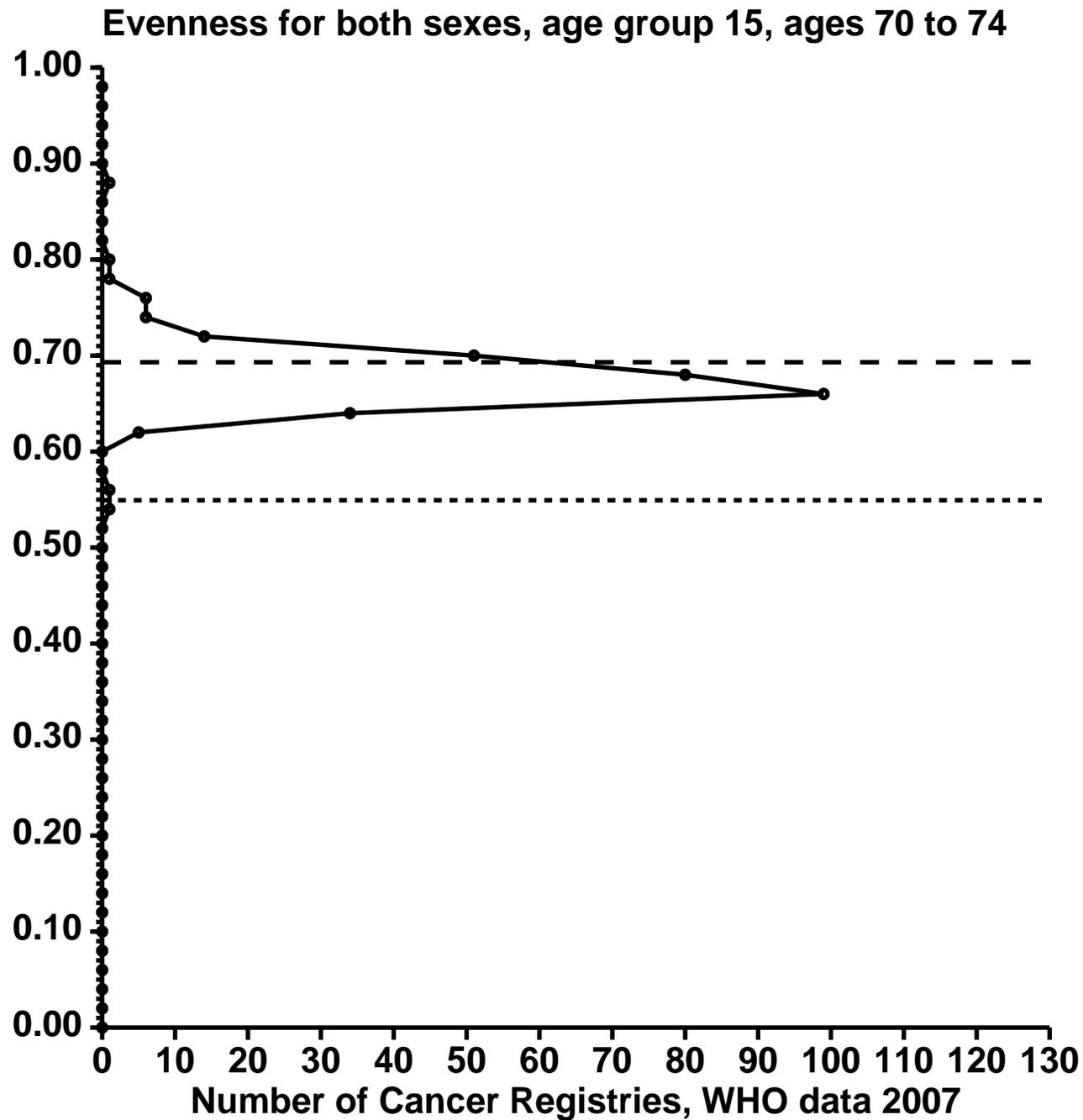
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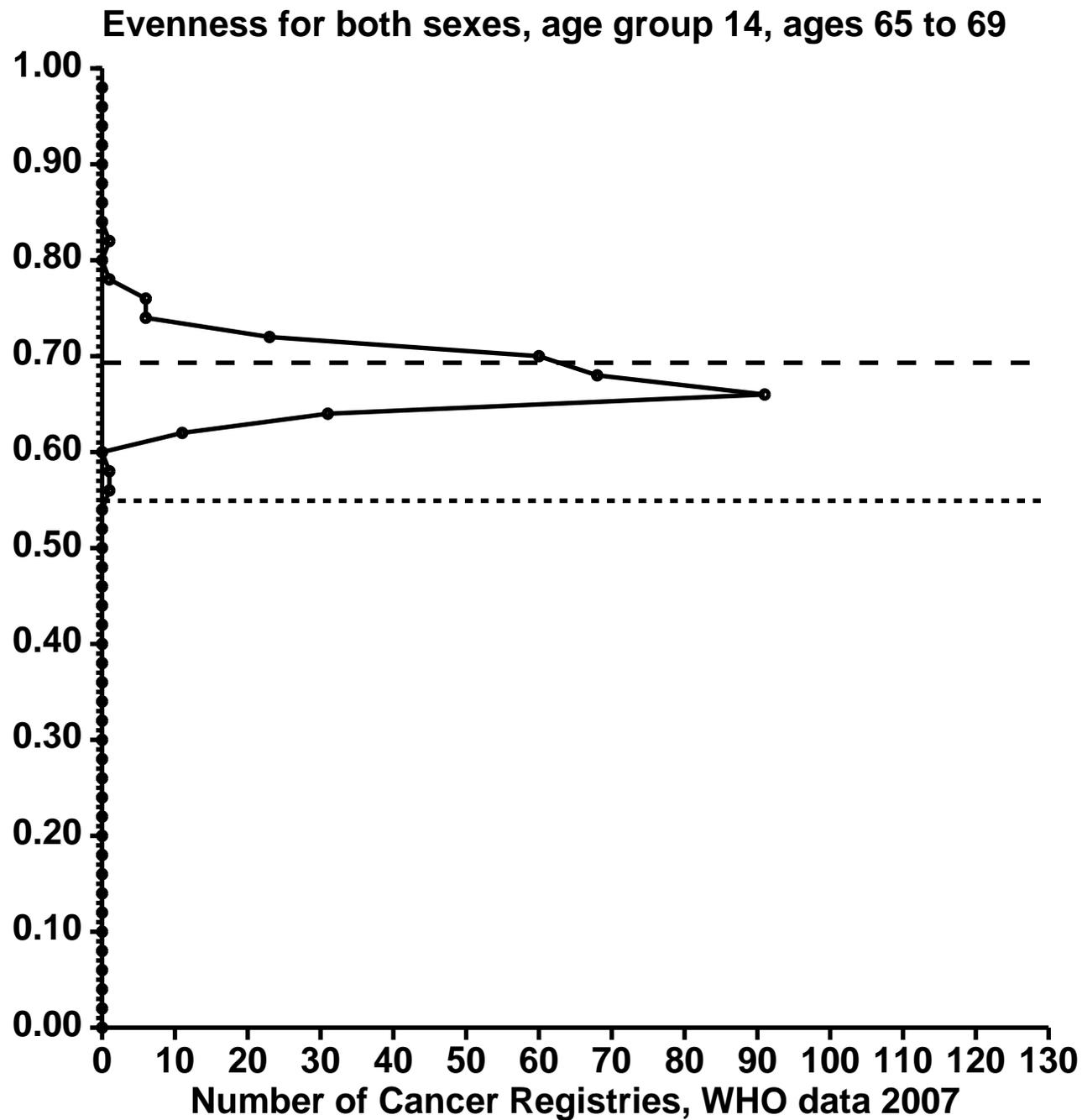
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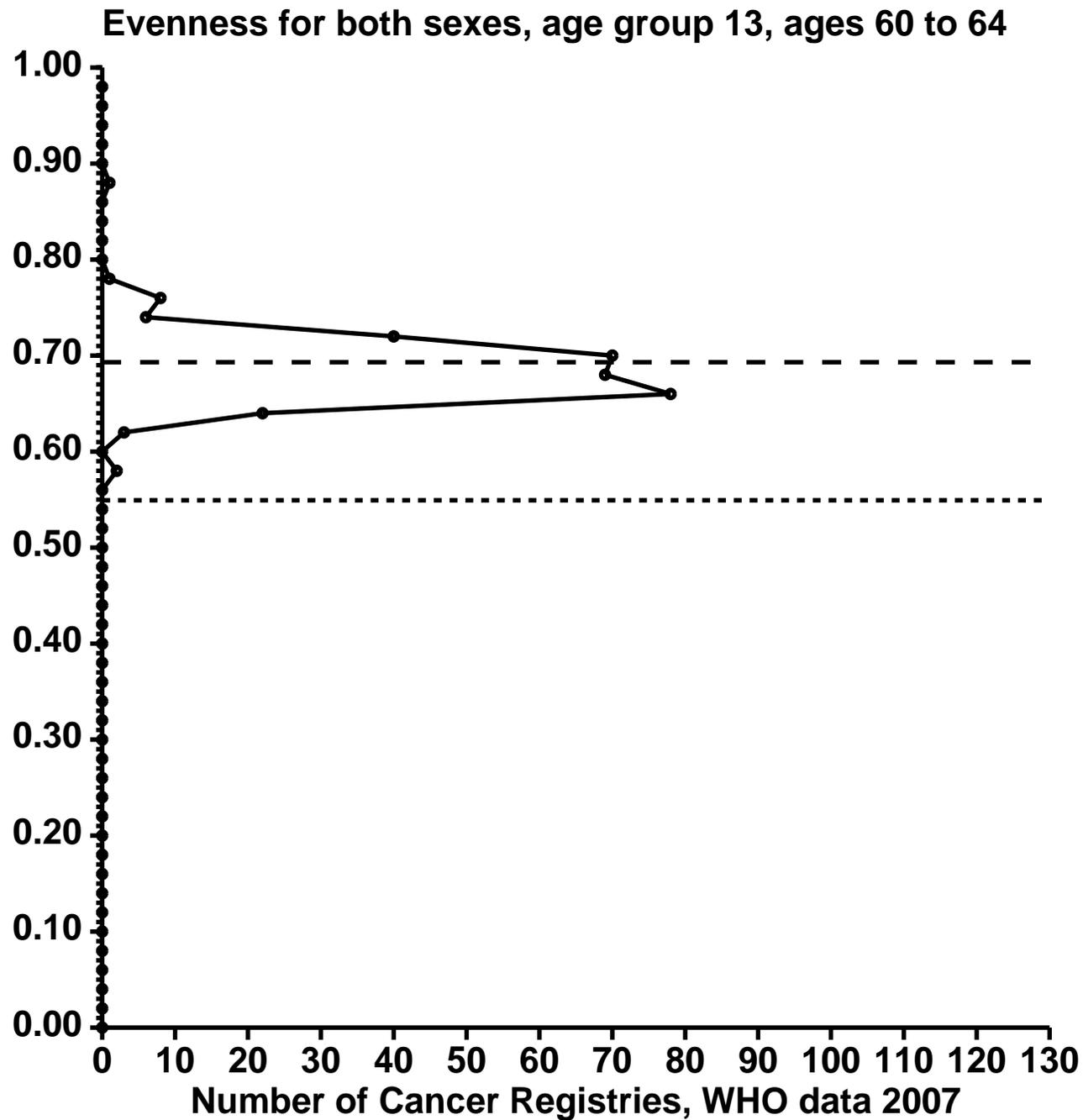
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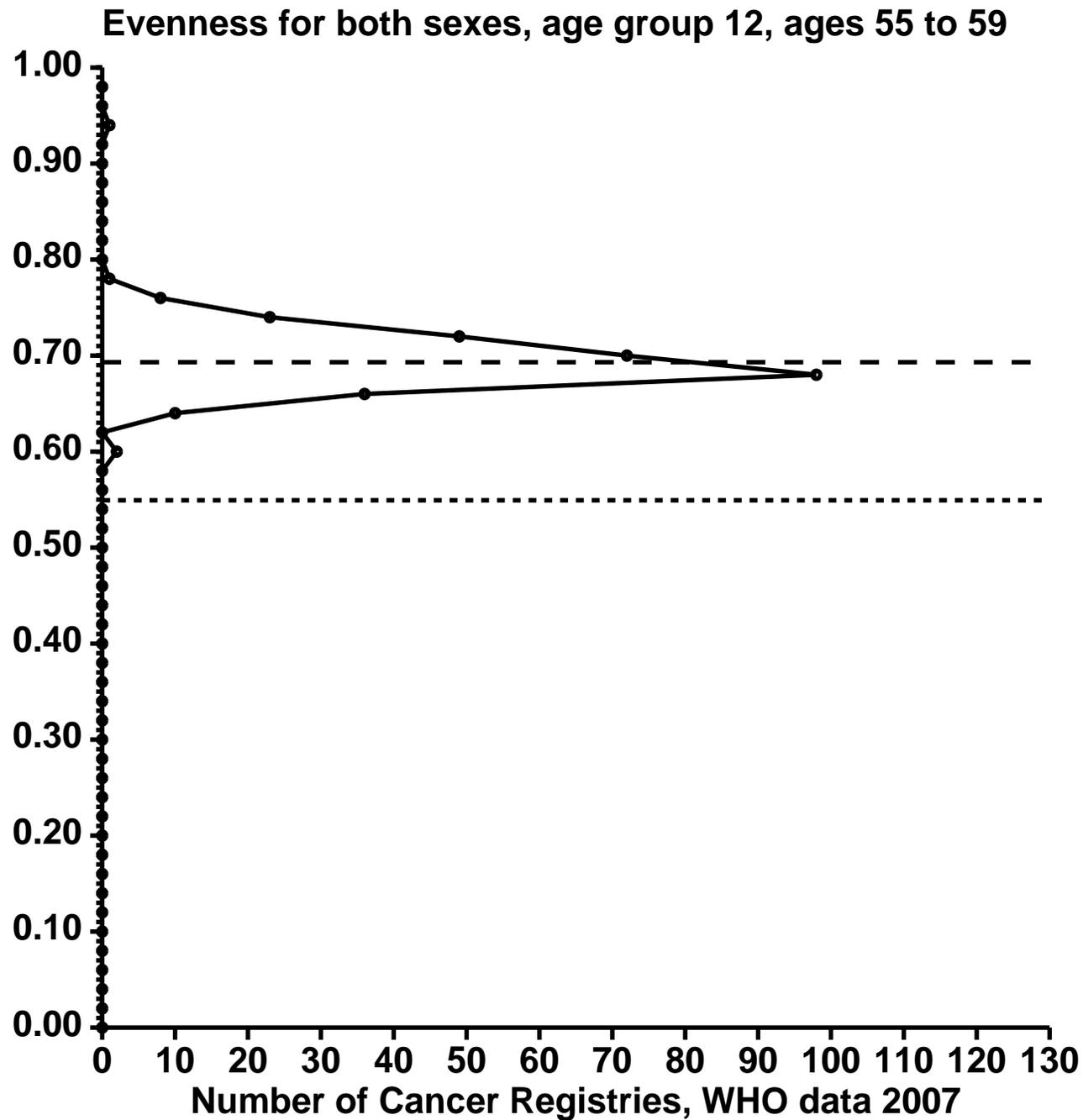
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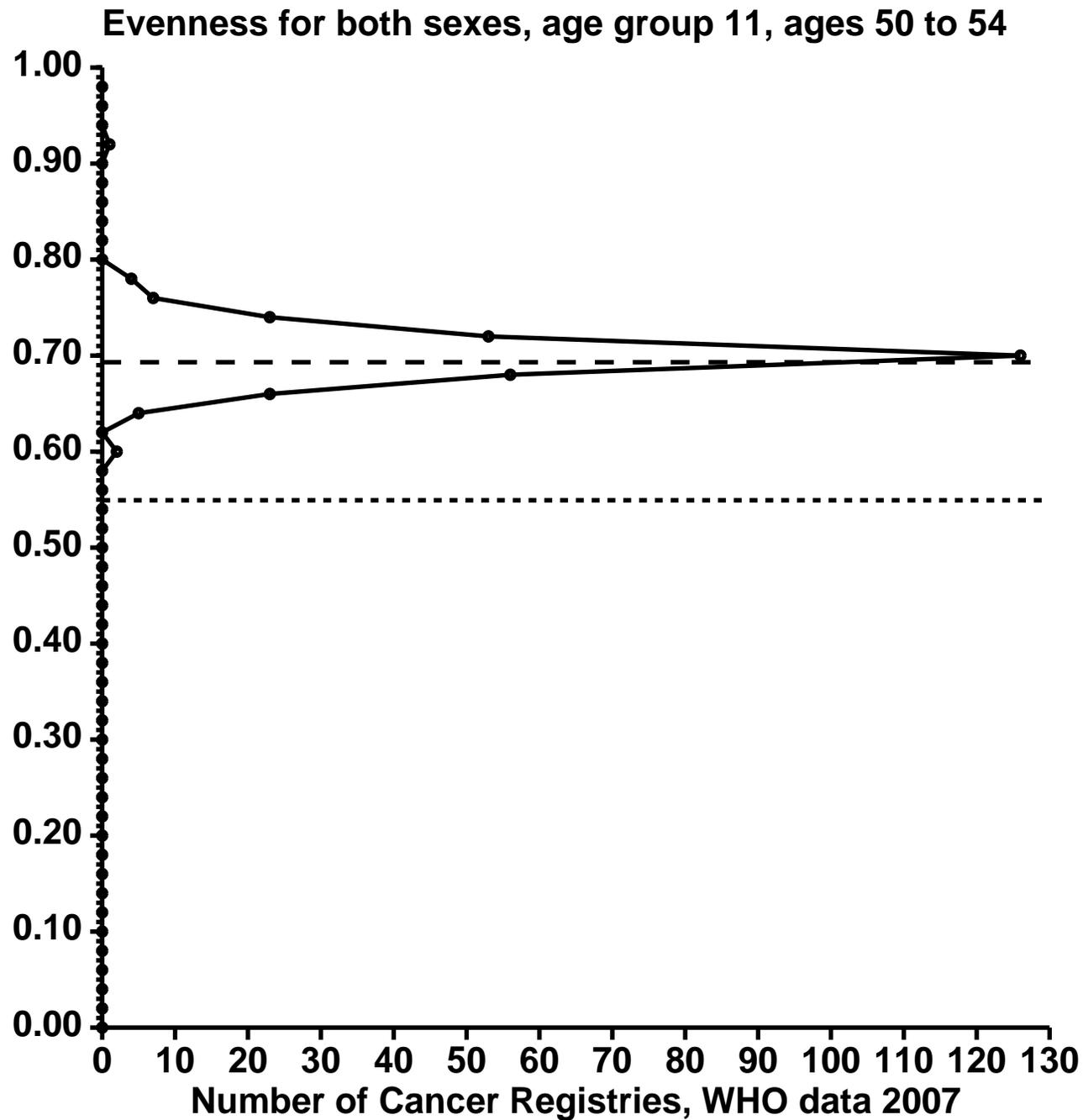
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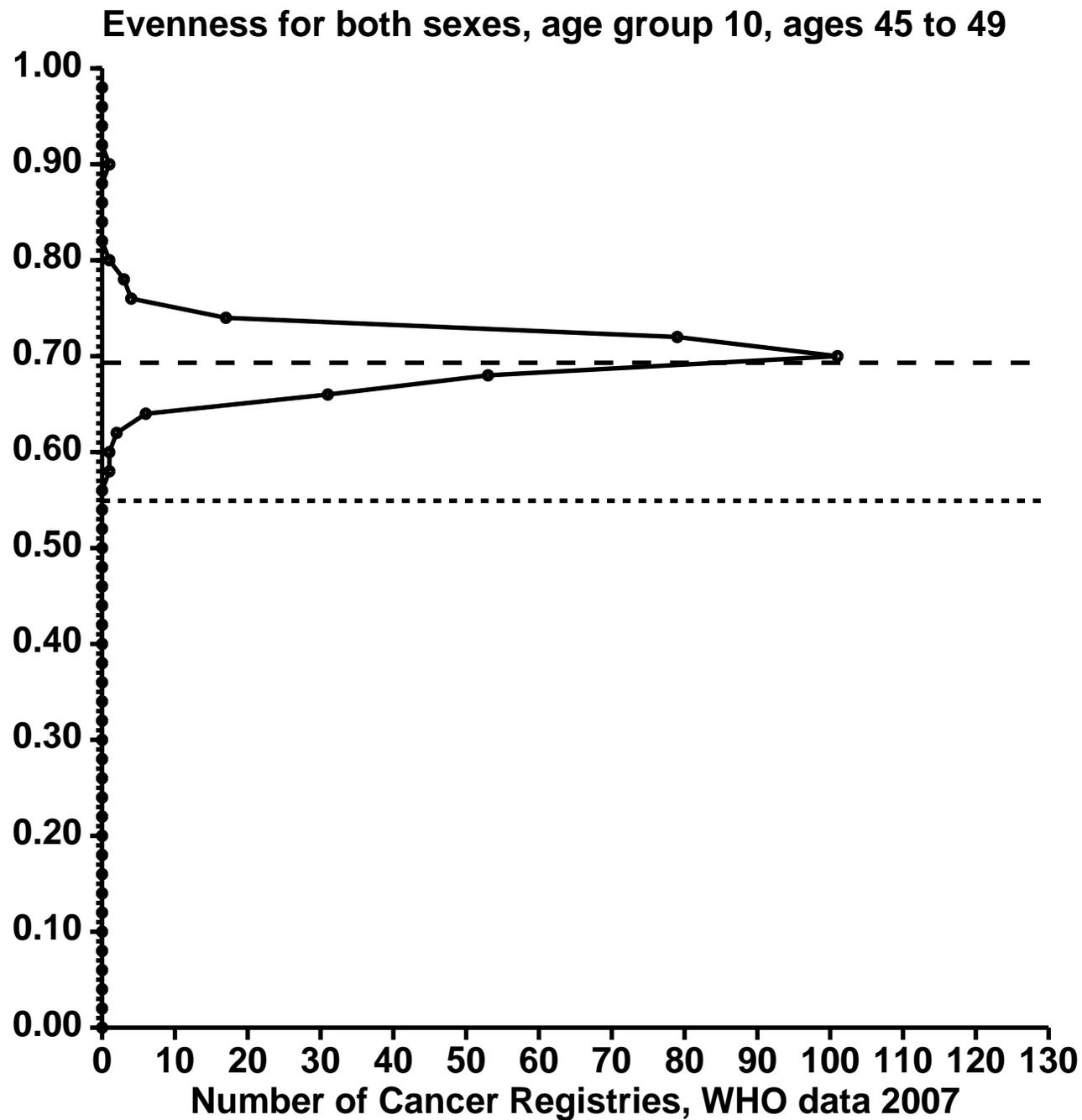
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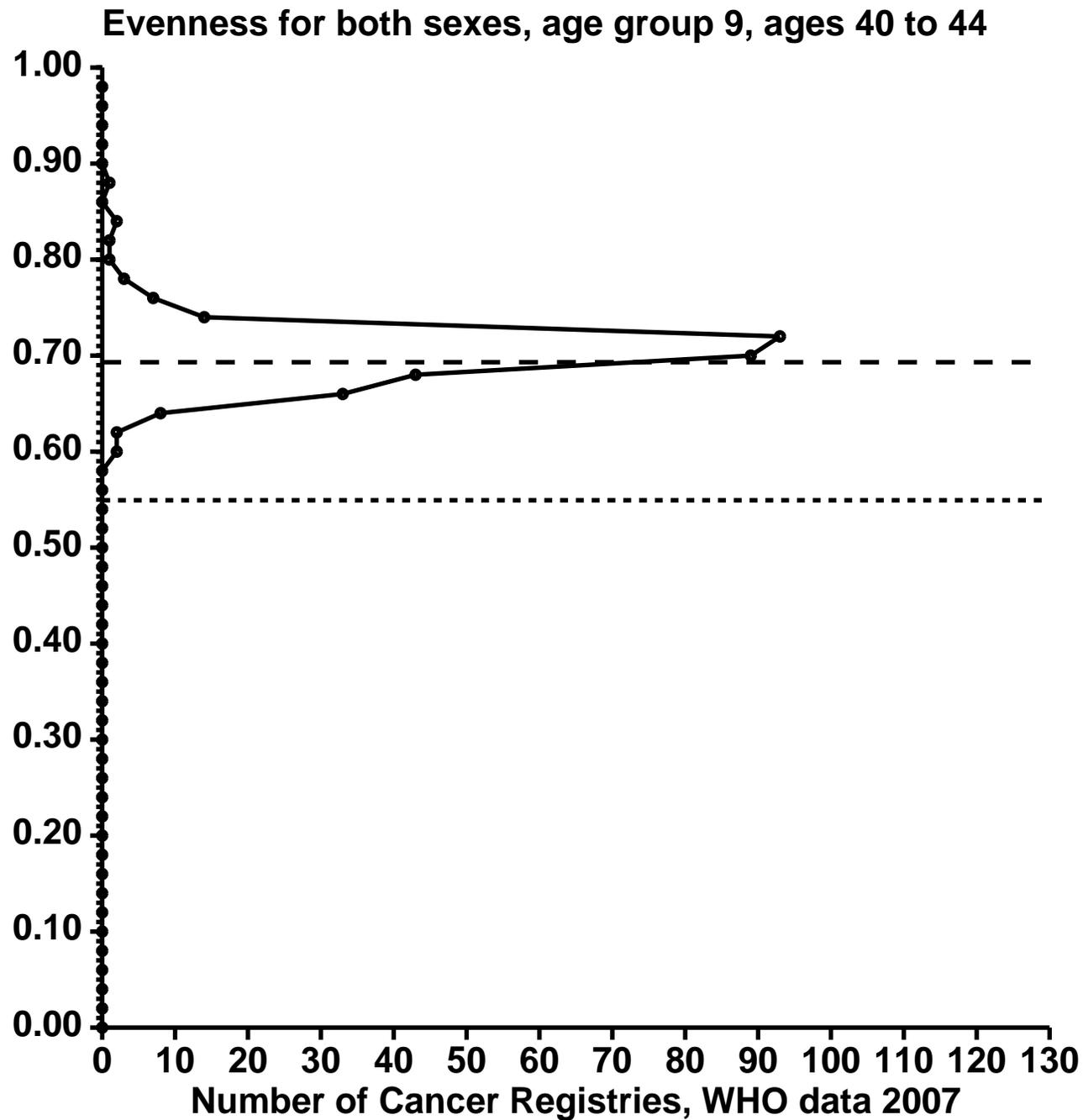
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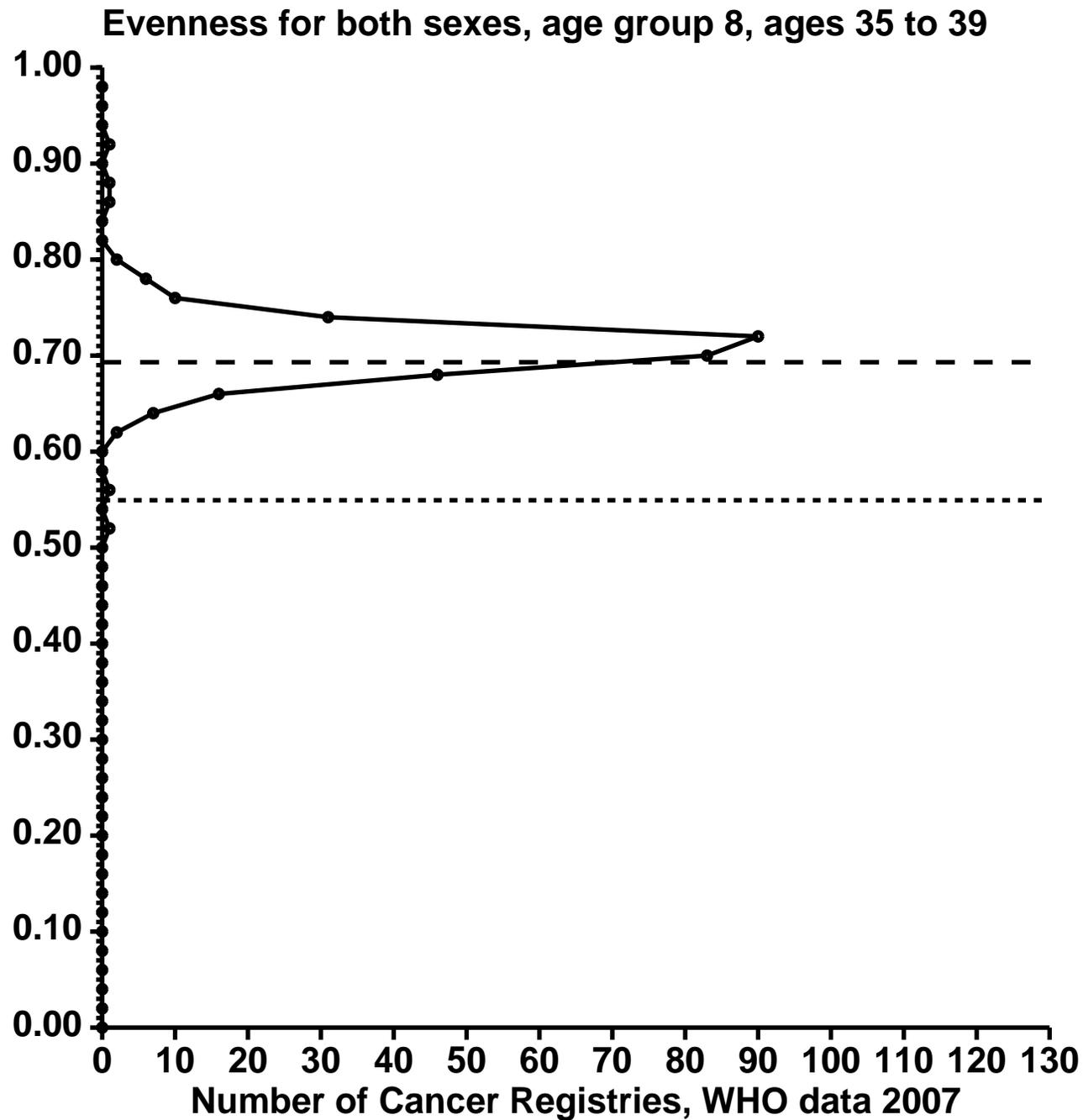
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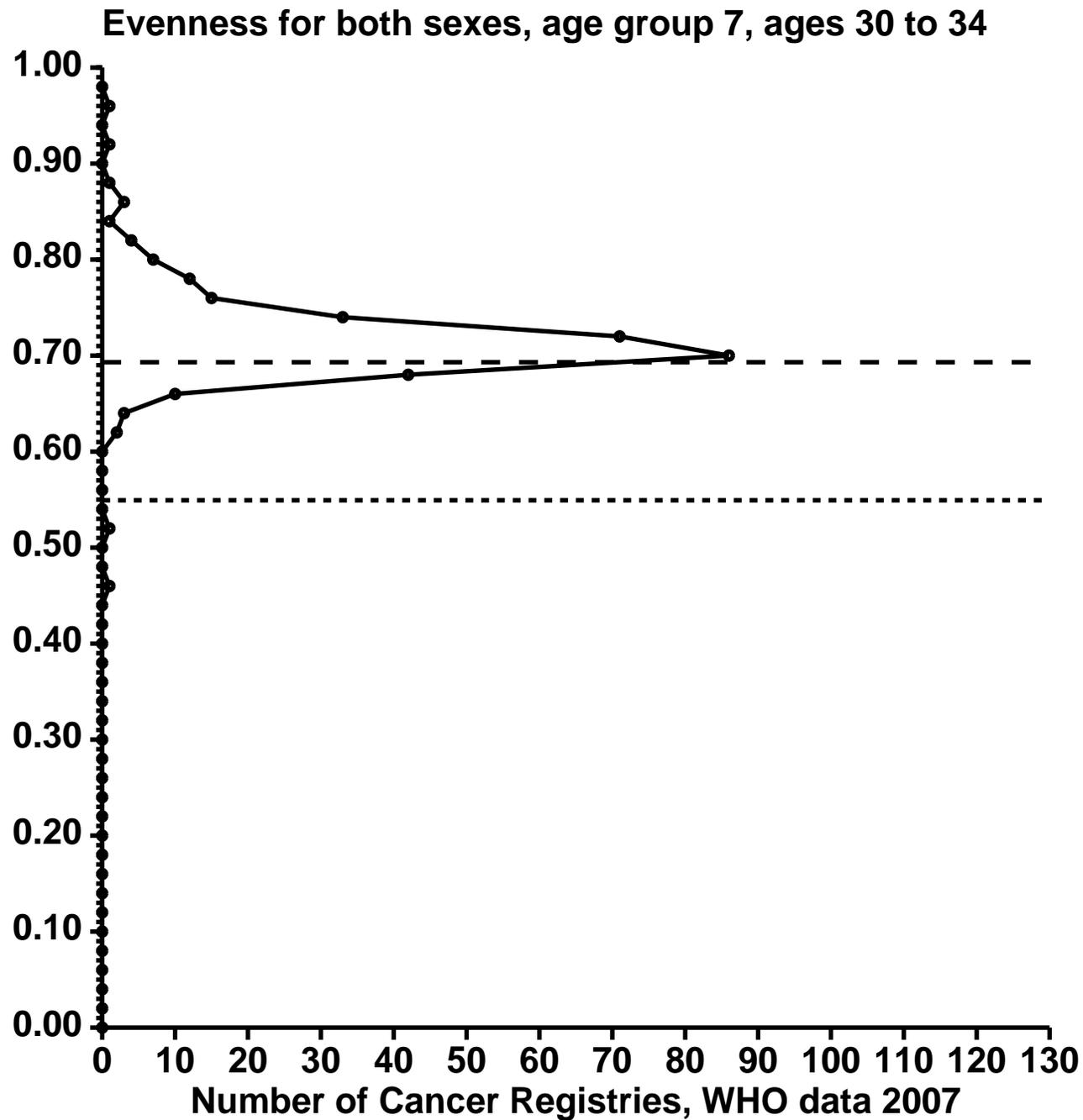
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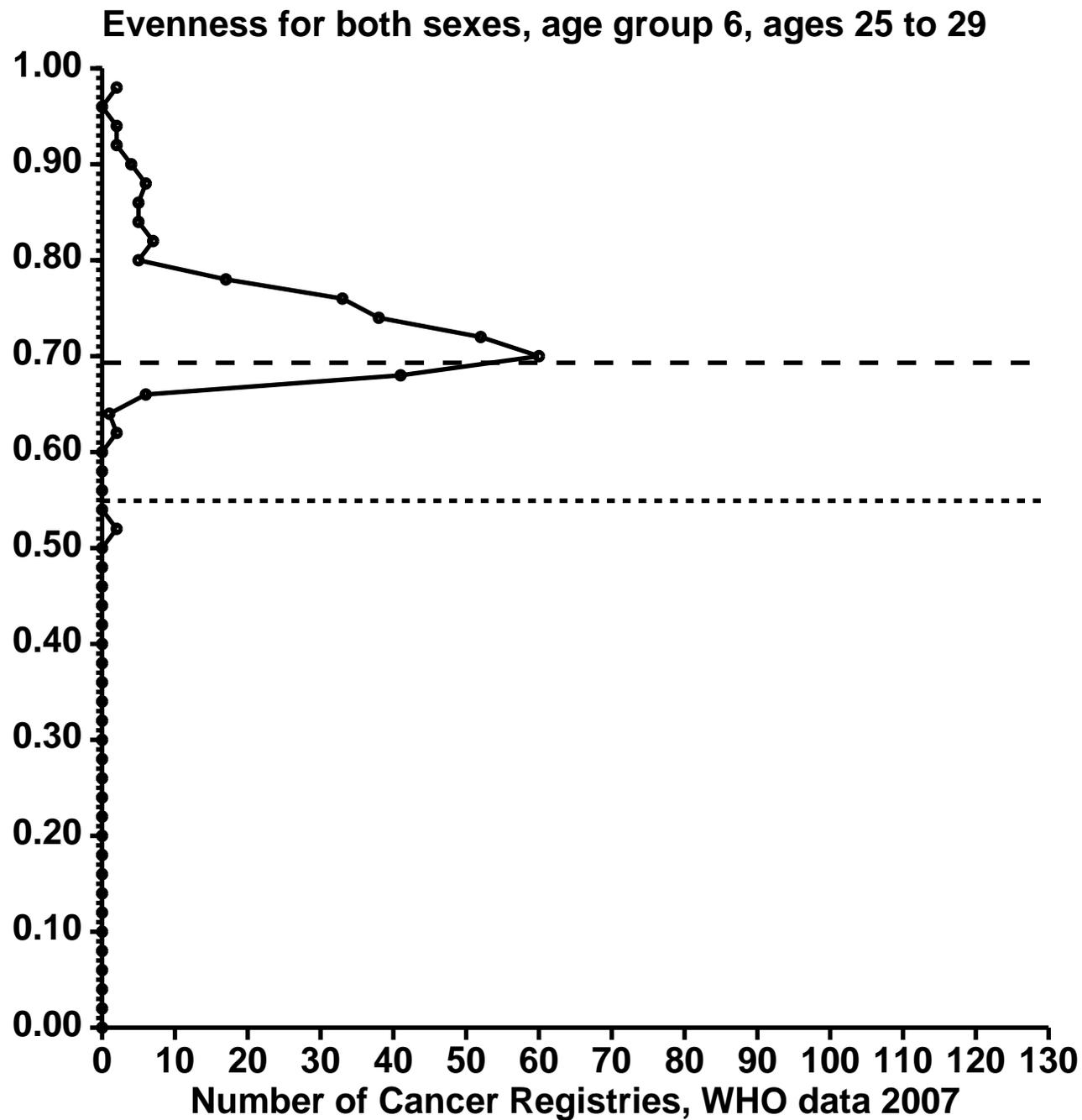
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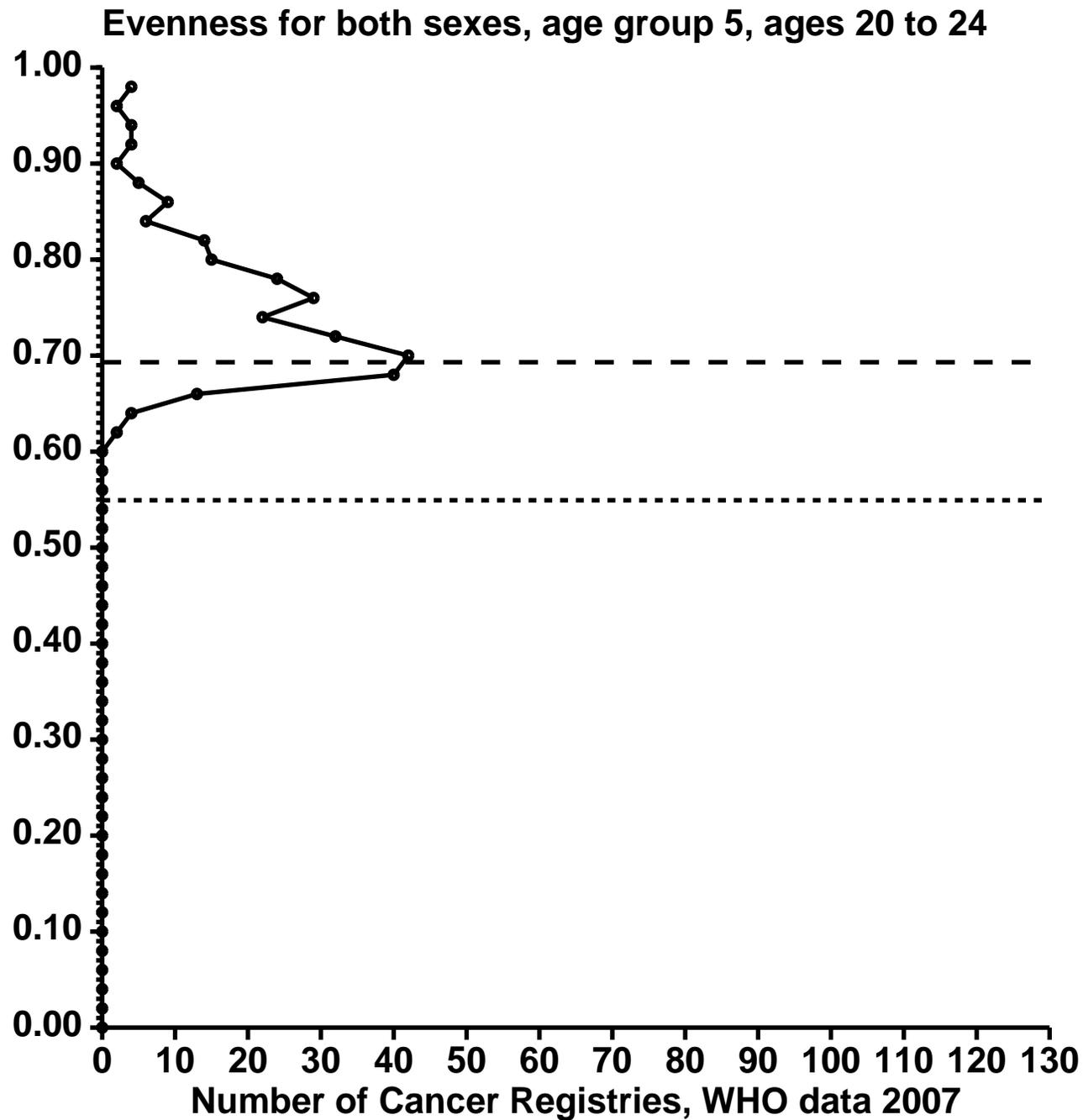
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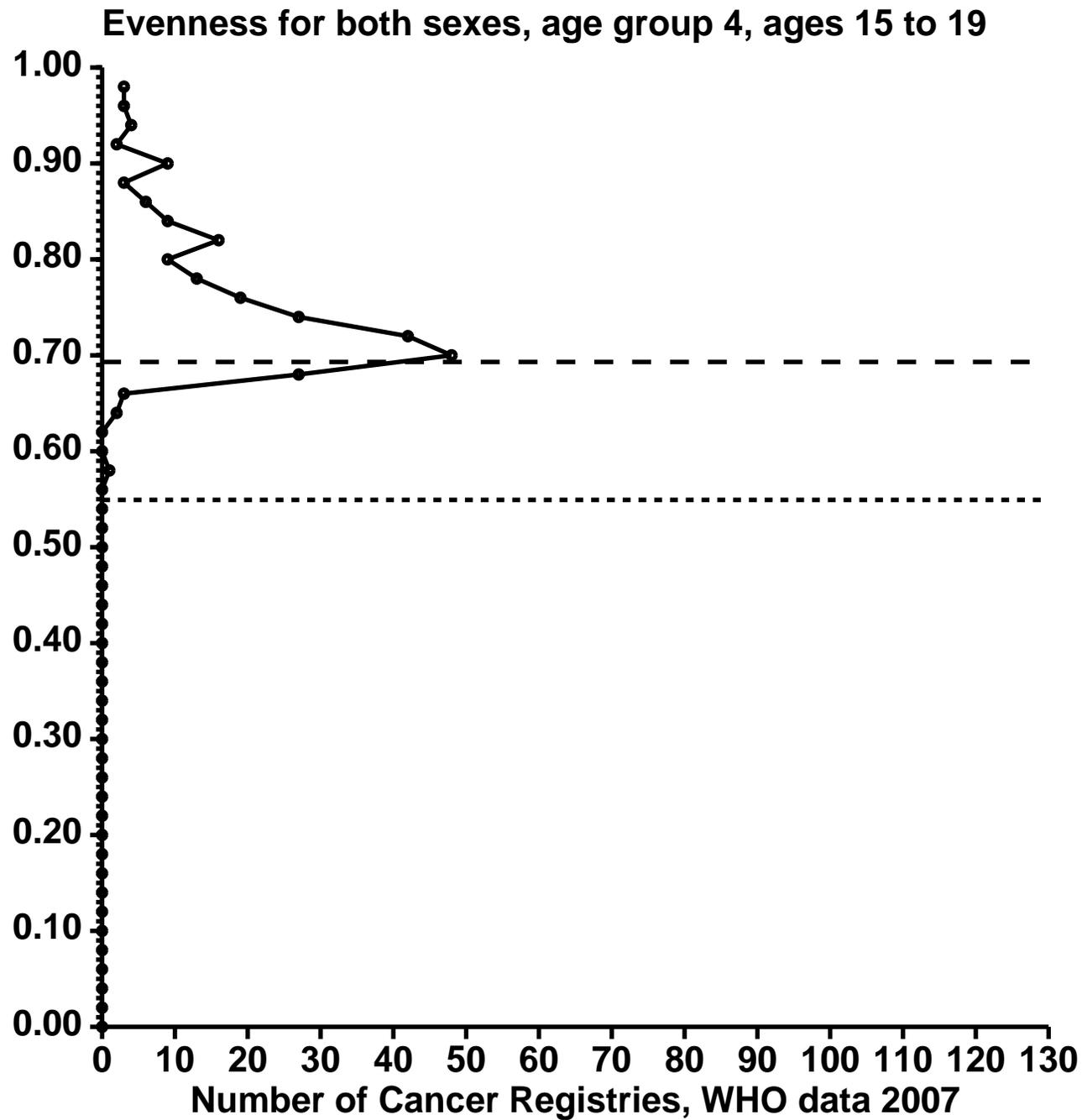
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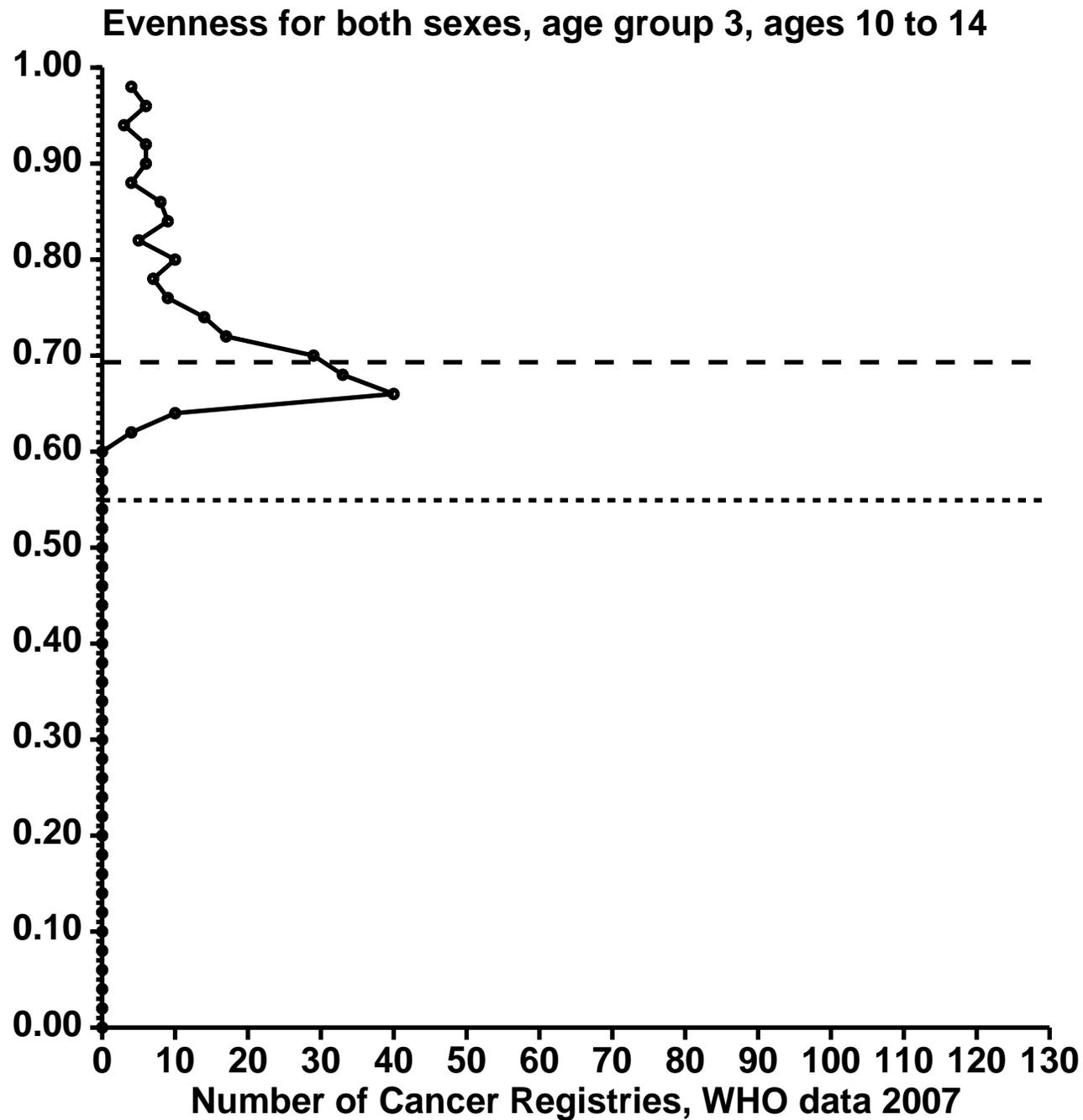
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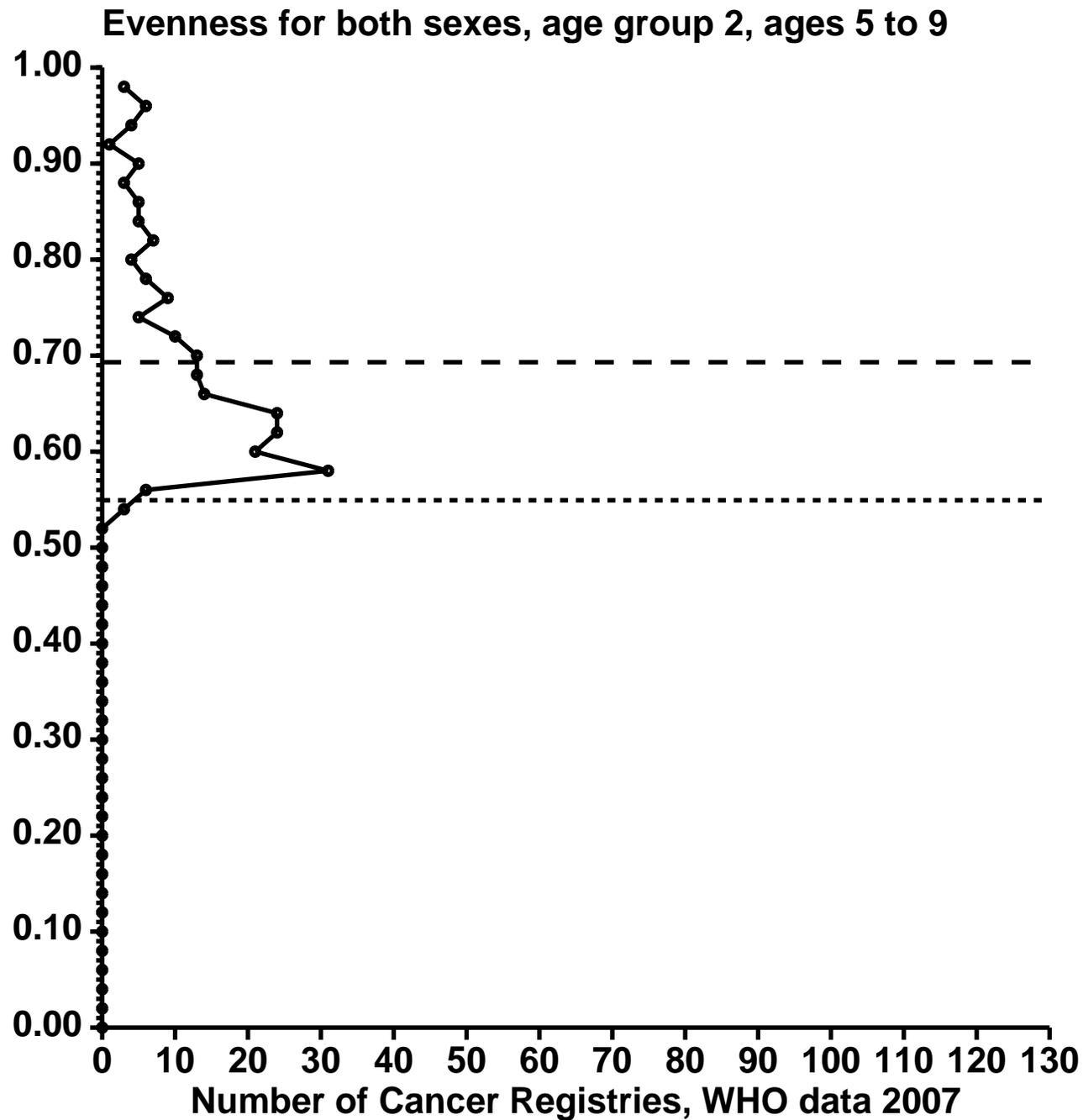
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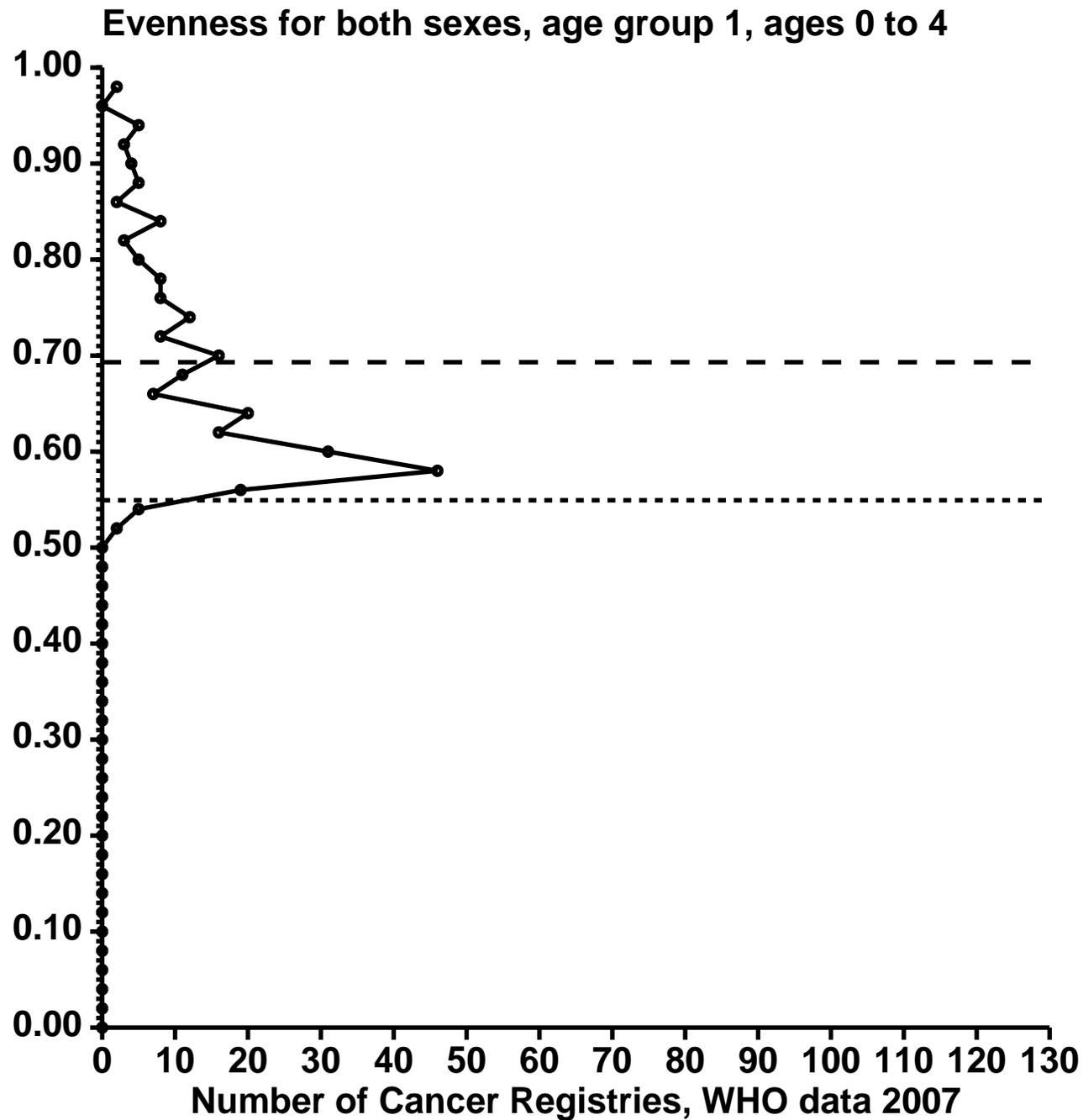
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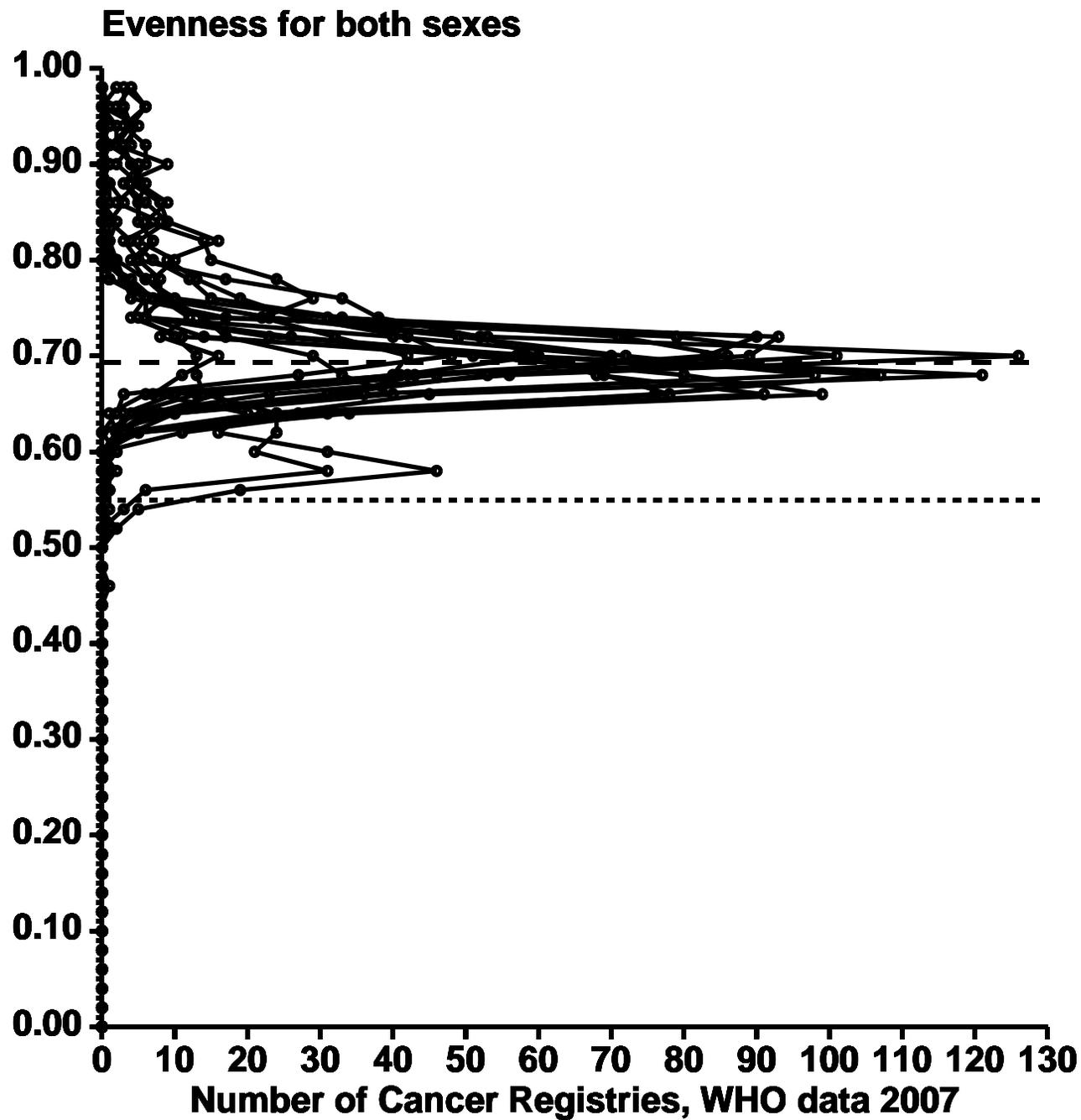
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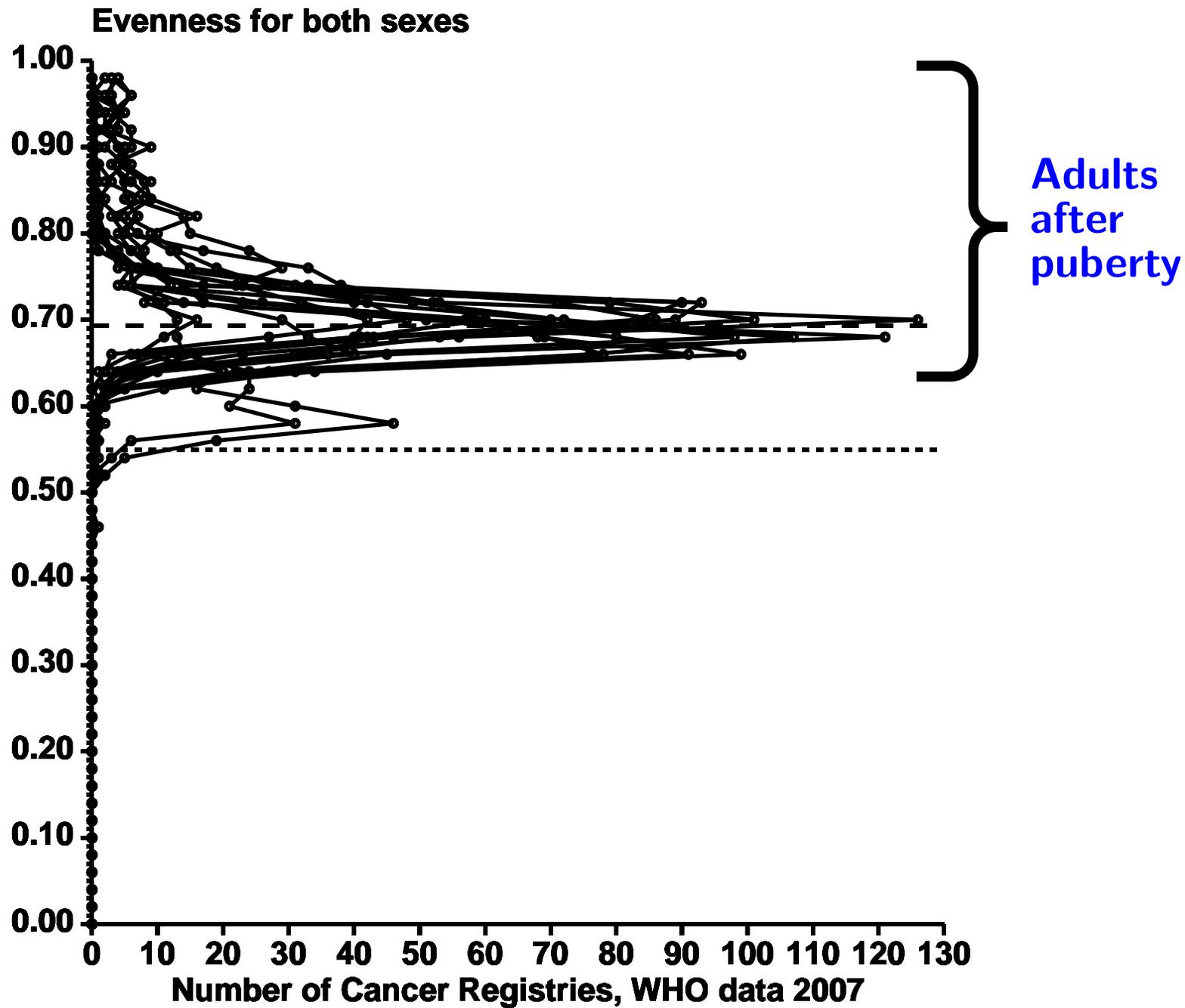
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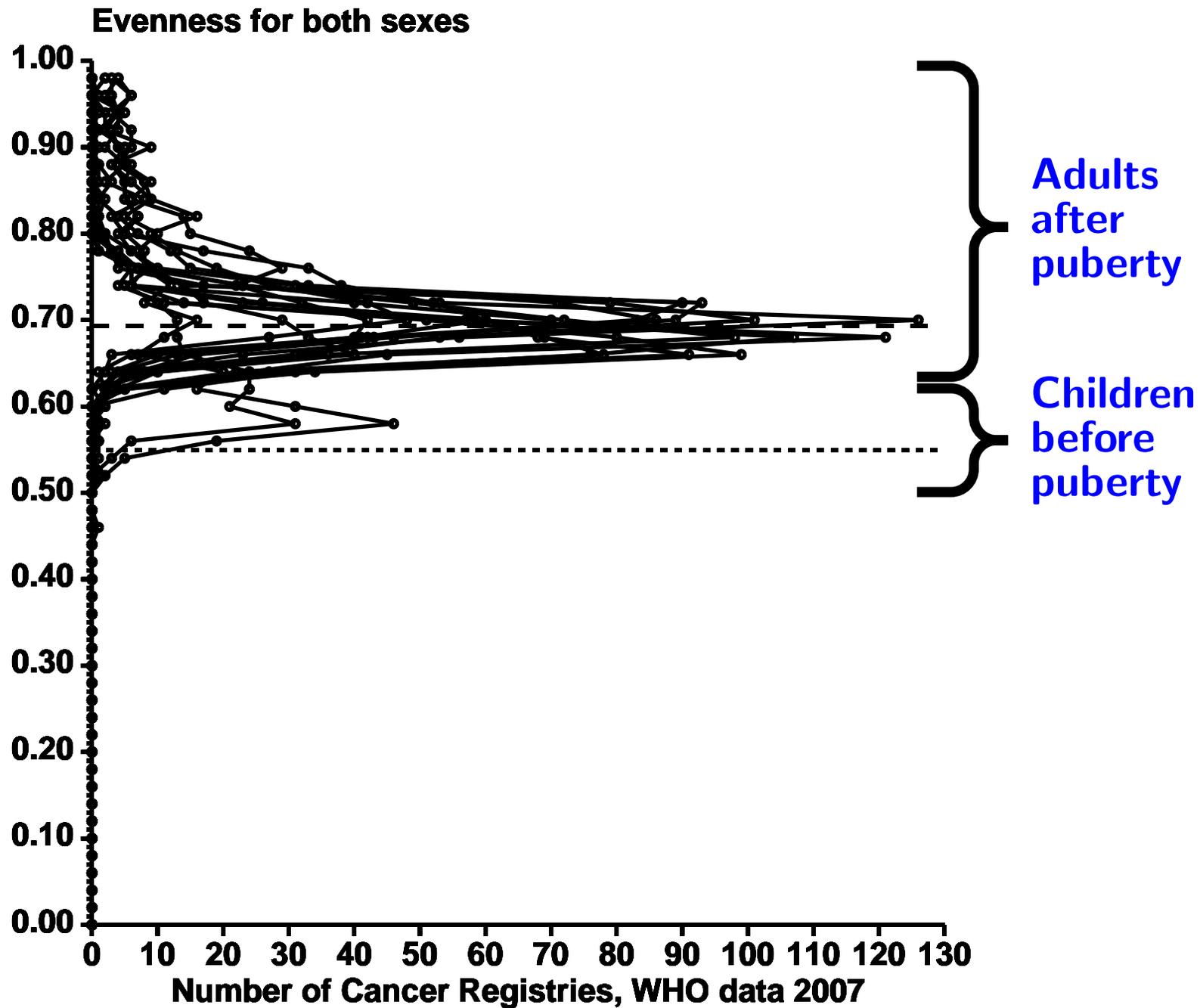
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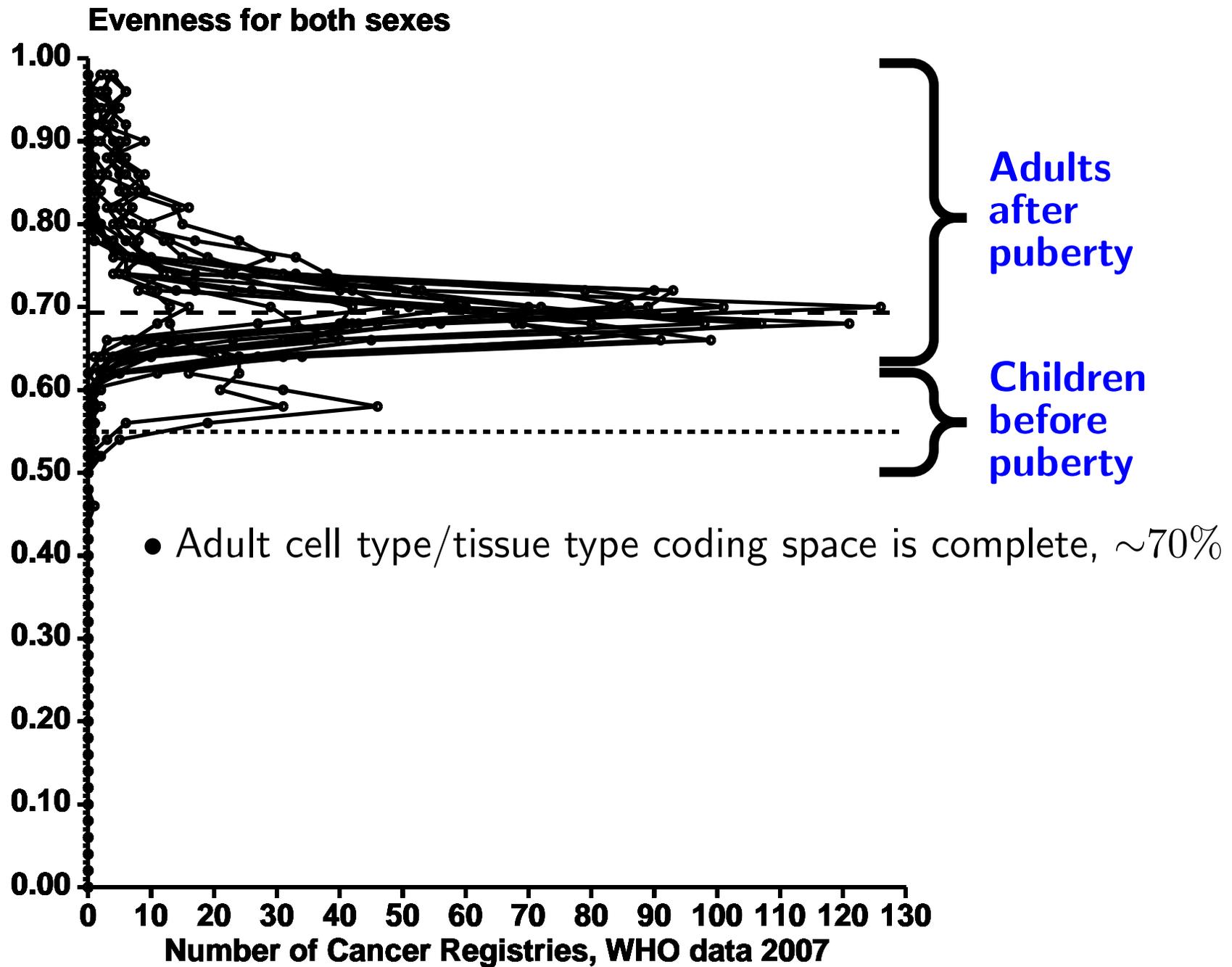
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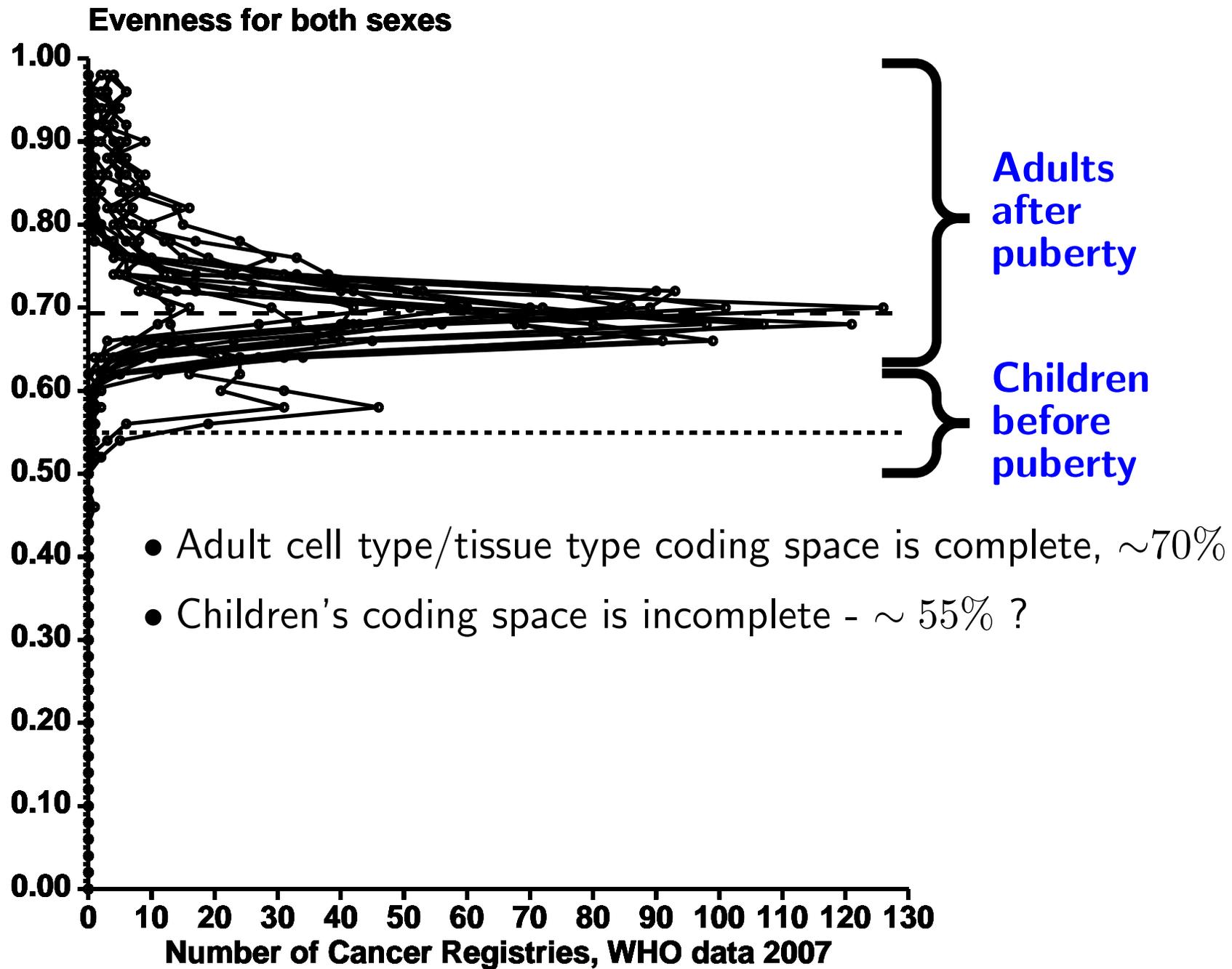
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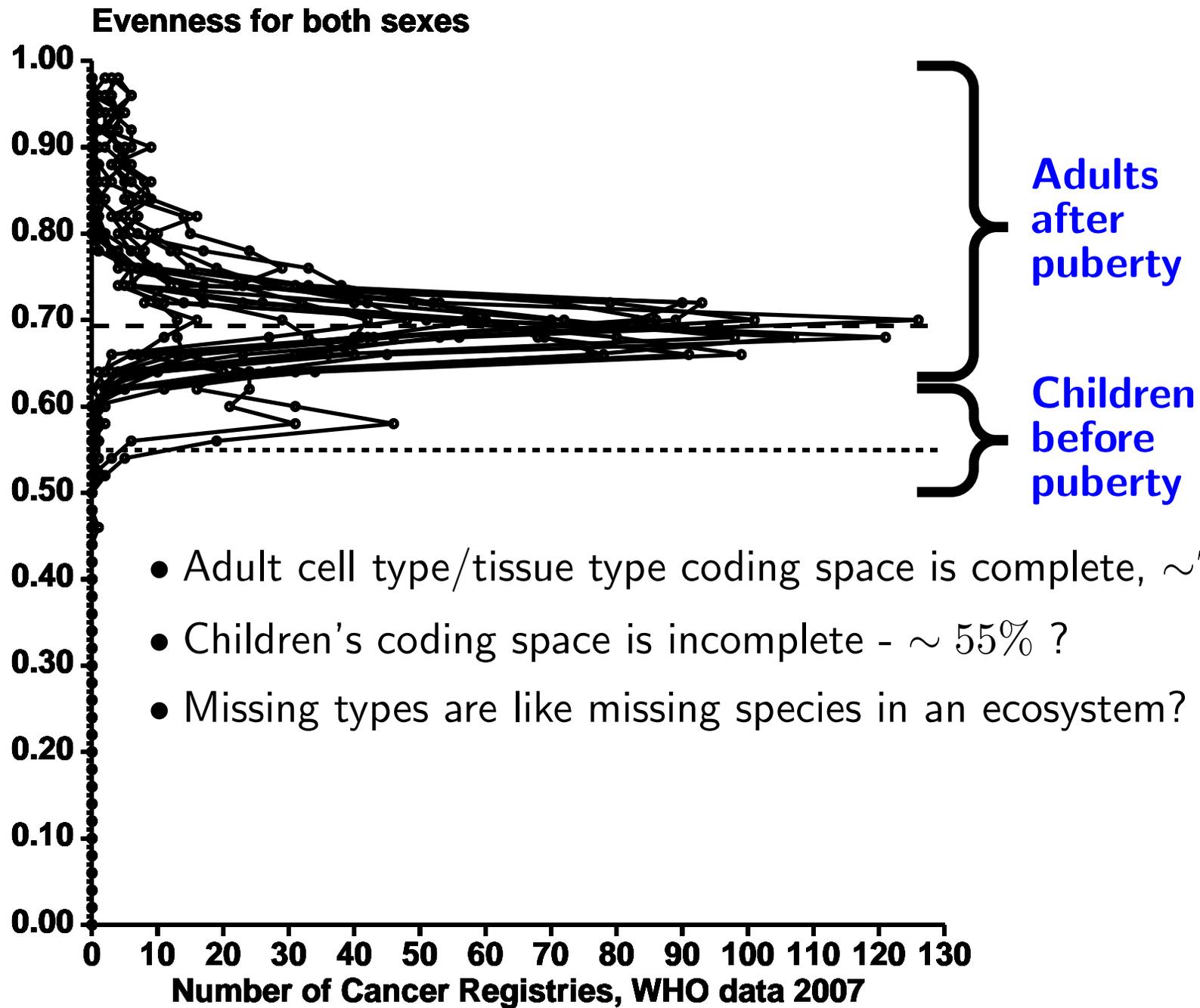
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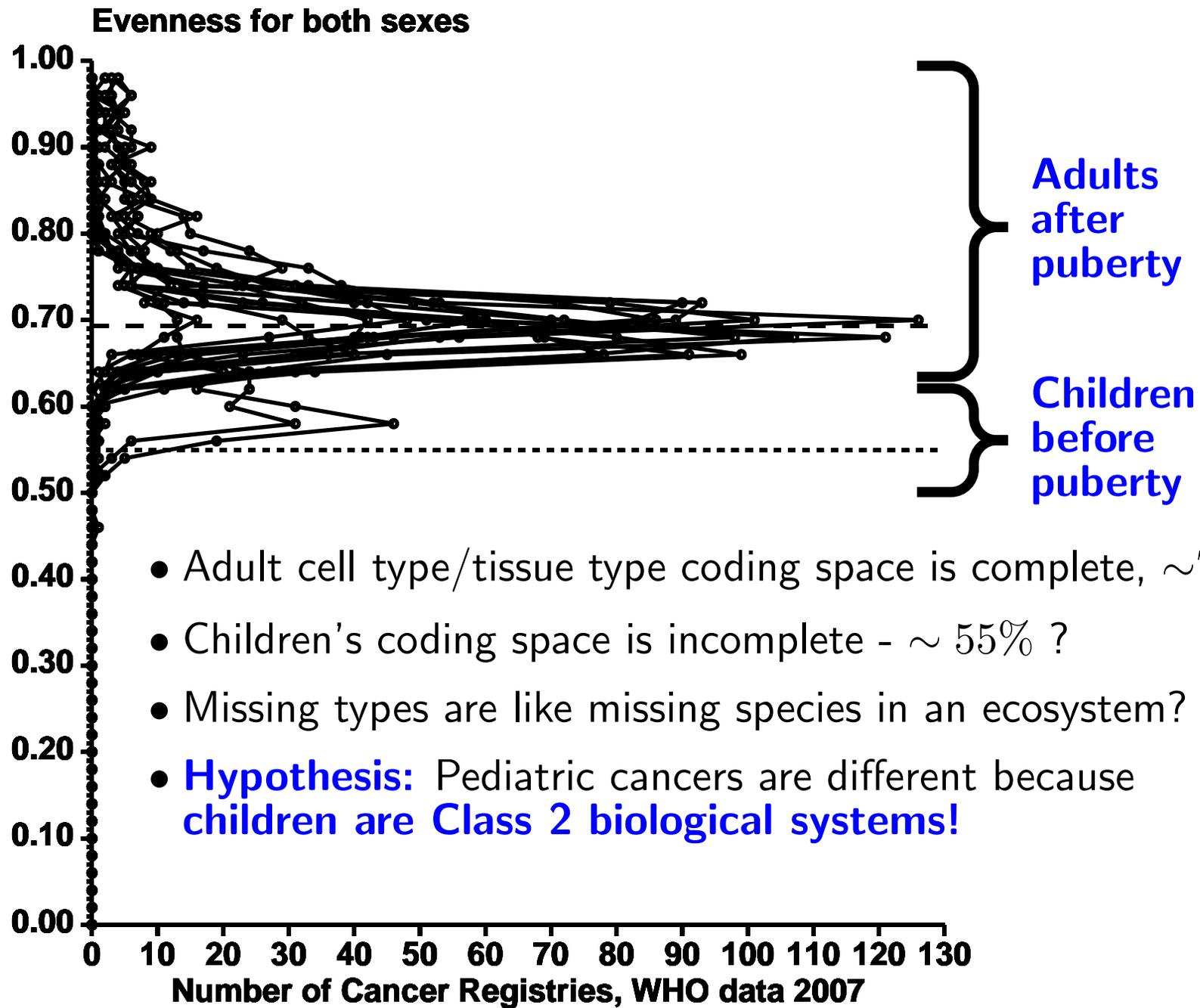
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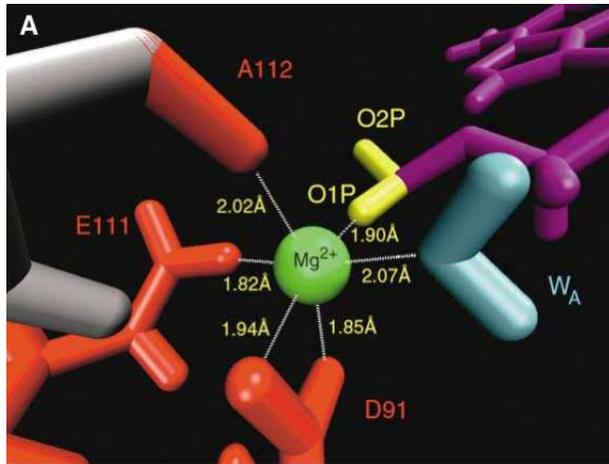
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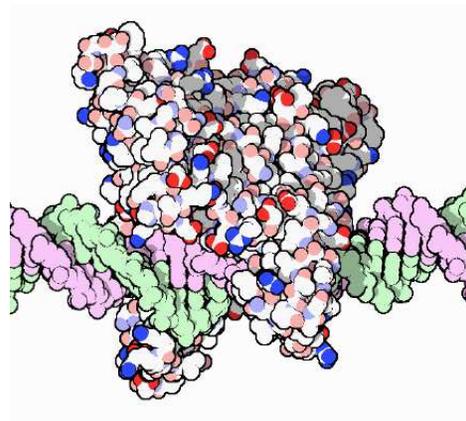
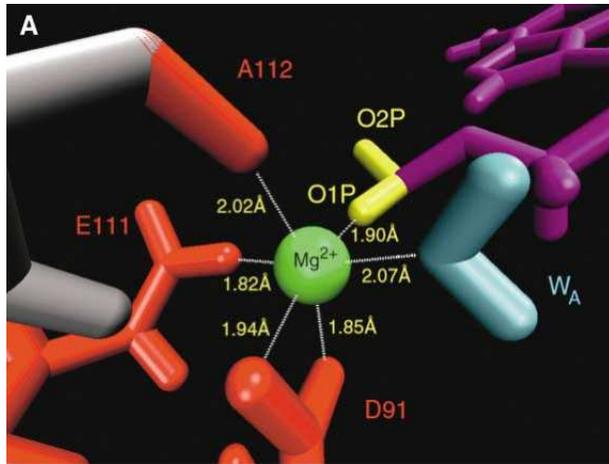
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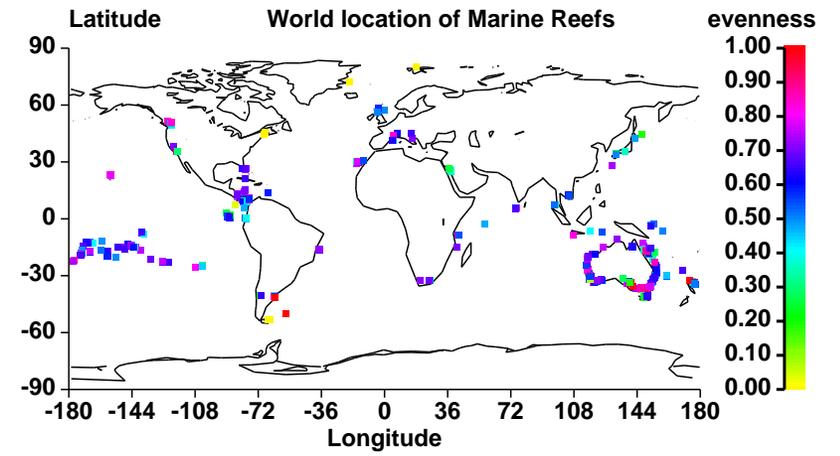
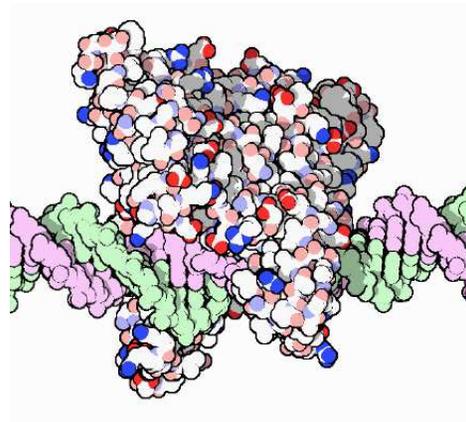
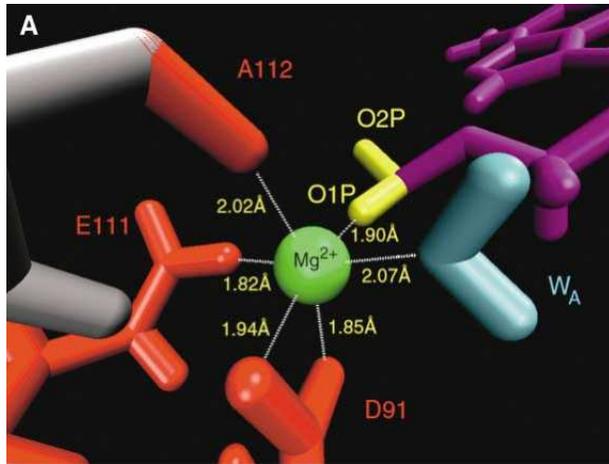
Conclusions



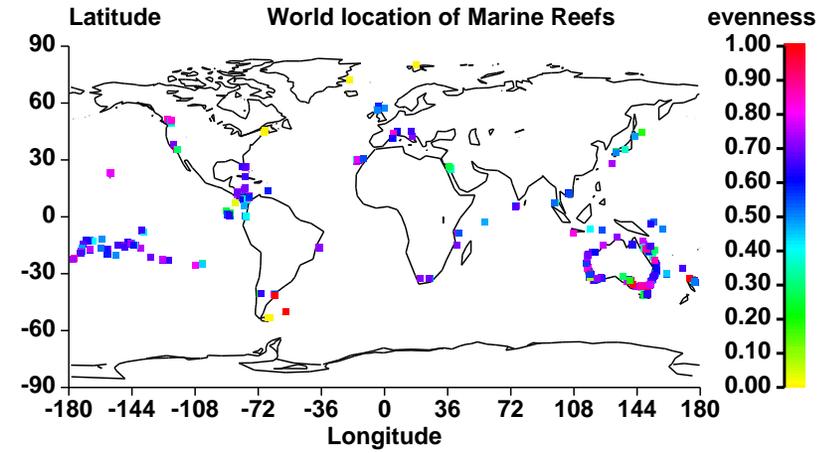
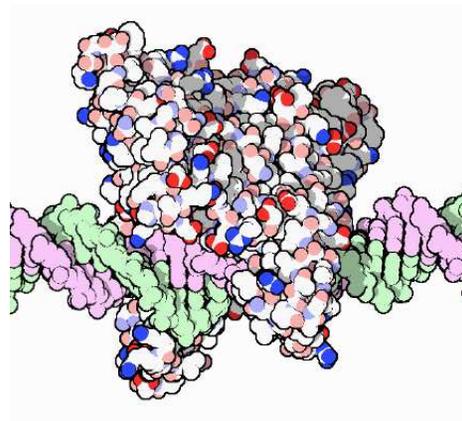
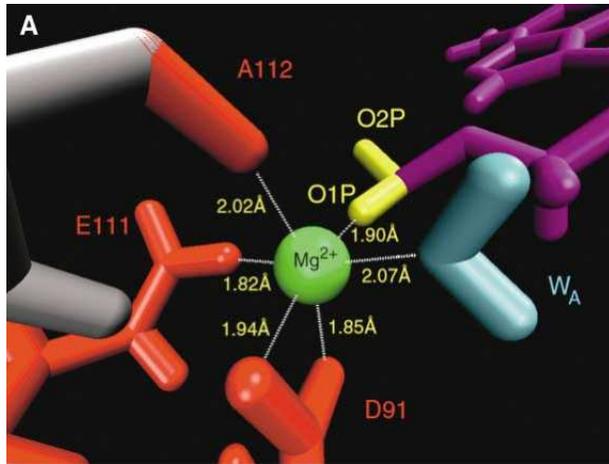
Conclusions



Conclusions

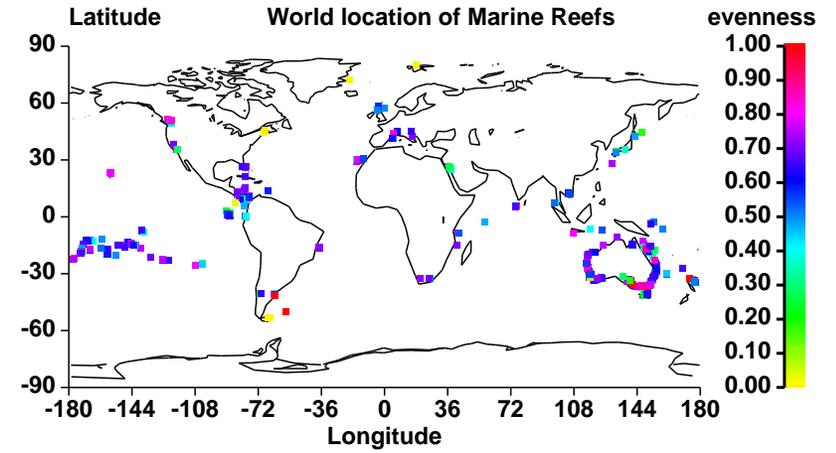
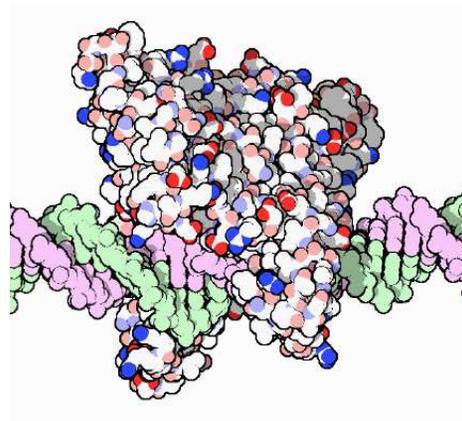
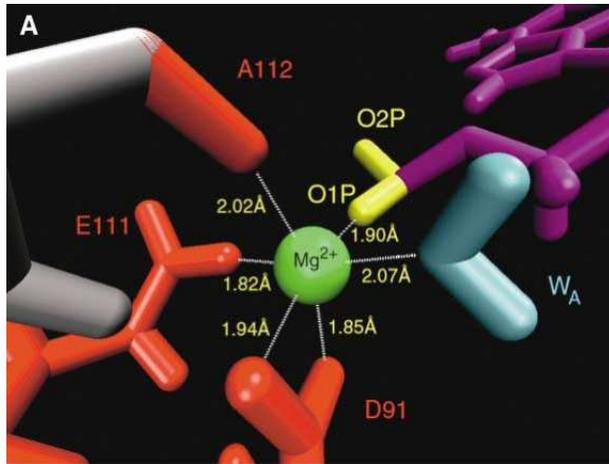


Conclusions



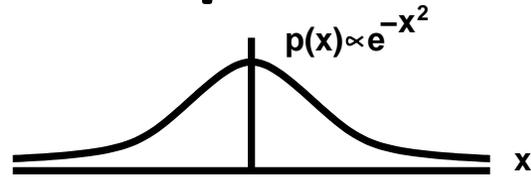
Three Principles of Biological States

Conclusions

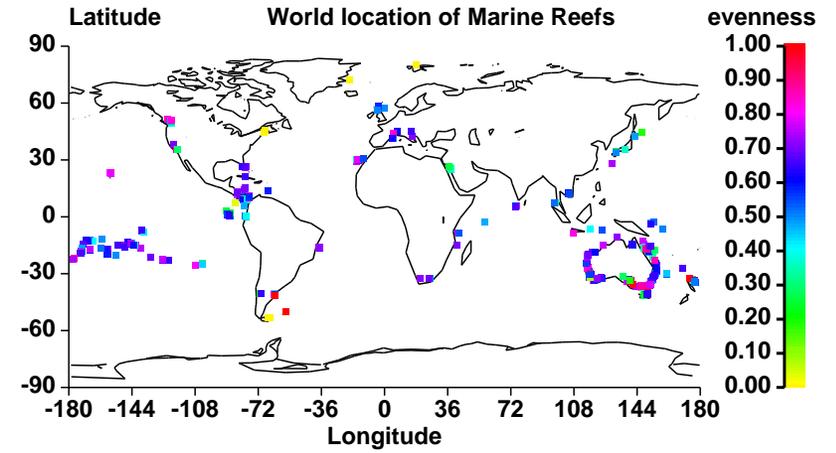
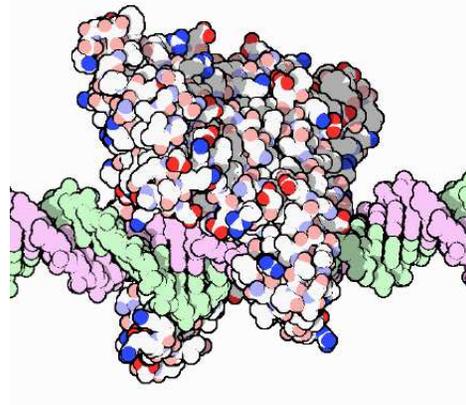
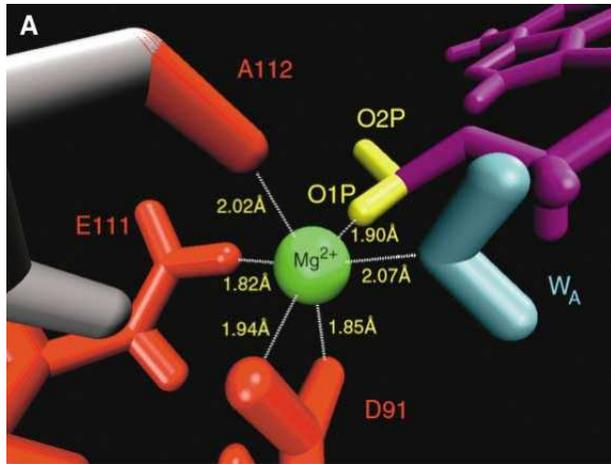


Three Principles of Biological States

- Noise

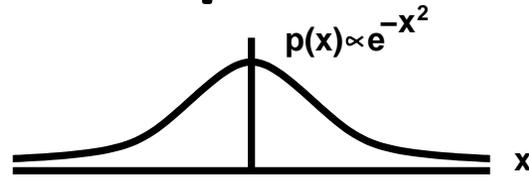


Conclusions

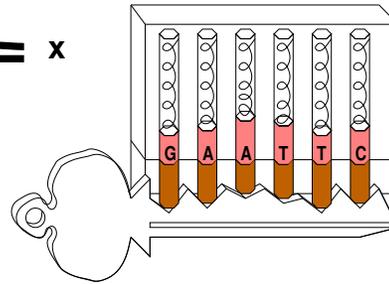


Three Principles of Biological States

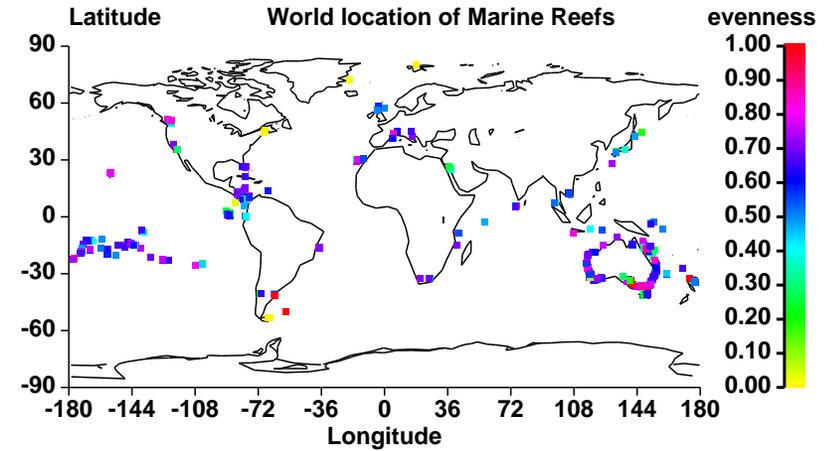
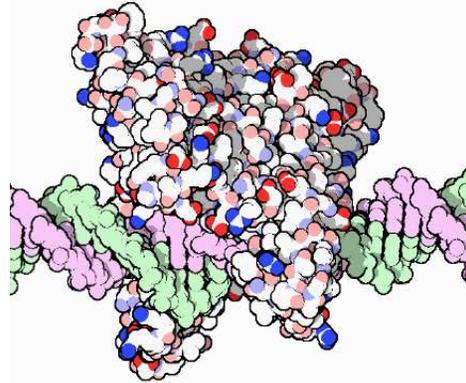
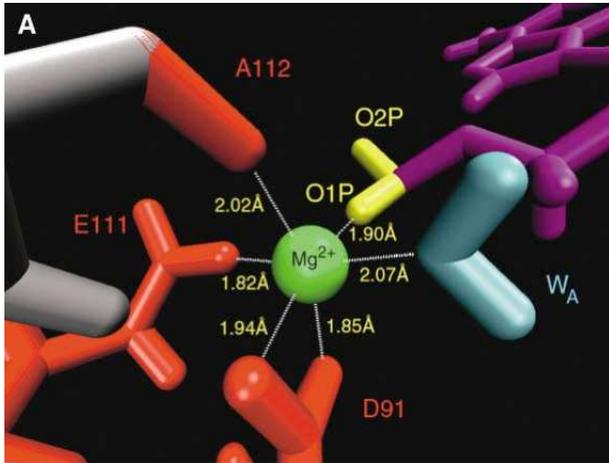
- Noise



- High dimensionality

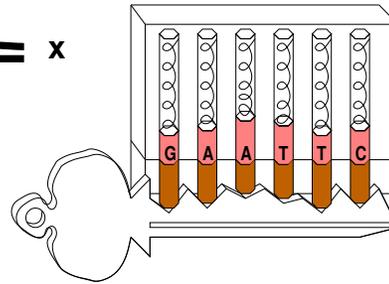
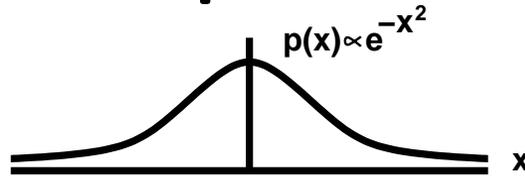


Conclusions



Three Principles of Biological States

- Noise
- High dimensionality
- Separation of states



These Principles imply that the isothermal efficiency will be:
0.69, 0.55, 0.46 ...

Acknowledgements

- Jim Cimino and Andrea Beri for help with BTRIS, John Harte and Jessica Green for use of the serpentine grassland data
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 - Kemi Abolude
 - Susan Lauffer
 - Cedric Cagliero
 - Amar Klar
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 - Mark Lewandoski
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Version

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